

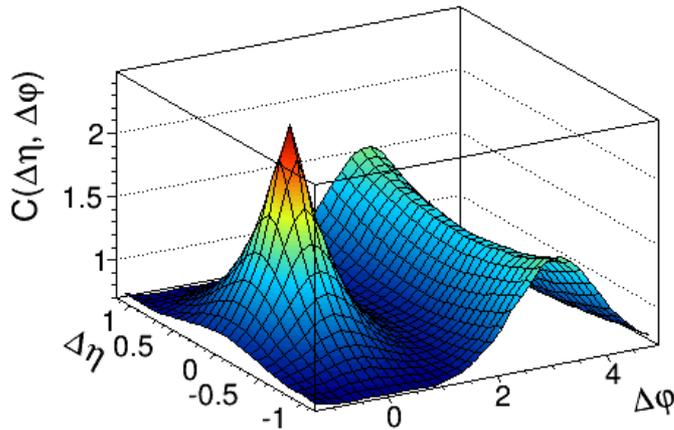


NATIONAL SCIENCE CENTRE



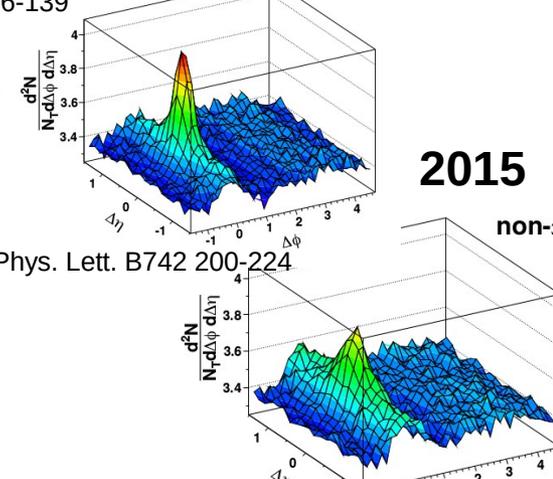
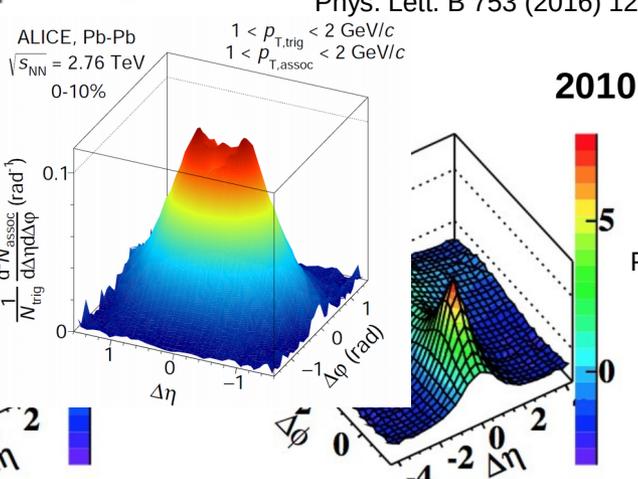
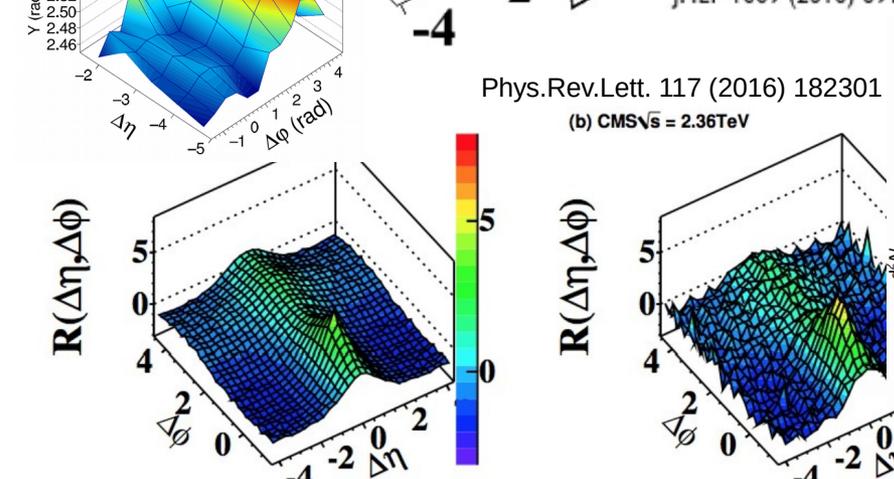
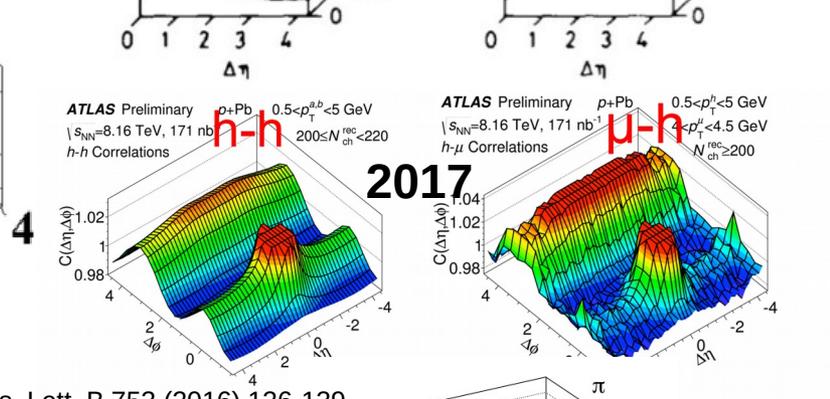
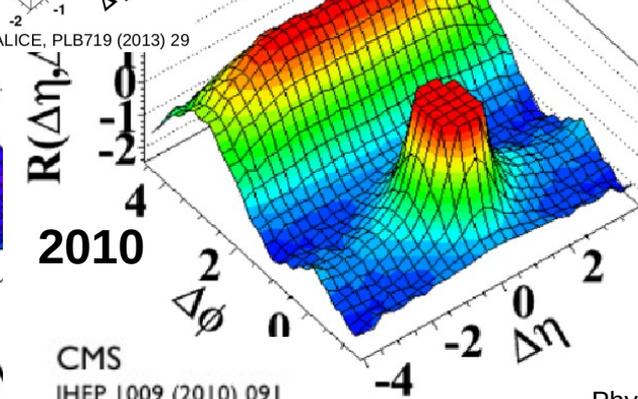
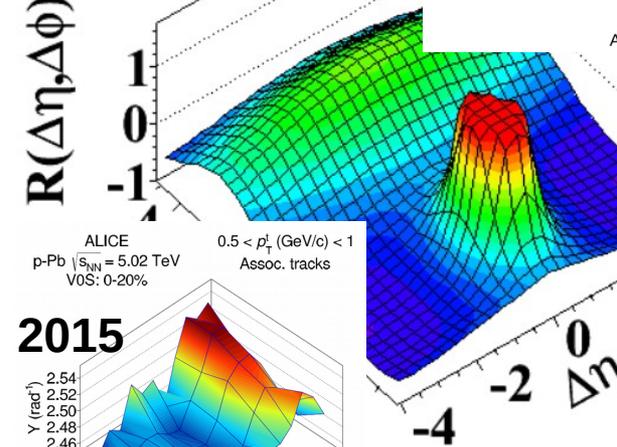
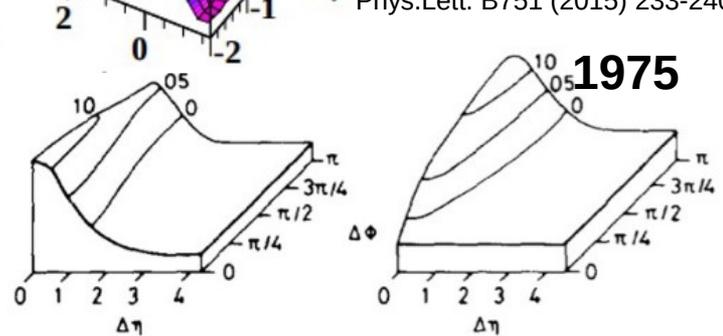
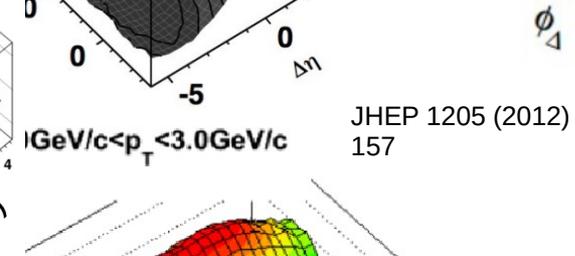
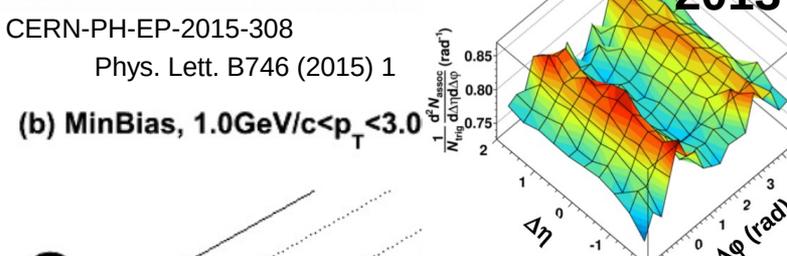
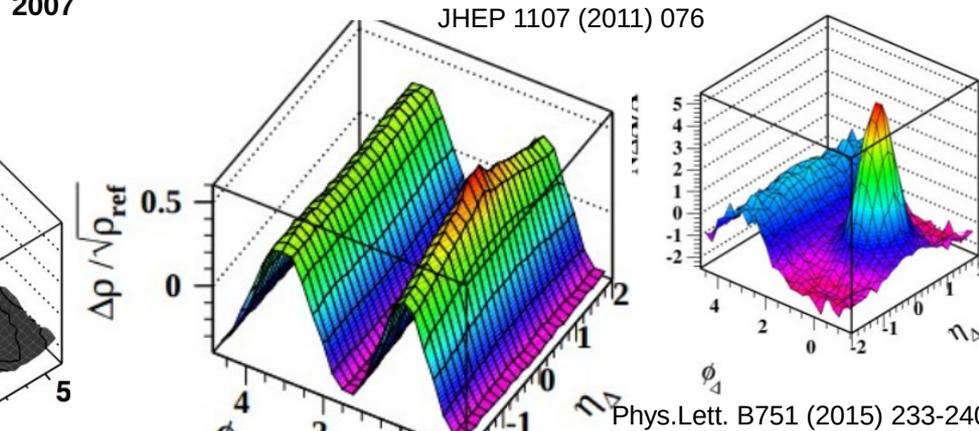
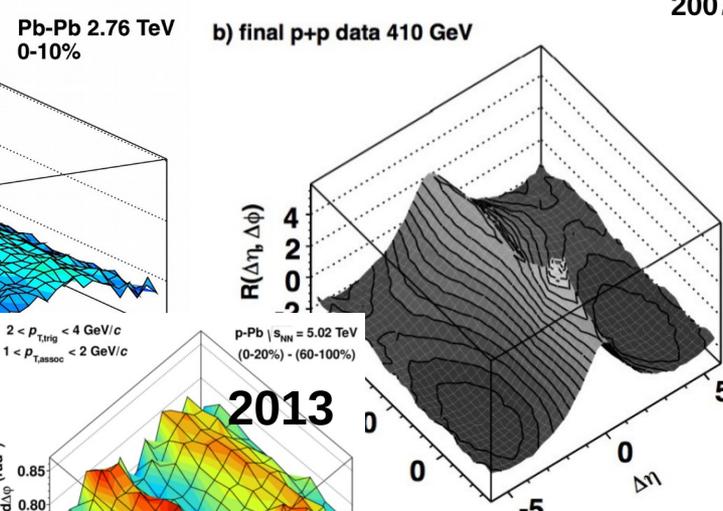
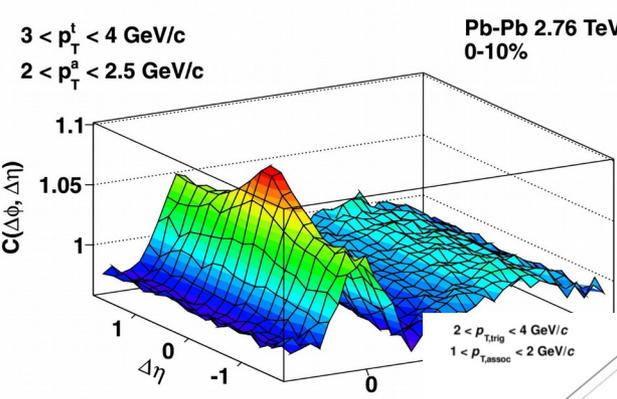
Two-particle angular correlations

Małgorzata Janik

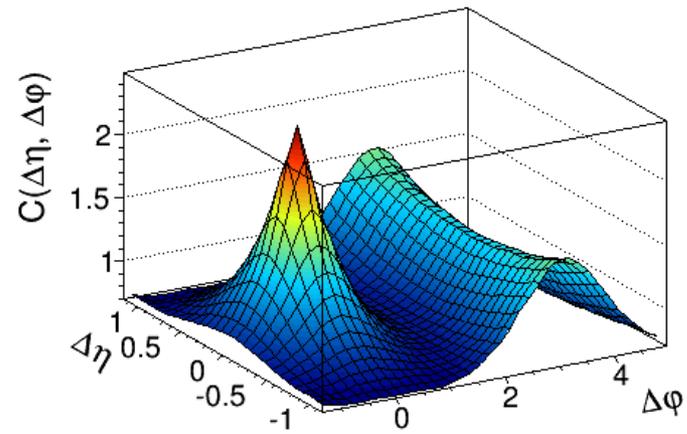


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Warsaw University
of Technology

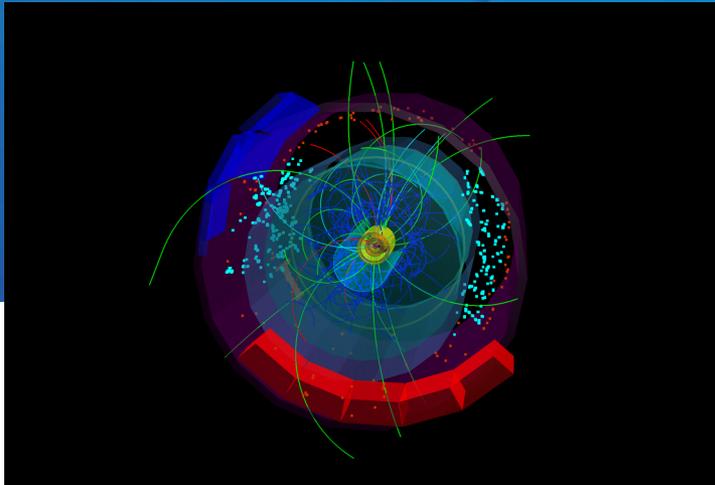
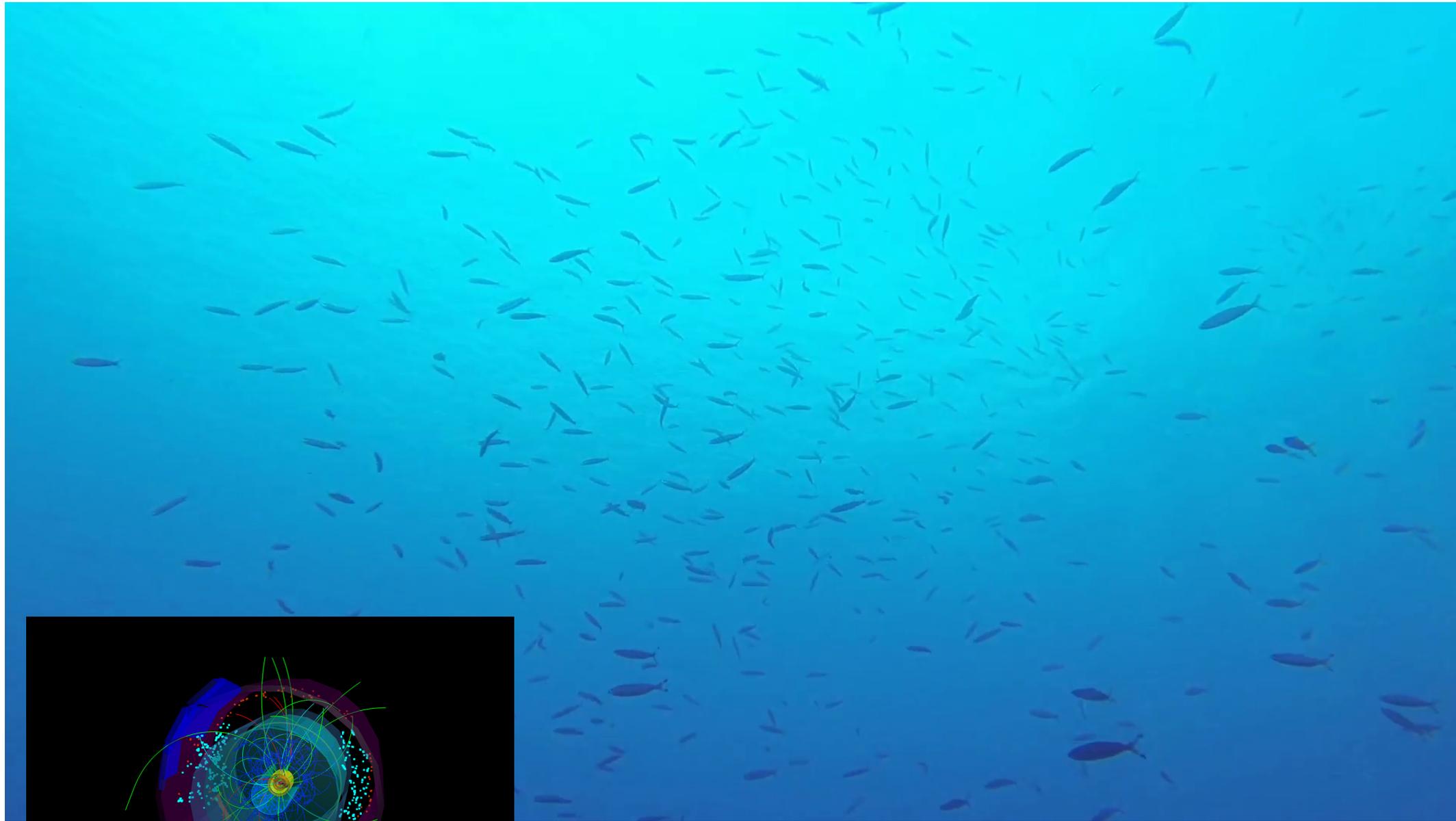
Oslo Winter School
2-7.01.2018



How does it work?



Correlations



Correlations



***Heavy
quarks***



bottom

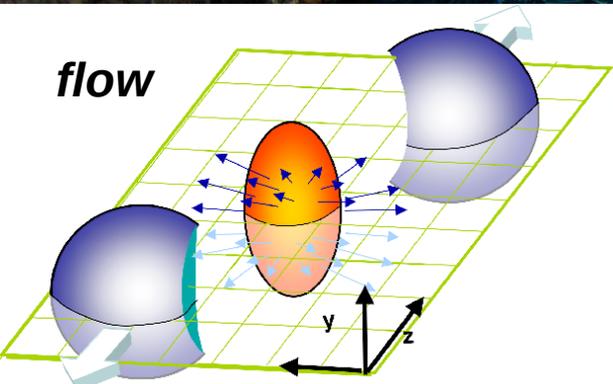
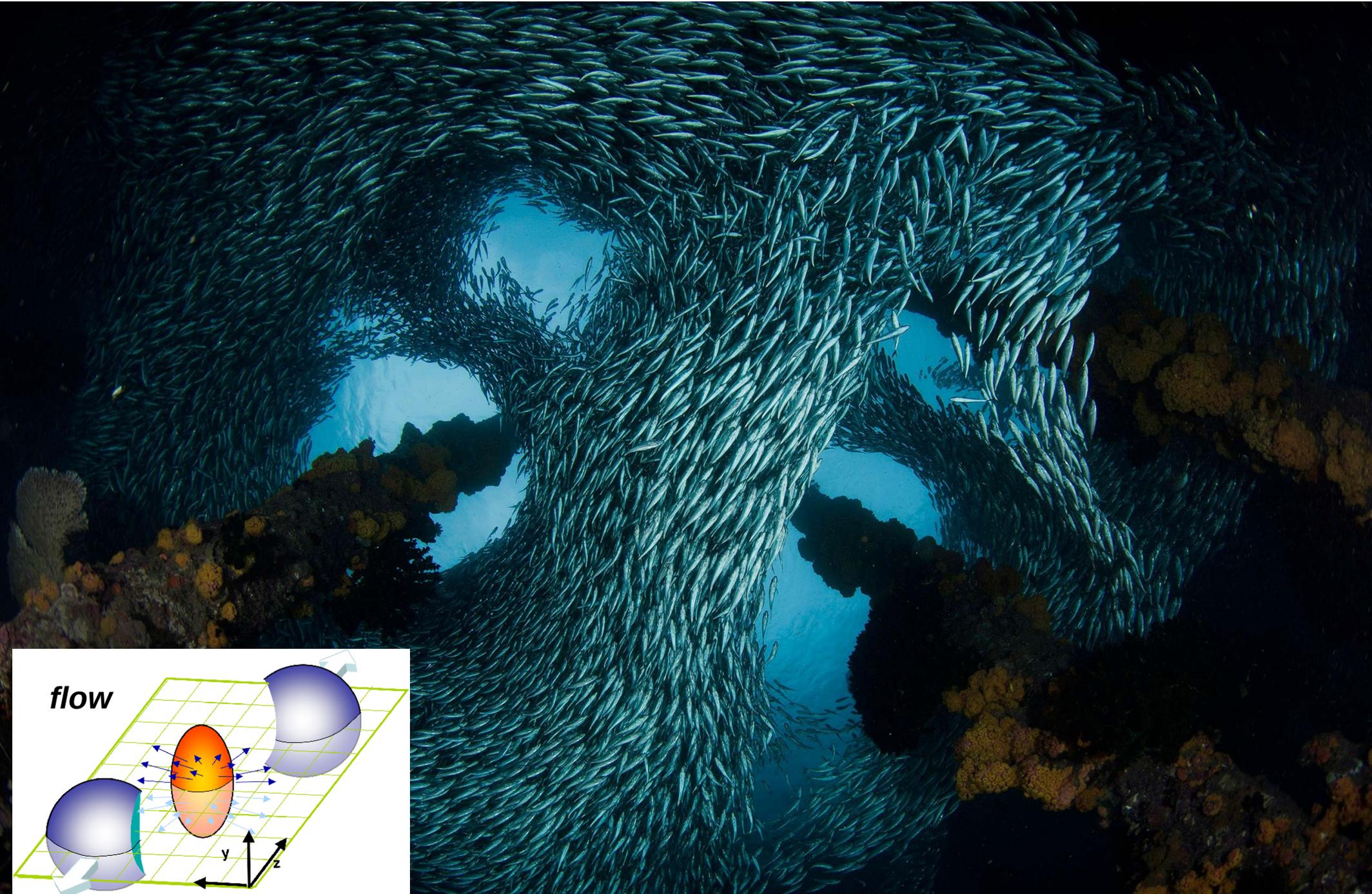


charm

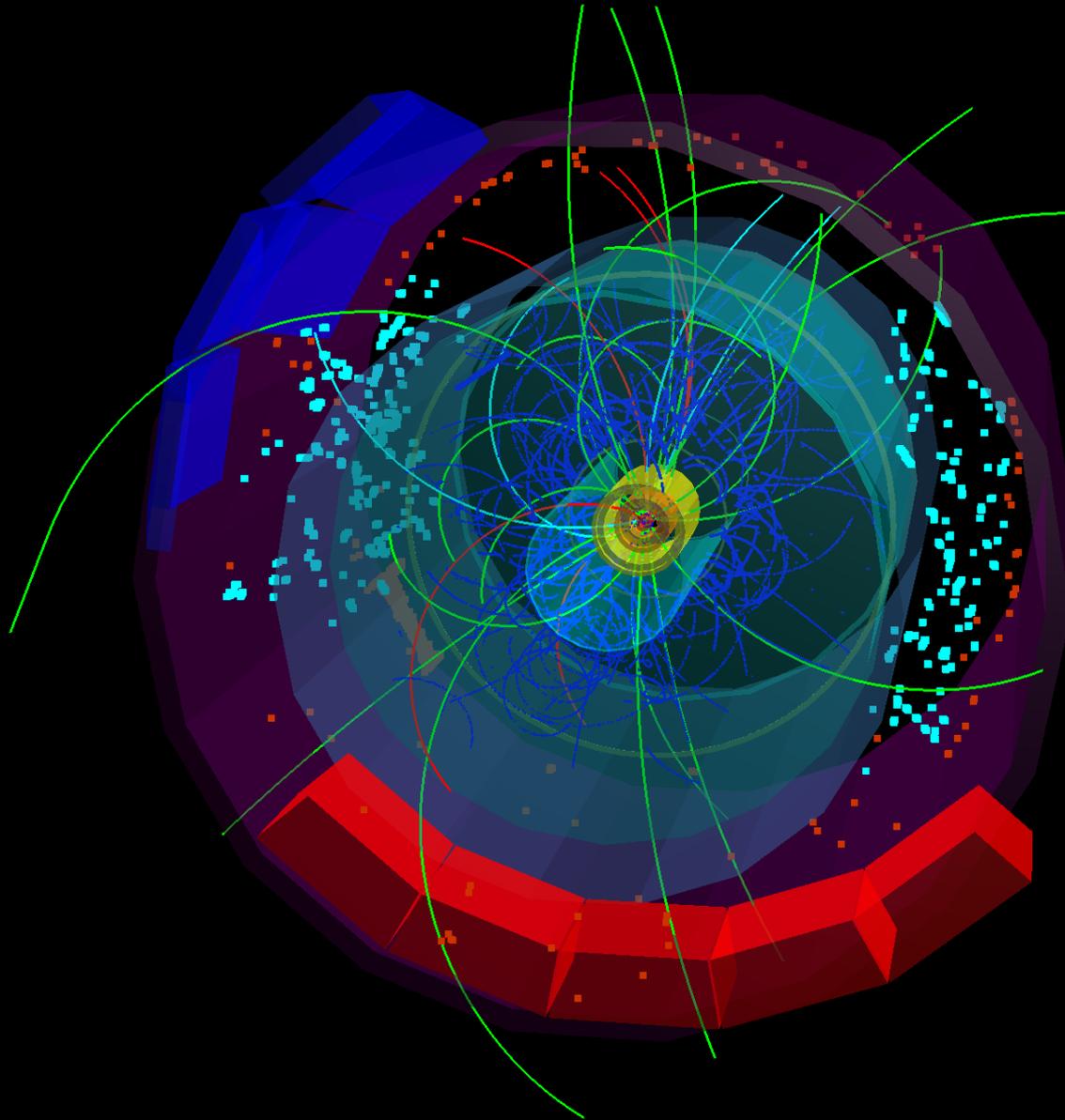


top

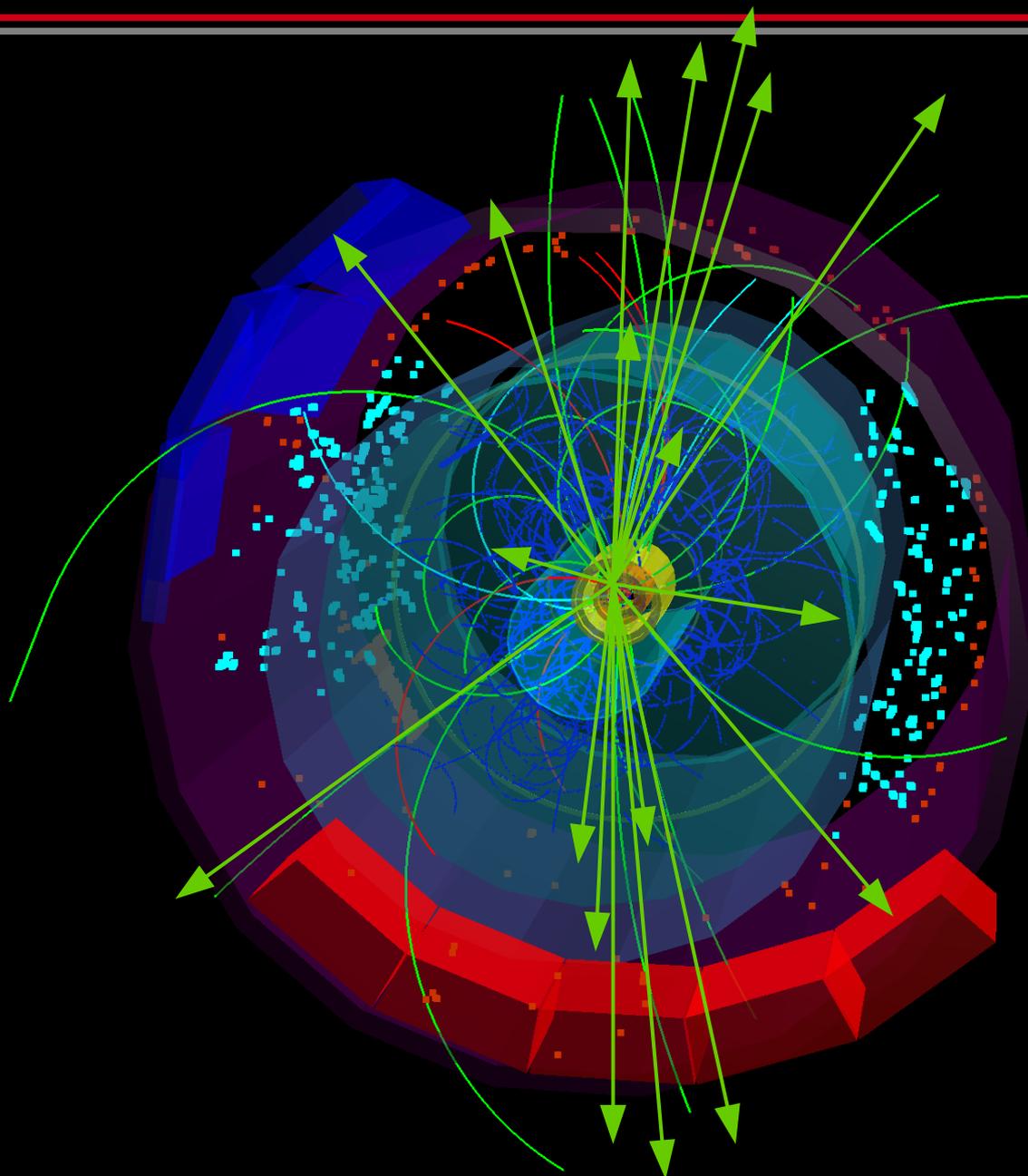
Correlations



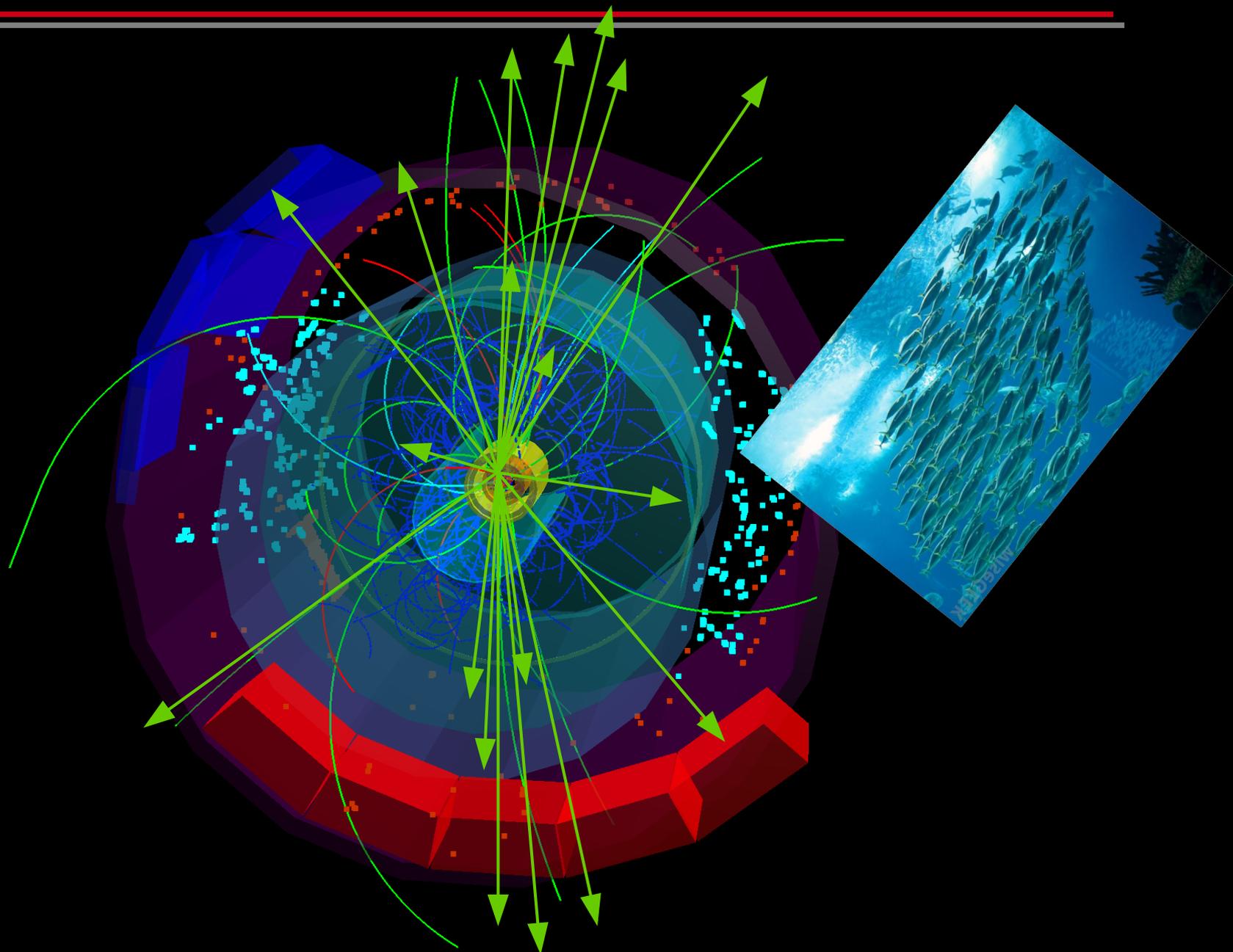
Two-particle $\Delta\eta\Delta\phi$ angular correlations



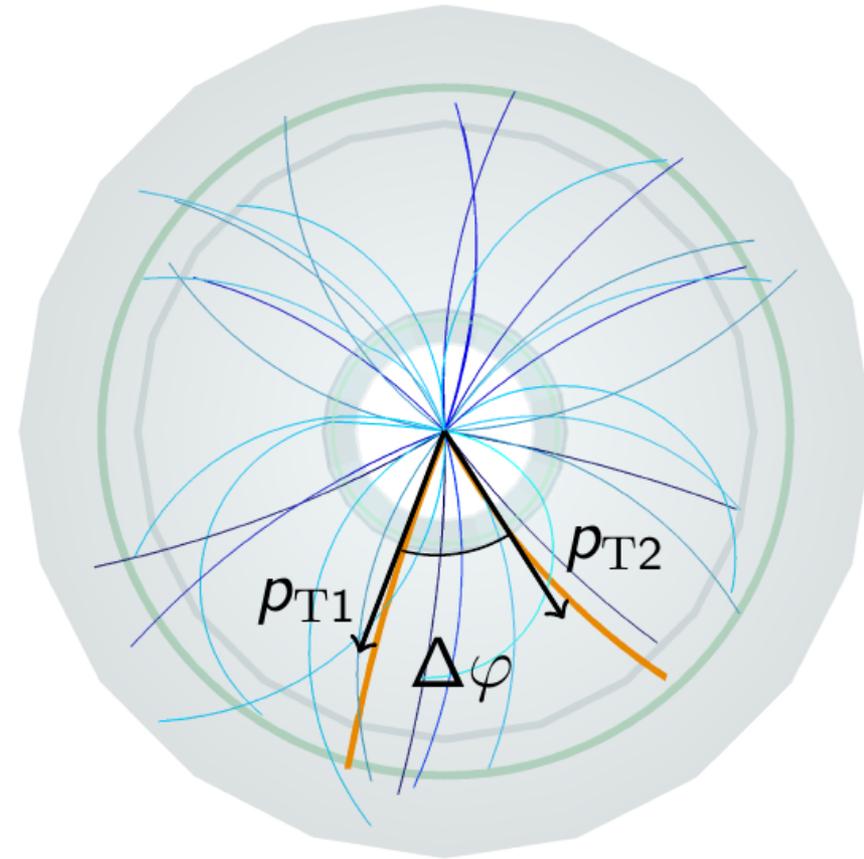
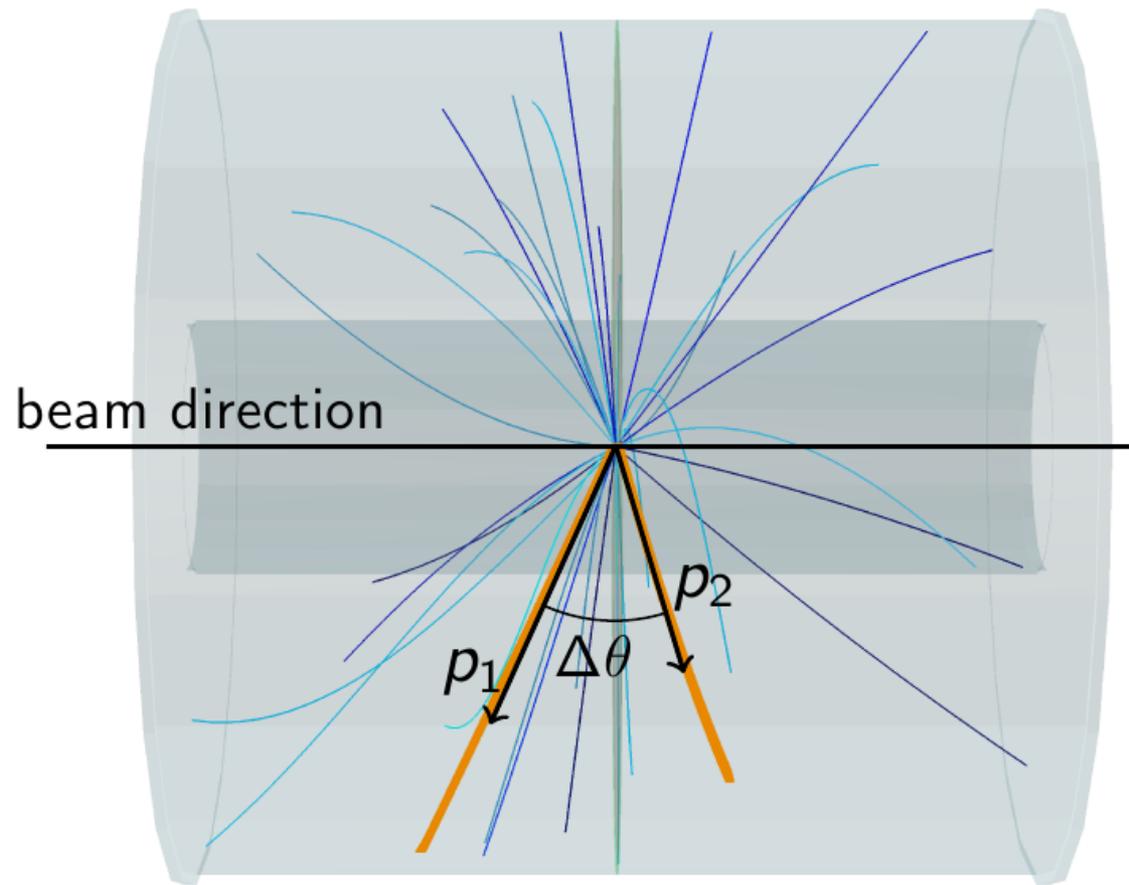
Two-particle $\Delta\eta\Delta\phi$ angular correlations



Two-particle $\Delta\eta\Delta\phi$ angular correlations



Two-particle $\Delta\eta\Delta\varphi$ angular correlations

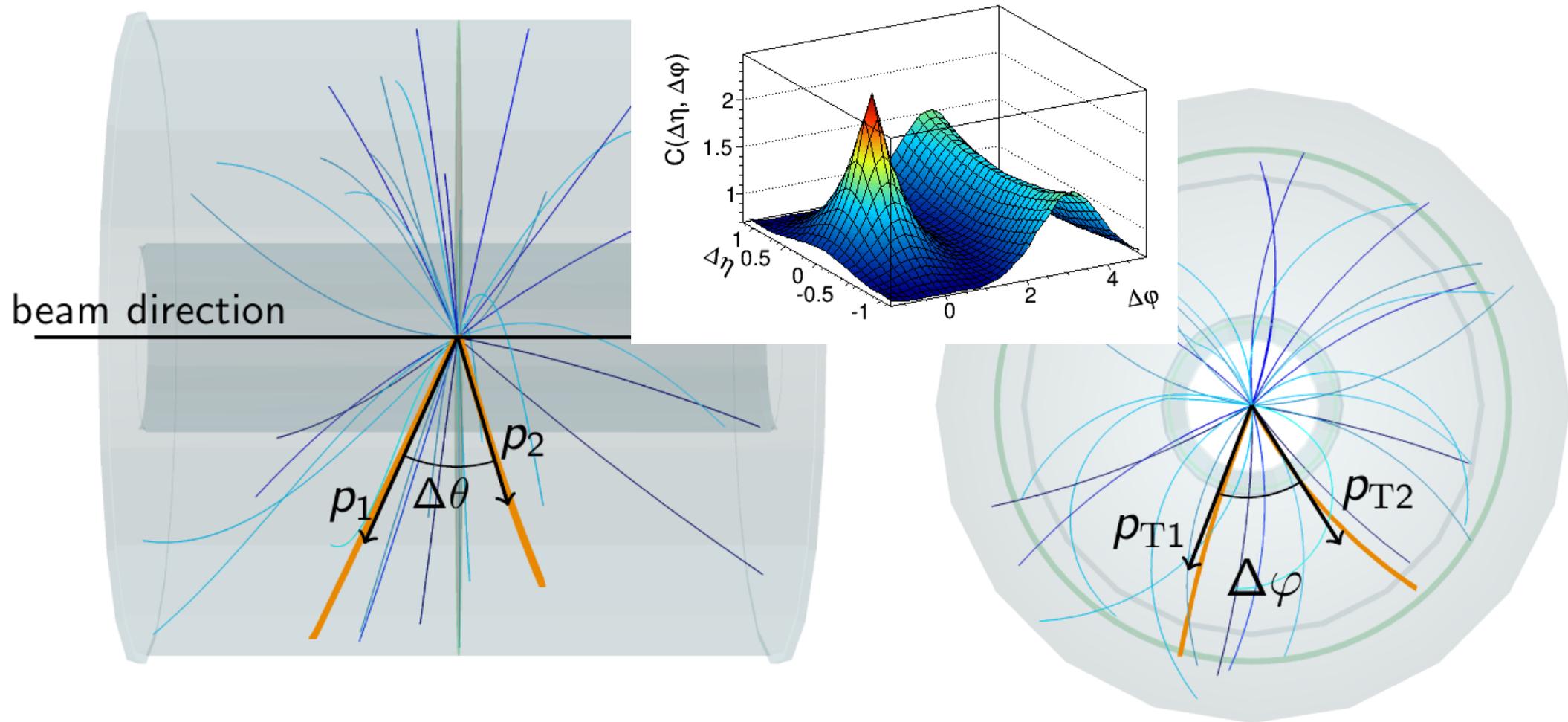


p - particle momentum;
 θ - polar angle;
 η - pseudorapidity:

$$\eta = -\ln \left(\operatorname{tg} \frac{\theta}{2} \right)$$

p_T - transverse momentum;
 φ - azimuthal angle;

Two-particle $\Delta\eta\Delta\phi$ angular correlations

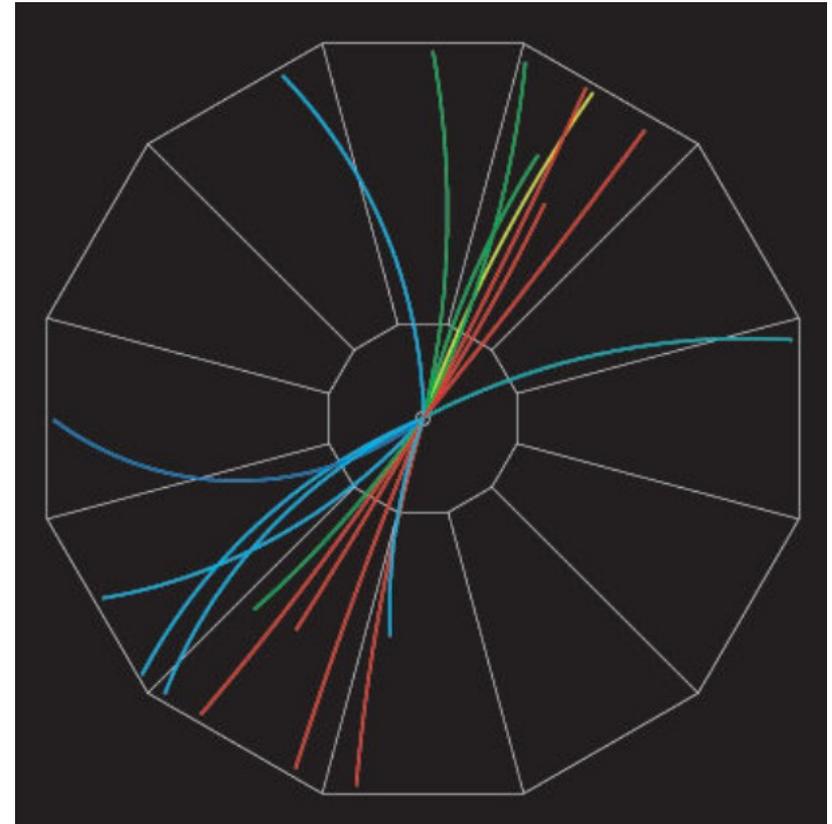
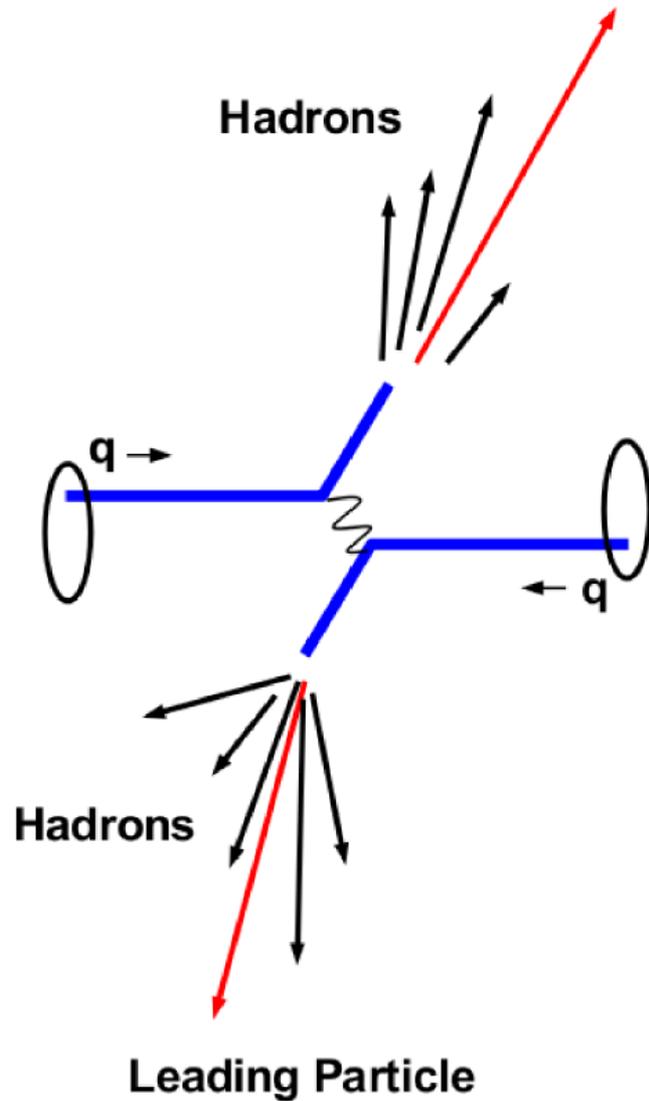


p - particle momentum;
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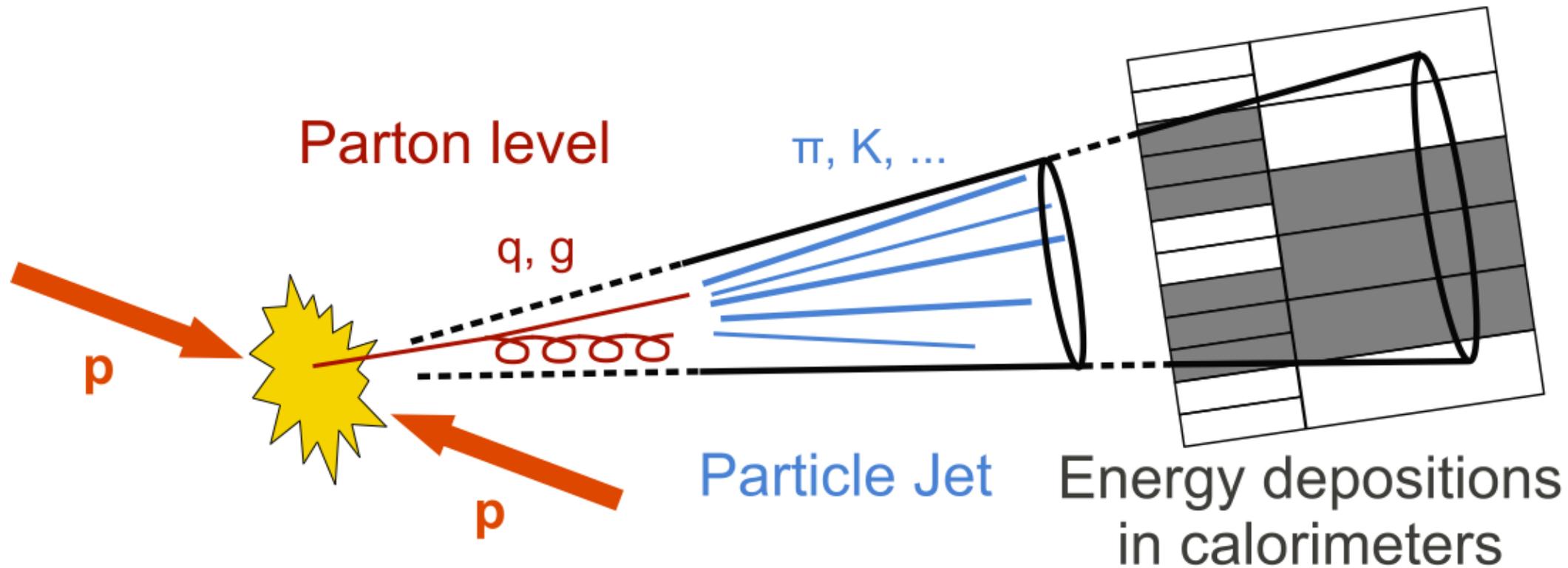
$$\eta = -\ln \left(\operatorname{tg} \frac{\theta}{2} \right)$$

p_T - transverse momentum;
 φ - azimuthal angle;

Production of jets

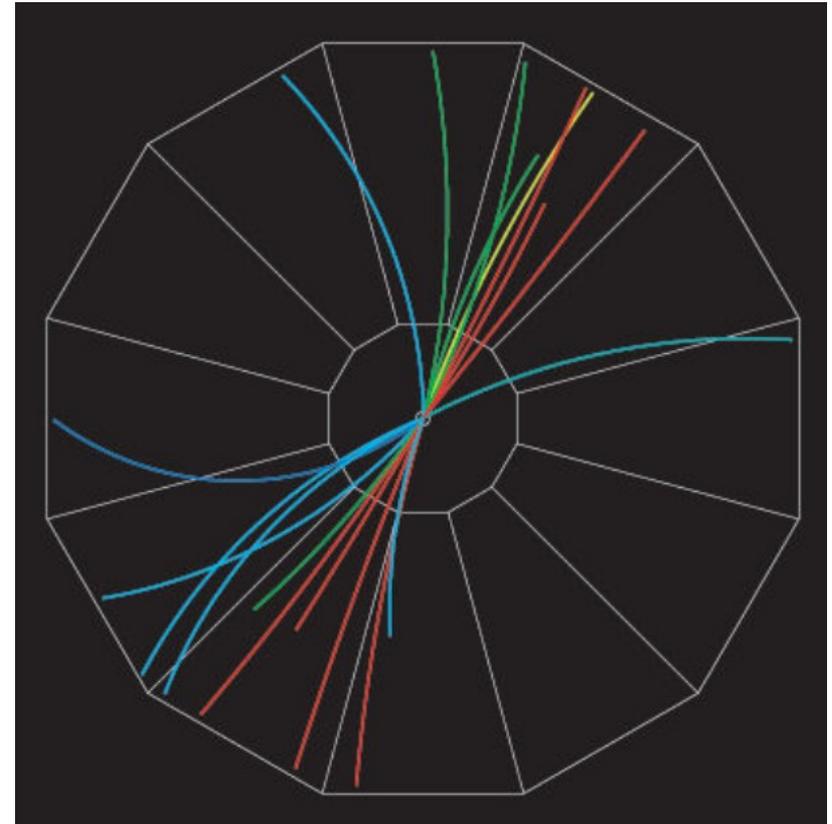
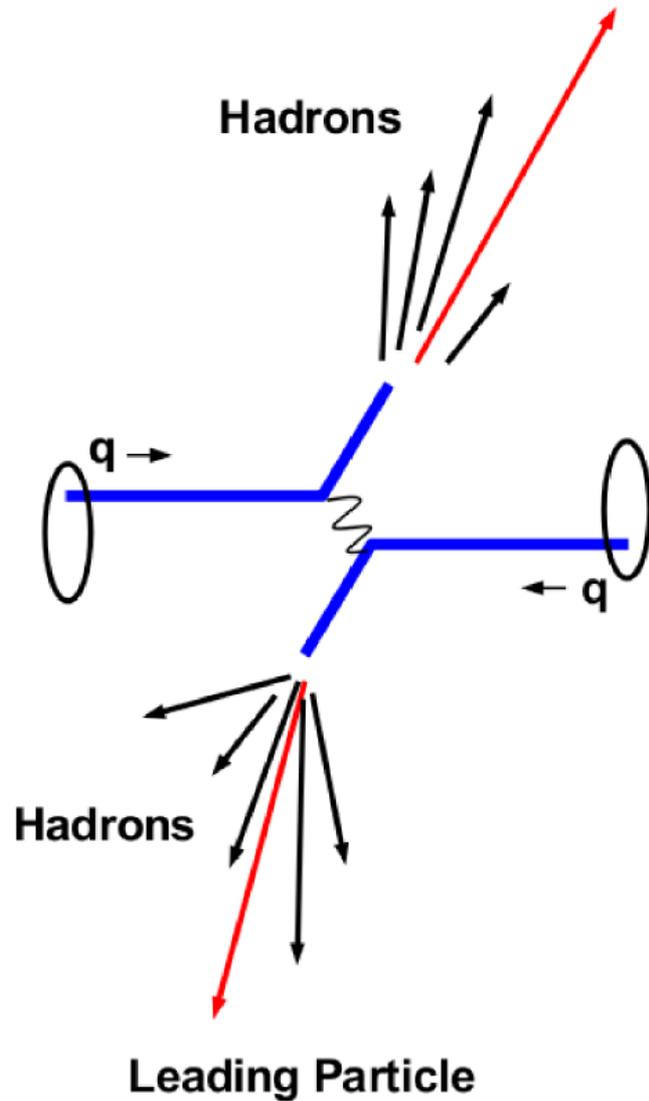


Jets – collimated spray of hadrons

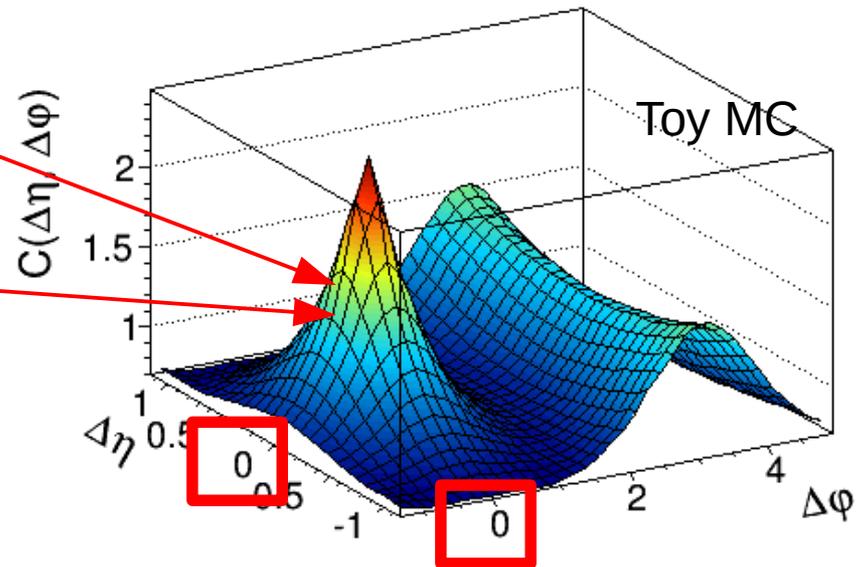
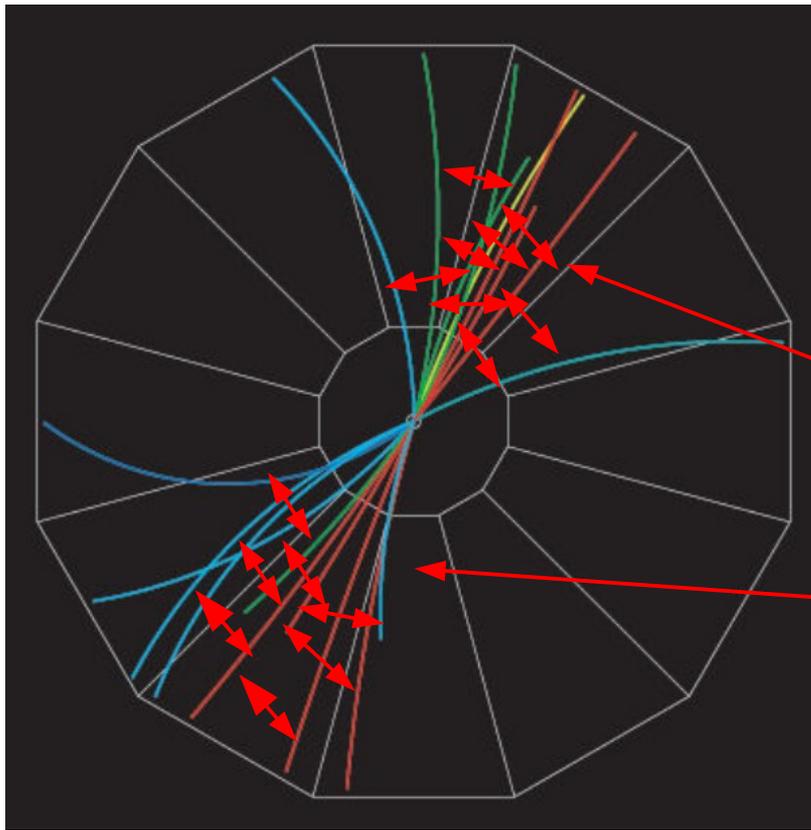


- experimental signatures of quarks and gluons produced in high-energy processes
- quarks and gluons cannot exist freely due to color-confinement
- instead, they come together to form colour-neutral hadrons, in a process that leads to production of **collimated spray of hadrons** called a **jet**.

Production of jets



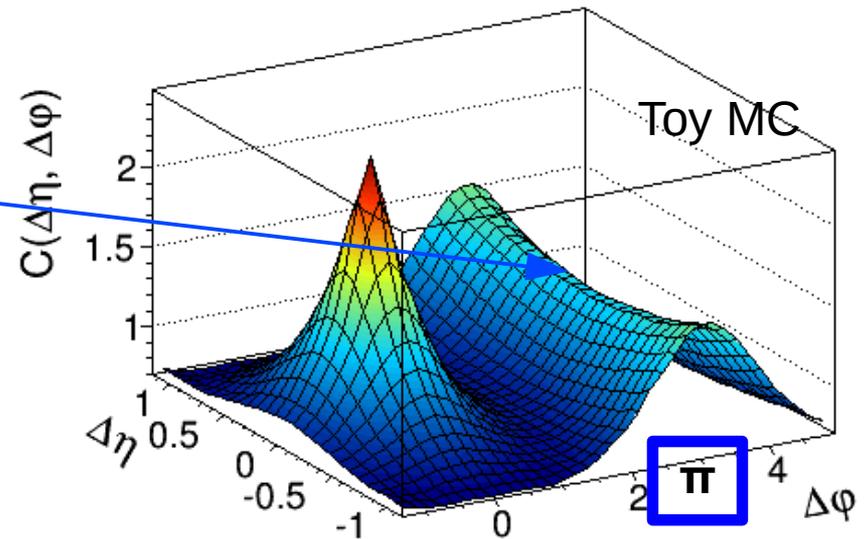
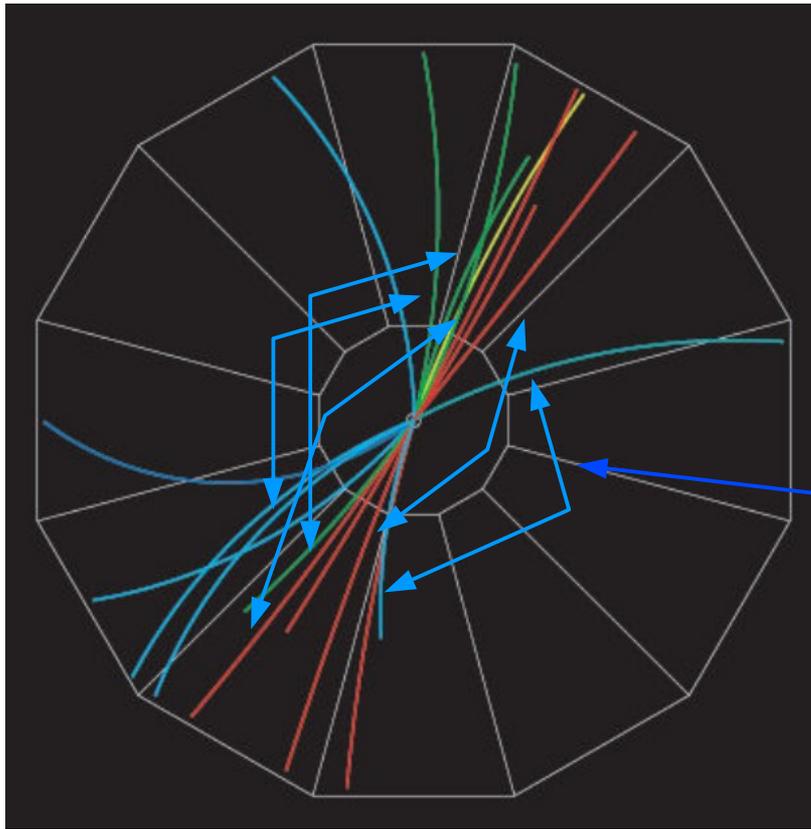
How does it work?



Near-side peak

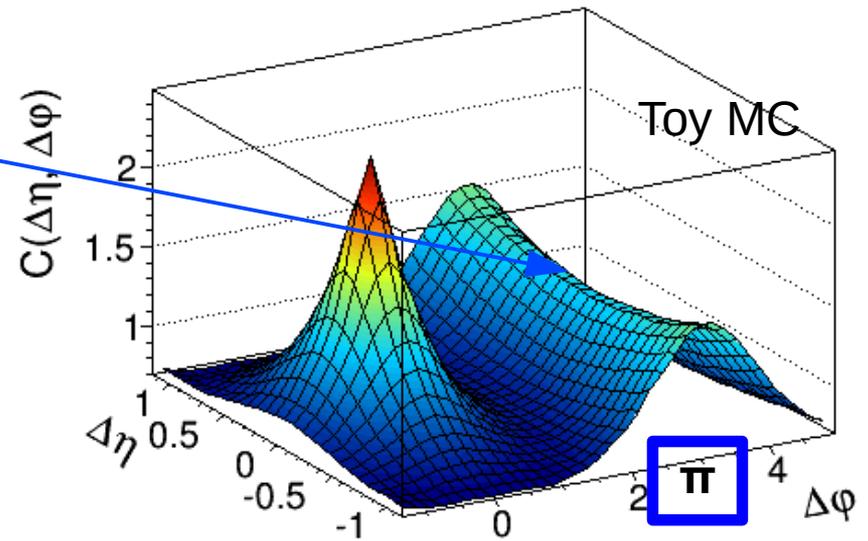
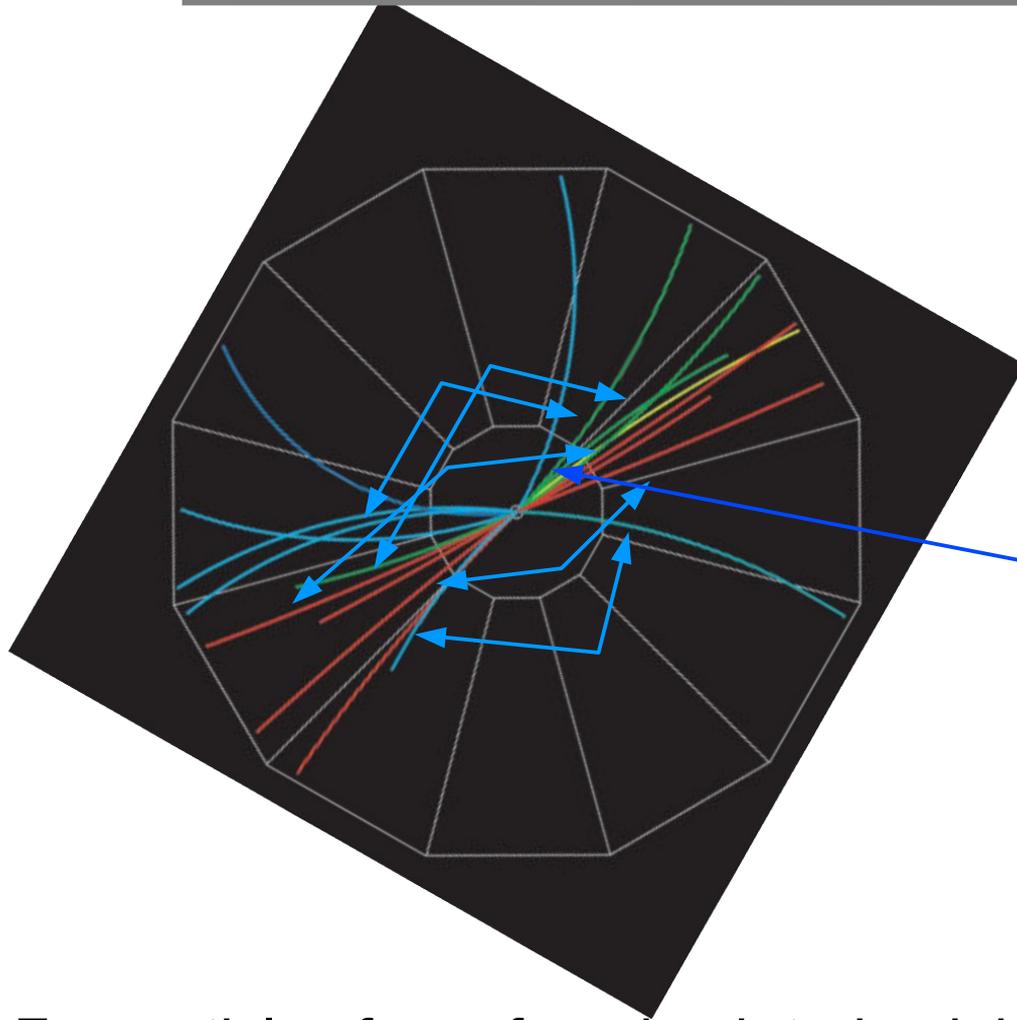
For particles from the same jet (red):
- centered at $\Delta\phi = \Delta\eta = 0$

How does it work?



- For particles from from back-to-back jets (blue): *Away-side ridge*
- centered at $\Delta\phi = \pi$
- $dN/\Delta\eta \sim \text{const}$, if averaged over many events

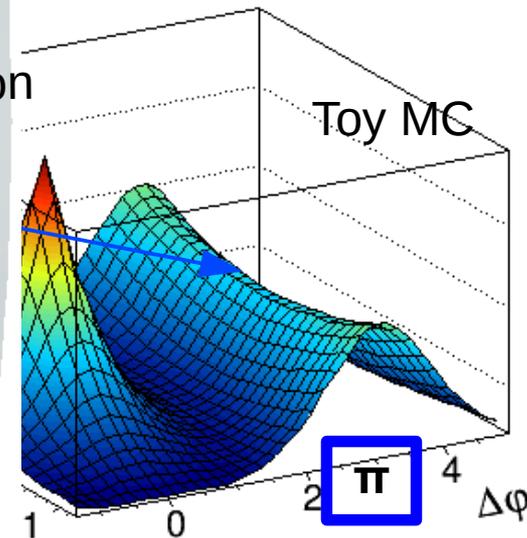
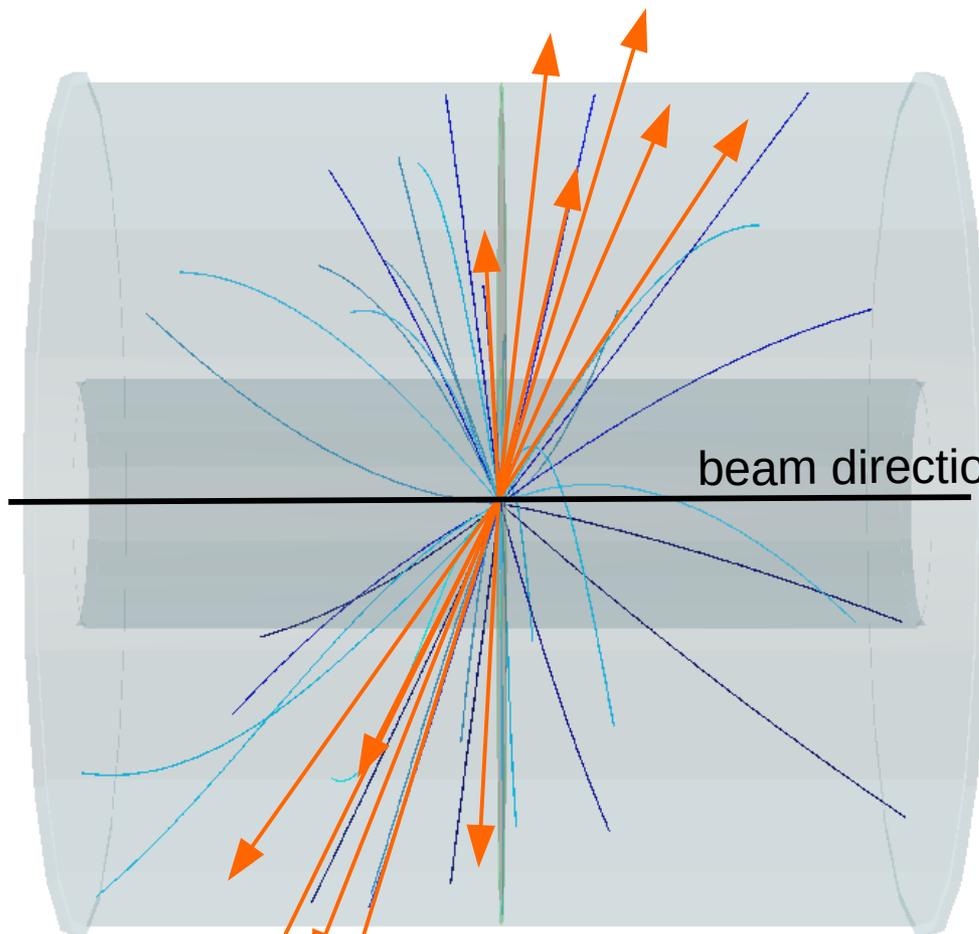
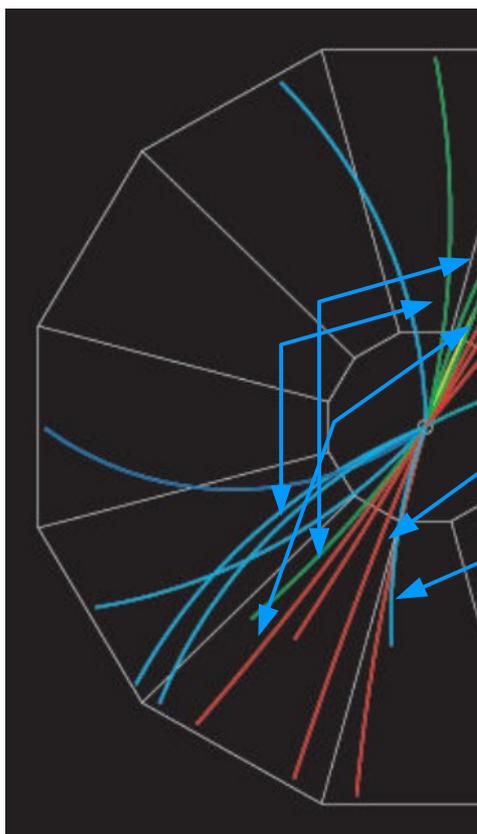
How does it work?



For particles from from back-to-back jets (blue):

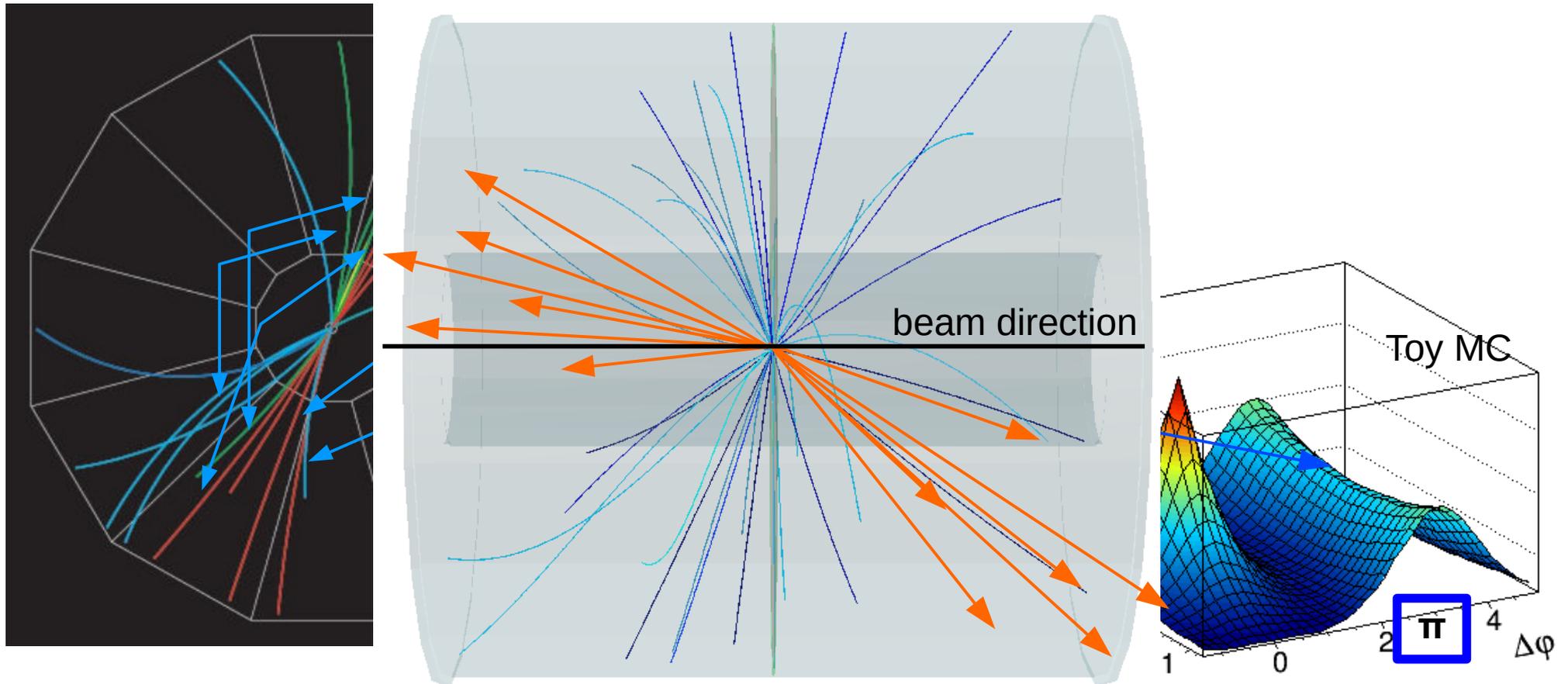
- centered at $\Delta\phi = \pi$
- $dN/\Delta\eta \sim \text{const}$, if averaged over many events

How does it work?



- For particles from from back-to-back jets (blue):
- centered at $\Delta\phi = \pi$
- $dN/\Delta\eta \sim \text{const}$, if averaged over many events

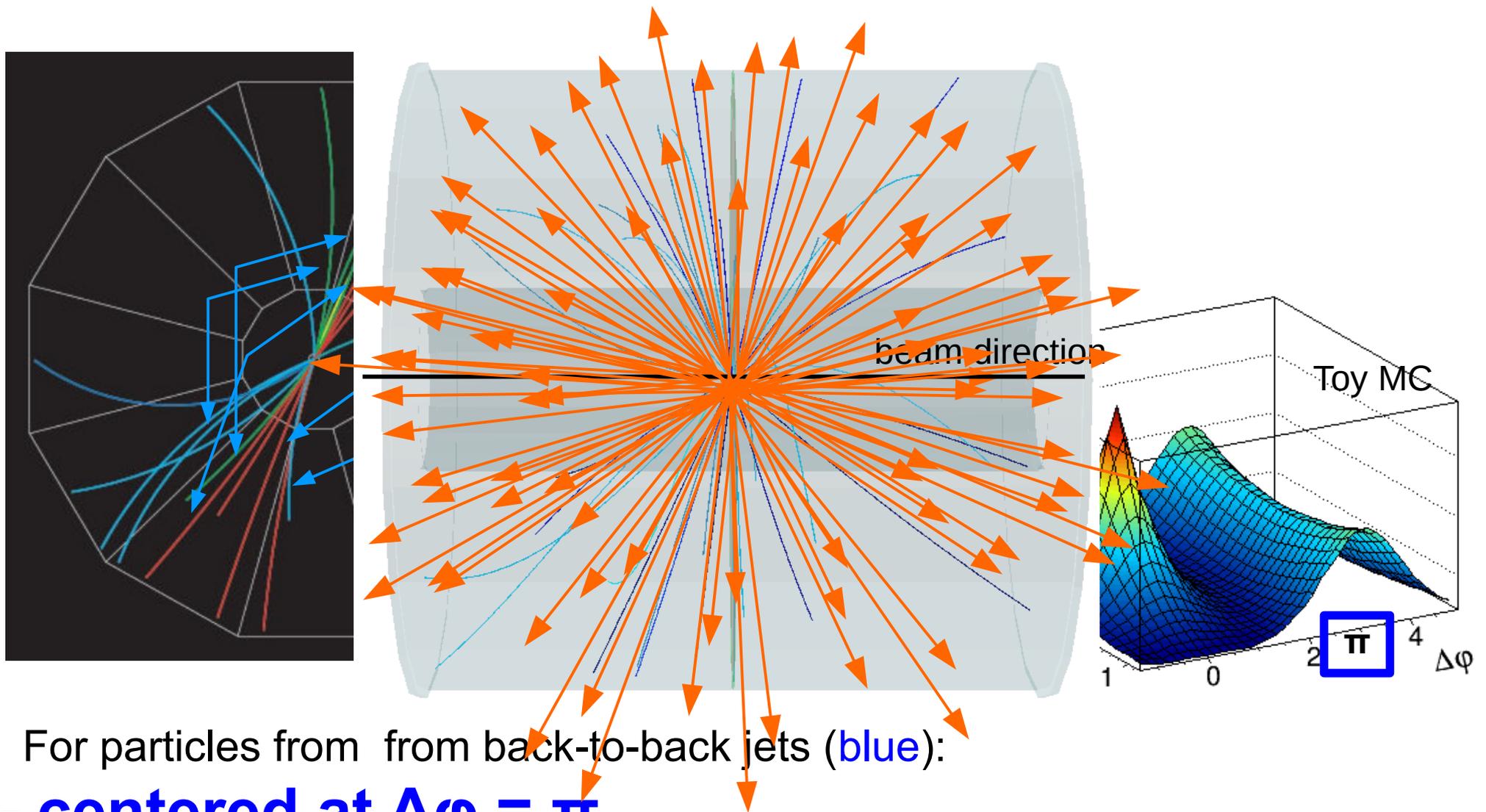
How does it work?



For particles from from back-to-back jets (blue):

- centered at $\Delta\phi = \pi$
- $dN/\Delta\eta \sim \text{const}$, if averaged over many events

How does it work?

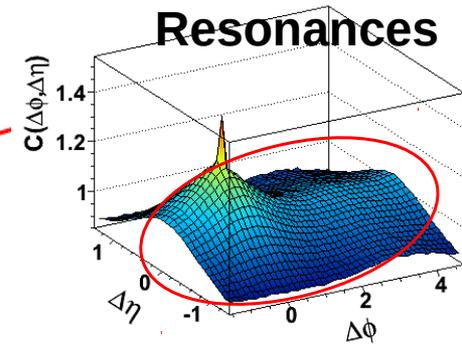
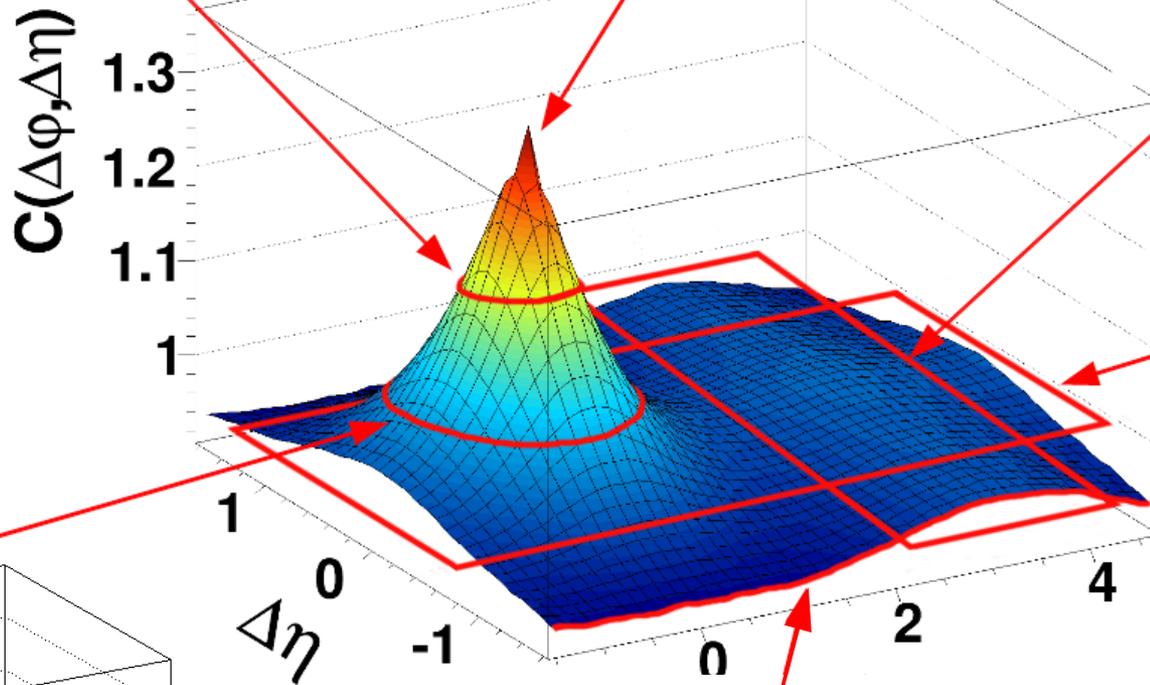
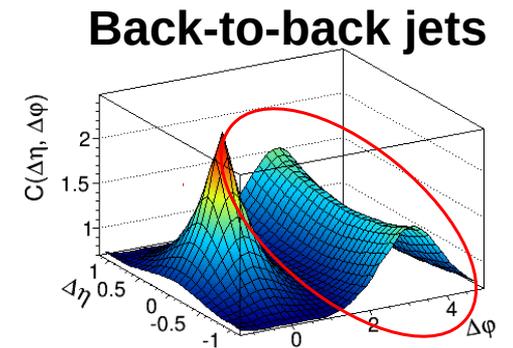
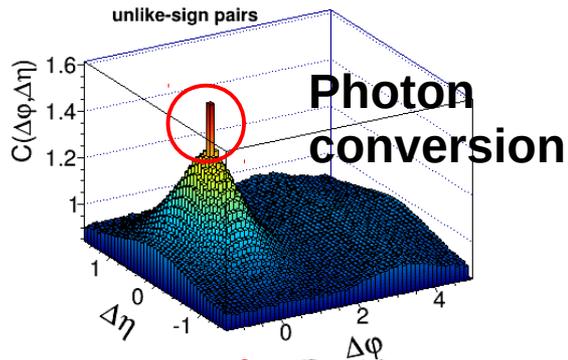
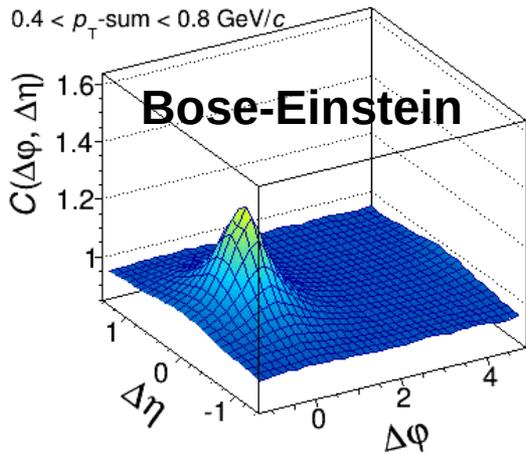


For particles from from back-to-back jets (blue):

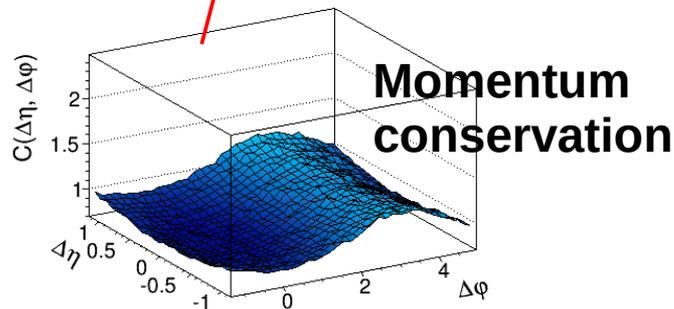
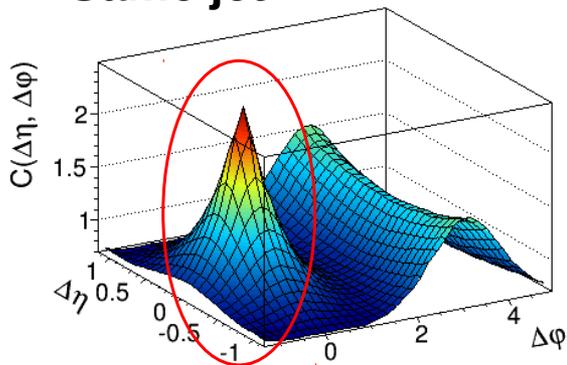
- centered at $\Delta\phi = \pi$

- $dN/\Delta\eta \sim \text{const}$, if averaged over many events

$0.4 < p_{T\text{-sum}} < 0.8 \text{ GeV}/c$

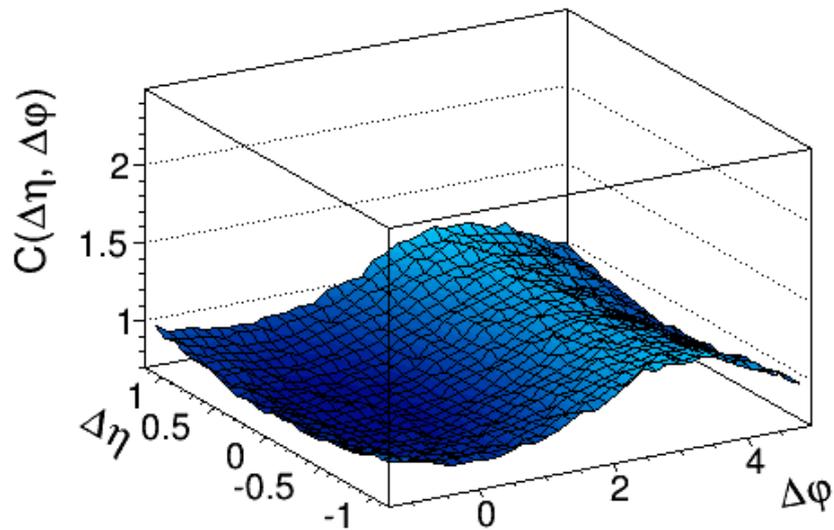


Same jet

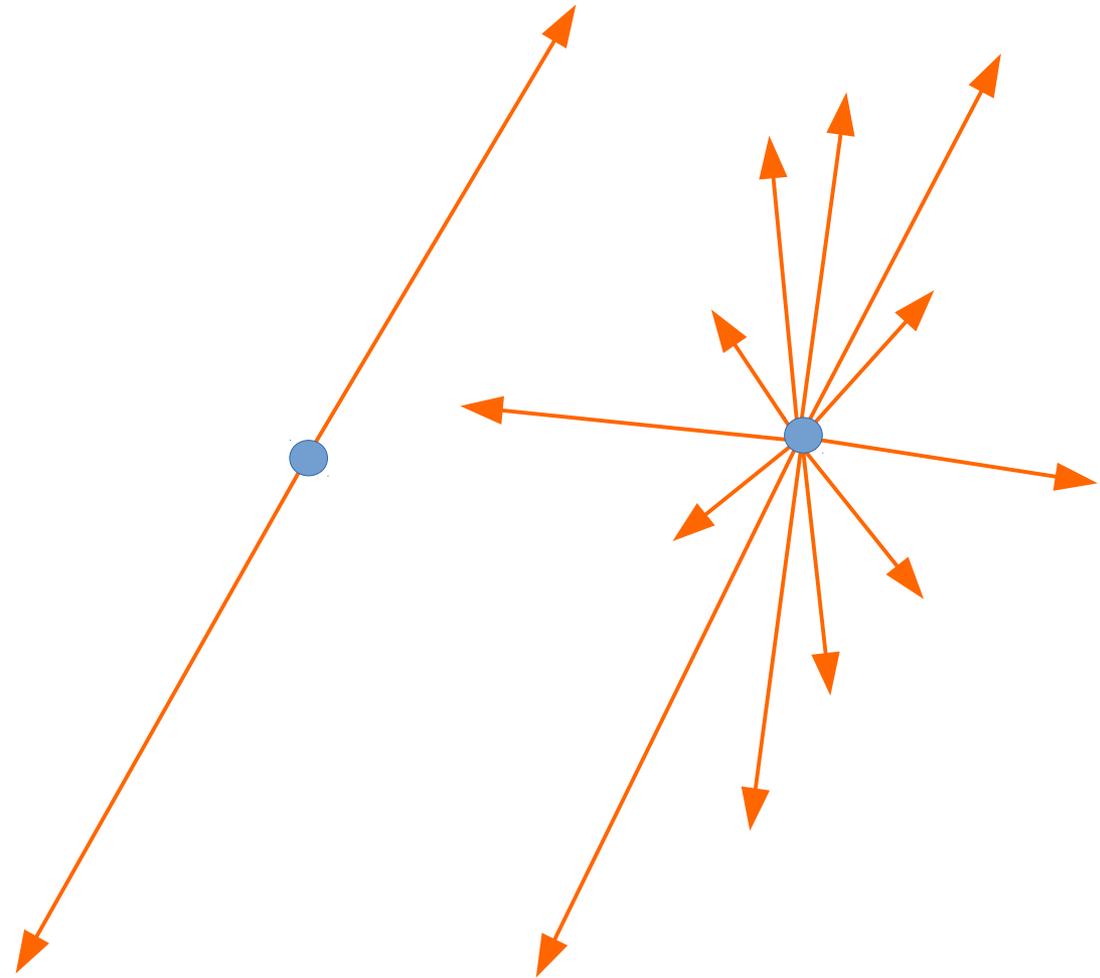


Momentum Conservation

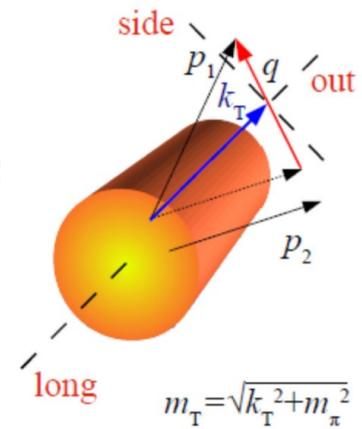
Momentum conservation



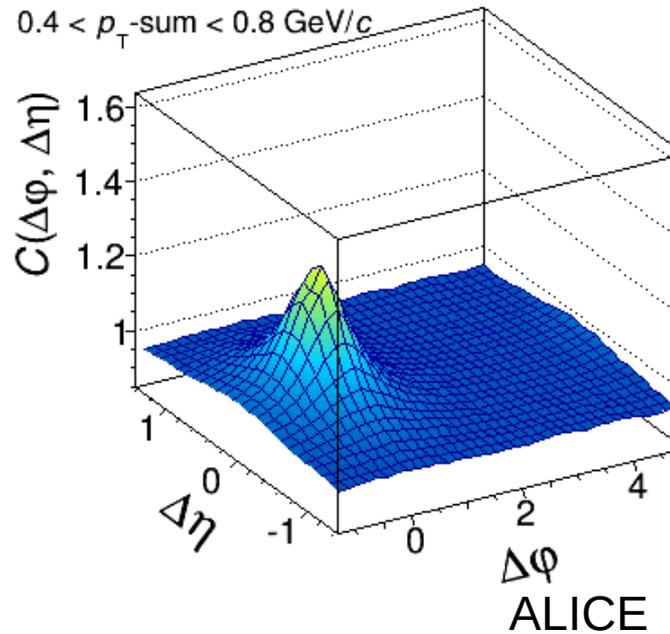
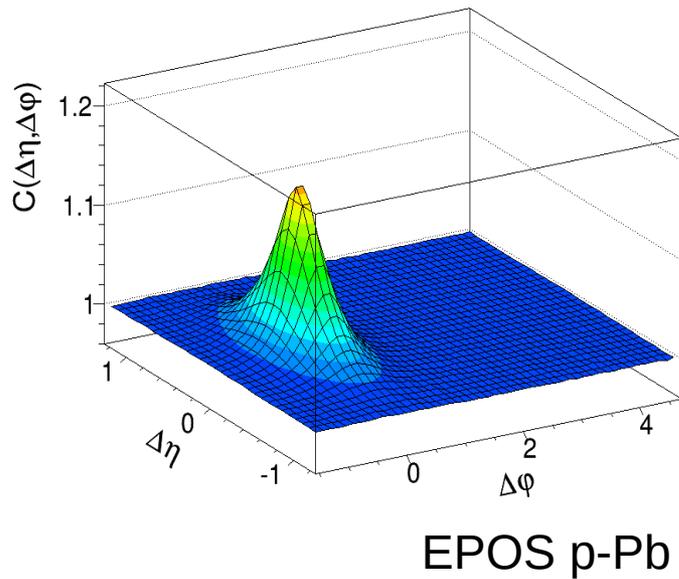
Events with angular momentum conserved only



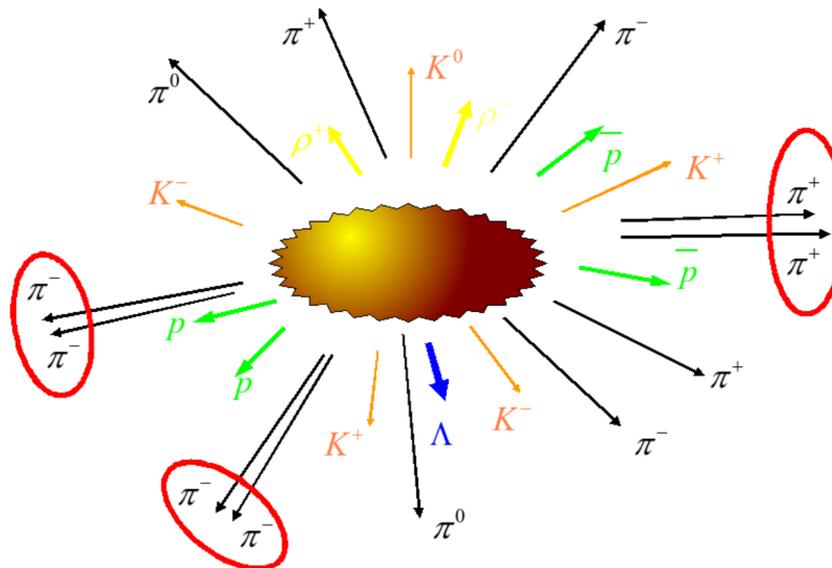
Bose-Einstein Correlations



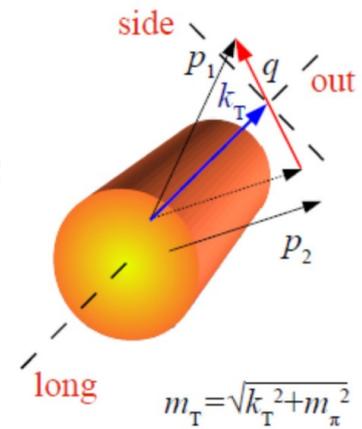
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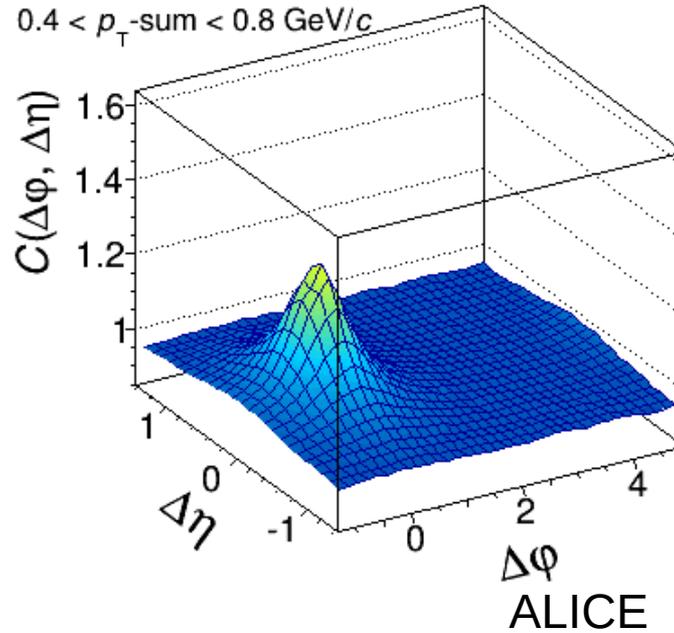
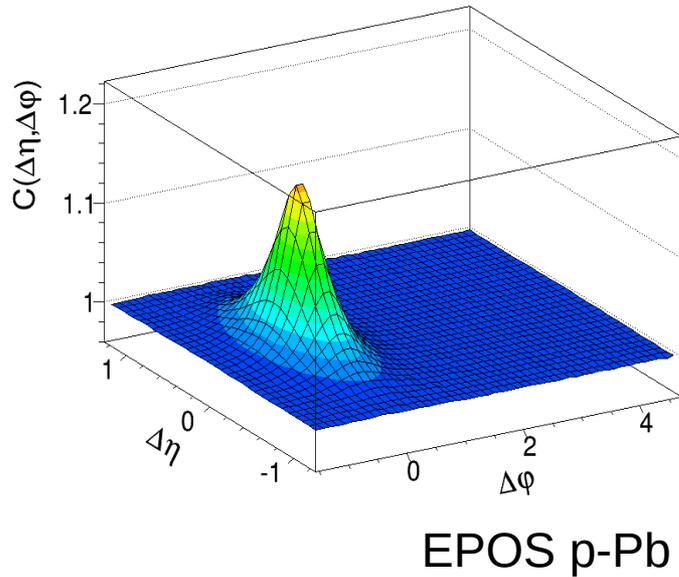
Bose-Einstein Correlations of identical-pion pairs result in an enhancement at low relative momentum.



Photon conversion

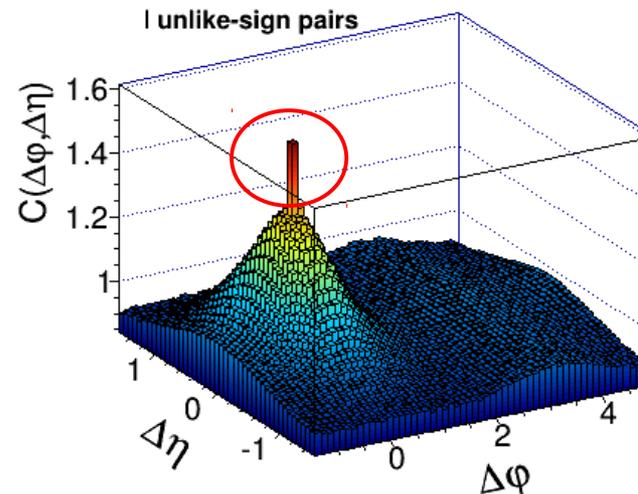
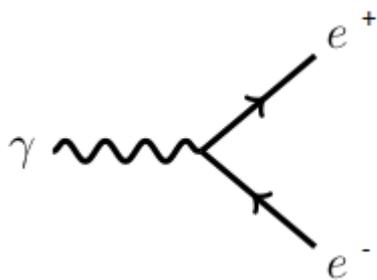


Bose-Einstein Correlations

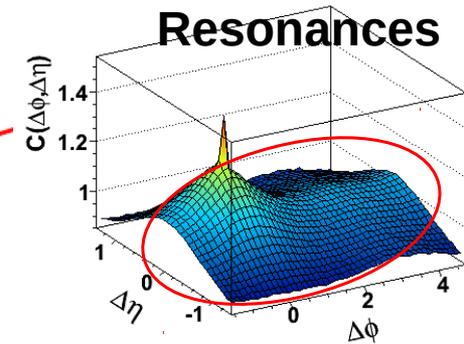
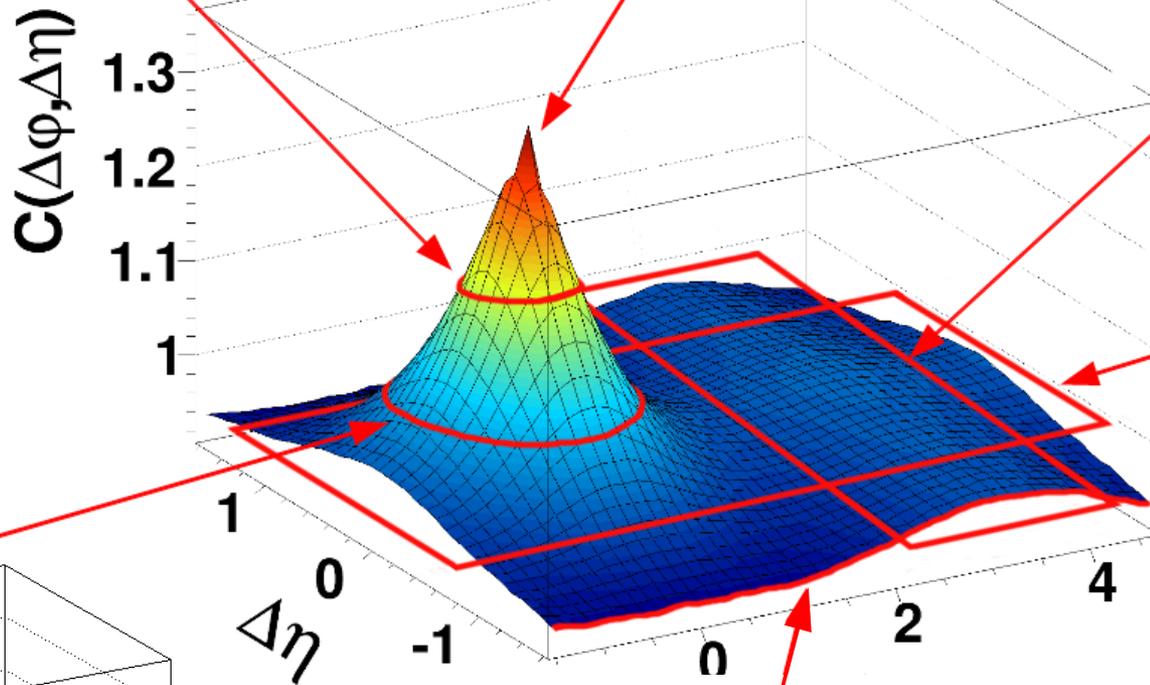
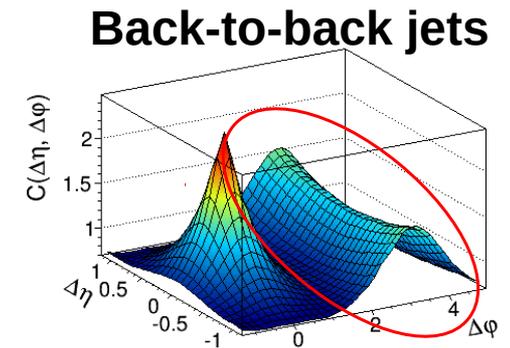
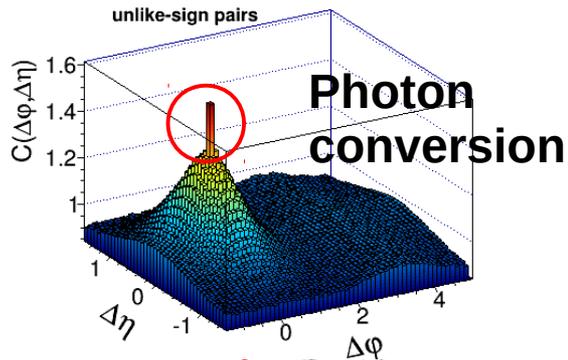
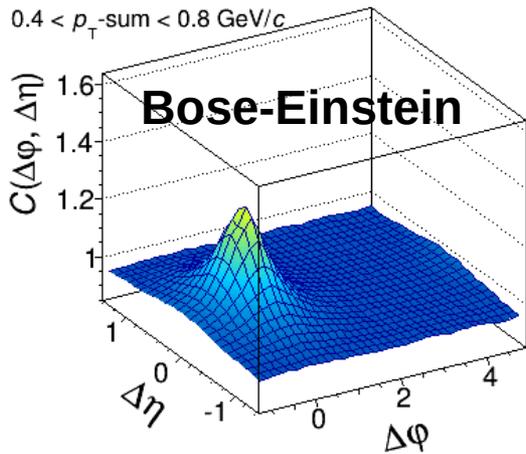


Bose-Einstein Correlations of identical-pion pairs result in an enhancement at low relative momentum.

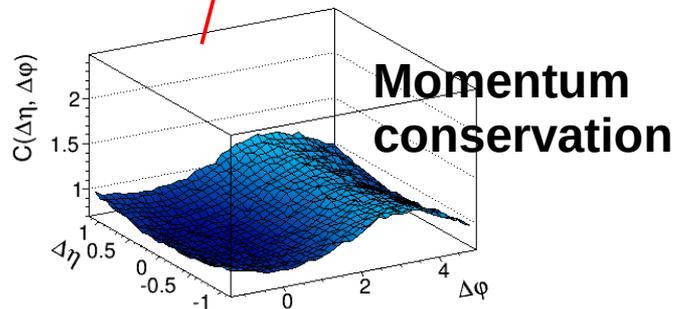
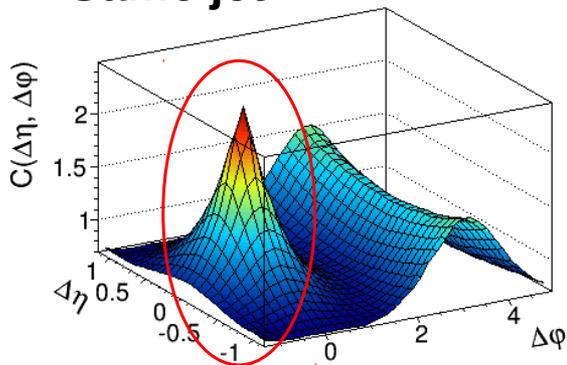
Photon conversion



$0.4 < p_{T\text{-sum}} < 0.8 \text{ GeV}/c$



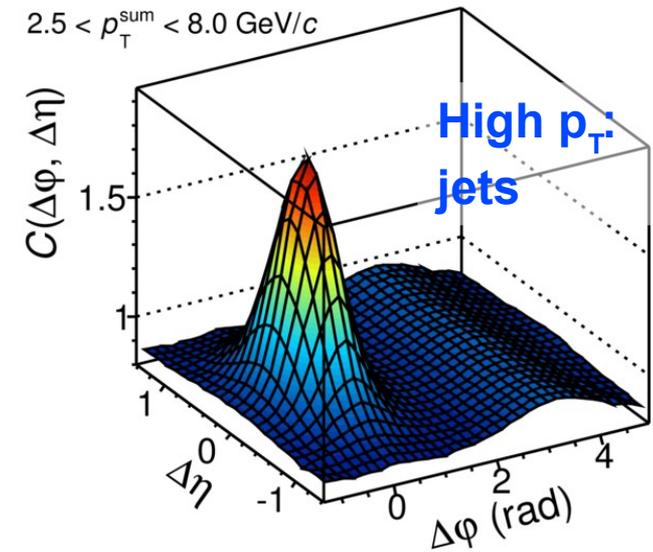
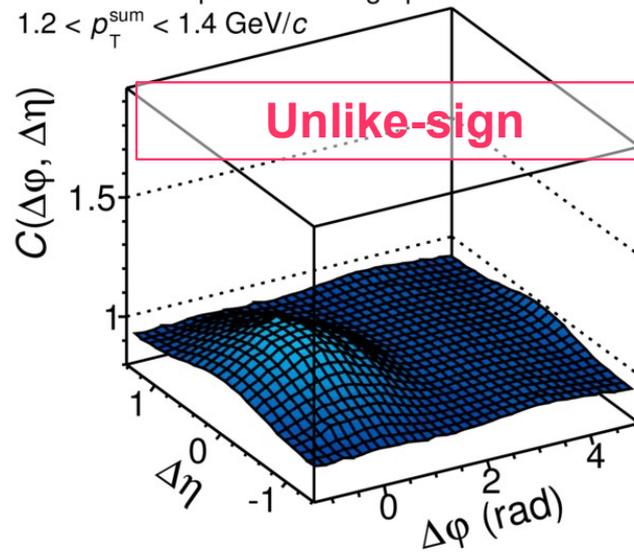
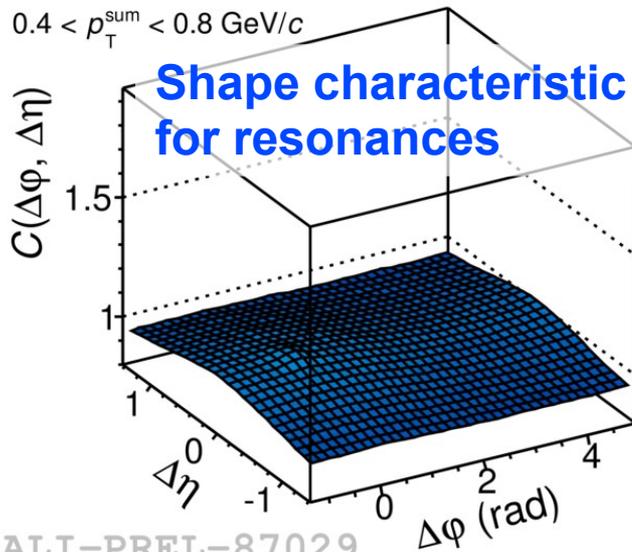
Same jet



Pions

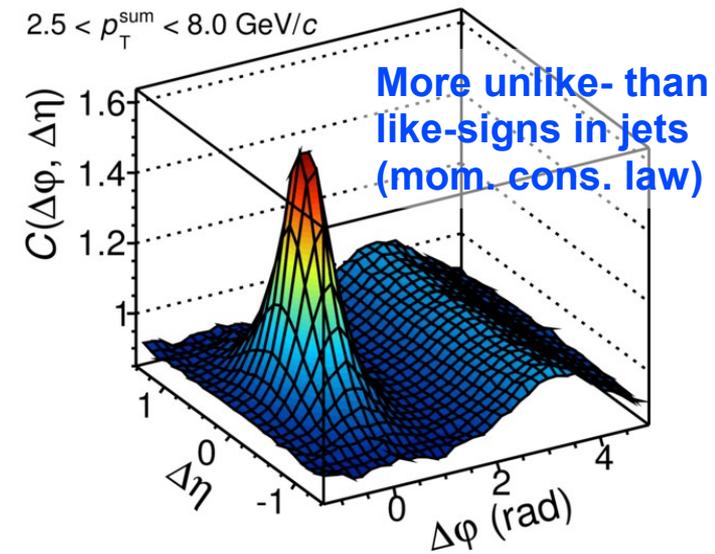
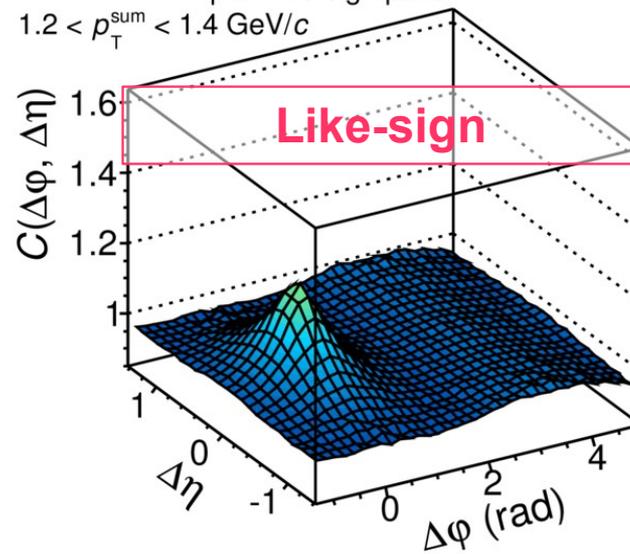
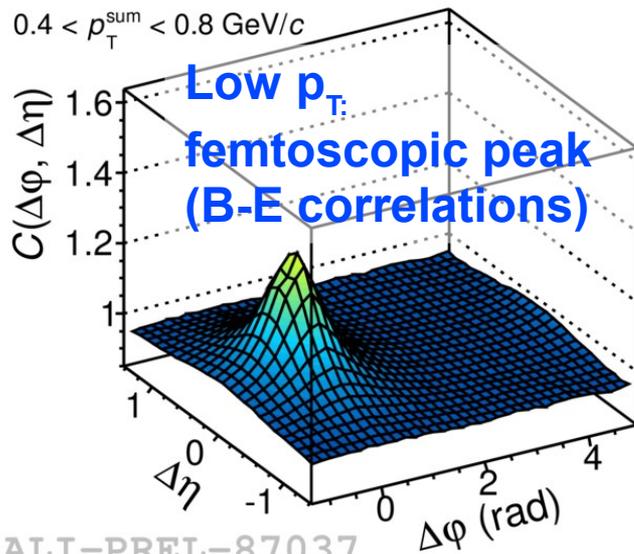
$$p_{Tsum} = |\vec{p}_{T1}| + |\vec{p}_{T2}|$$

ALICE Preliminary, pp $\sqrt{s} = 7$ TeV
pion unlike-sign pairs

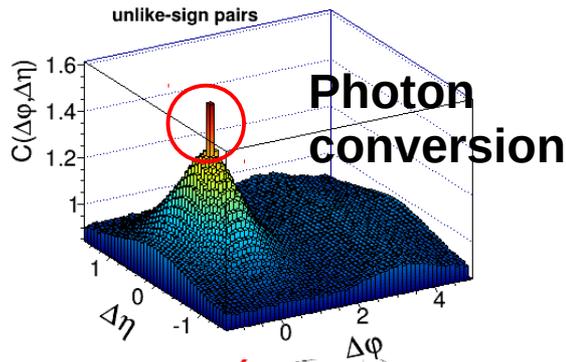
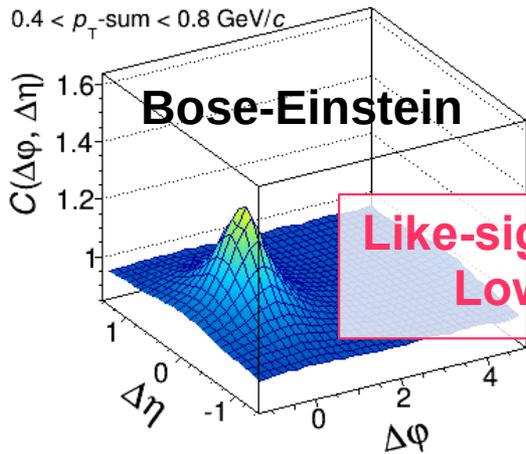


p_T growth →

ALICE Preliminary, pp $\sqrt{s} = 7$ TeV
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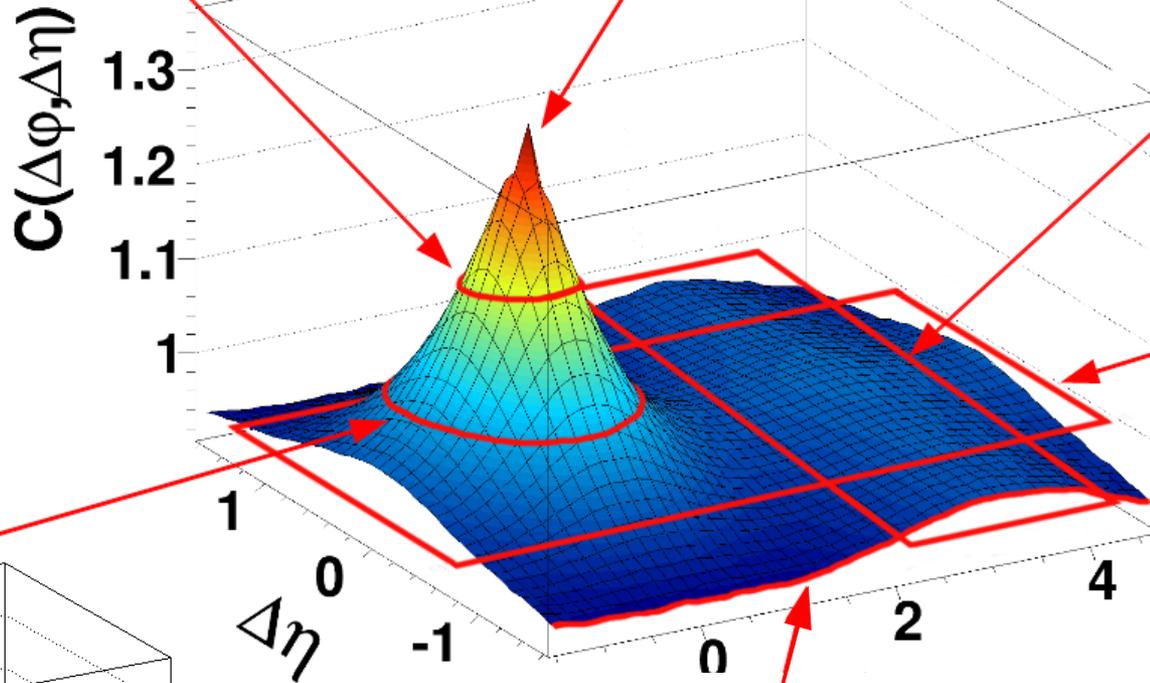
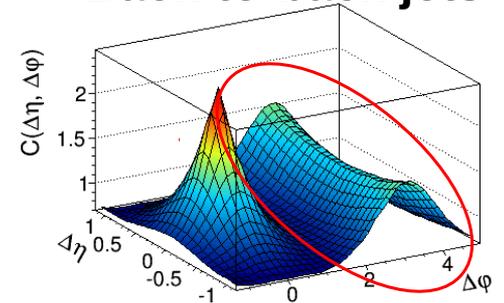


$0.4 < p_{T\text{-sum}} < 0.8 \text{ GeV}/c$

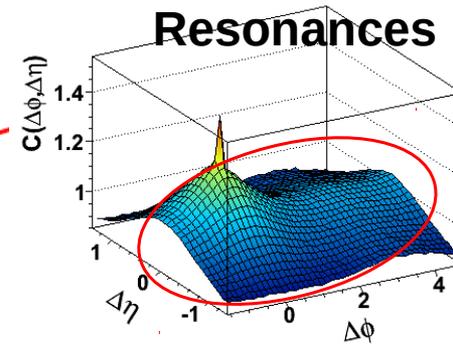


High p_T

Back-to-back jets

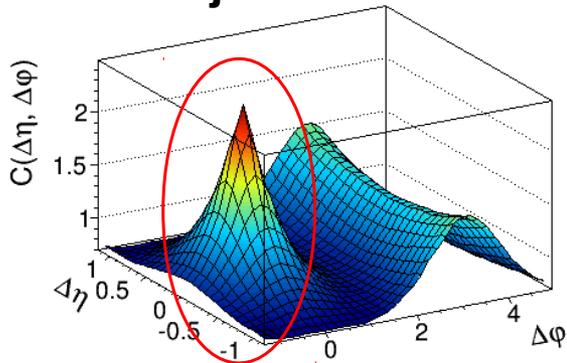


Resonances

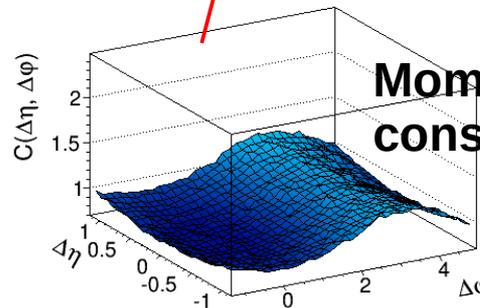


High p_T

Same jet



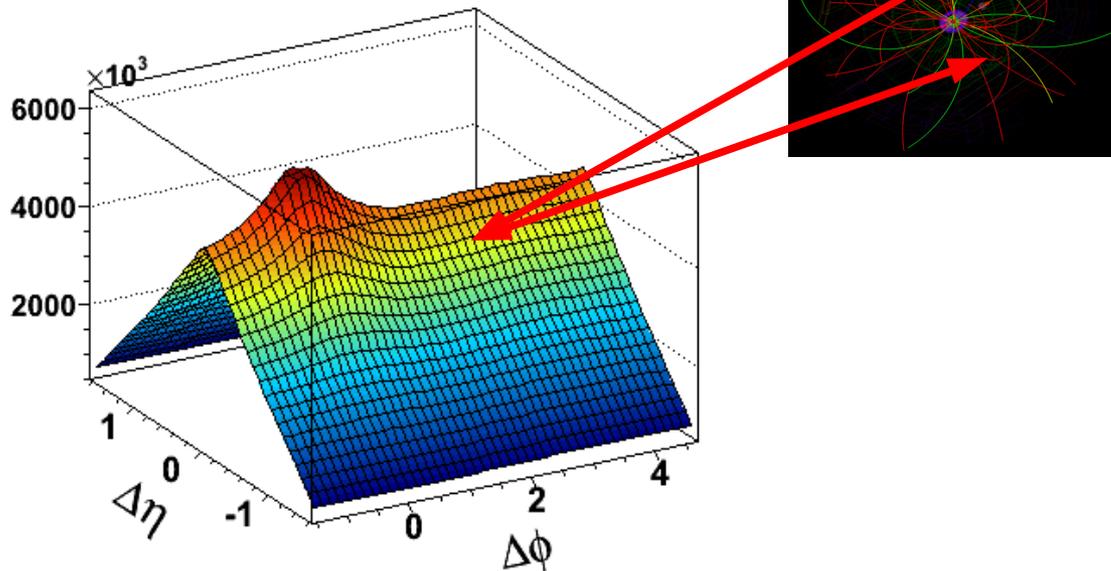
Momentum conservation



$\Delta\eta\Delta\phi$ Experimental Correlation Function

Signal distribution

$$S(\Delta\eta, \Delta\phi) = \frac{d^2 N^{signal}}{d\Delta\eta d\Delta\phi}$$



Same event pairs

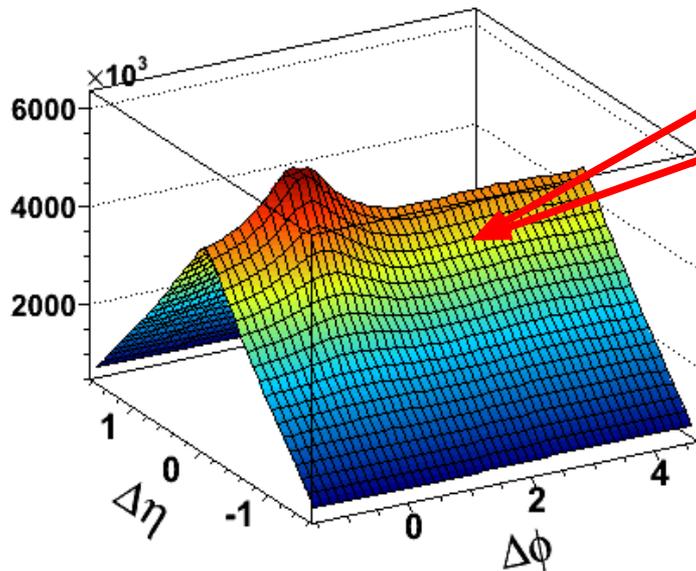
$$\Delta\eta = \eta_1 - \eta_2$$

$$\Delta\phi = \phi_1 - \phi_2$$

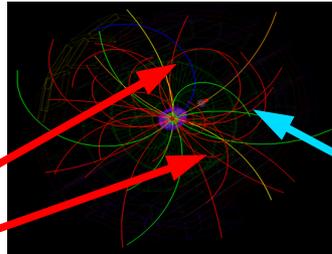
$\Delta\eta\Delta\phi$ Experimental Correlation Function

Signal distribution

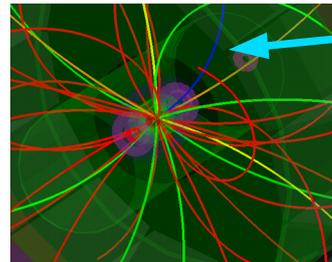
$$S(\Delta\eta, \Delta\phi) = \frac{d^2 N^{signal}}{d\Delta\eta d\Delta\phi}$$



Event 1

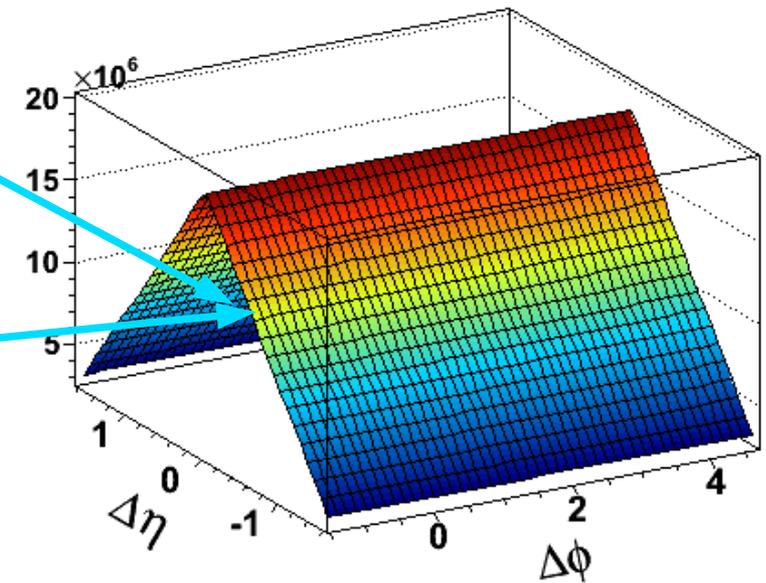


Event 2



Uncorrelated reference

$$B(\Delta\eta, \Delta\phi) = \frac{d^2 N^{mixed}}{d\Delta\eta d\Delta\phi}$$



Same event pairs

$$\Delta\eta = \eta_1 - \eta_2$$

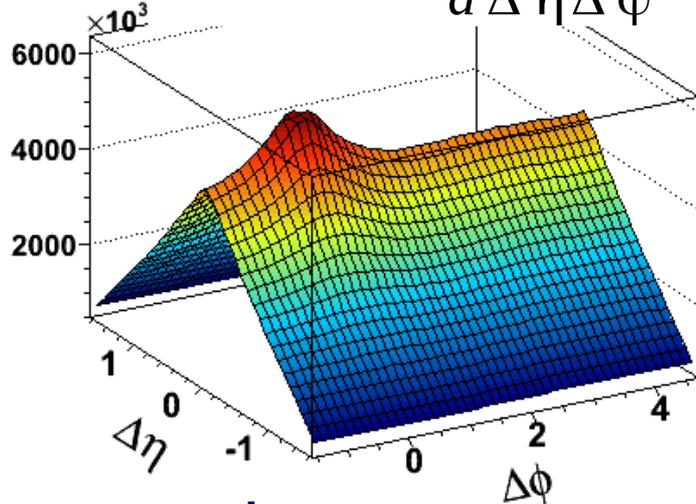
$$\Delta\phi = \phi_1 - \phi_2$$

Mixed event pairs

$\Delta\eta\Delta\phi$ Experimental Correlation Function

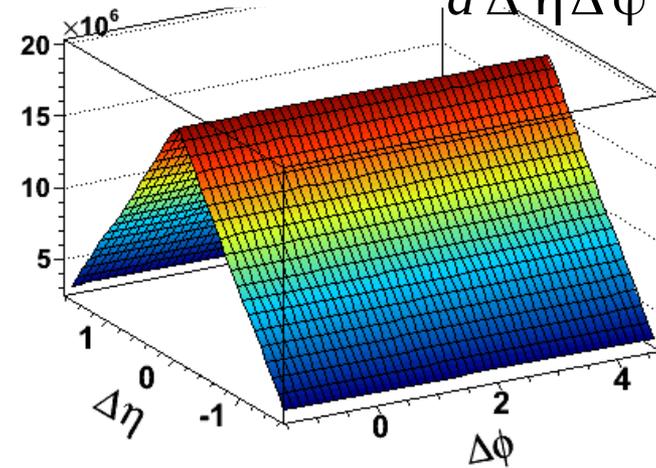
Signal distribution

$$S(\Delta\eta, \Delta\phi) = \frac{d^2 N^{signal}}{d\Delta\eta d\Delta\phi}$$



Uncorrelated reference

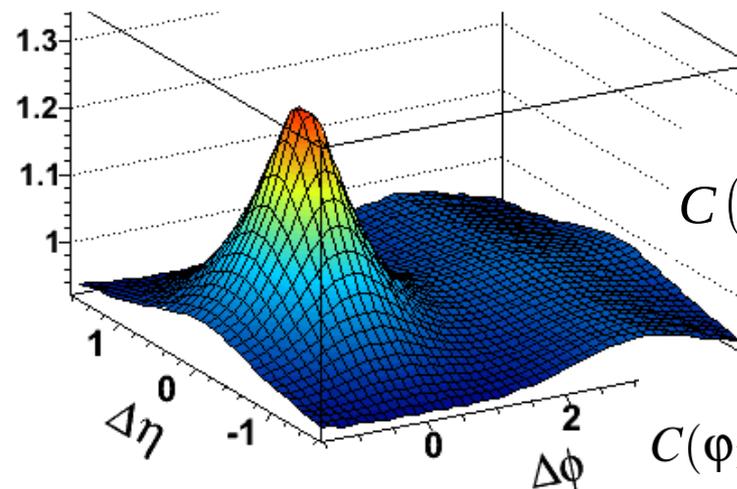
$$B(\Delta\eta, \Delta\phi) = \frac{d^2 N^{mixed}}{d\Delta\eta d\Delta\phi}$$



Same event pairs

Mixed event pairs

Correlation function



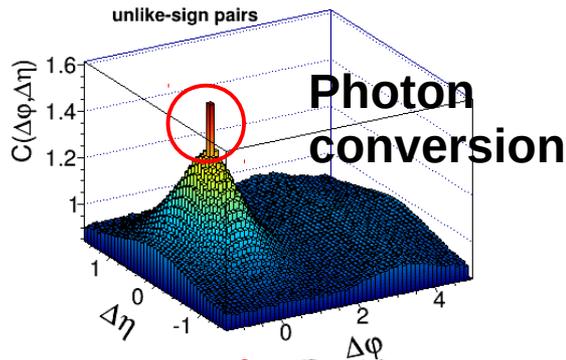
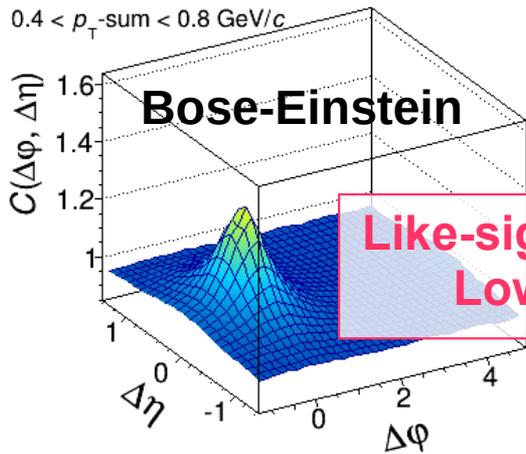
$$C(\Delta\eta, \Delta\phi) = \frac{N_{pairs}^{mixed}}{N_{pairs}^{signal}} \frac{S(\Delta\eta, \Delta\phi)}{B(\Delta\eta, \Delta\phi)}$$

$$C(\varphi_1, \eta_1, \varphi_2, \eta_2) = \frac{P_{12}(\varphi_1, \eta_1, \varphi_2, \eta_2)}{P_1(\varphi_1, \eta_1)P_2(\varphi_2, \eta_2)}$$

$$\Delta\eta = \eta_1 - \eta_2$$

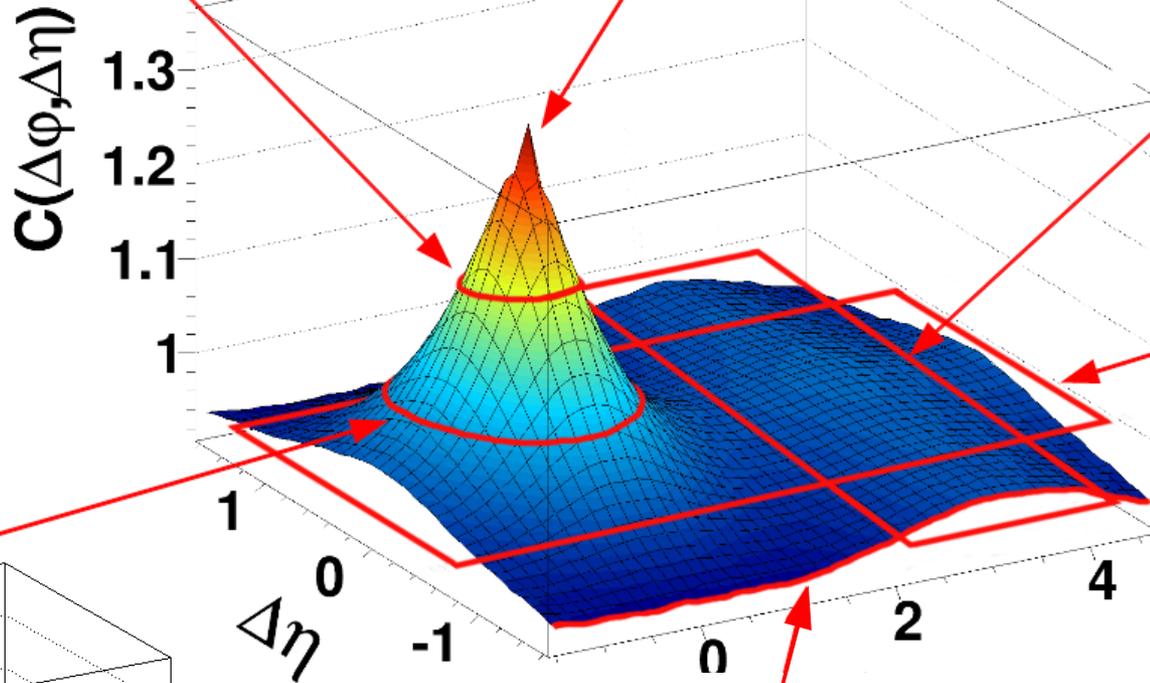
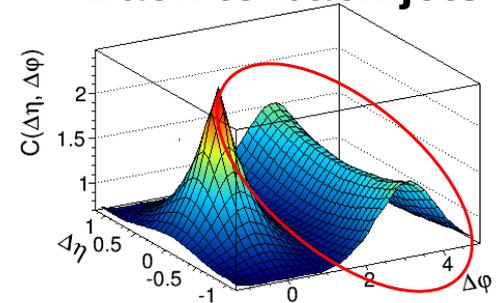
$$\Delta\phi = \phi_1 - \phi_2$$

$0.4 < p_{T\text{-sum}} < 0.8 \text{ GeV}/c$

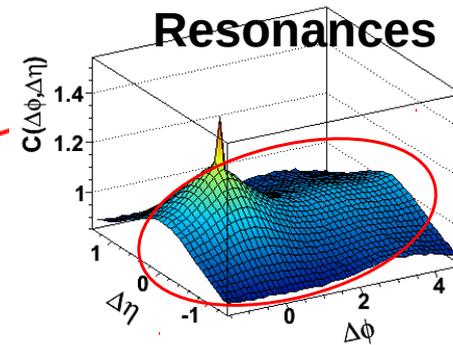


High p_T

Back-to-back jets

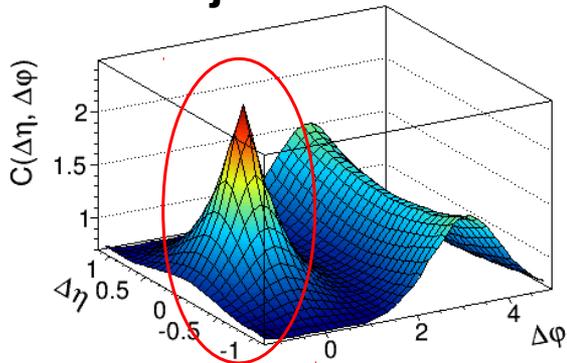


Resonances

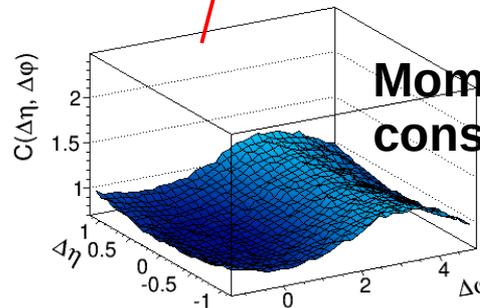


High p_T

Same jet

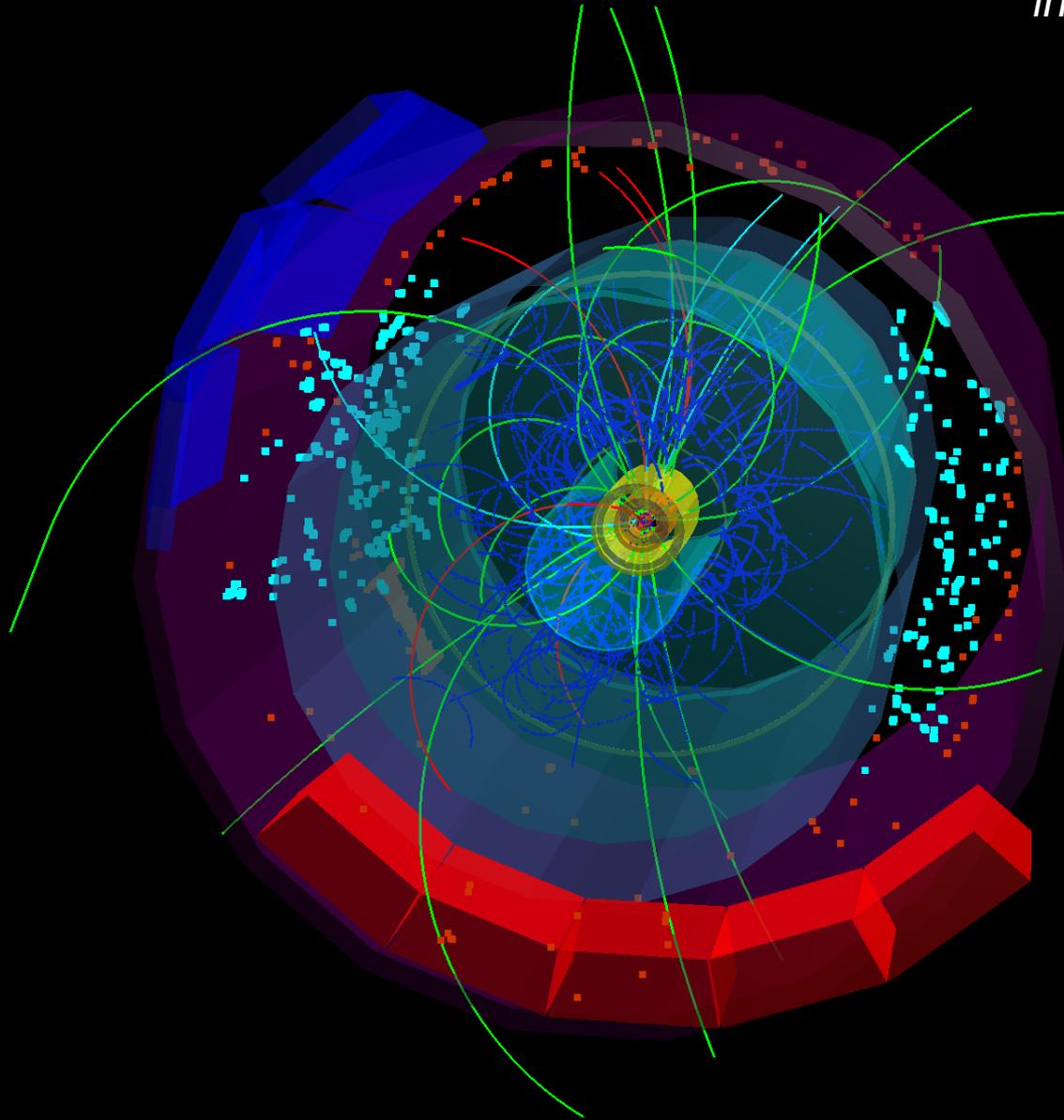


Momentum conservation



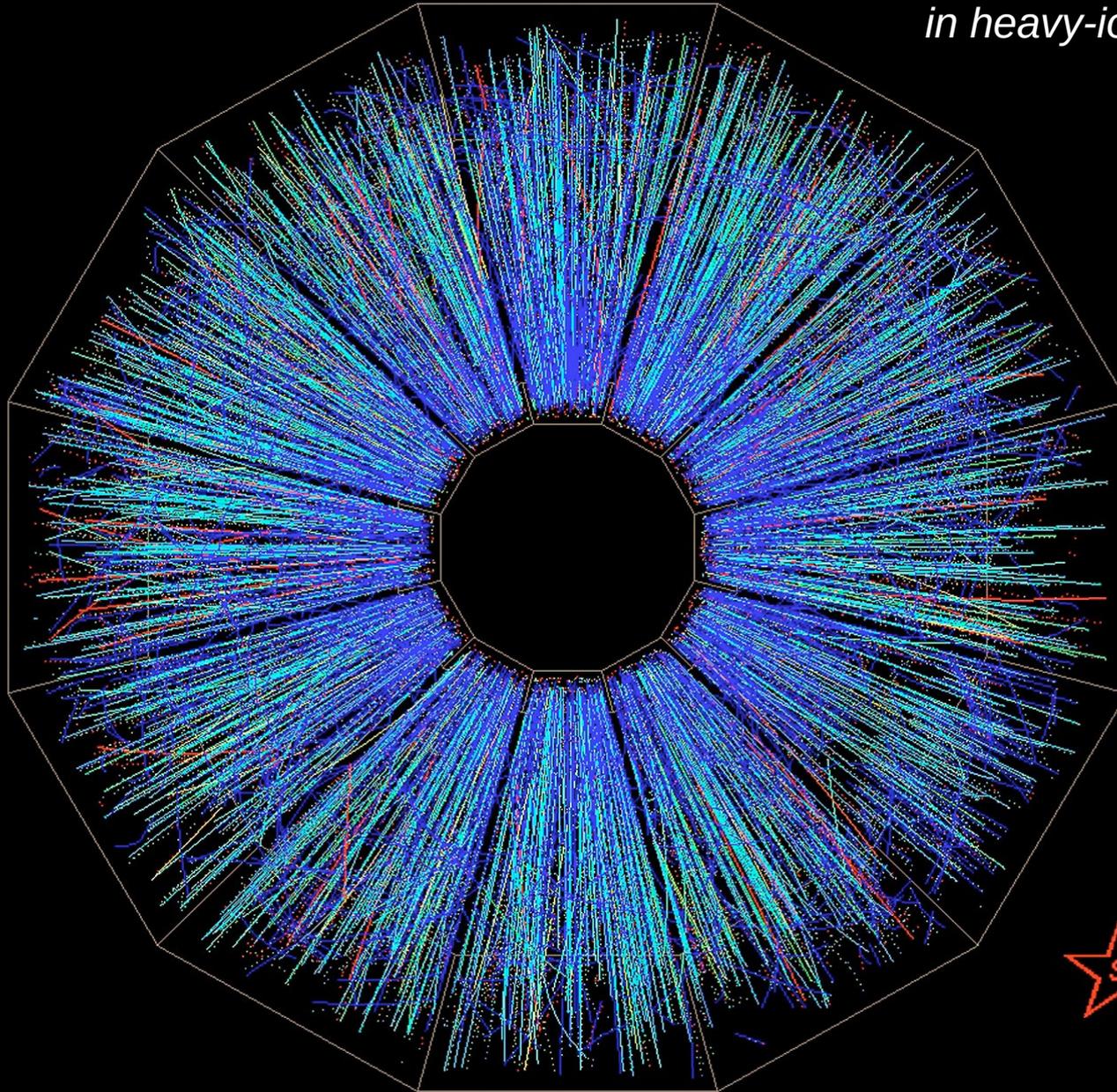
$\Delta\eta\Delta\phi$ angular correlations

in pp collisions



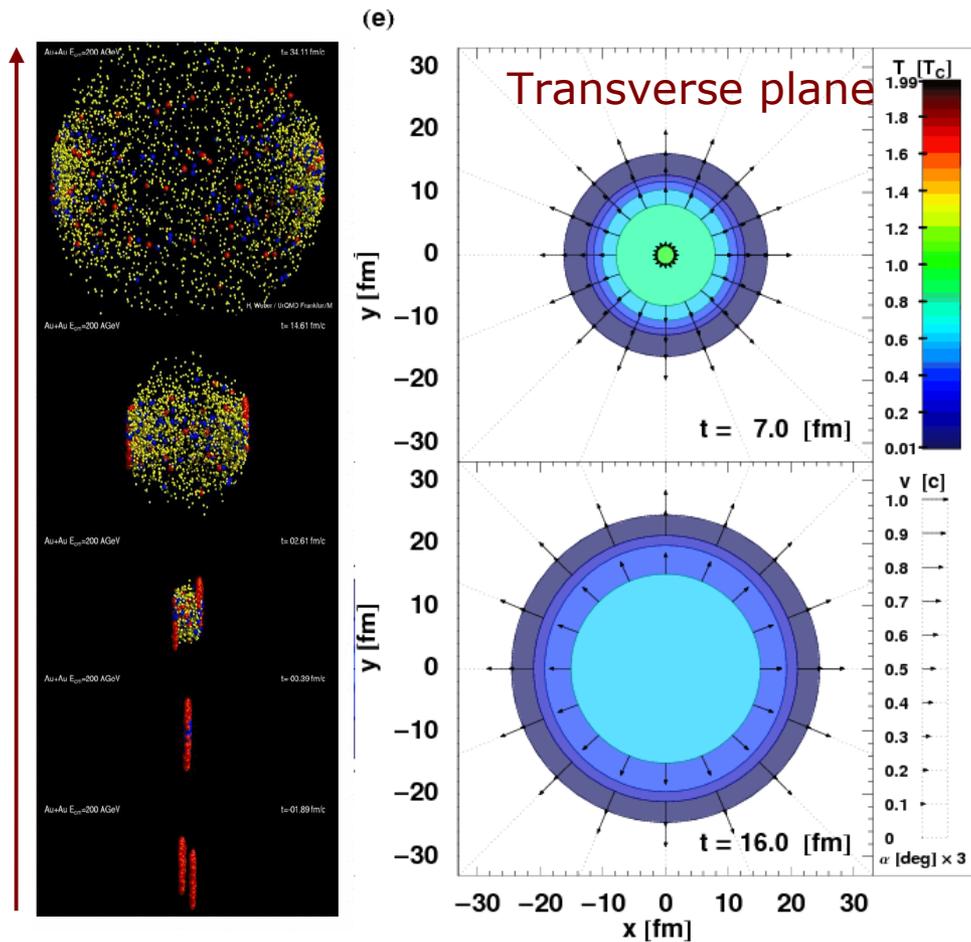
$\Delta\eta\Delta\phi$ angular correlations

in heavy-ion collisions



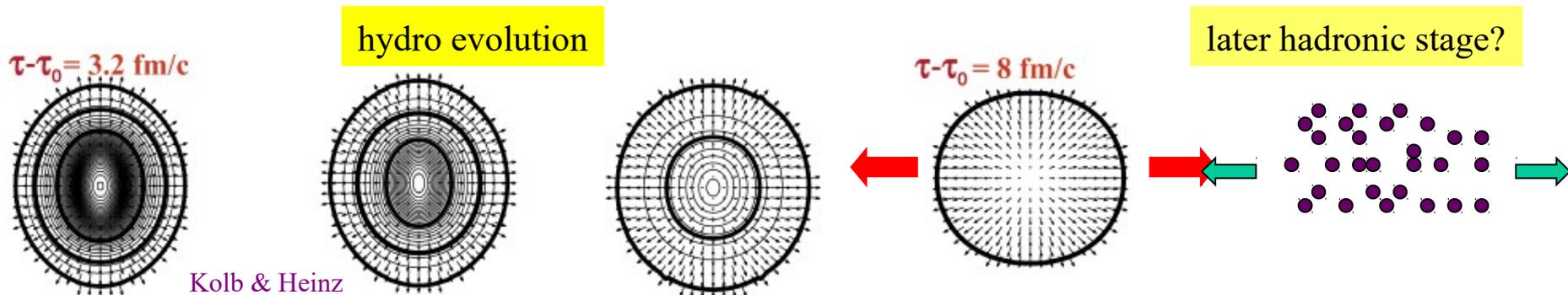
How we can use it?
Flow

Heavy Ion collision evolution



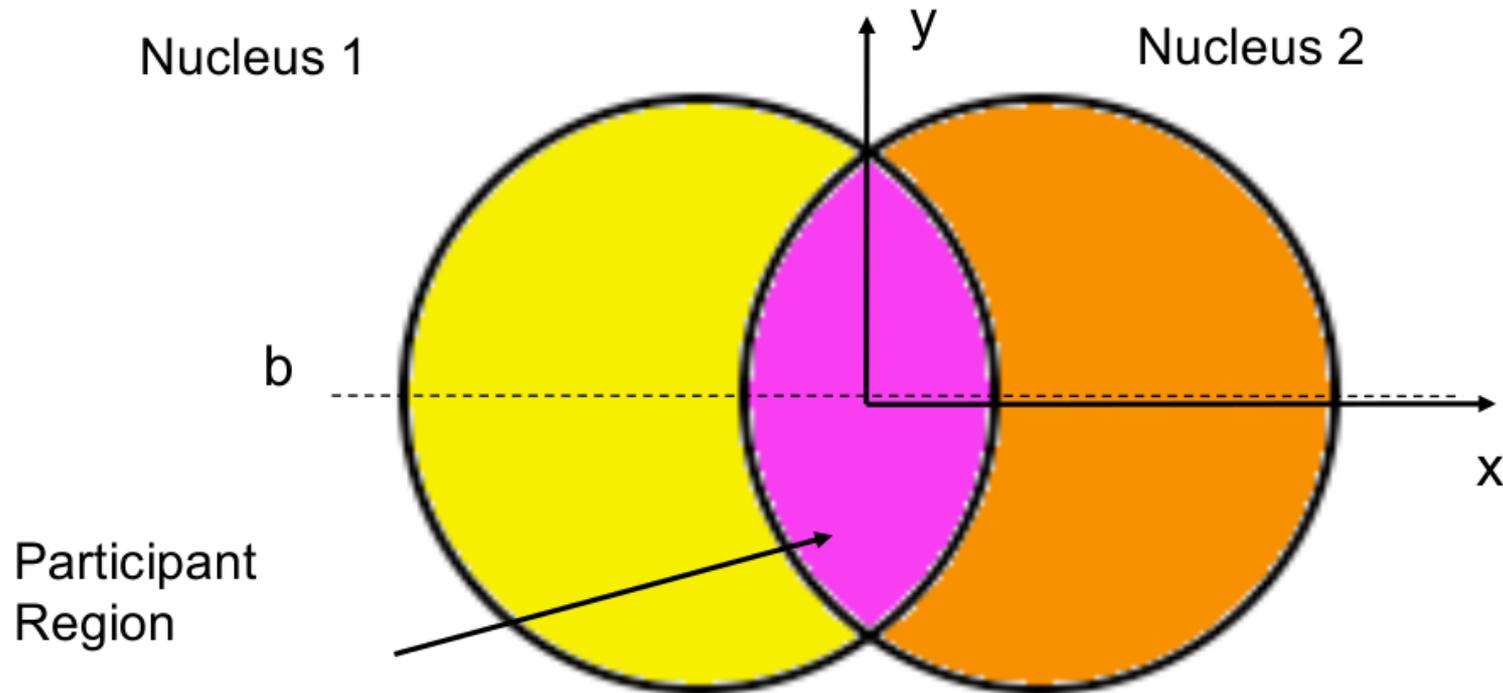
- HIC is expected to go through a QGP phase, where matter is strongly interacting – resulting in the development of collective motion
- Radial flow dominates, with elliptic flow as azimuthal modification

M. Chojnacki, W. Florkowski,
PRC 74 (2006) 034905



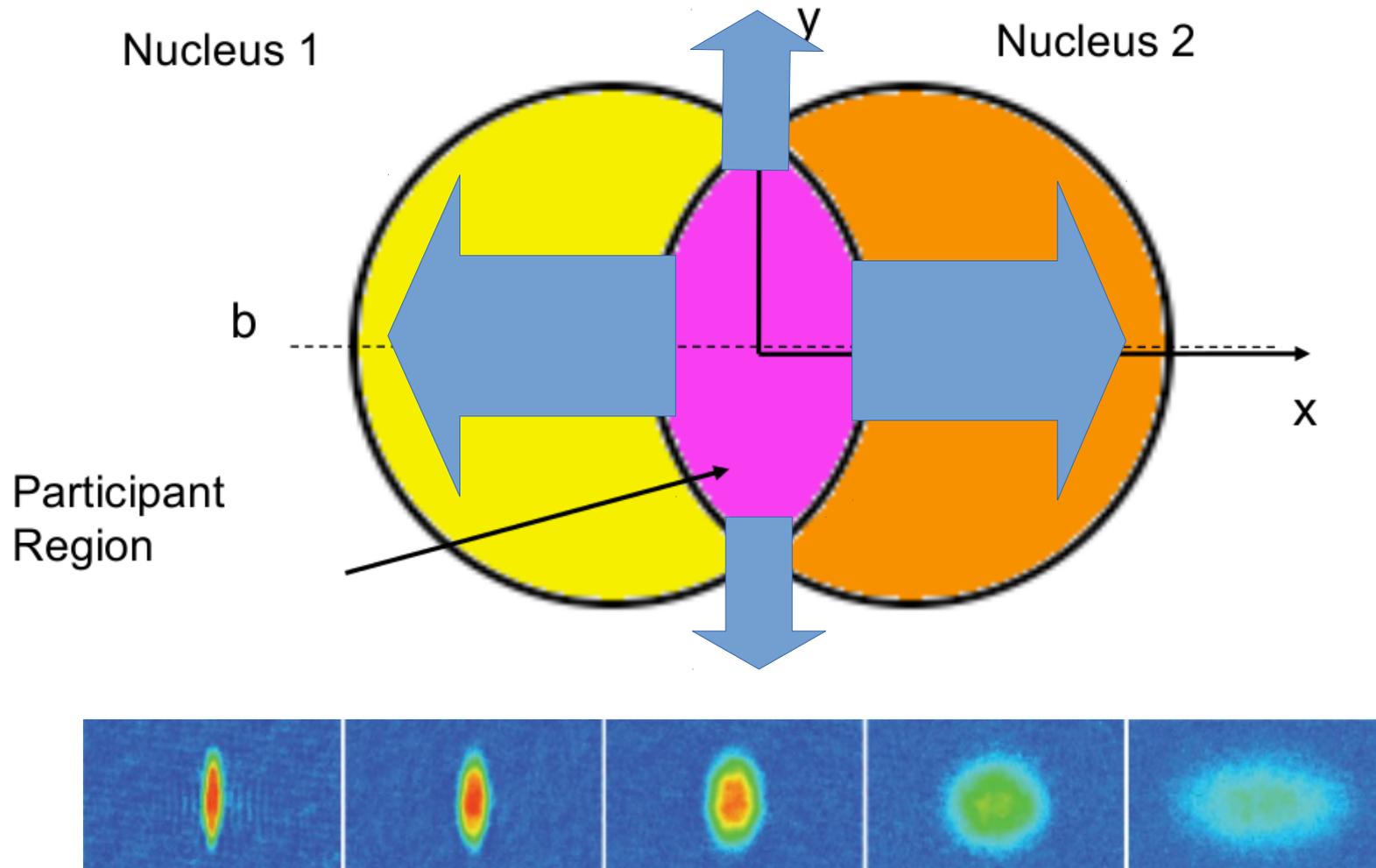
Collective effects: flow

Flow:
Textbook signature of QGP



Collective effects: flow

*Flow:
Textbook signature of QGP*



Non-central collisions = elliptic flow

Elliptic flow is a sensitive probe of early dynamics – used as a primary evidence for hydrodynamics-like flows at RHIC.

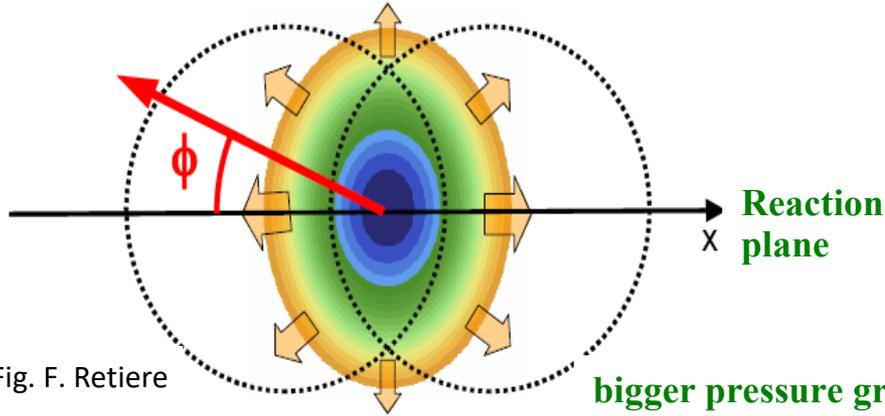
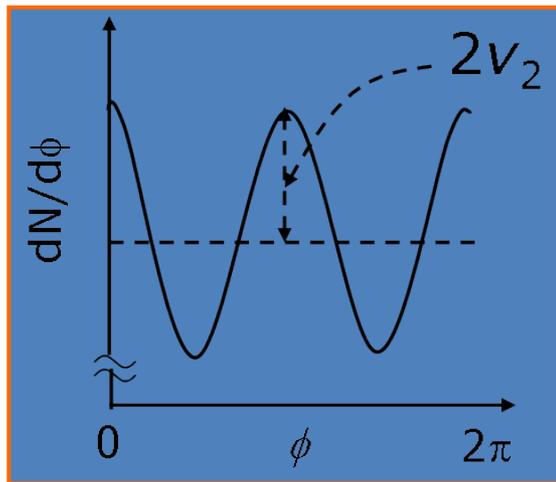
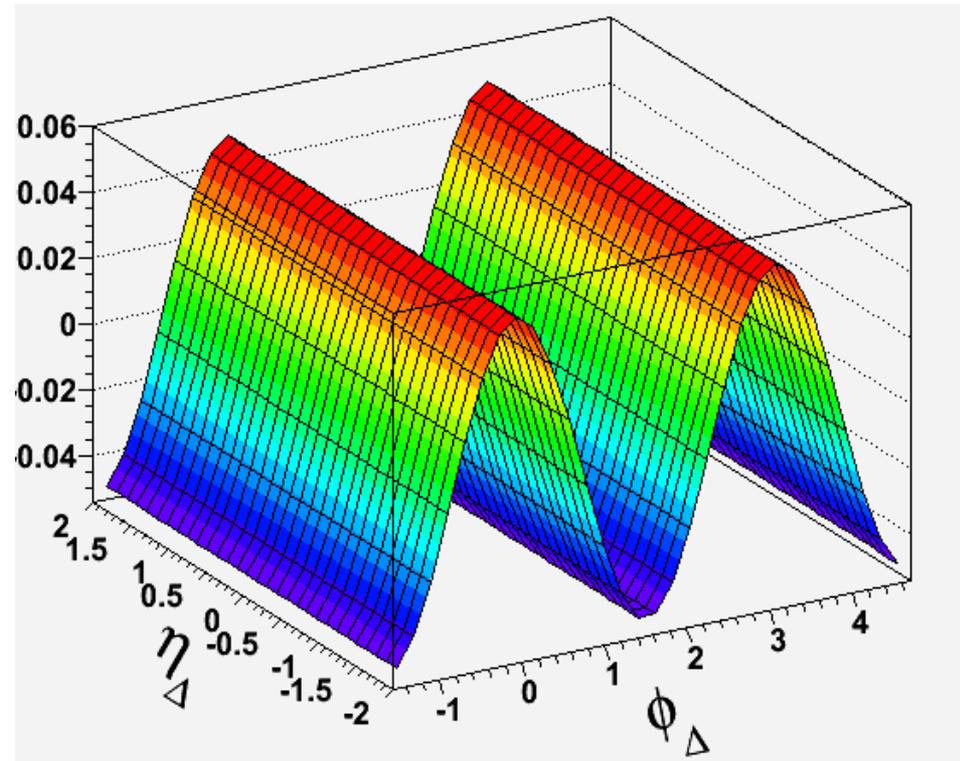


Fig. F. Retiere

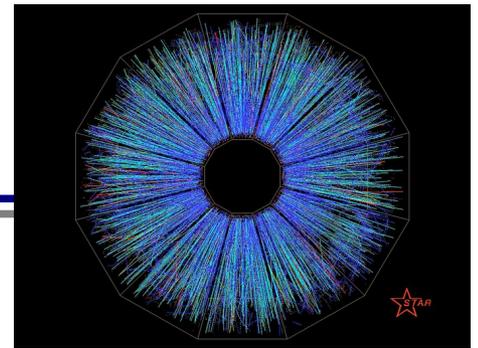


$$v_2 = \langle \cos 2\phi \rangle$$

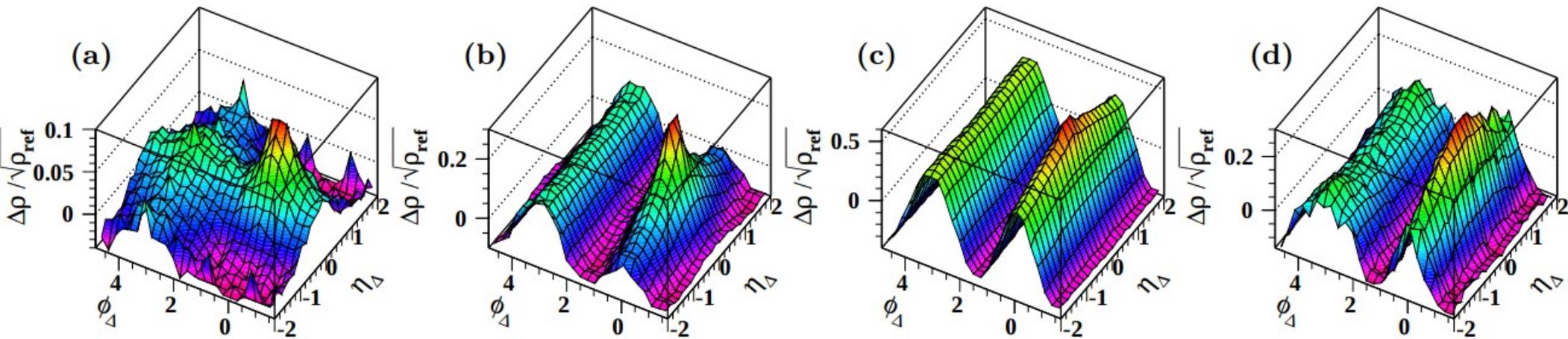


Angular correlations in Au-Au

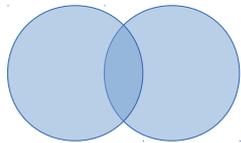
Heavy-ions



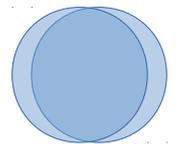
centrality



STAR: 10.1103/PhysRevC.86.064902



Similar to pp



Strong contribution of flow

Collective effects: flow

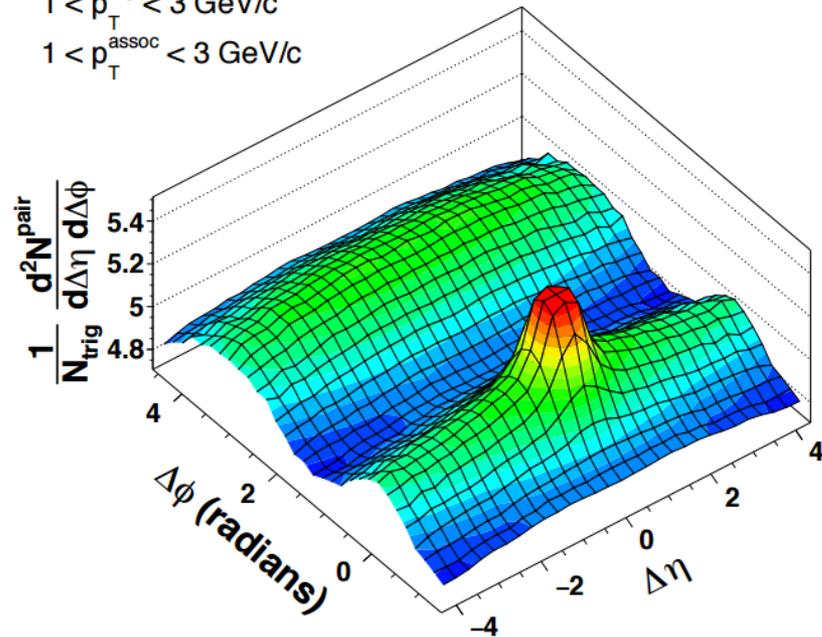
2D correlation function

CMS Preliminary

pPb 8.16 TeV, $330 \leq N_{\text{trk}}^{\text{offline}} < 360$

$1 < p_{\text{T}}^{\text{trig}} < 3 \text{ GeV}/c$

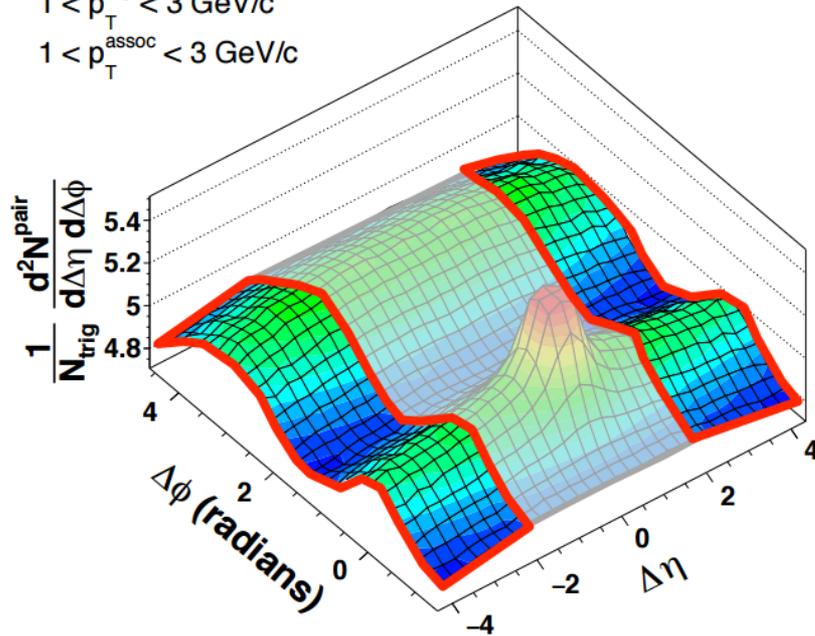
$1 < p_{\text{T}}^{\text{assoc}} < 3 \text{ GeV}/c$



Collective effects: flow

2D correlation function

CMS Preliminary pPb 8.16 TeV, $330 \leq N_{\text{trk}}^{\text{offline}} < 360$
 $1 < p_{\text{T}}^{\text{trig}} < 3 \text{ GeV}/c$
 $1 < p_{\text{T}}^{\text{assoc}} < 3 \text{ GeV}/c$

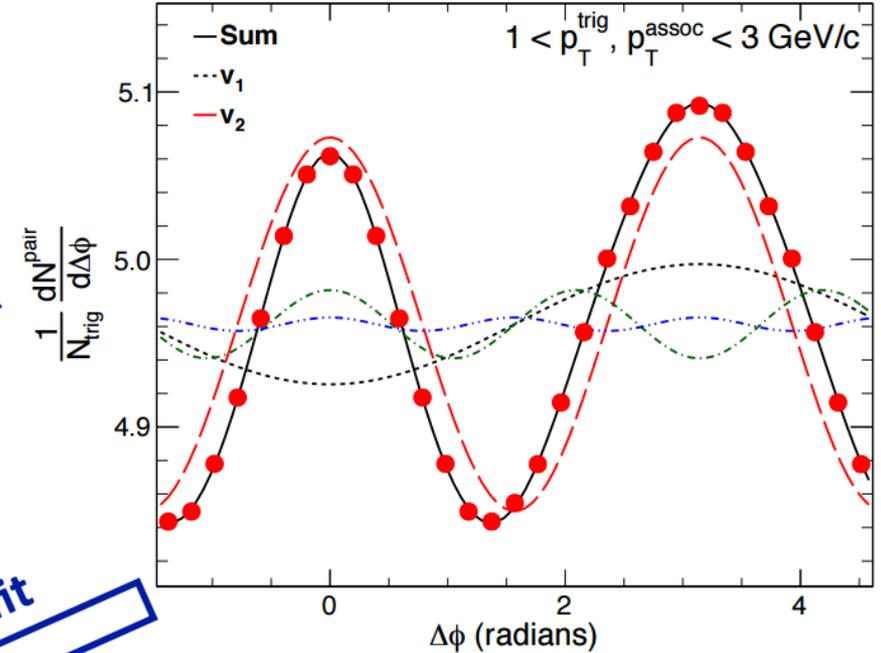


Projection
on $\Delta\Phi$

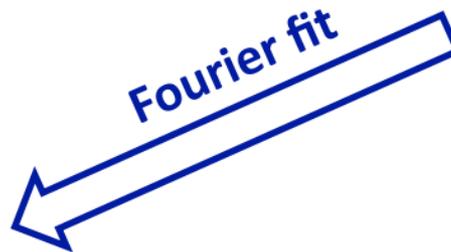


1D correlation function

CMS Preliminary pPb 8.16 TeV, $330 \leq N < 360$



Fourier fit

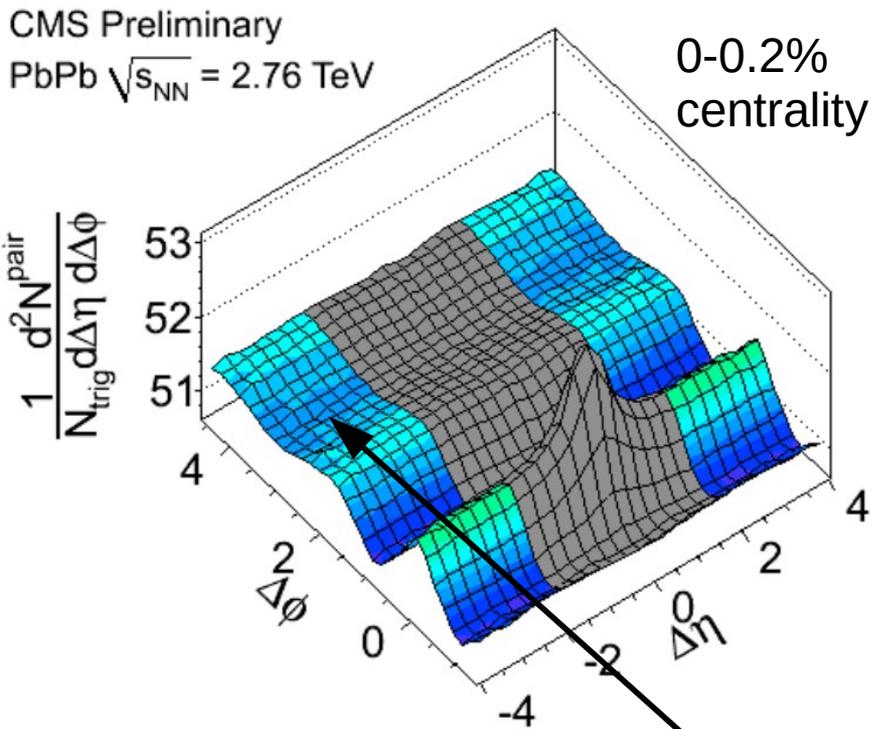


$$\frac{1}{N_{\text{trig}}} \frac{dN^{\text{pair}}}{d\Delta\phi} = \frac{N_{\text{assoc}}}{2\pi} \left[1 + \sum_n 2V_{n\Delta} \cos(n\Delta\phi) \right]$$

$$v_2 = \langle \cos 2\phi \rangle$$

Collective effects: flow

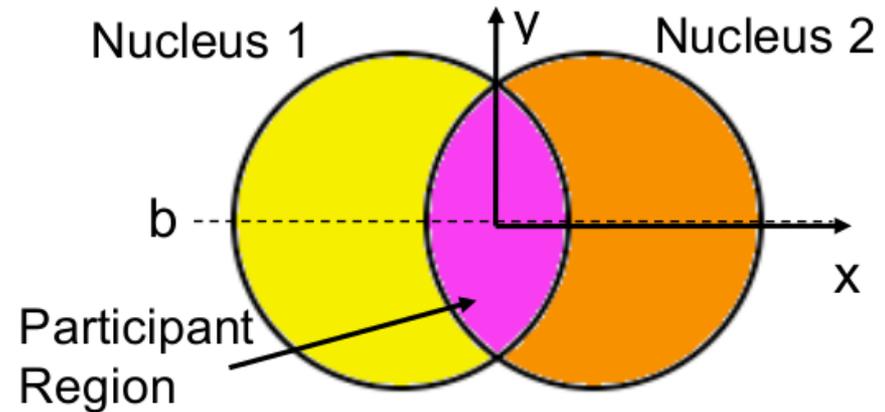
➤ 2D correlation function



Pre-LHC: fancy explanations

- Double ridge?
- Mach cones?

➤ 1D correlation function

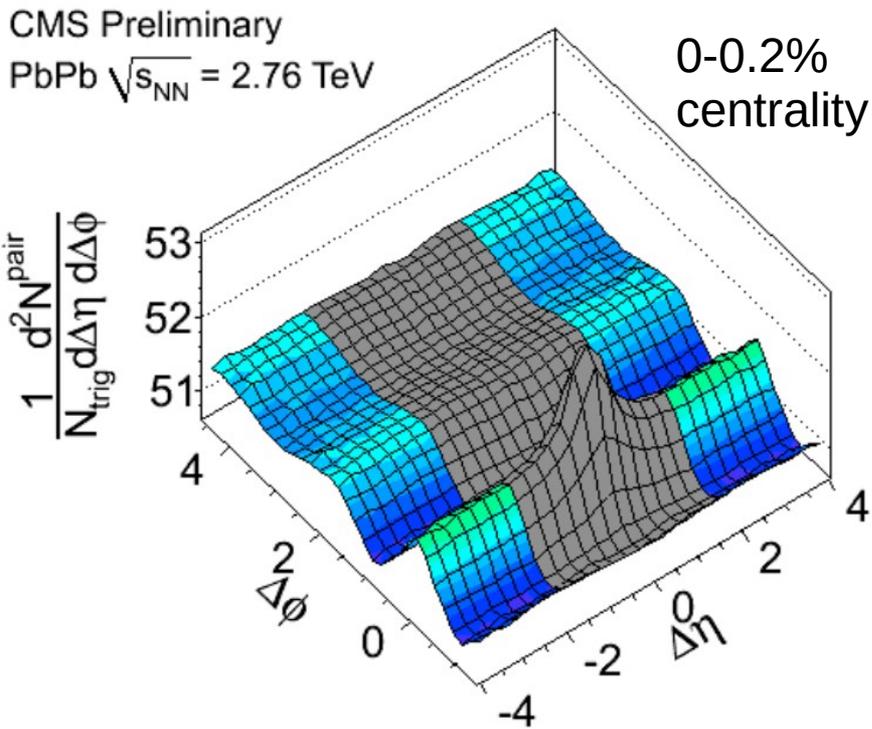


Before 2011:

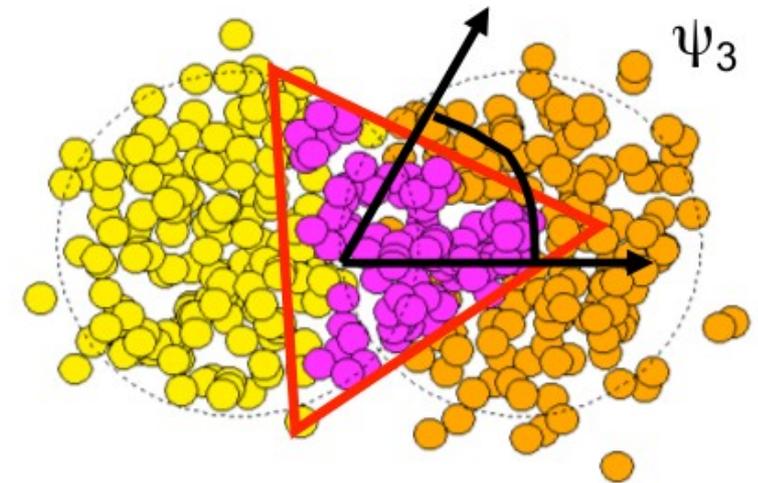
To many only v_1 , v_2 seemed important

Collective effects: flow

➤ 2D correlation function

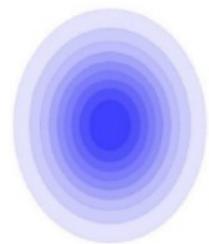


➤ 1D correlation function

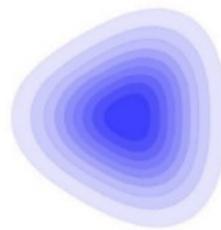


At LHC, the large acceptance of the experiments, together with the high particle density (as a collective effect, the flow signal increases strongly with multiplicity) **made the observation and interpretation straightforward and unambiguous.**

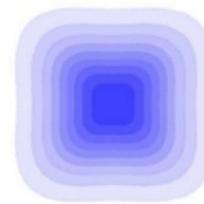
J. Schukraft



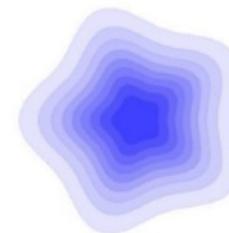
n = 2



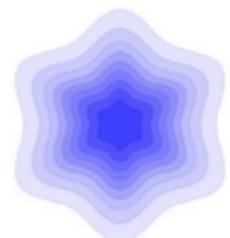
n = 3



n = 4



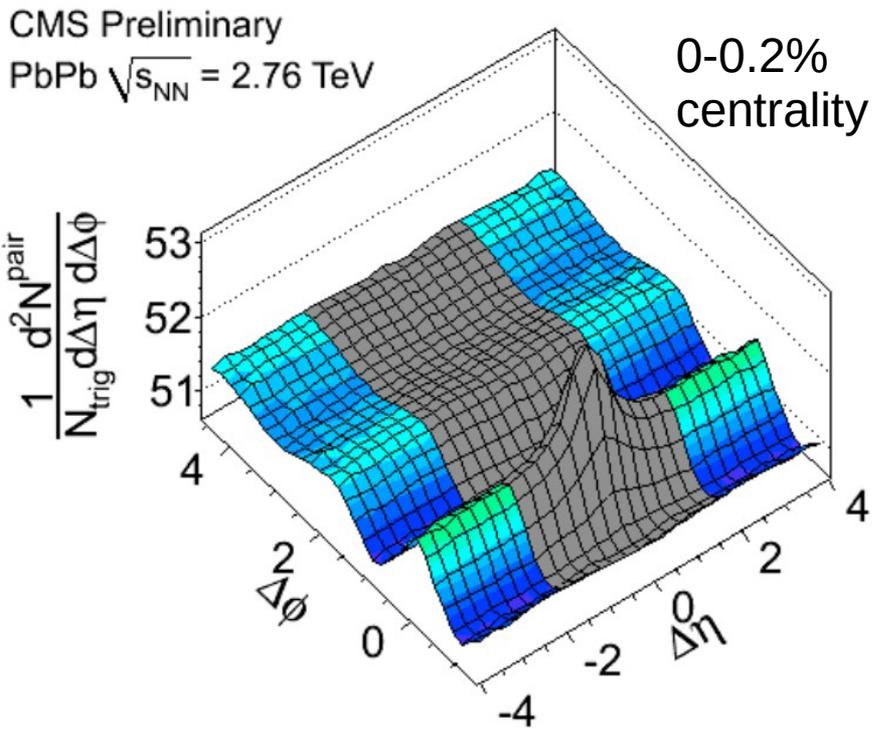
n = 5



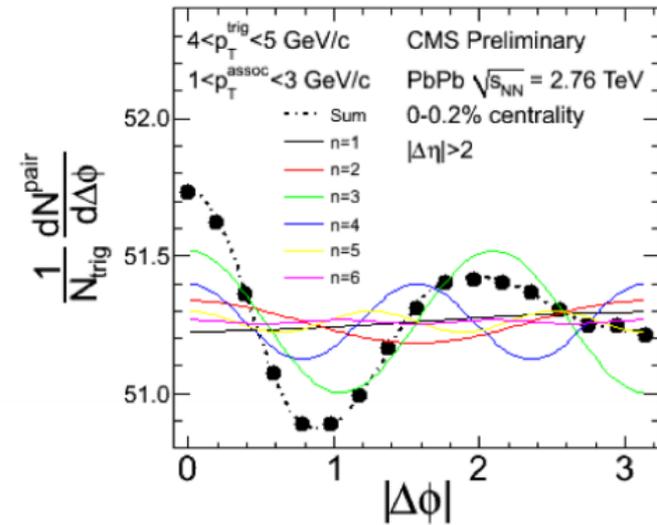
n = 6

Collective effects: flow

2D correlation function

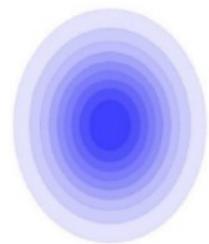


1D correlation function

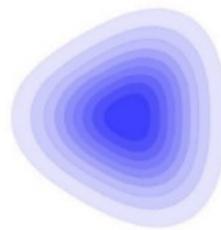


At LHC, the large acceptance of the experiments, together with the high particle density (as a collective effect, the flow signal increases strongly with multiplicity) **made the observation and interpretation straightforward and unambiguous.**

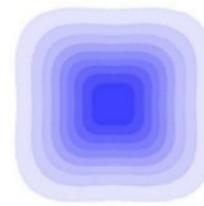
J. Schukraft



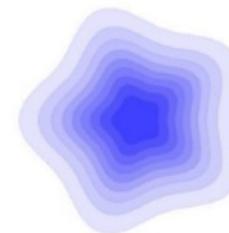
$n = 2$



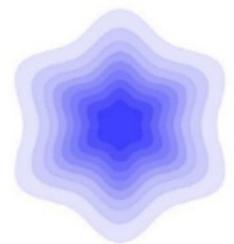
$n = 3$



$n = 4$



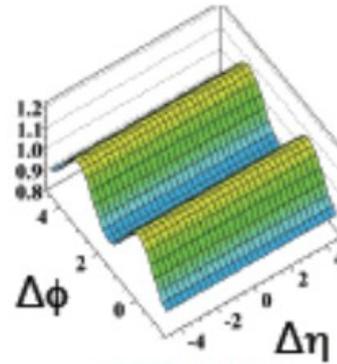
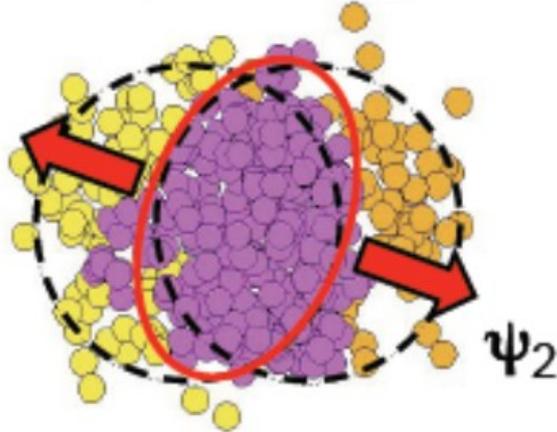
$n = 5$



$n = 6$

Collective effects: flow

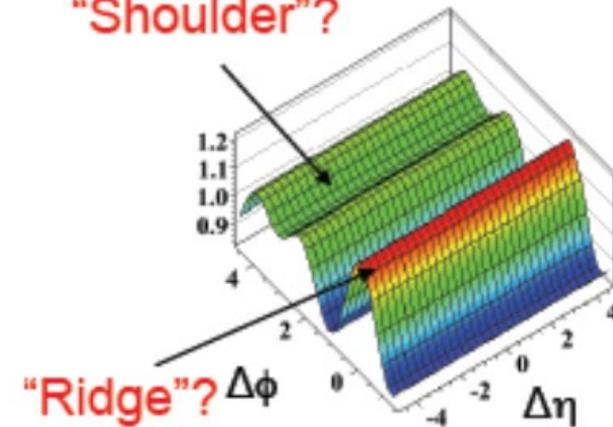
Elliptic flow (v_2)



$\sim \cos(2\Delta\phi)$

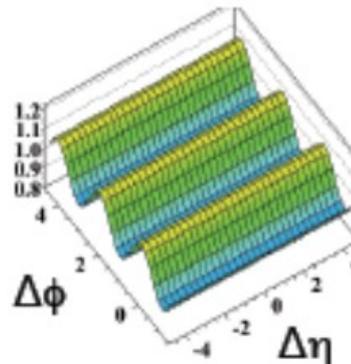
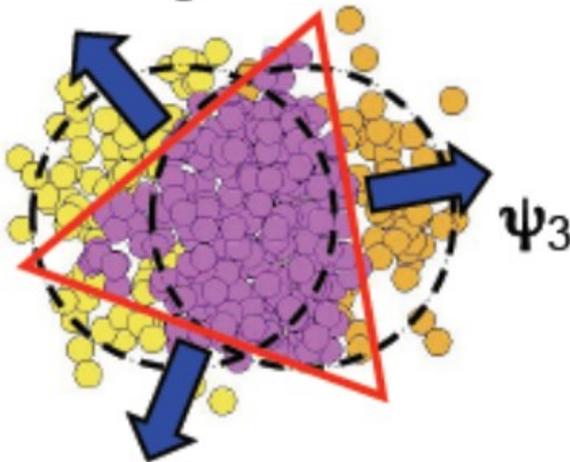
Add $V_{2\Delta}$ and $V_{3\Delta}$

“Shoulder”?



“Ridge”?

Triangular flow (v_3) from fluctuating initial condition

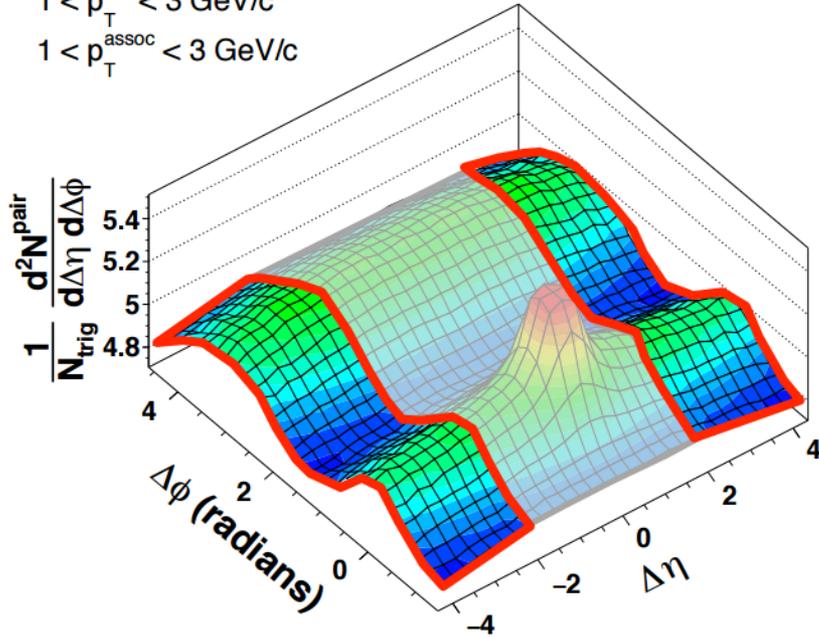


$\sim \cos(3\Delta\phi)$

Collective effects: flow

➤ 2D correlation function

CMS Preliminary pPb 8.16 TeV, $330 \leq N_{\text{trk}}^{\text{offline}} < 360$
 $1 < p_{\text{T}}^{\text{trig}} < 3 \text{ GeV}/c$
 $1 < p_{\text{T}}^{\text{assoc}} < 3 \text{ GeV}/c$

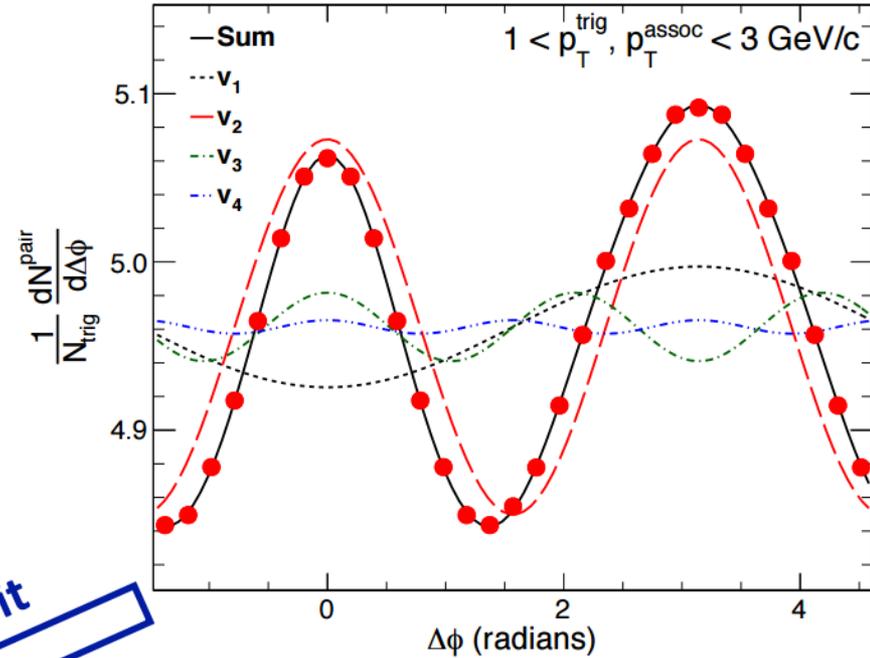


Projection
on $\Delta\Phi$

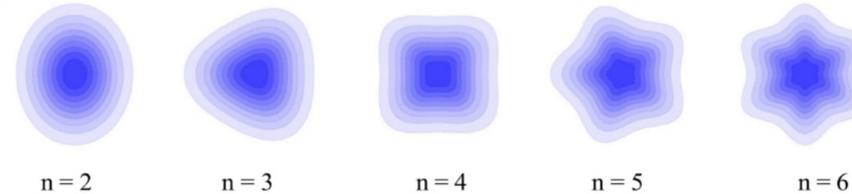


➤ 1D correlation function

CMS Preliminary pPb 8.16 TeV, $330 \leq N < 360$
 $1 < p_{\text{T}}^{\text{trig}}, p_{\text{T}}^{\text{assoc}} < 3 \text{ GeV}/c$



Fourier fit



$$\frac{1}{N_{\text{trig}}} \frac{dN^{\text{pair}}}{d\Delta\phi} = \frac{N_{\text{assoc}}}{2\pi} \left[1 + \sum_n 2V_{n\Delta} \cos(n\Delta\phi) \right]$$



Extract single particle v_n

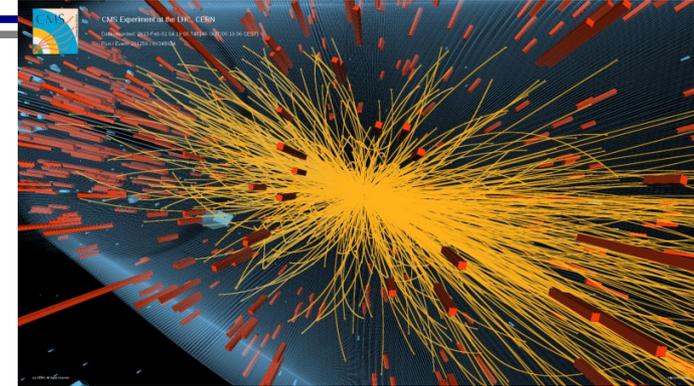
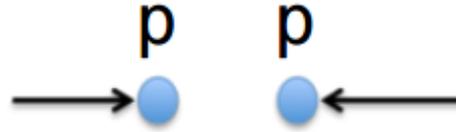
$$v_n = \sqrt{V_{n\Delta}}$$

The Ridge: CMS 2010

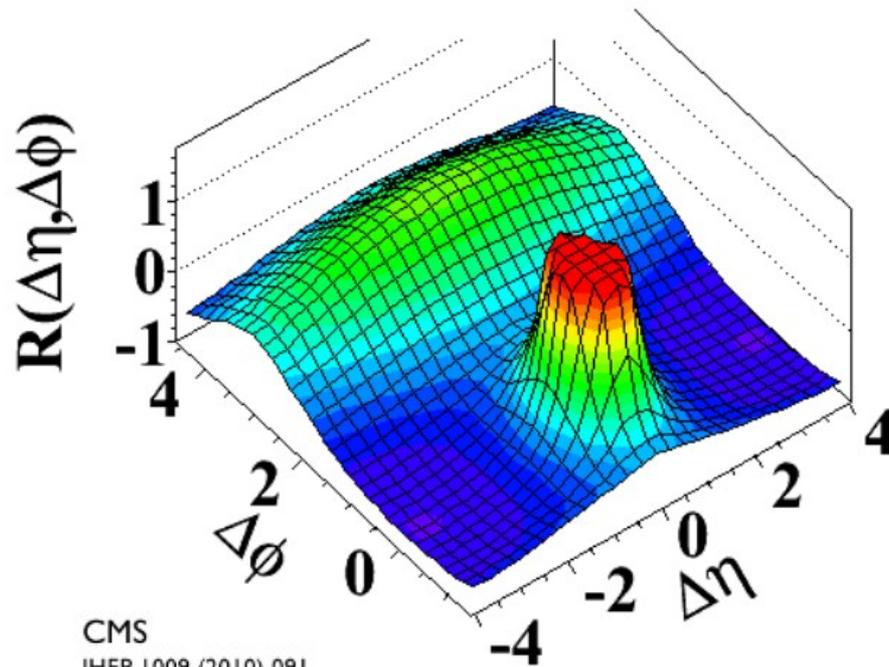


The Ridge: CMS 2010

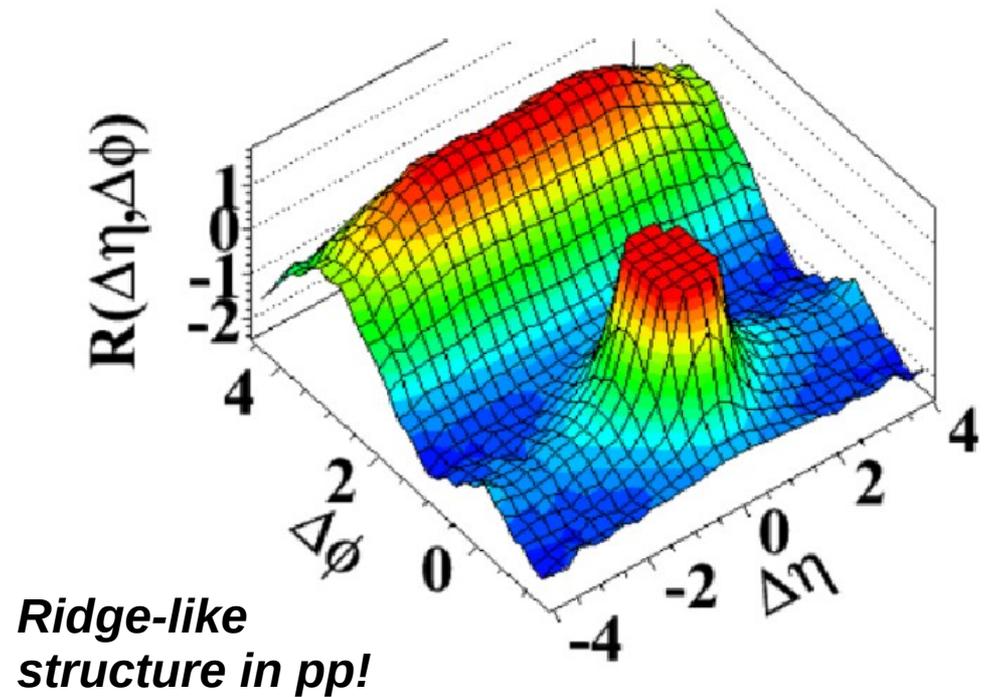
First LHC discovery



(b) MinBias, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

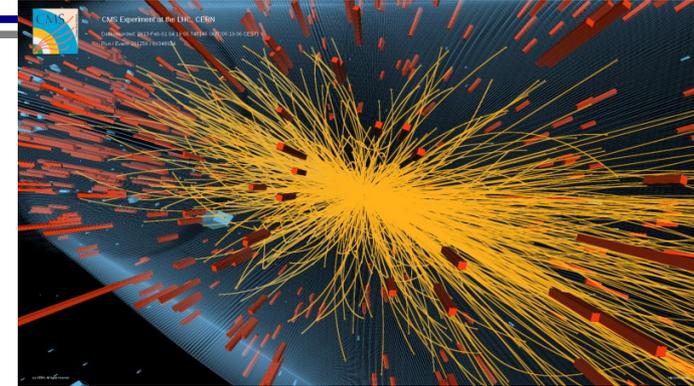
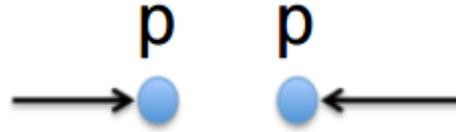


(d) $N > 110$, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

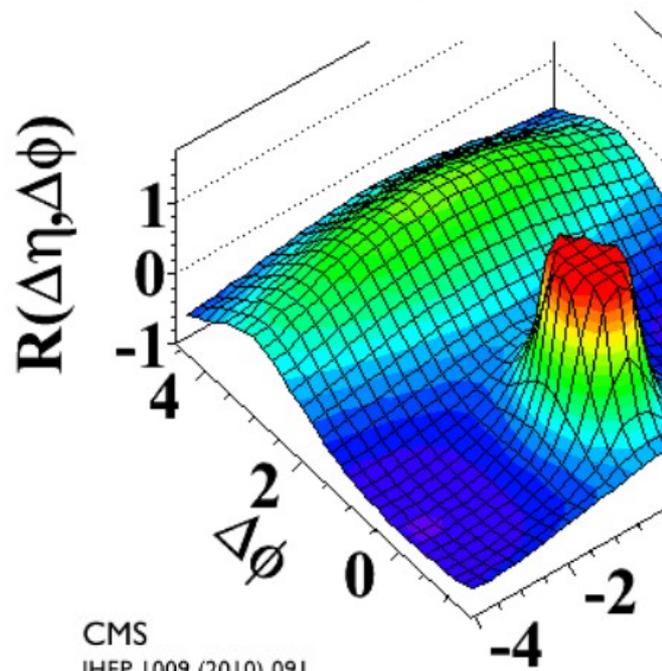


The Ridge: CMS 2010

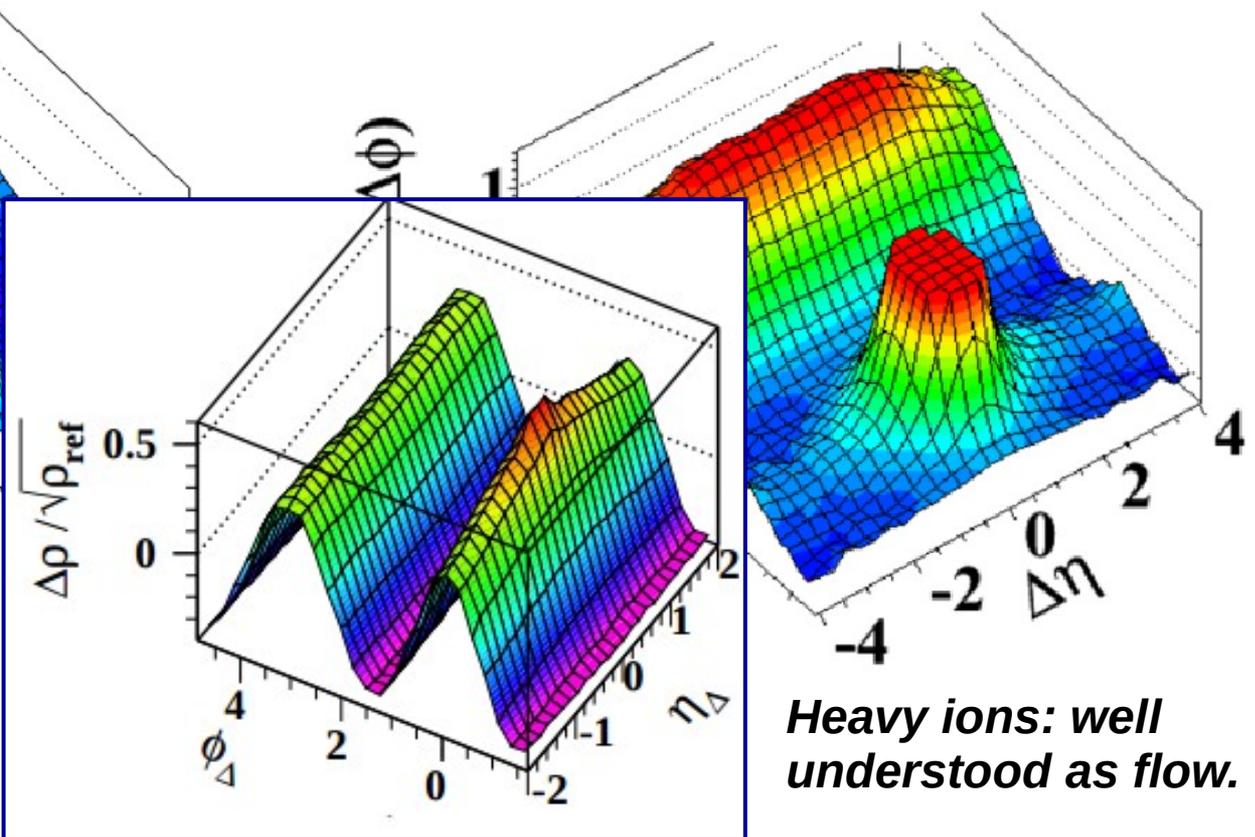
First LHC discovery



(b) MinBias, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

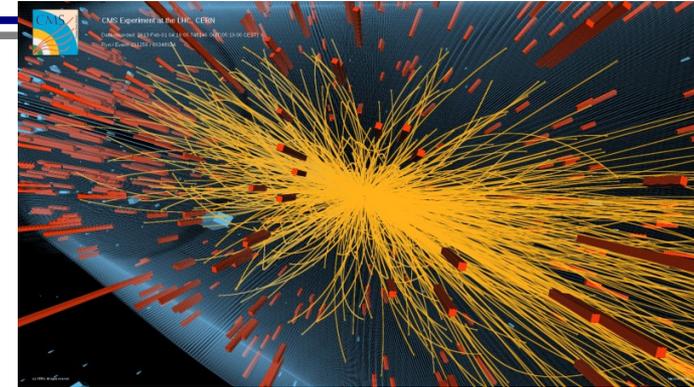
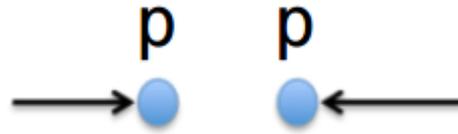


(d) $N > 110$, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

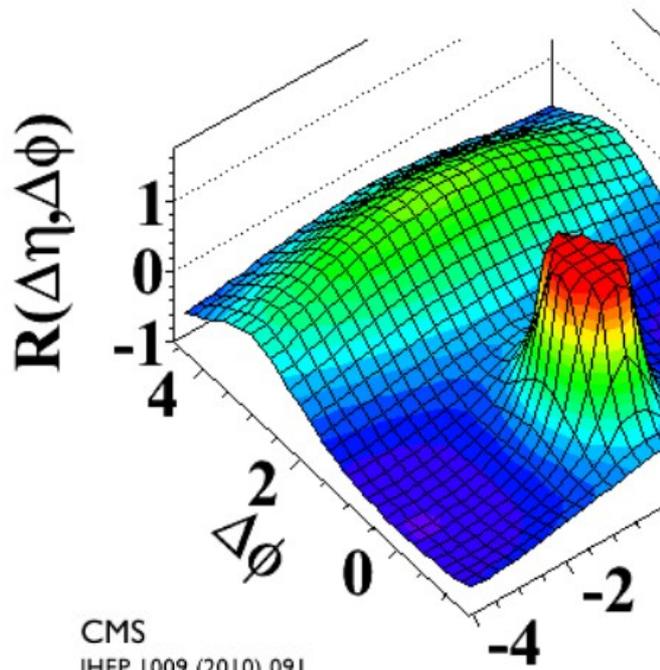


The Ridge: CMS 2010

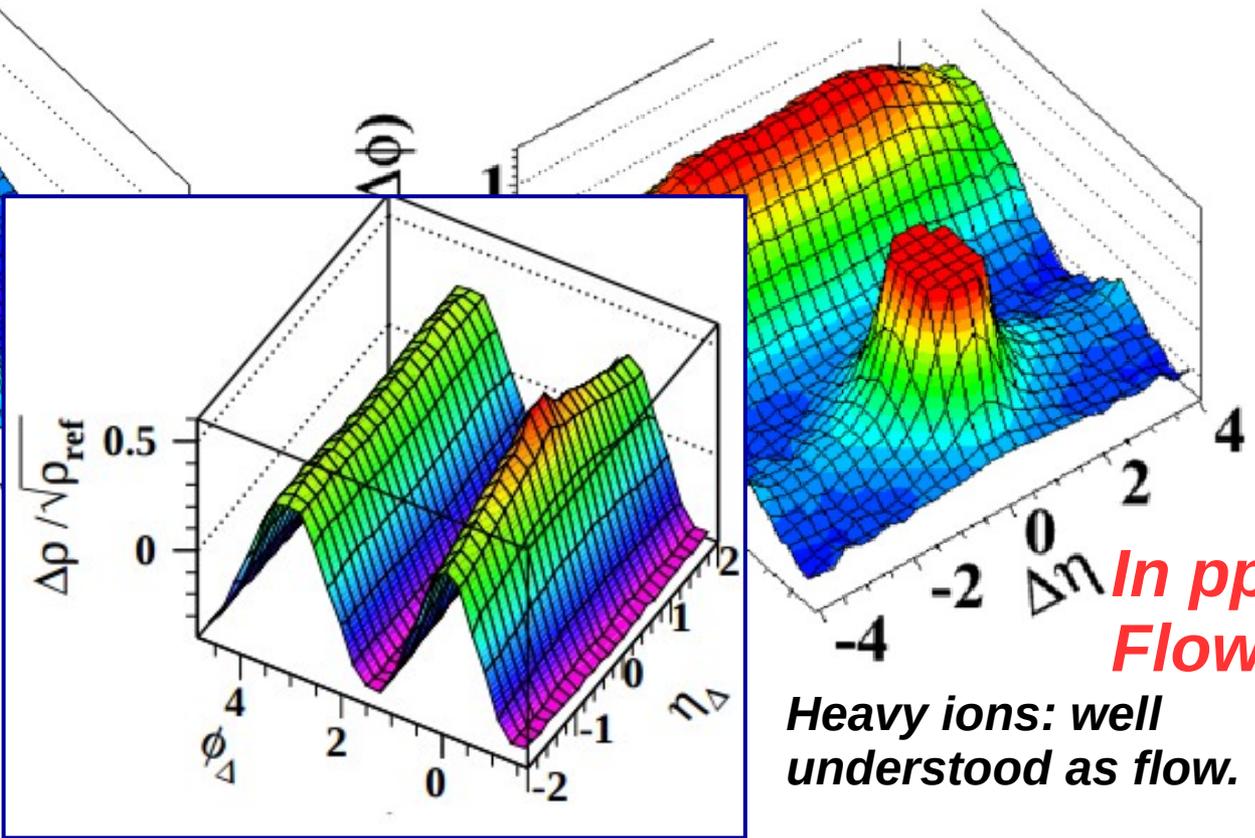
First LHC discovery



(b) MinBias, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$



(d) $N > 110$, $1.0\text{GeV}/c < p_T < 3.0\text{GeV}/c$

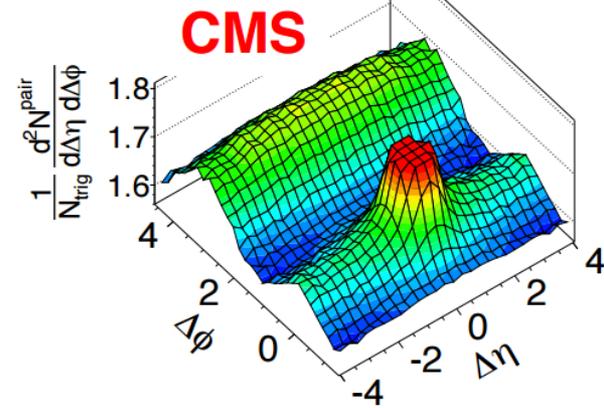


*In pp?
Flow?!*

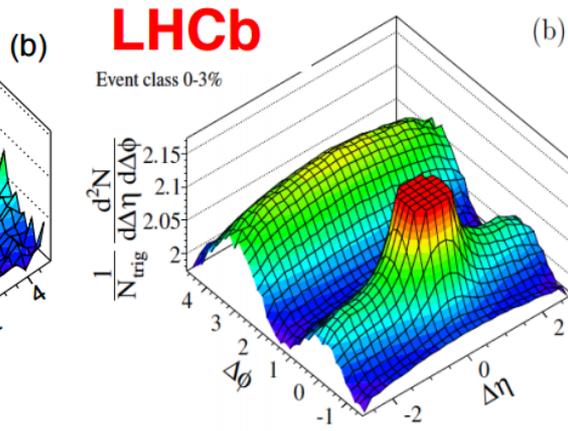
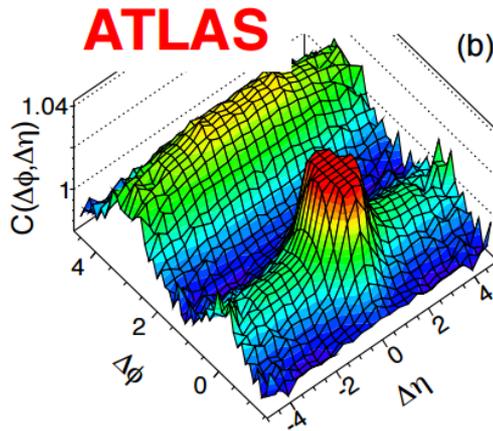
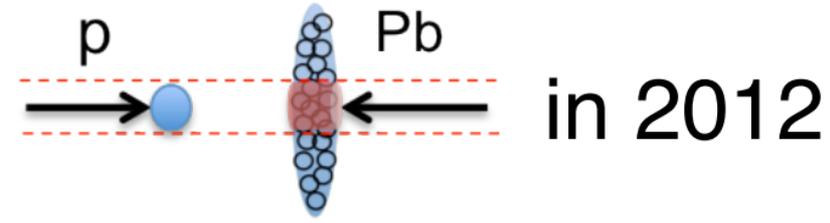
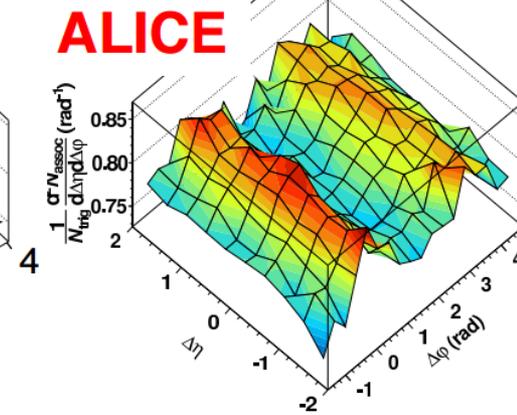
Heavy ions: well understood as flow.

More Ridges

CMS pPb $\sqrt{s_{NN}} = 5.02$ TeV, $N_{trk}^{offline} \geq 110$
 $1 < p_T < 3$ GeV/c



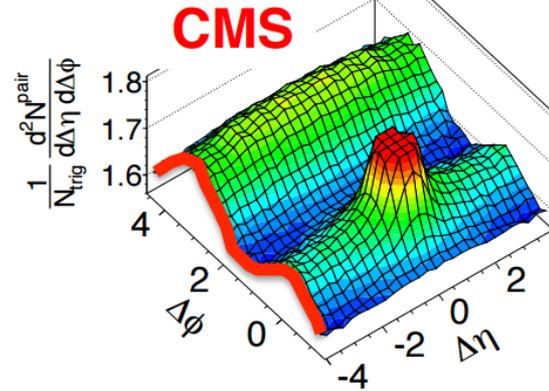
(b) $2 < p_{T, trig} < 4$ GeV/c
 $1 < p_{T, assoc} < 2$ GeV/c
 p-Pb $\sqrt{s_{NN}} = 5.02$ TeV
 (0-20%) - (60-100%)



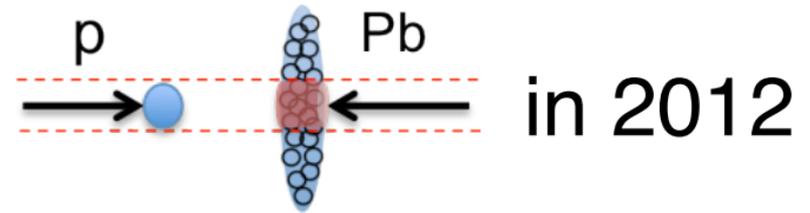
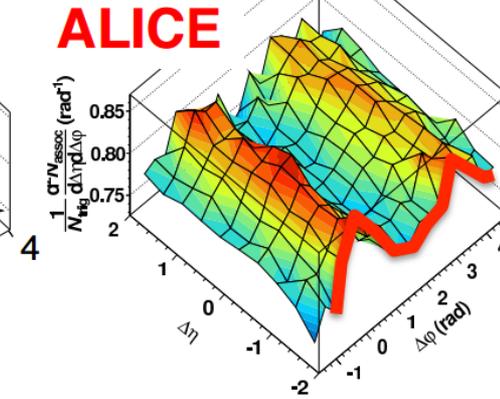
**Collective phenomena and QGP fluid
 in small systems ($L \sim 1$ fm)?!**

More Ridges

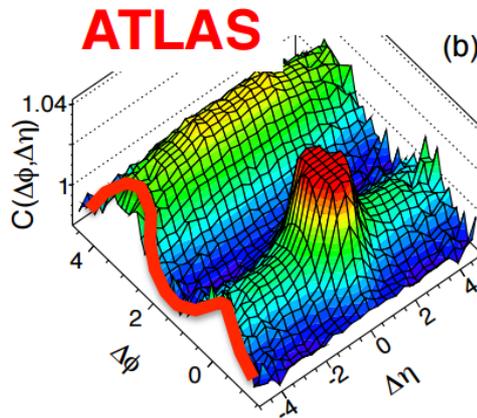
CMS pPb $\sqrt{s_{NN}} = 5.02$ TeV, $N_{trk}^{offline} \geq 110$
 $1 < p_T < 3$ GeV/c



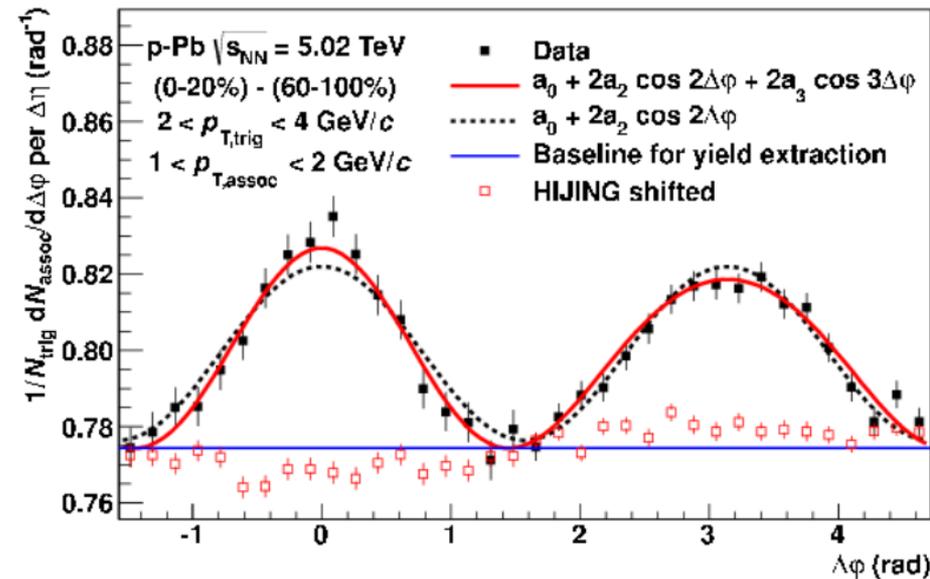
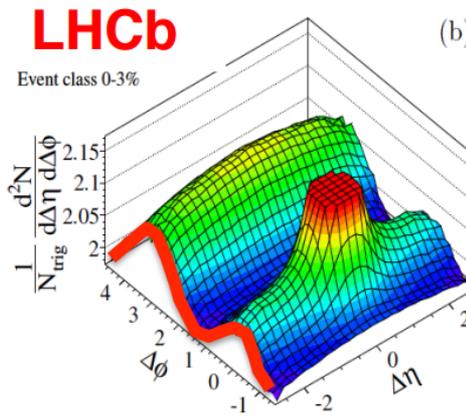
(b) $2 < p_{T, trig} < 4$ GeV/c
 $1 < p_{T, assoc} < 2$ GeV/c



“Flow” analysis



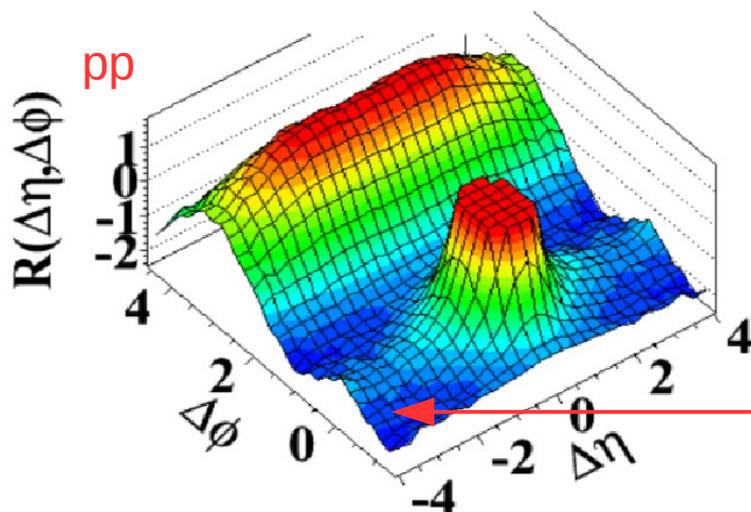
(b)



**Collective phenomena and QGP fluid
 in small systems ($L \sim 1$ fm)?!**

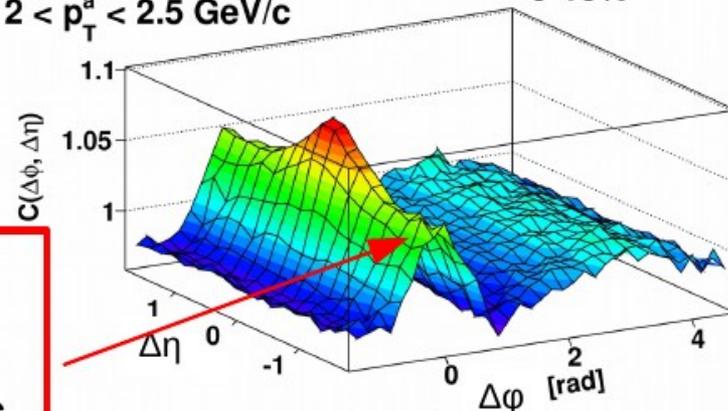
The Ridge

(d) $N > 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



CMS, JHEP 1009 (2010) 91

$3 < p_T^t < 4 \text{ GeV}/c$ **Pb-Pb** Pb-Pb 2.76
 $2 < p_T^a < 2.5 \text{ GeV}/c$ 0-10%

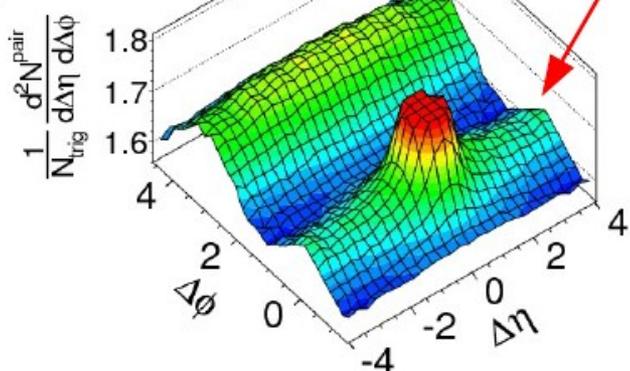


ALICE, PLB 708 (2012) 249

Near-side (NS) ridges in high multiplicity events at LHC energies

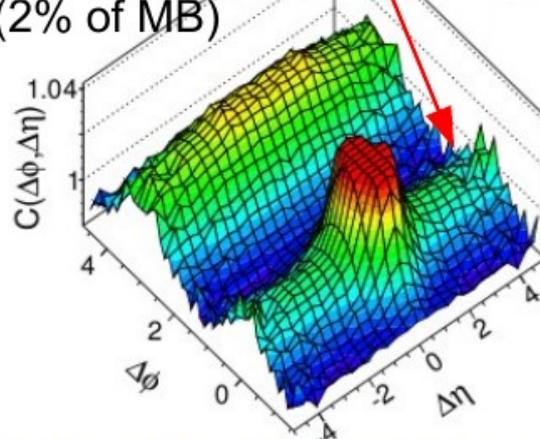
CMS pPb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$, $N_{trk}^{offline} \geq 110$

$1 < p_T < 3 \text{ GeV}/c$ **p-Pb**
 (3.1% of MB)



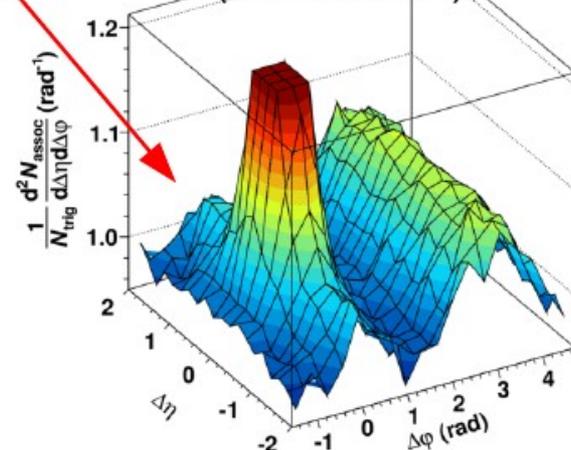
CMS, PLB 718 (2012) 795

p+Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
 $0.5 < p_T^{a,b} < 4 \text{ GeV}$ **p-Pb** $\Sigma E_T^{Pb} > 80 \text{ GeV}$
 (2% of MB)



ATLAS, PRL 110 (2013) 182302

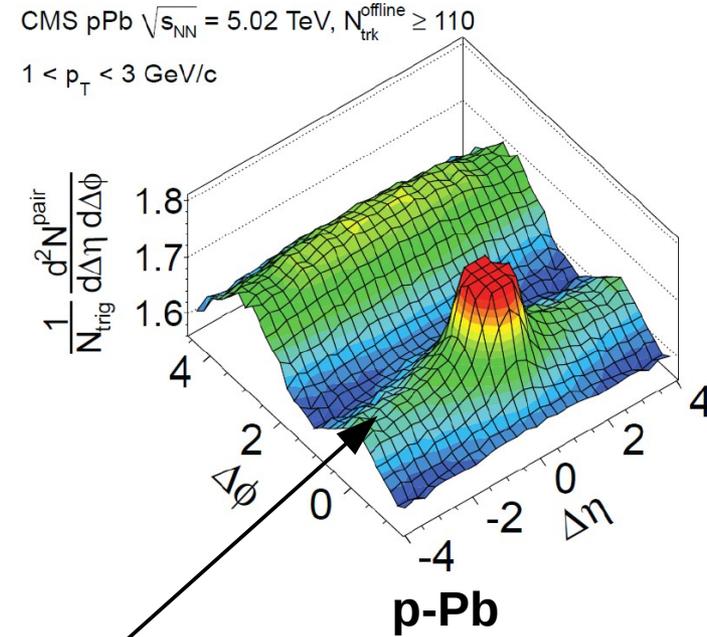
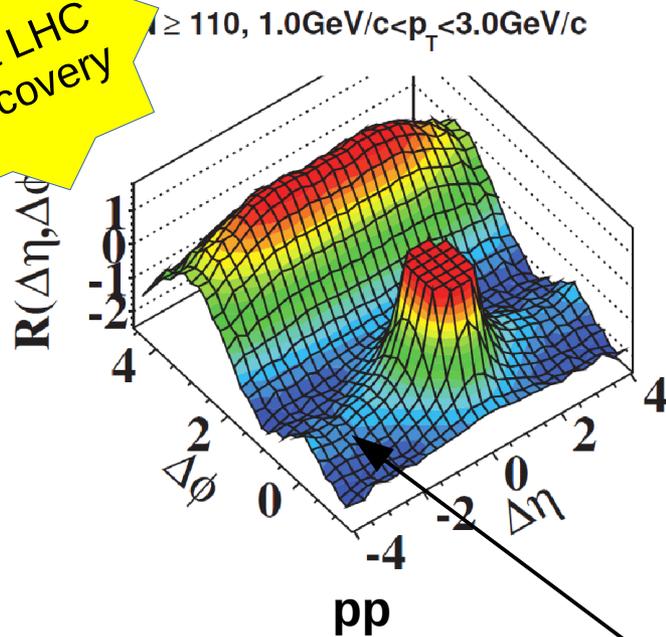
$2 < p_{T,trig} < 4 \text{ GeV}/c$ **p-Pb** p-Pb $\sqrt{s_{NN}} = 5.02 \text{ TeV}$
 $1 < p_{T,assoc} < 2 \text{ GeV}/c$ 0-20%
 (20% of MB)



ALICE, PLB 719 (2013) 29

The Ridges

First LHC discovery



The Ridge

The first discovery made at LHC was announced in Sept. 2010 on a subject which was as unlikely as it was unfamiliar to most in the packed audience: The CMS experiment had found a **mysterious 'long range rapidity correlation' in a tiny subset of extremely high multiplicity pp collisions** at 7 TeV. While in the meantime far eclipsed by the discovery of 'a Higgs-like particle', this 'near side ridge' **is arguably still the most unexpected LHC discovery** to date and **spawned a large variety of different explanations, from mildly speculative to outright weird.**

Paper titles:

- „...Building bridges with **ridges**”
- „Observation of a '**Ridge**' correlation structure ...”
- „**Ridge** from Strings”
- „On the onset of **the ridge** structure”

Phys.Scripta T158 (2013) 014003

Heavy ion physics at the Large Hadron Collider: what is new? What is next?

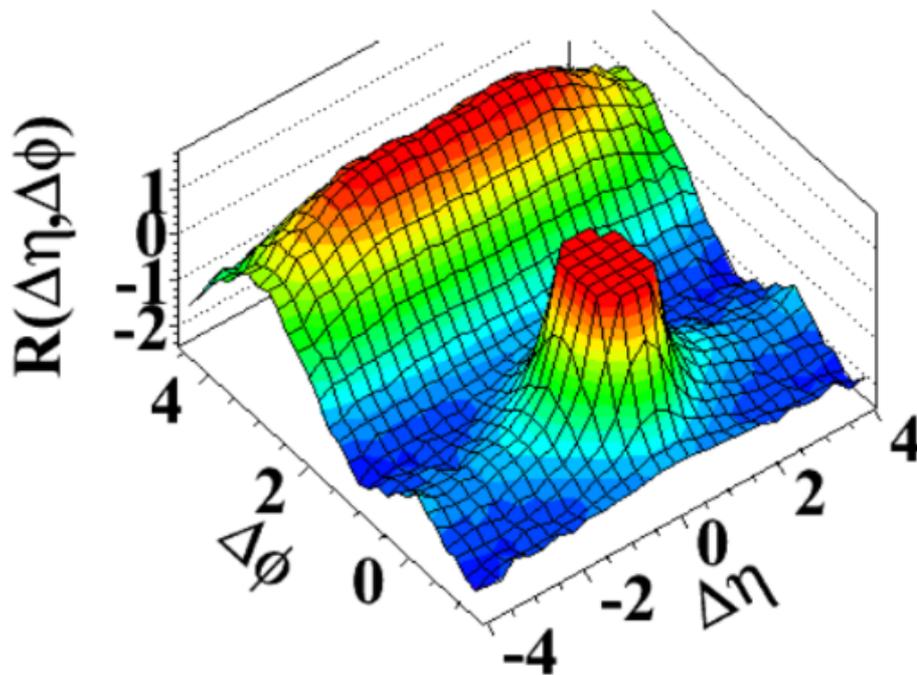
J. Schukraft

The Ridge

High multiplicity ($N > 110$)

~100 citations within a year

(d) $N > 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



Interpretation:

- Multi-jet correlations
- Jet-Jet color connections
- Jet-proton remnant color connections
- Jet-remnant connections + medium
- Glasma correlations
- Quantum entanglement
- Angular momentum conservation
- Angular momentum conservation + medium
- Hydrodynamic flow

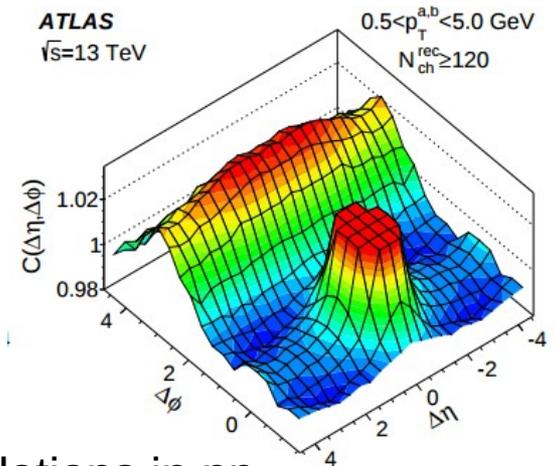
Multiplicity in these events is dominated by jet contribution.

?

The Ridge

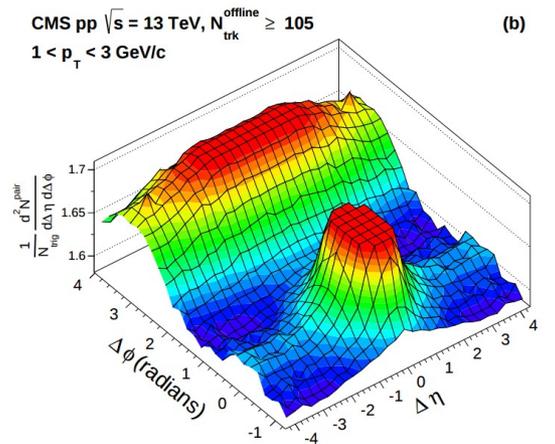
First ATLAS heavy-ion paper of 13 TeV

Observation of long-range elliptic anisotropies in $\sqrt{s}=13$ and 2.76 TeV pp collisions with the ATLAS detector
Phys. Rev. Lett. 116, 172301 (2016)



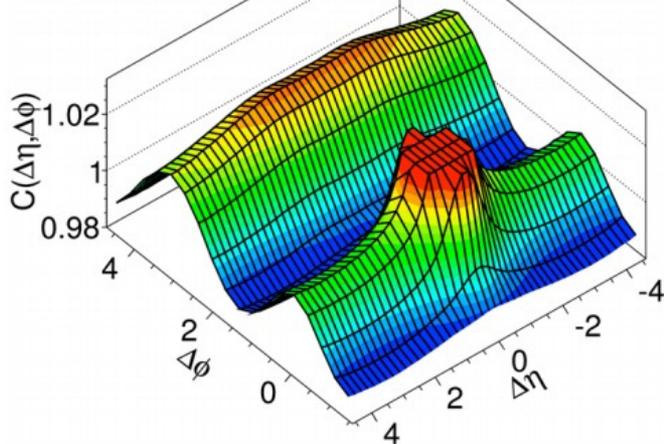
Second CMS paper of 13 TeV

Measurement of long-range near-side two-particle angular correlations in pp collisions at $\sqrt{s}=13$ TeV
PRL 116 (2016) 172302

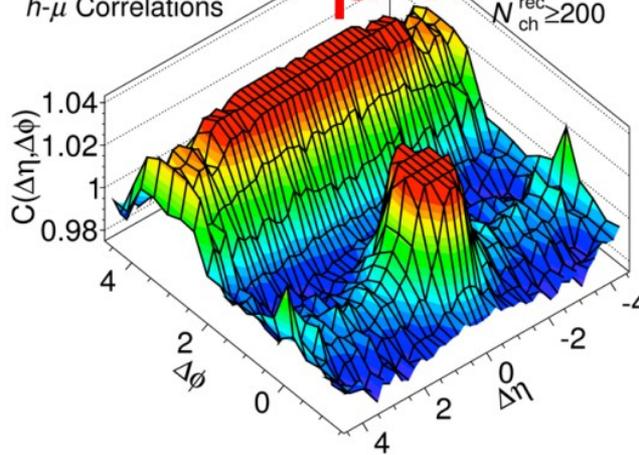


ATLAS QM2017

ATLAS Preliminary p+Pb $0.5 < p_T^{a,b} < 5$ GeV
 $\sqrt{s_{NN}}=8.16$ TeV, 171 nb $h-h$ $200 \leq N_{ch}^{rec} < 220$
 $h-h$ Correlations

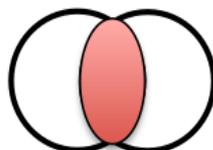


ATLAS Preliminary p+Pb $0.5 < p_T^l < 5$ GeV
 $\sqrt{s_{NN}}=8.16$ TeV, 171 nb $^{-1}$ $\mu-h$ $4 < p_T^u < 4.5$ GeV
 $h-\mu$ Correlations $N_{ch}^{rec} \geq 200$



Summary and outlook

Scenario #1

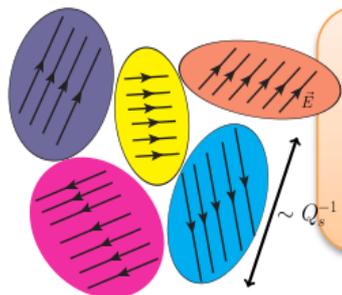


Hydrodynamics

Parton transport, escape

Initial spatial ε_s + final interactions

Scenario #2



**Initial momenta ε_p
by initial interactions**

CGC Glasma

Color-field domains, etc.

0

τ

Wei Li

Quark Matter 2017

Chicago, February 6 – 11



Summary and outlook

Clear evidence of *long-range*, *collective* phenomena **universal** in all **high-multiplicity** hadronic collisions

Initial spatial ε_s
+ final interactions

OR

Initial momentum ε_p
via initial interactions

In AA, consistent with “hydro-like” – “**perfect fluid**”

QCD fluid in pp/pA? Connection to **initial geometry** is the key to be established – “**New**” flow observables!

➤ *Unique probes of subnucleonic fluctuations!*

Open issue: collectivity ever turning off at low N_{trk} ?

Wei Li

Quark Matter 2017

Chicago, February 6 – 11



Summary and outlook

Clear evidence of *long-range*, *collective* phenomena **universal** in all **high-multiplicity** hadronic collisions

Initial spatial ε_s
+ final interactions

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➤ *Unique probes of subnucleonic fluctuations!*

Open

1 June 2016 - EMMI Seminar

Raju Venugopalan

“The gift that keeps giving: surprises from ridges in p+p, p/d/He+A and A+A collisions”

Int. J. Mod. Phys. E, Vol. 25, 1 (2016) 16300022

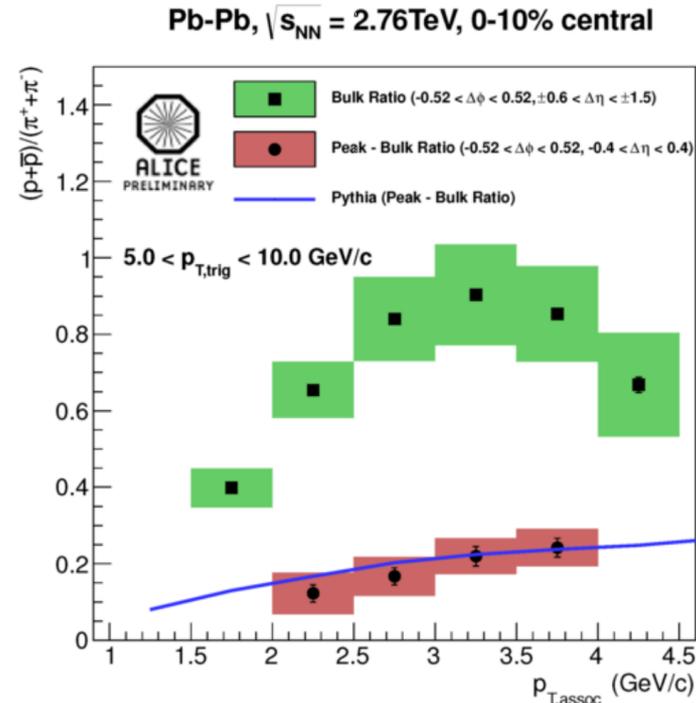
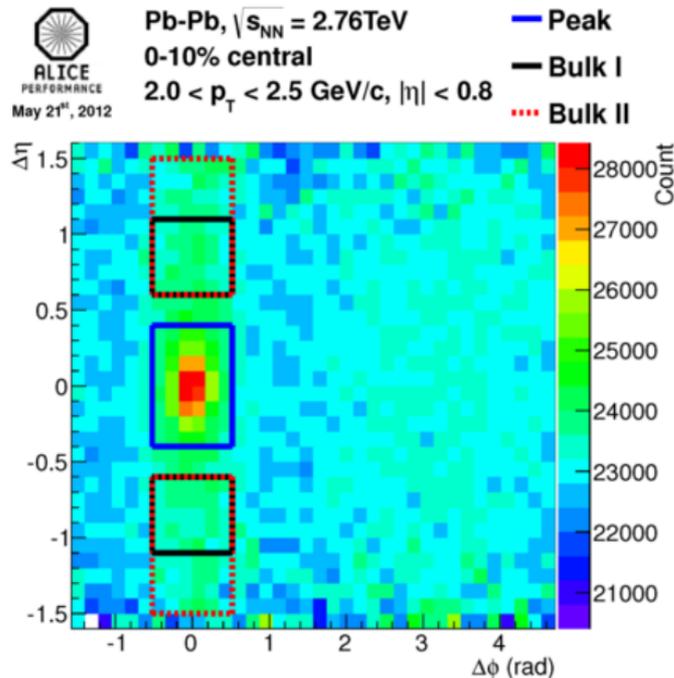
Kevin Dusling, Wei Li, Bjorn Schenke

Review: ***“Novel collective phenomena in high energy pp and p-nucleus collisions”***

*Can we learn something more?
Selection of particles*

p/π ratio

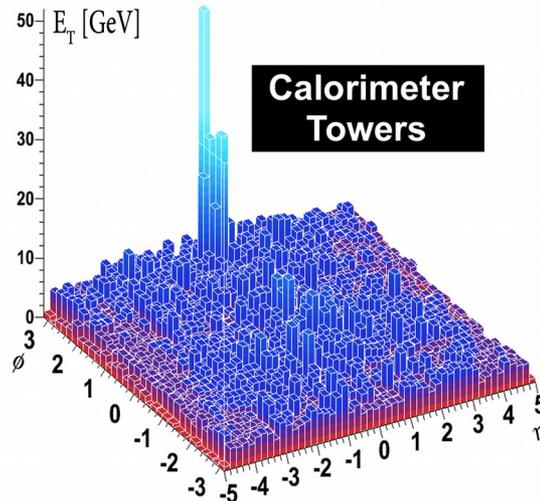
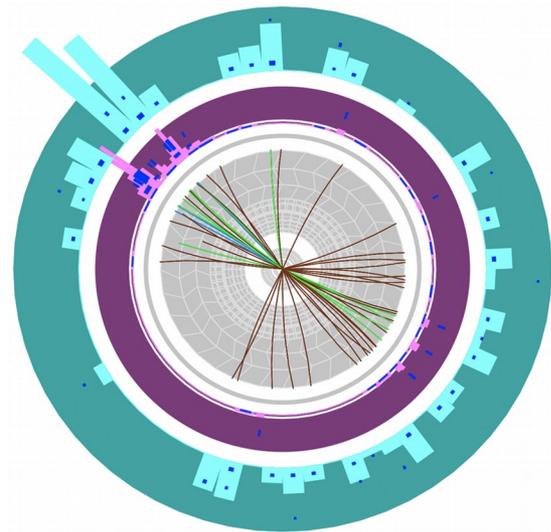
Nucl Phys A, Volumes 910–911, August 2013, Pages 306-309



- A very clear increase of the p/π ratio is observed in the bulk of central Pb–Pb collisions compared to the PYTHIA reference.
- The p/π ratio in the yield associated with a high-pT trigger particle is compatible with the PYTHIA reference, suggesting that particle production is unmodified by the presence of the medium. One possible explanation is that fragmentation of energetic partons occurs outside the medium.

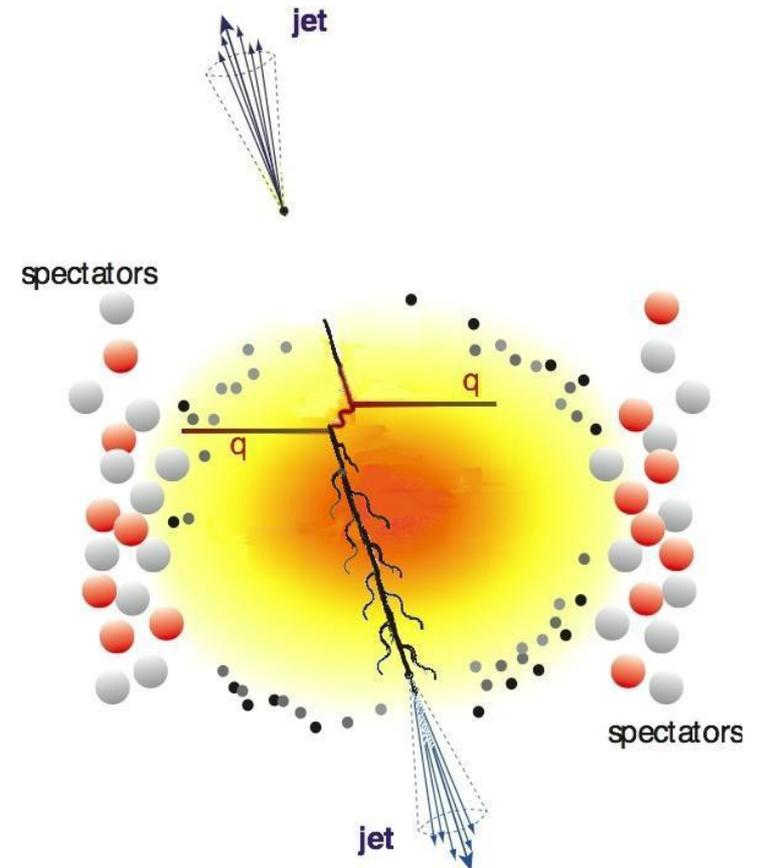
How we can use it?
Jet quenching

Parton Energy Loss (jet quenching)

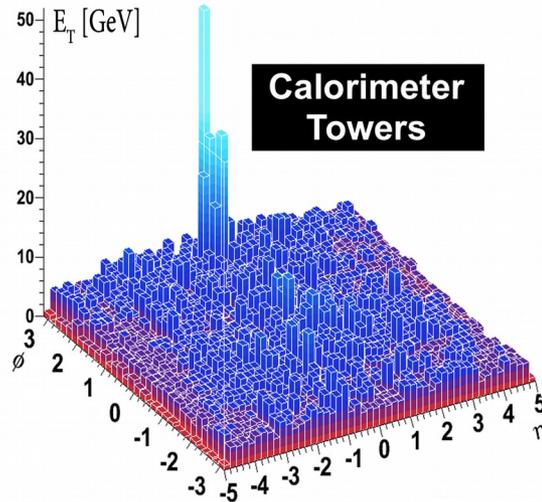
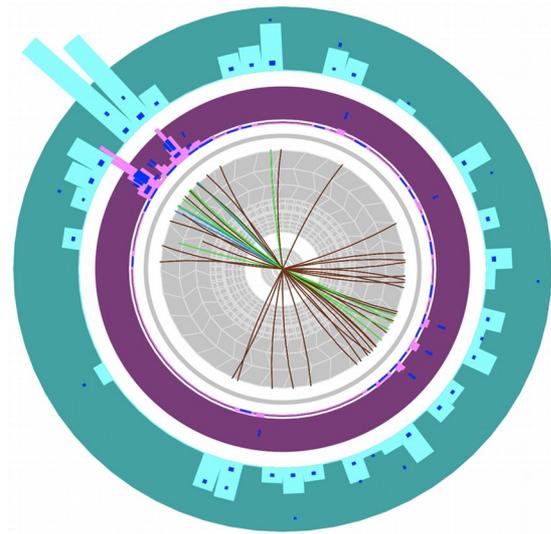


ATLAS
Run: 169045

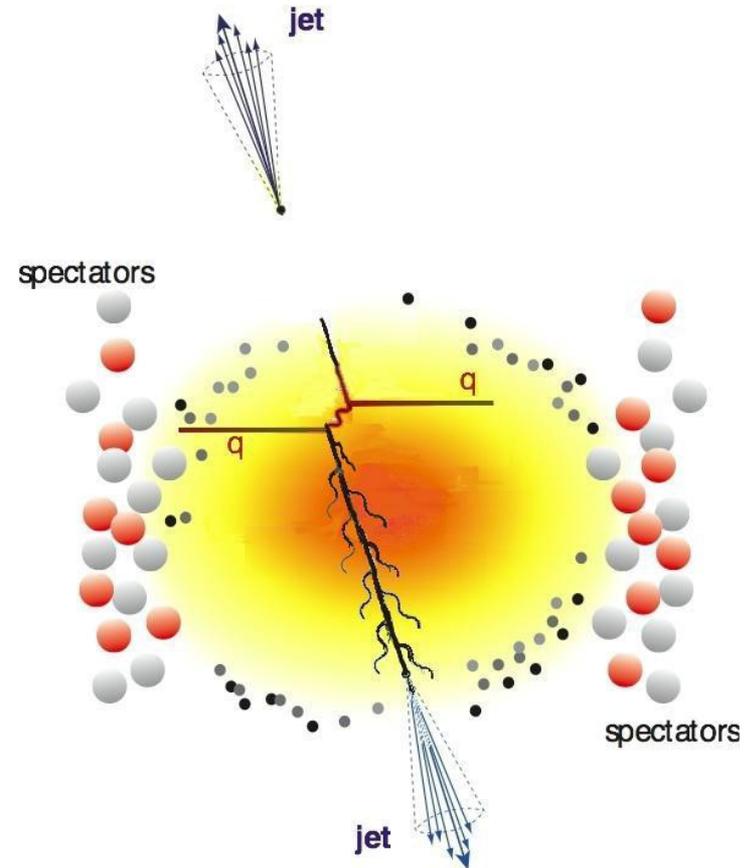
Interaction of gluons,
light and heavy quarks
inside the medium
→ energy loss, suppression



Parton Energy Loss (jet quenching)

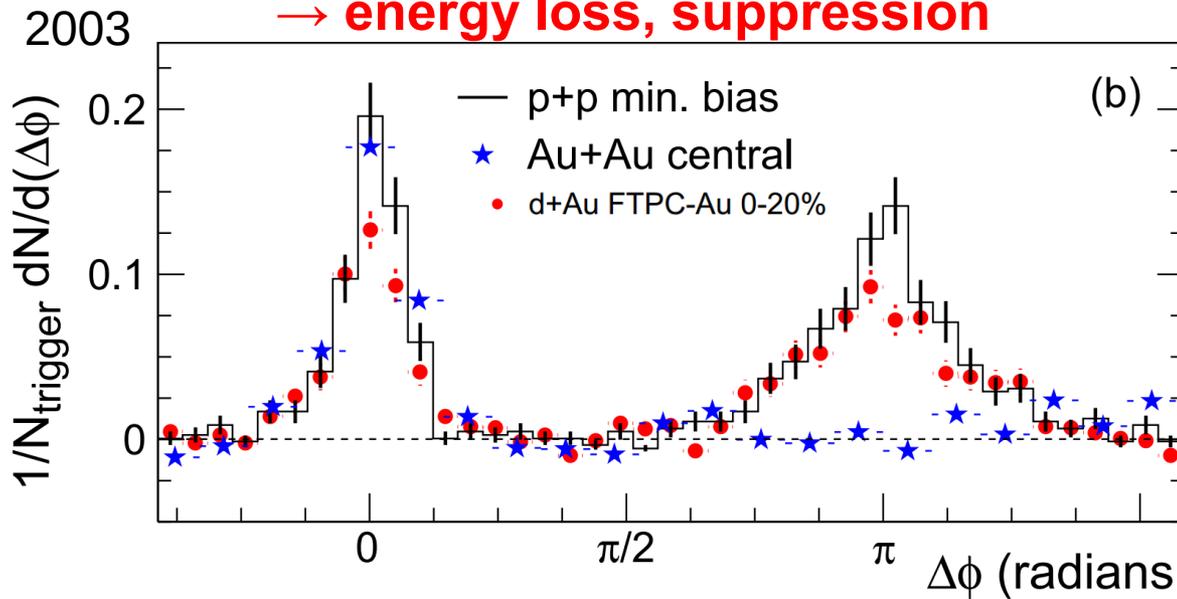


ATLAS
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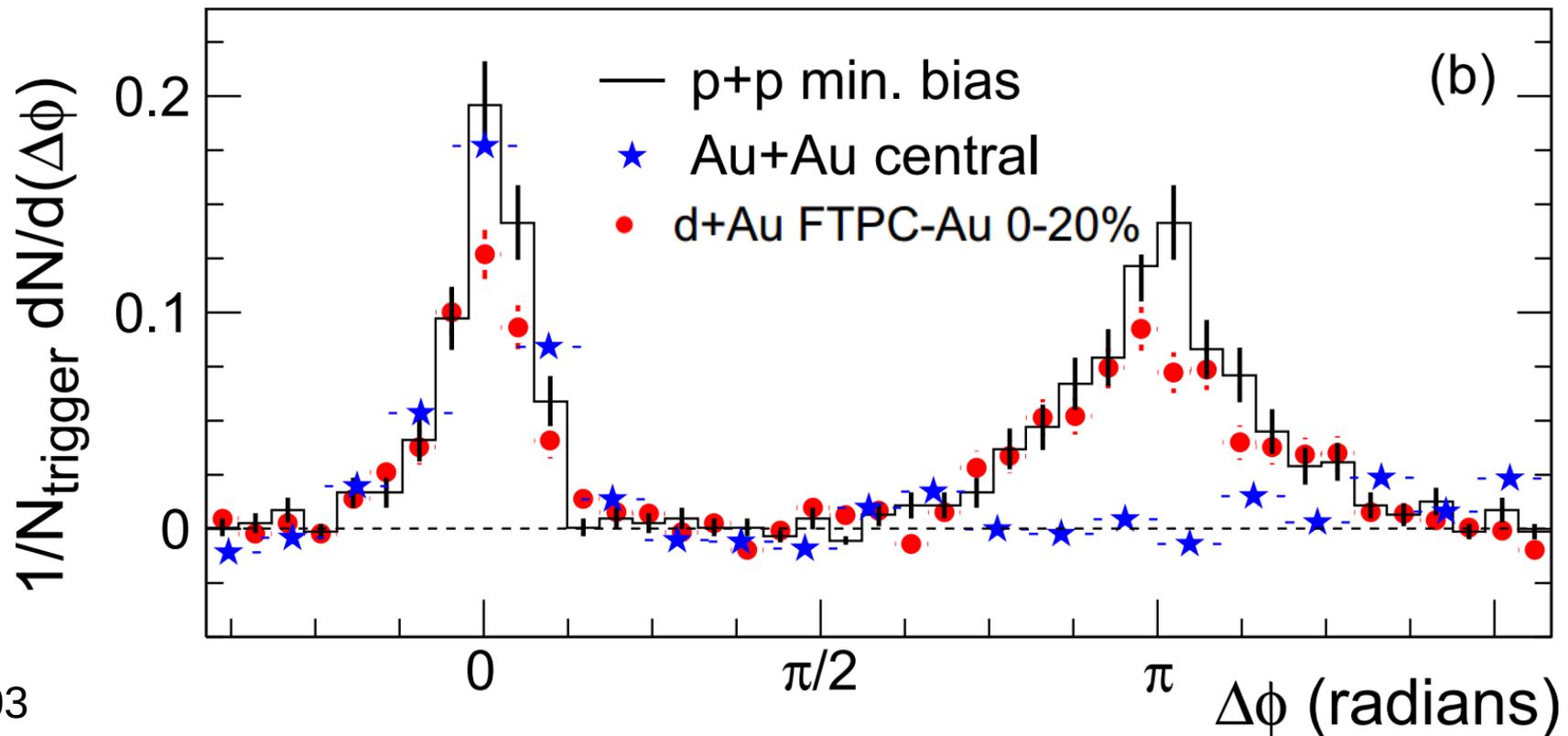


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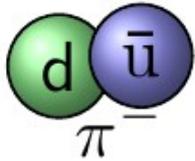


Interaction of gluons,
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Can we learn something more?

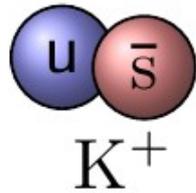
One step further: $\Delta\eta\Delta\phi$ of identified particles!

Conservation laws and their influence on **particle production mechanisms**
 – study via correlation functions for particles with **different quark content**



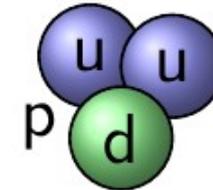
Pion:

- Charge



Kaon:

- Charge
- Strange quark



Proton:

- Charge
- Baryon

particles	momentum	conservation laws		
		charge	strangeness	baryon number
pions	✓	✓		
kaons	✓	✓	✓	
protons	✓	✓		✓

Useful to perform analysis in a more refined way:

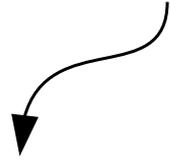
- **charge dependence**
- **identified particles**

Particle production mechanisms



A Parametrization of the Properties of Quark Jets
 R.D. Field, R.P. Feynman (Caltech). Nov 1977. 131 pp.
 Published in Nucl.Phys. B136 (1978) 1

From mechanism of jet production:
 Two primary hadrons with the same
baryon number
 (or **charge** or **strangeness**)
are separated by at least
 two steps in rank ("rapidity").



**We are not likely to find two strange
 particles / baryons at the same rapidity**

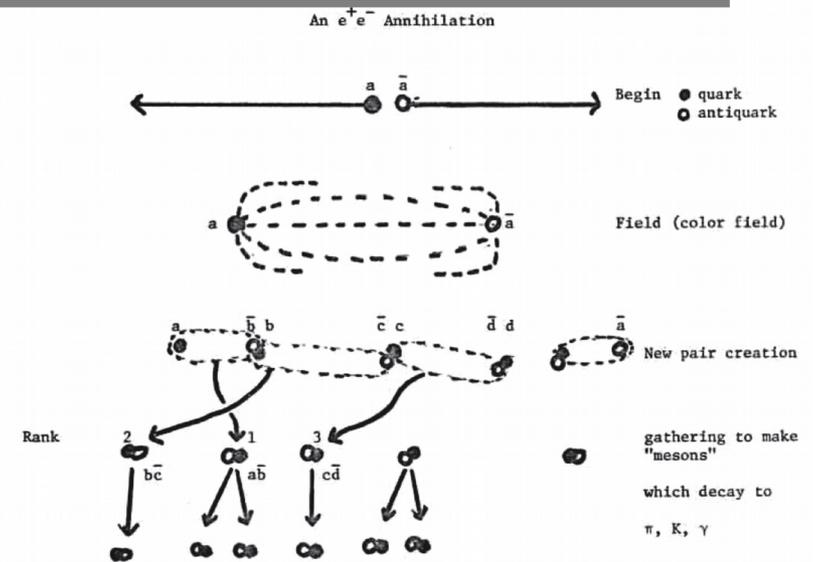


Fig. 10. Transparency from a talk Feynman gave on our model for how quarks fragment into hadrons at the International Symposium on Multiparticle Dynamics (ISMD), Kaysersberg, France, June 12, 1977.

Particle production mechanisms

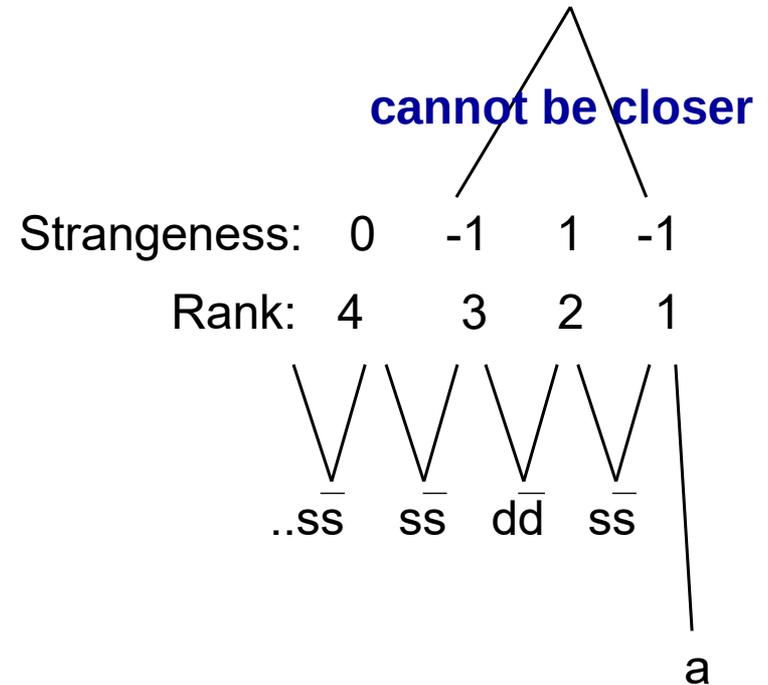


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The same strangeness:
 $3 - 1 = 2$ steps in rank

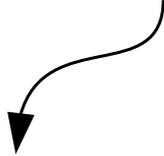


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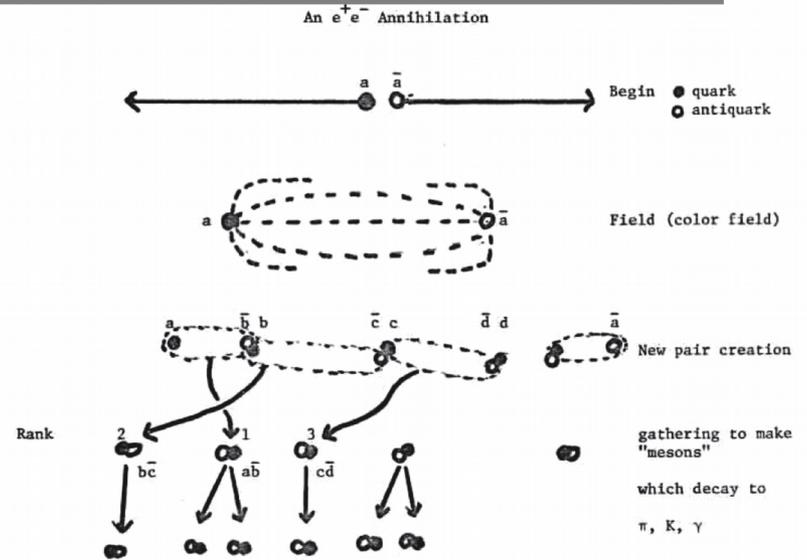
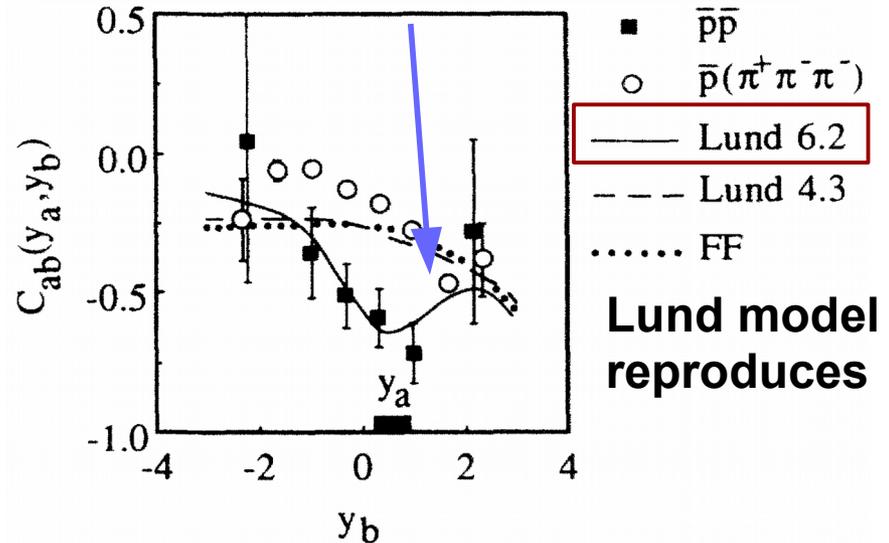
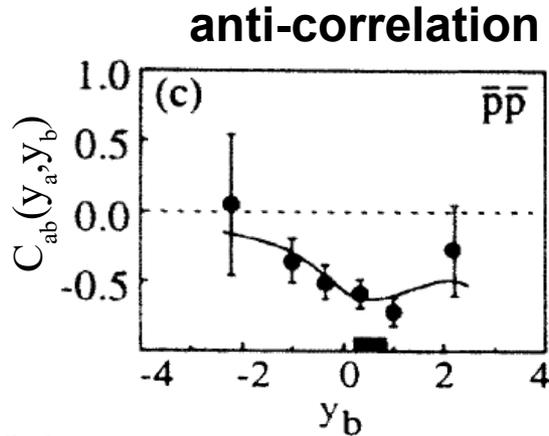
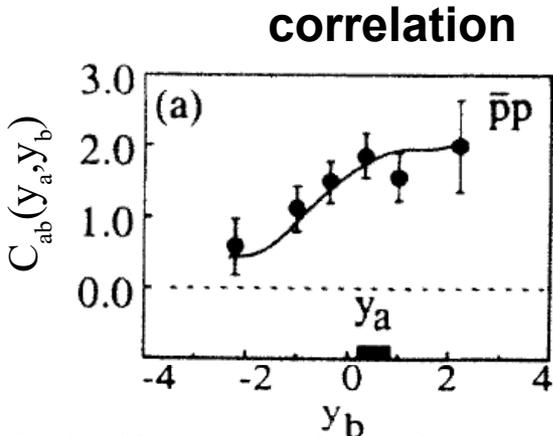


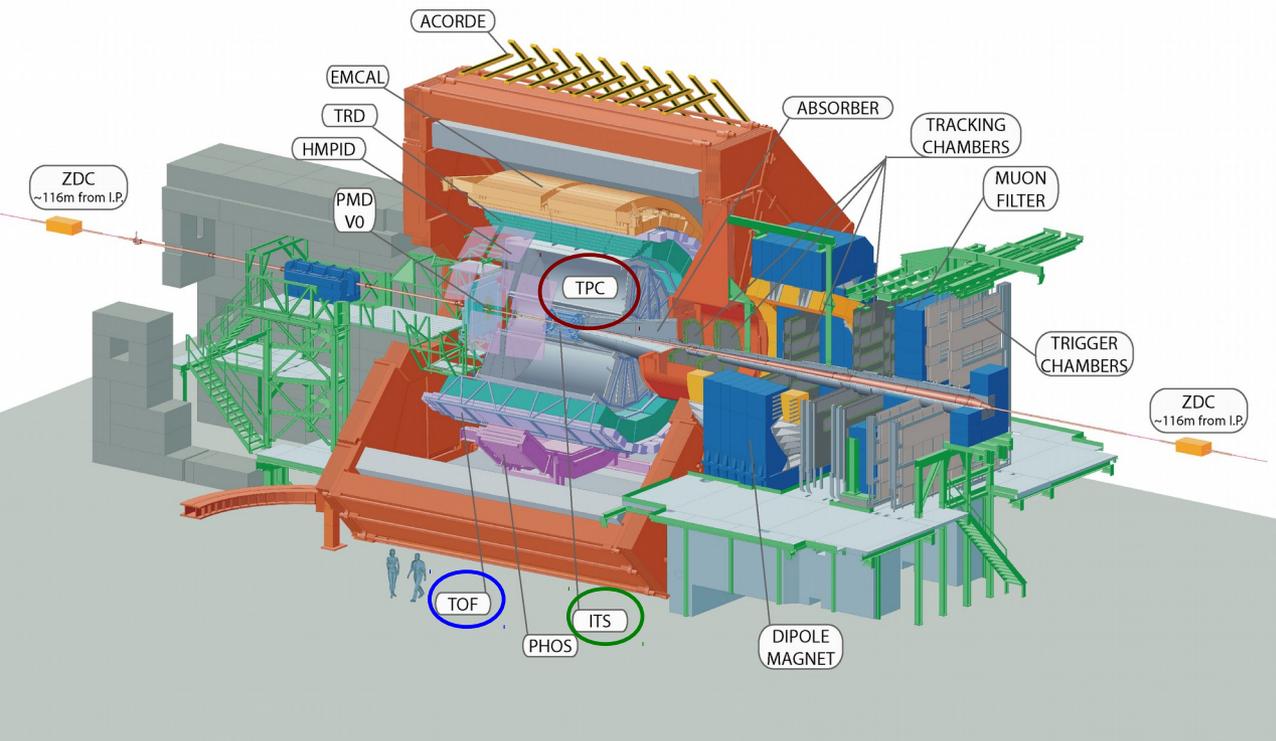
Fig. 10. Transparency from a talk Feynman gave on our model for how quarks fragment into hadrons at the International Symposium on Multiparticle Dynamics (ISMD), Kaysersberg, France, June 12, 1977.

• **Models for e^+e^- agree with observations seen in data.**



Study of baryon correlations in e^+e^- annihilation at 29-GeV
 TPC/Two Gamma Collaboration (H. Aihara et al.), Phys.Rev.Lett. 57 (1986) 3140

Data sample & analysis



- ~200 million minimum bias pp collisions at 7 TeV registered by ALICE in 2010
- Tracking:
 - Inner Tracking System (ITS)
 - Time Projection Chamber (TPC)
- Particle identification:
 - TPC
 - Time-of-Flight (TOF)
- Recent paper **arXiv:1612.08975**
- Preliminary results

- Kinematic cuts:

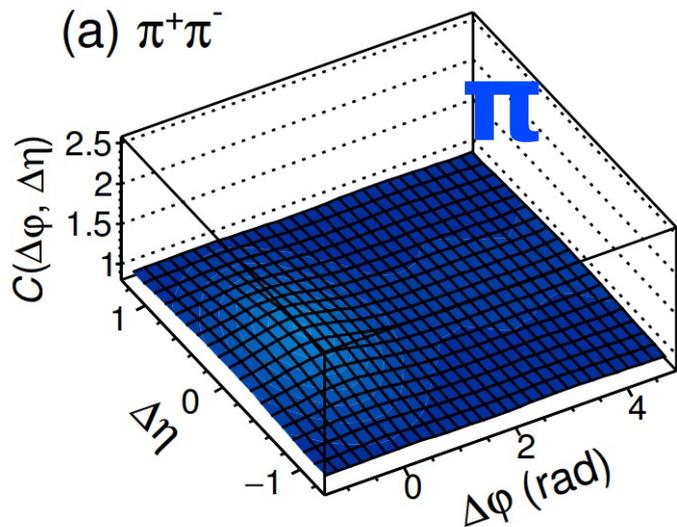
- $0.2 < p_T < 2.5$ (4.0) GeV/c for pions
- $0.3 < p_T < 2.5$ (4.0) GeV/c for kaons
- $0.5 < p_T < 2.5$ (4.0) GeV/c for protons
- $|\eta| < 0.8$

$\Delta\eta\Delta\phi$ of identified particles

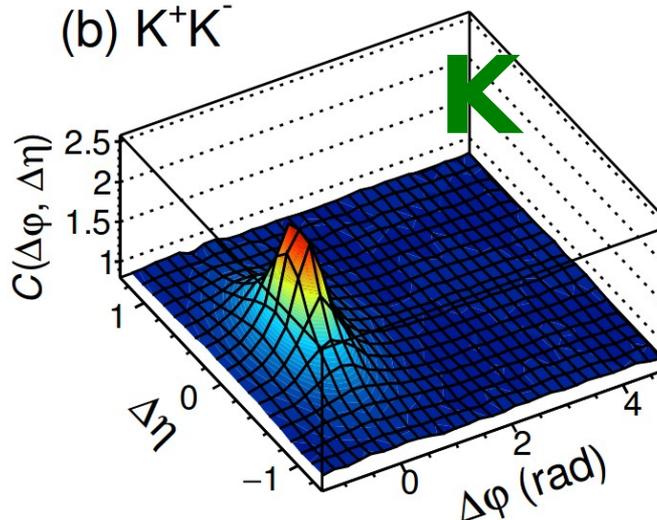
arXiv:1612.08975

Unlike-sign

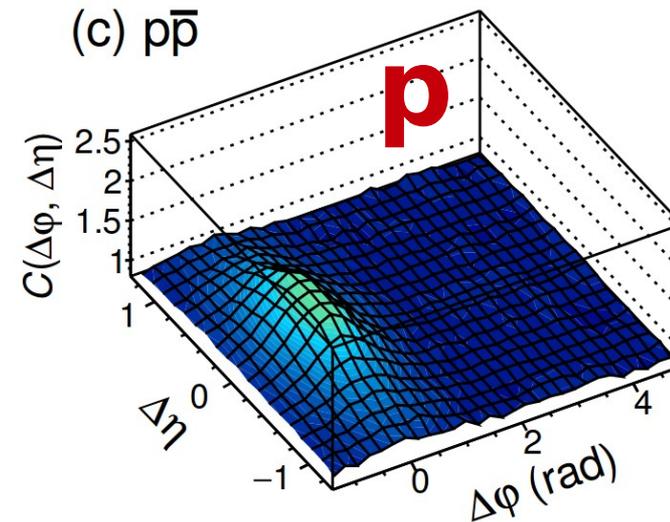
(a) $\pi^+\pi^-$



(b) K^+K^-

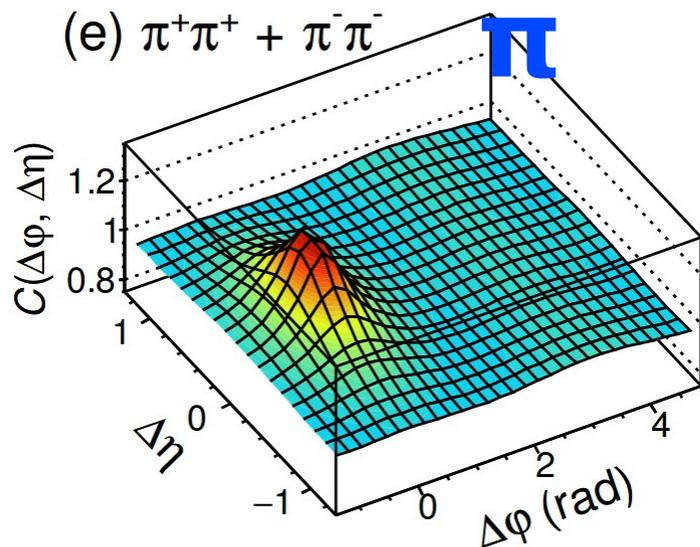


(c) $p\bar{p}$

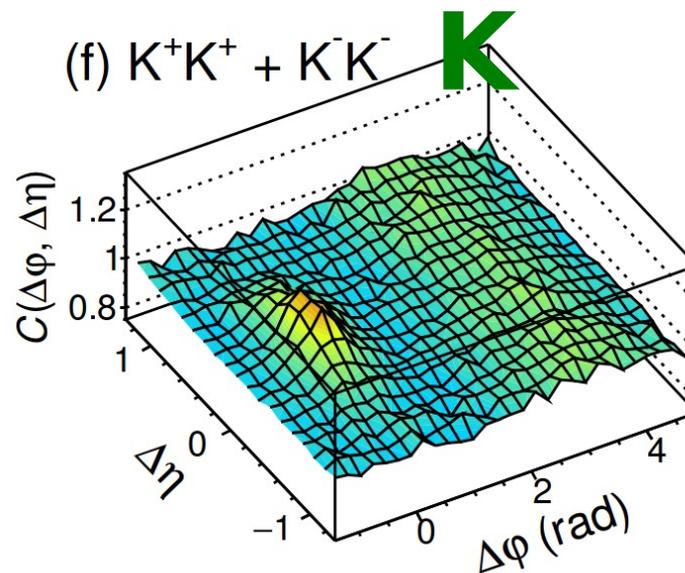


Like-sign

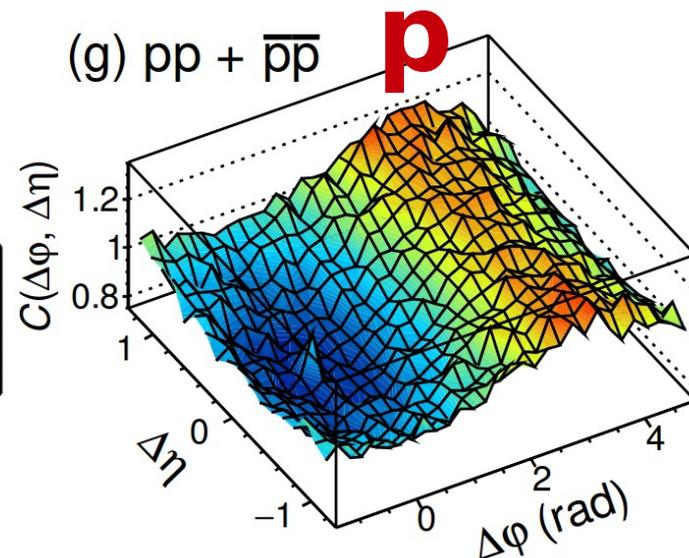
(e) $\pi^+\pi^+ + \pi^-\pi^-$



(f) $K^+K^+ + K^-K^-$



(g) $pp + \bar{p}\bar{p}$

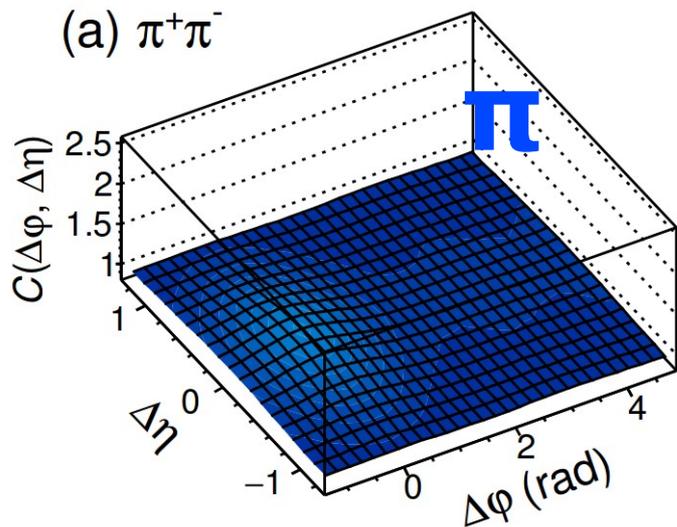


$(\Delta\eta, \Delta\phi)$ of identified particles

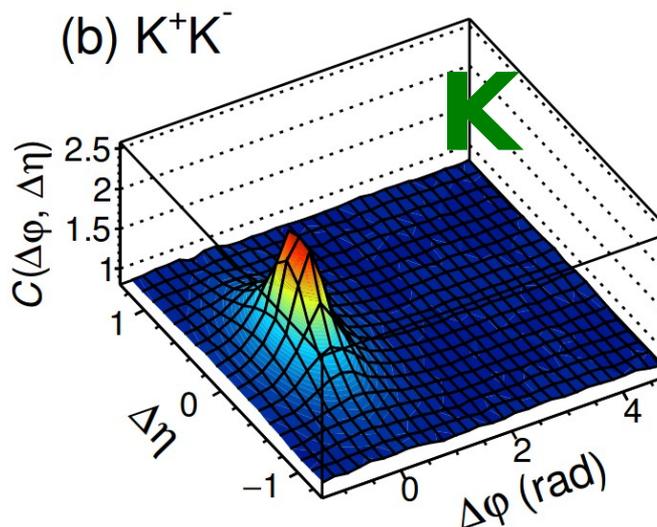
arXiv:1612.08975

Unlike-sign

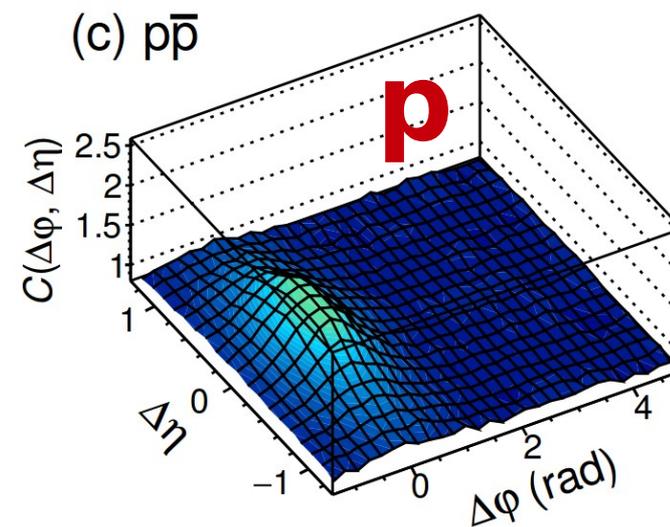
(a) $\pi^+\pi^-$



(b) K^+K^-

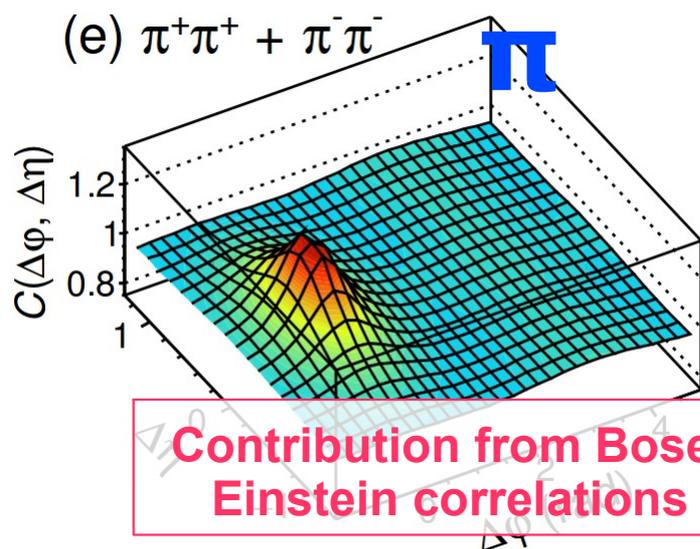


(c) $p\bar{p}$

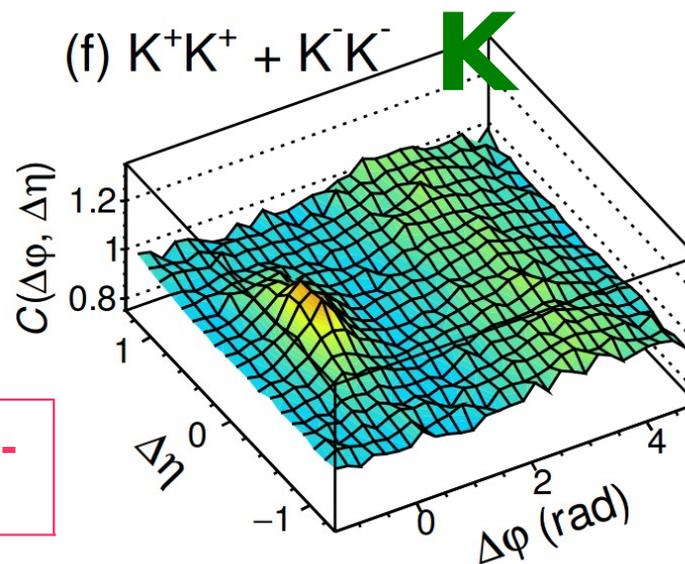


Like-sign

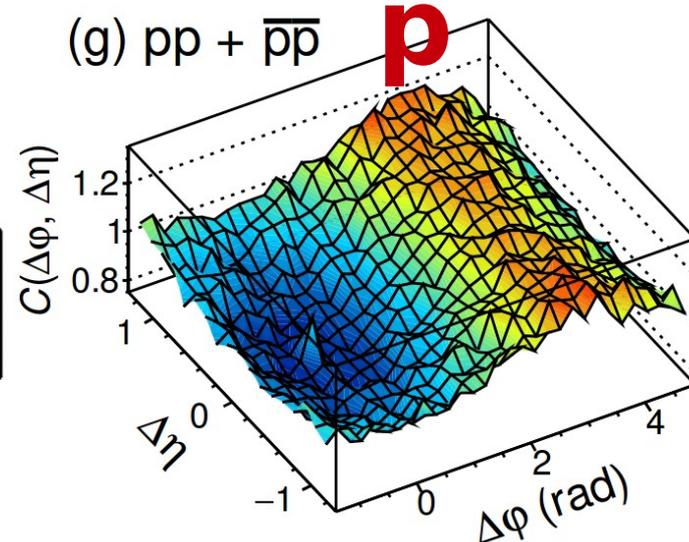
(e) $\pi^+\pi^+ + \pi^-\pi^-$



(f) $K^+K^+ + K^-K^-$



(g) $pp + \bar{p}\bar{p}$



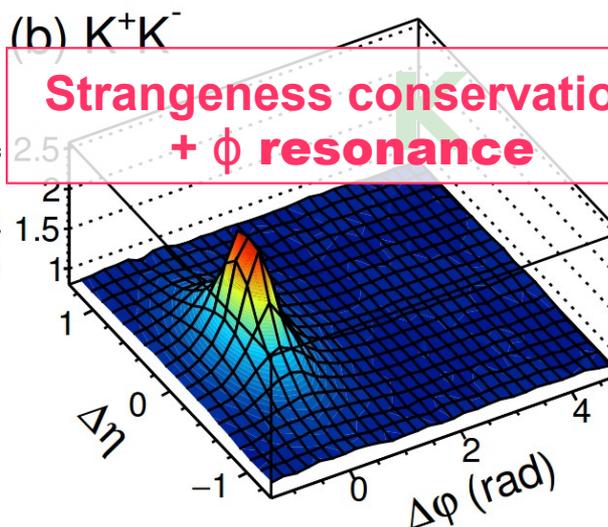
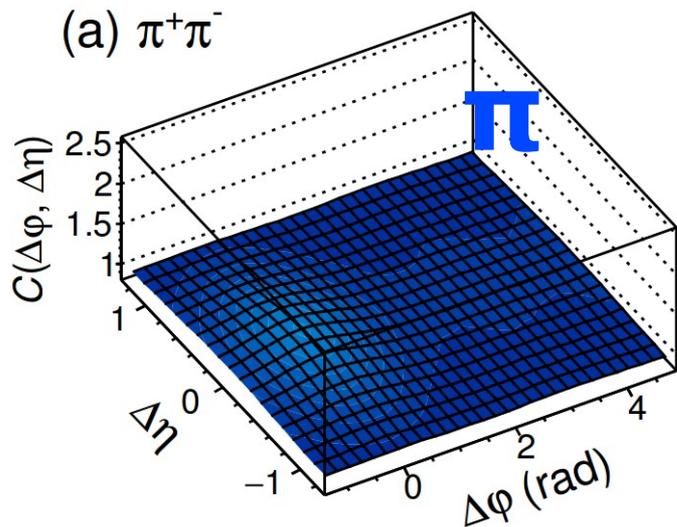
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arXiv:1612.08975

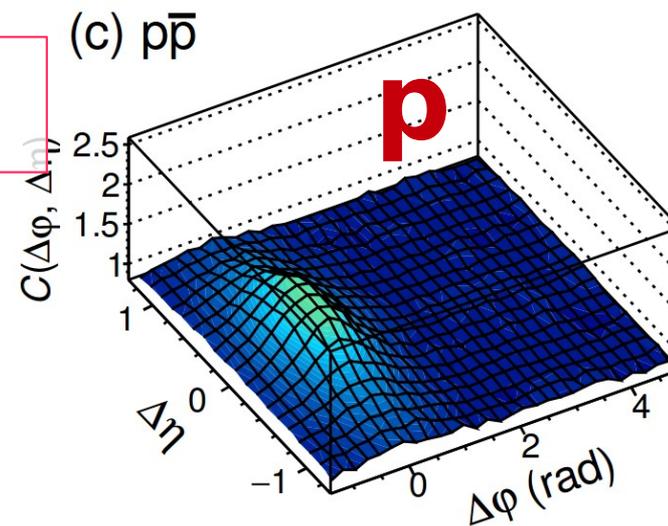
Unlike-sign

Strangeness conservation
+ ϕ resonance

(a) $\pi^+\pi^-$

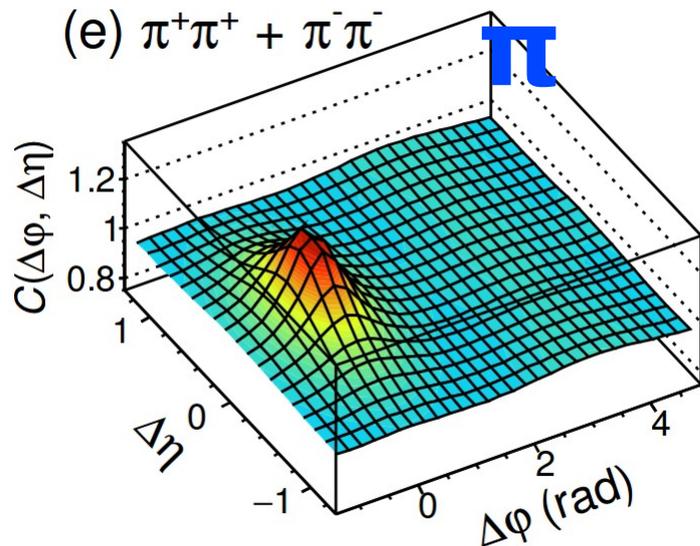


(c) $p\bar{p}$

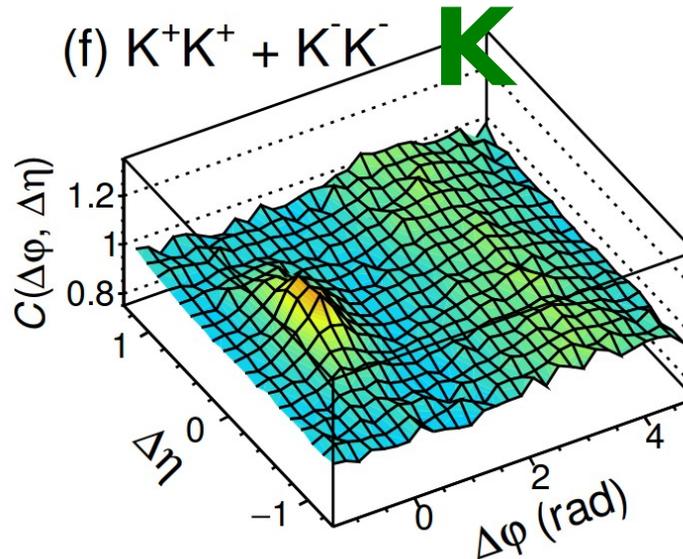


Like-sign

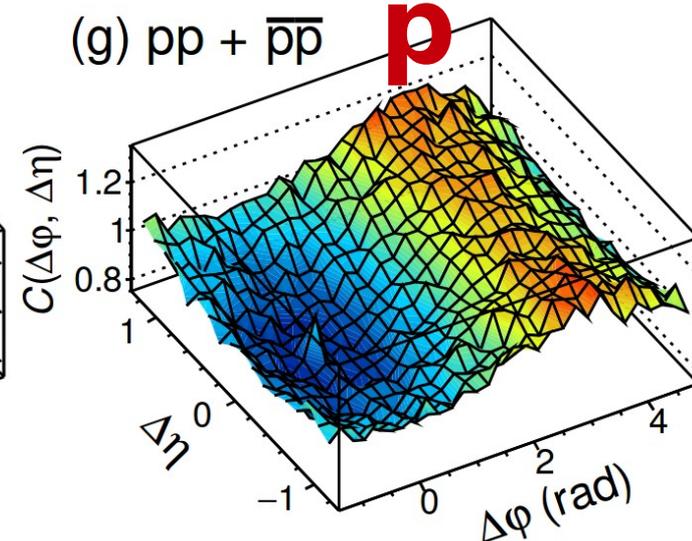
(e) $\pi^+\pi^+ + \pi^-\pi^-$



(f) $K^+K^+ + K^-K^-$



(g) $pp + \bar{p}\bar{p}$

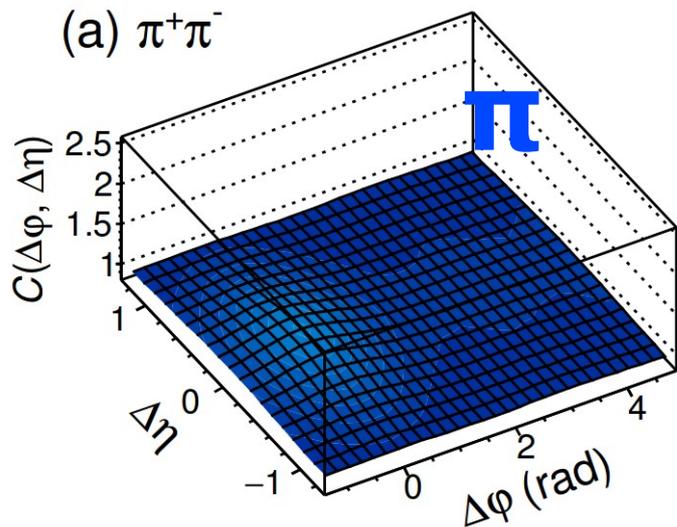


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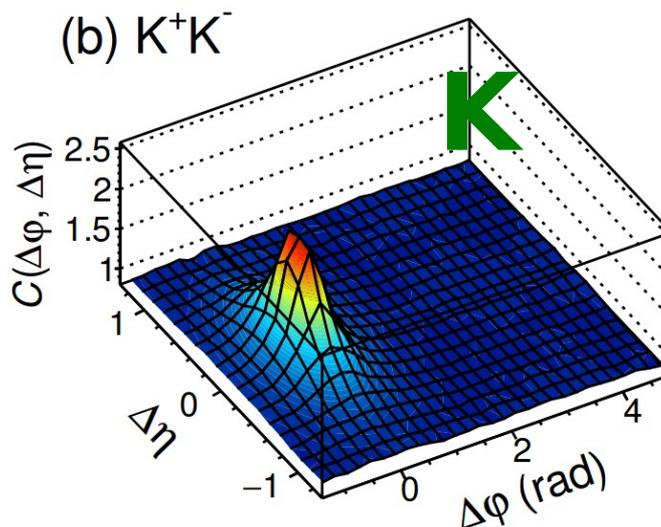
arXiv:1612.08975

Unlike-sign

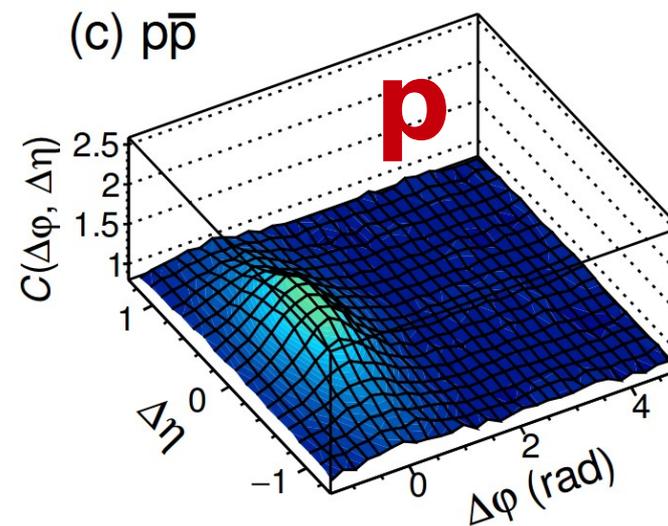
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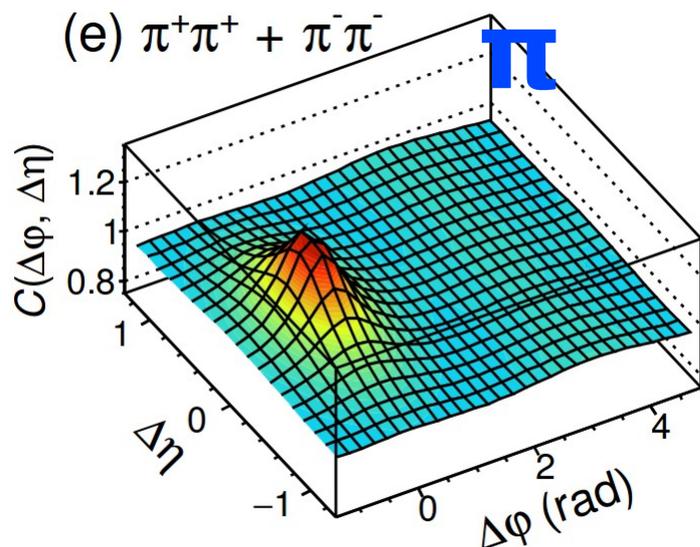


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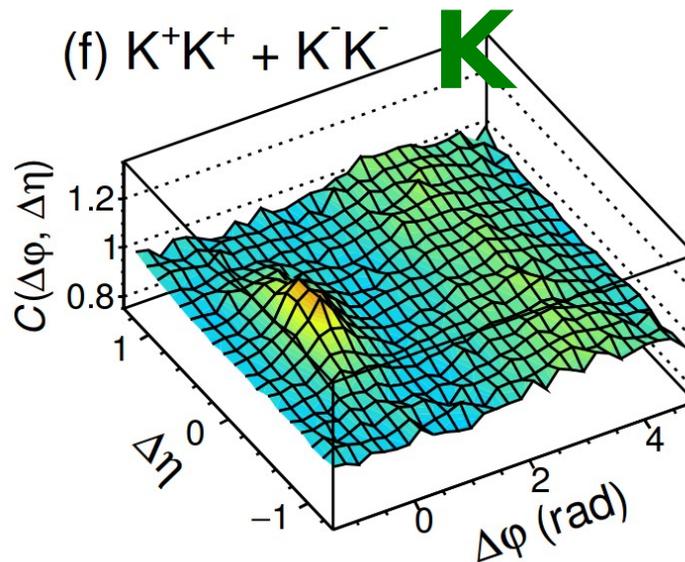


Like-sign

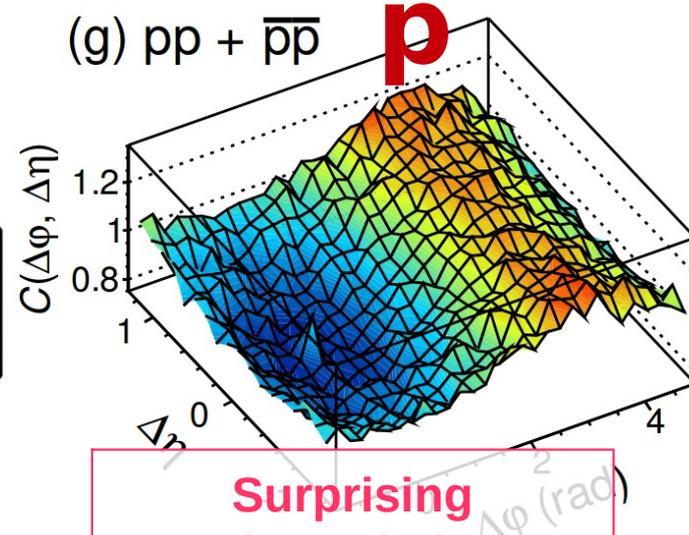
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(f) $K^+K^+ + K^-K^-$



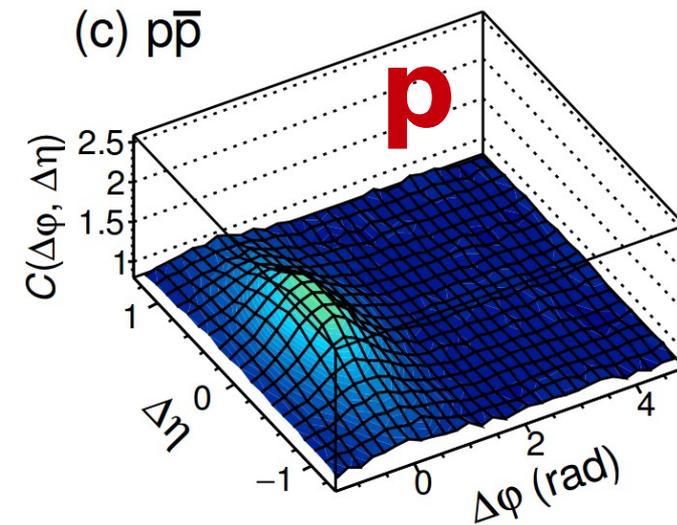
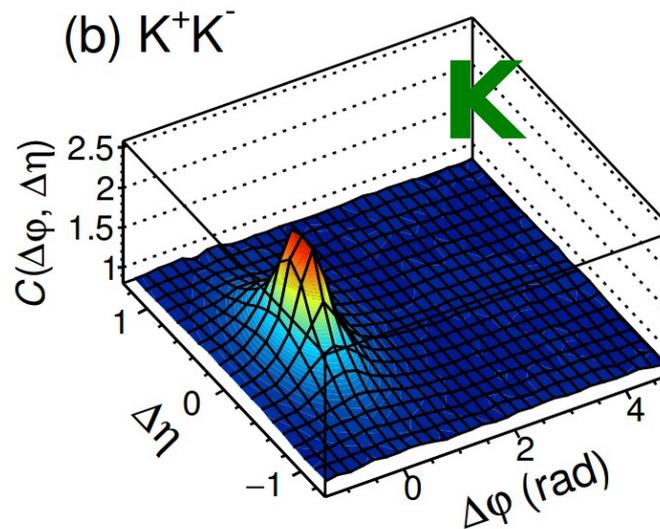
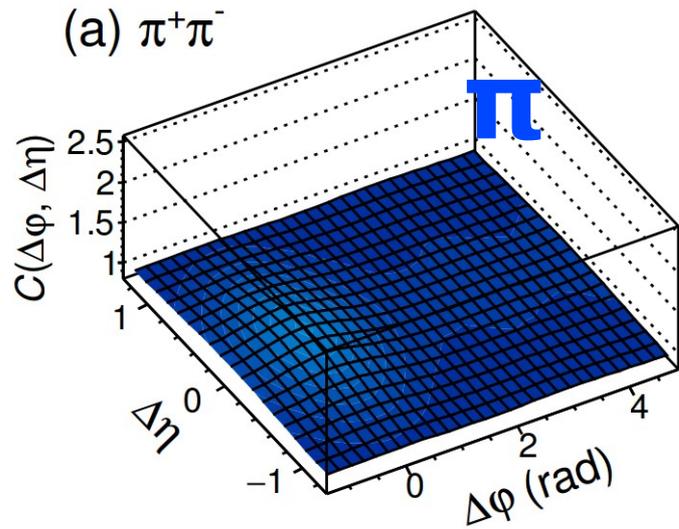
(g) $pp + \bar{p}\bar{p}$



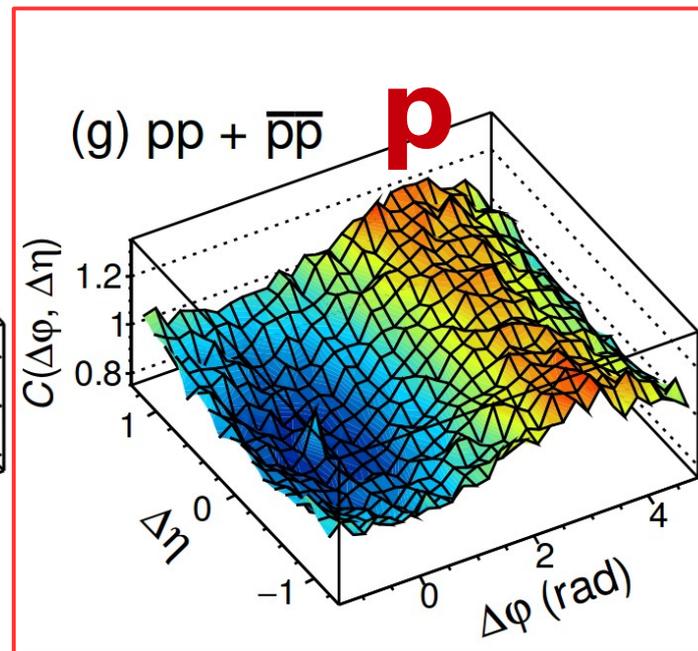
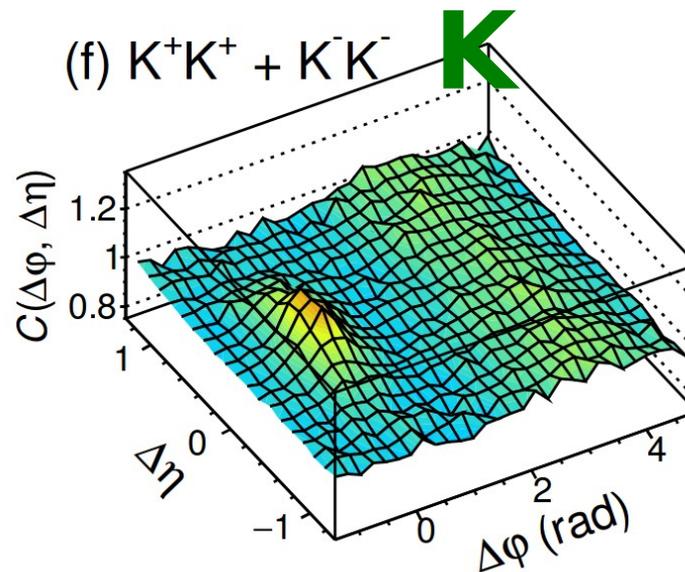
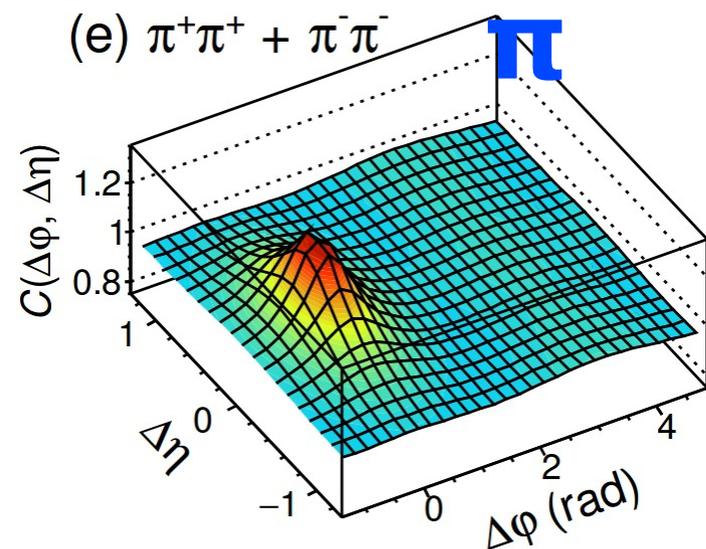
Surprising anticorrelation?

$\Delta\eta\Delta\phi$ of identified particles

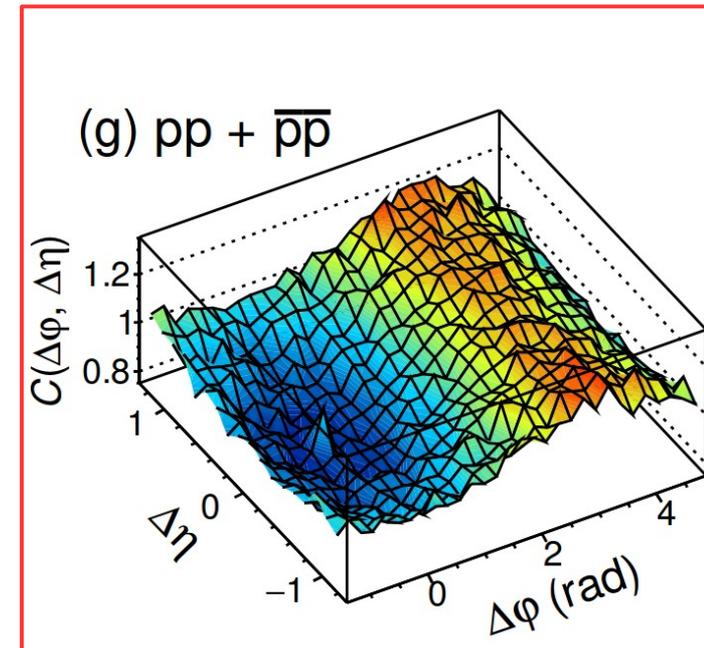
arXiv:1612.08975



Let's compare with models!

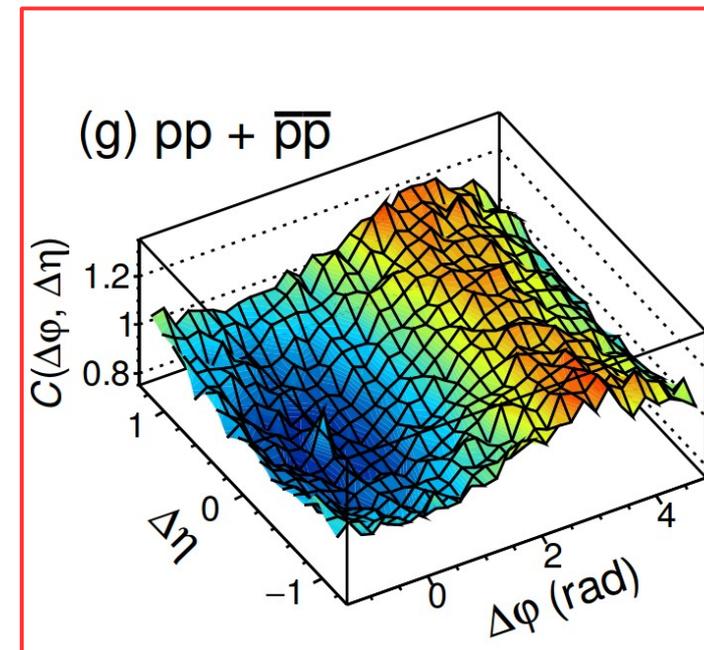
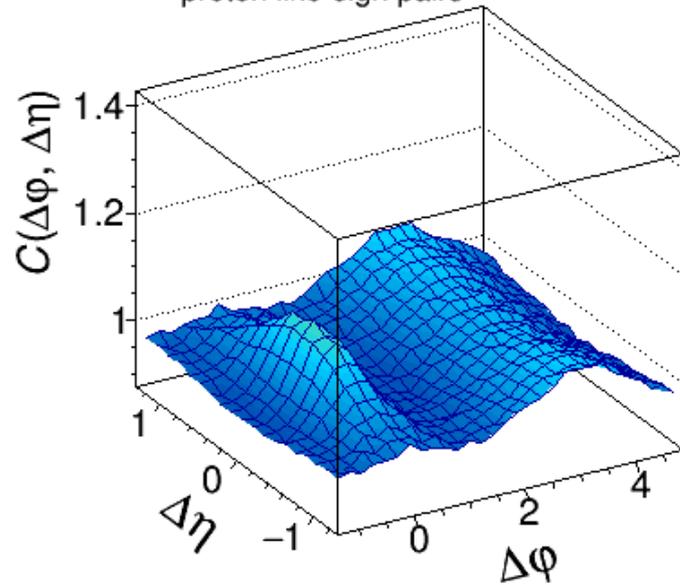


$\Delta\eta\Delta\phi$ of identified particles in pp collisions



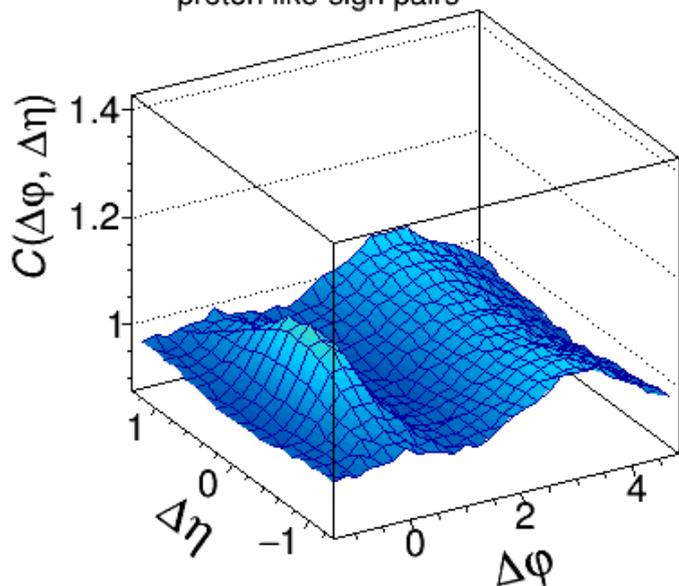
$\Delta\eta\Delta\phi$ of identified particles in pp collisions

PYTHIA 6.4 Perugia-2011, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs

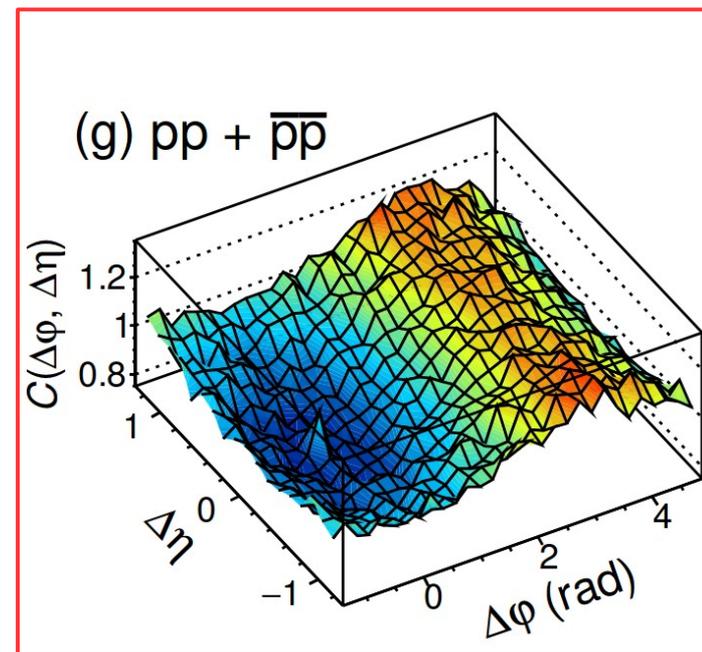
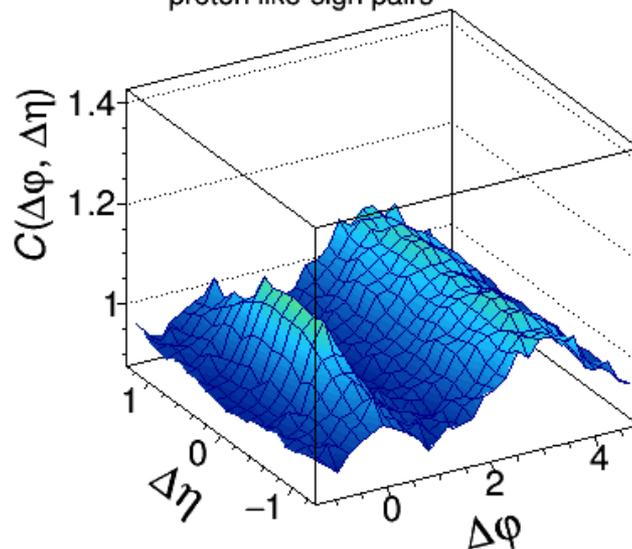


$\Delta\eta\Delta\phi$ of identified particles in pp collisions

PYTHIA 6.4 Perugia-2011, pp $\sqrt{s} = 7$ TeV
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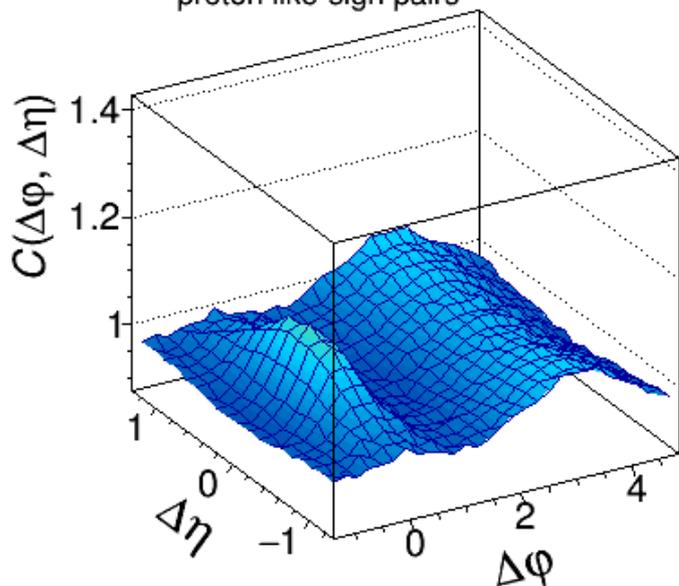


PYTHIA 6.4 Perugia-0, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs

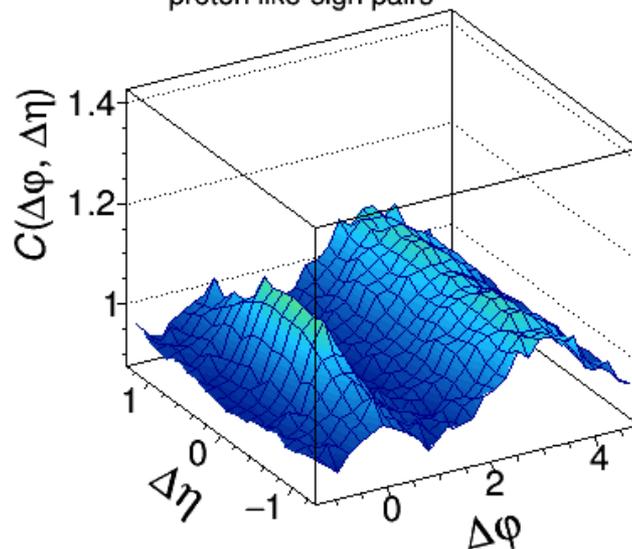


$\Delta\eta\Delta\phi$ of identified particles in pp collisions

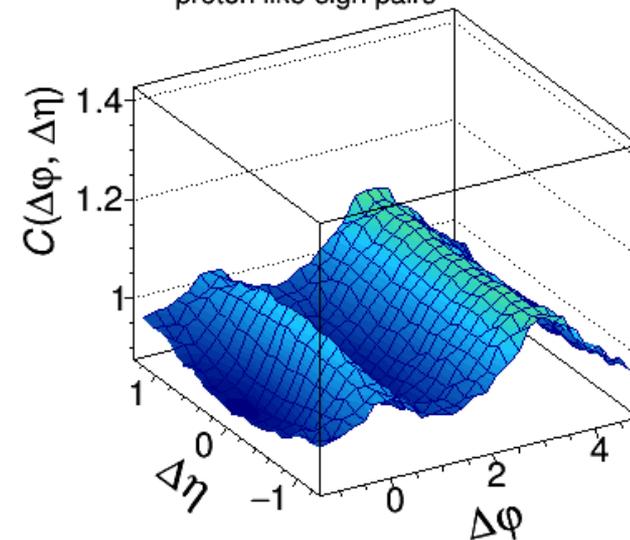
PYTHIA 6.4 Perugia-2011, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



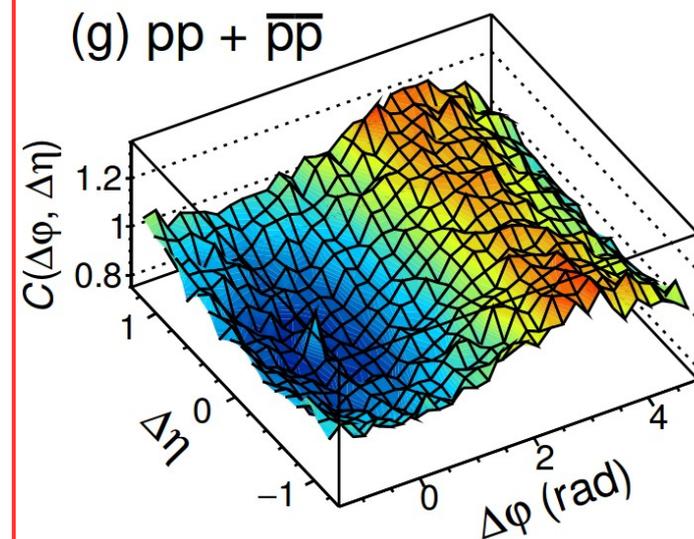
PYTHIA 6.4 Perugia-0, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



PYTHIA 8.210 Monash, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs

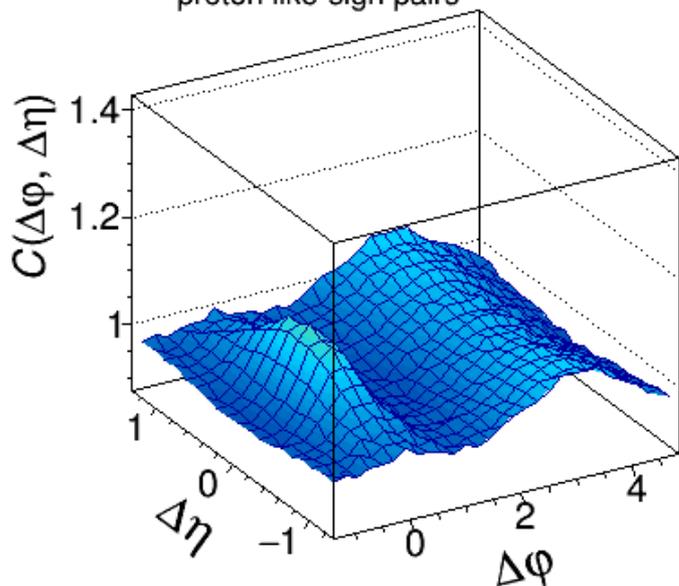


(g) pp + $\bar{p}\bar{p}$

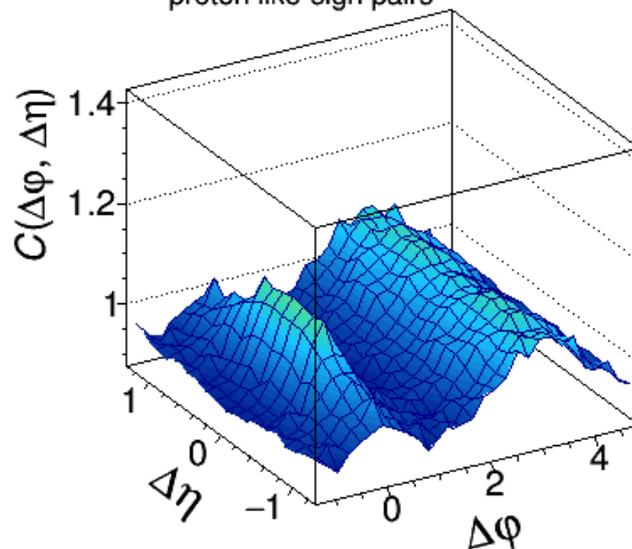


$\Delta\eta\Delta\phi$ of identified particles in pp collisions

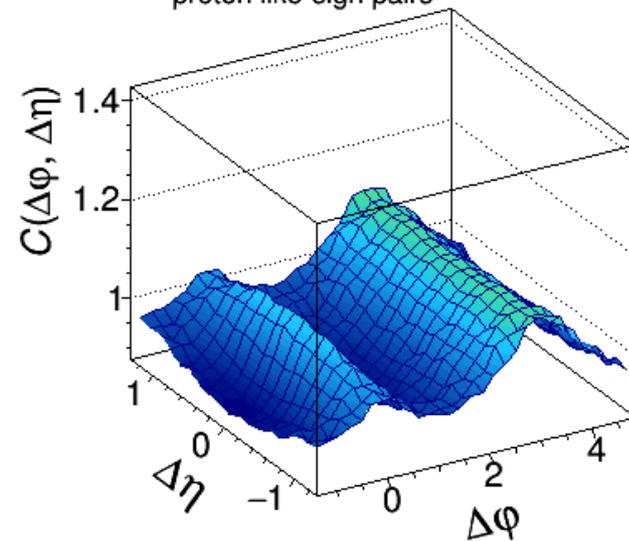
PYTHIA 6.4 Perugia-2011, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



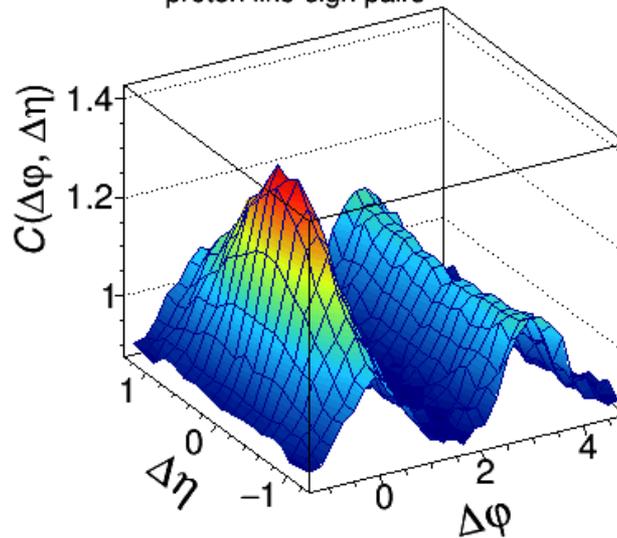
PYTHIA 6.4 Perugia-0, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



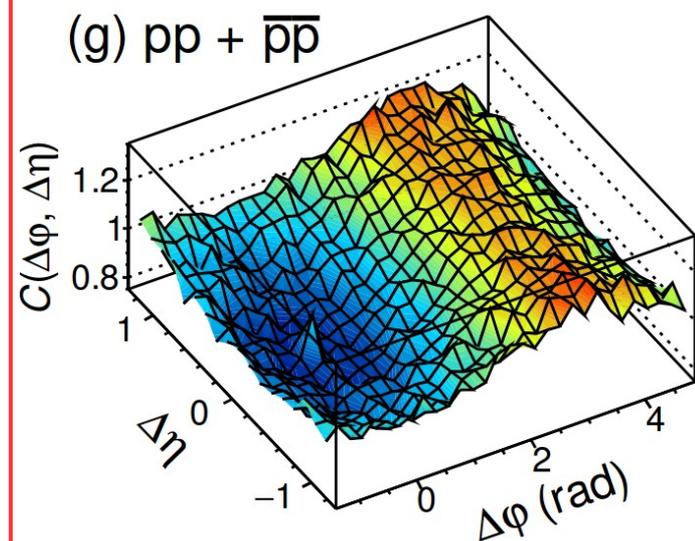
PYTHIA 8.210 Monash, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



PHOJET 1.12, pp $\sqrt{s} = 7$ TeV
proton like-sign pairs



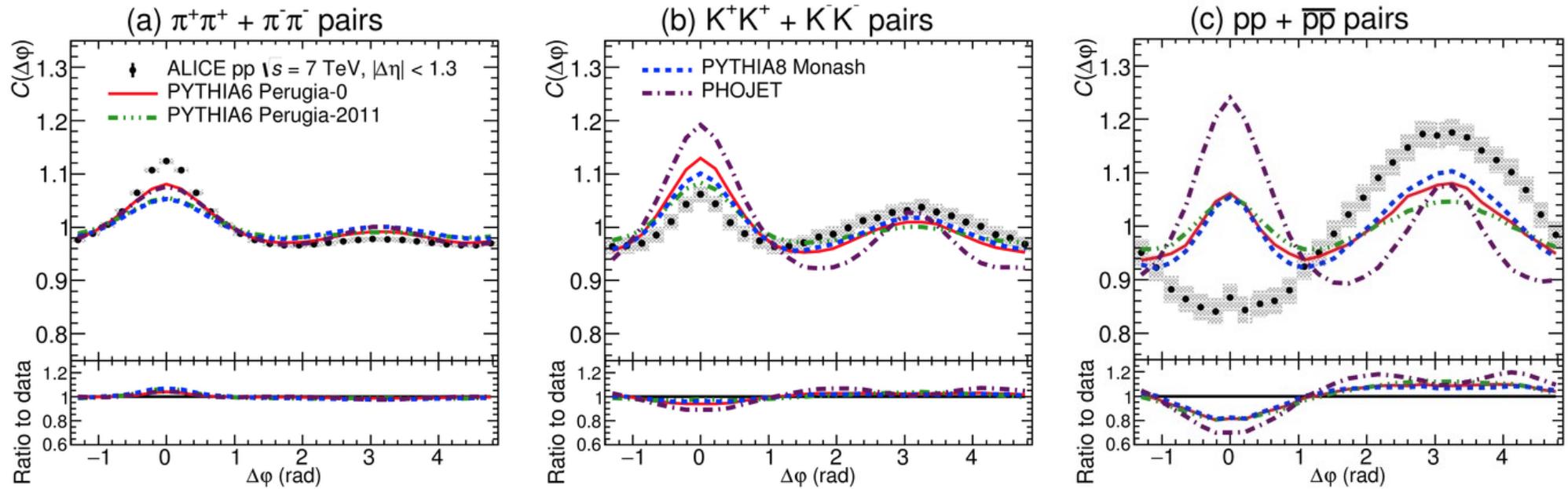
(g) pp + $\bar{p}\bar{p}$



*None of common MC
models reproduces
ALICE data!*

Comparison to MC models: like-sign

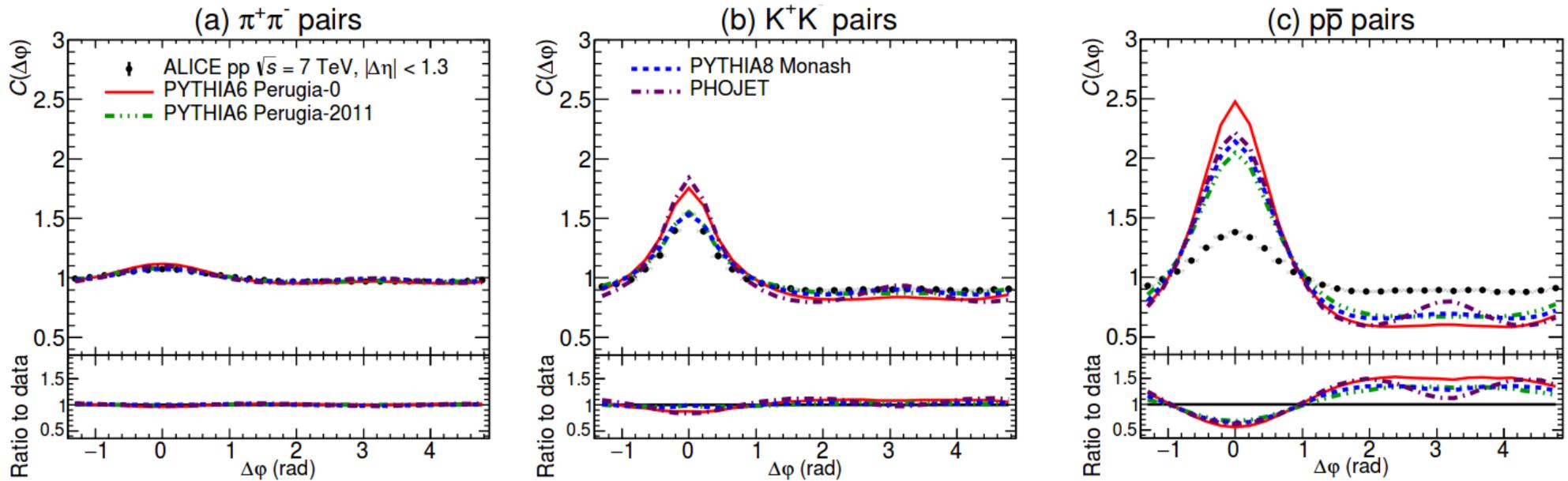
arXiv:1612.08975



- The models reproduce reasonably well the angular correlations for mesons
- The models fail to reproduce the results for baryons – apparently they produce 2 baryons close in the phase space
- **These results argue against the hypothesis that the combination of energy and baryon-number conservation is enough to explain the anti-correlation, since both local conservation laws are implemented in all studied models**

Comparison to MC models: unlike-sign

arXiv:1612.08975



- The models reproduce reasonably well the angular correlations for mesons
- The models fail to reproduce the results for baryons – apparently they produce 2 baryons close in the phase space, also baryon-antibaryon pairs have 2 x the magnitude for MC
- **These results argue against the hypothesis that the combination of energy and baryon-number conservation is enough to explain the anti-correlation, since both local conservation laws are implemented in all studied models**

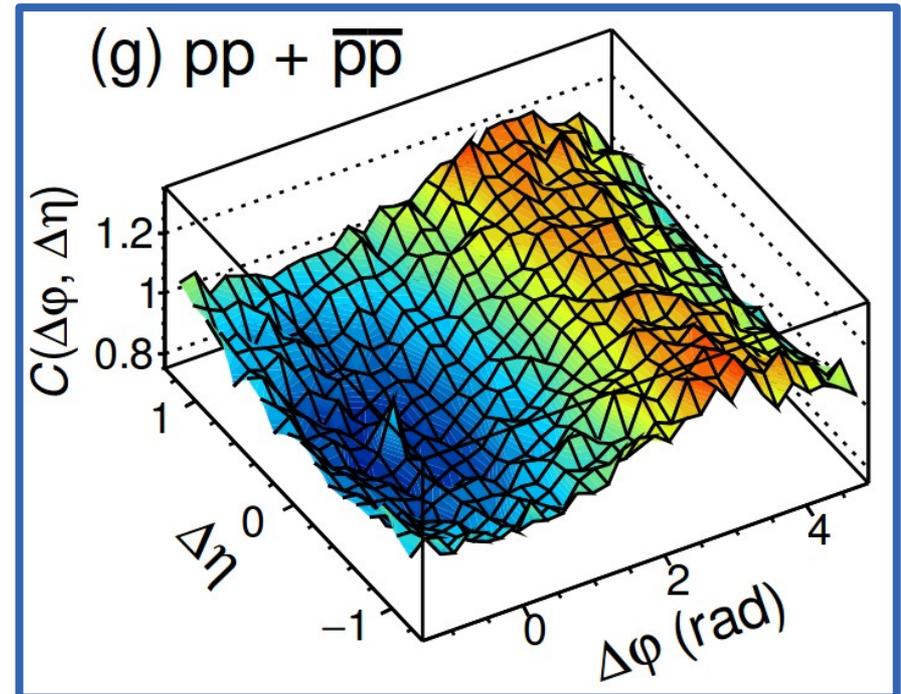
Possible explanations

Not likely (checked with MC):

- Depletion is a simple manifestation of “local” baryon number conservation and energy conservation
 - Production of 2 baryons in a single mini-jet would be suppressed if the initial parton energy is small when compared to the energy required to produce 4 baryons in total (2 in the same mini-jet + 2 anti-particles) – fine at 29 GeV, but why at 7 TeV?!

Other possible explanations:

- Too small pT range?
- Coulomb repulsion?
- Other baryons?
- Fermi-Dirac Quantum Statistics?



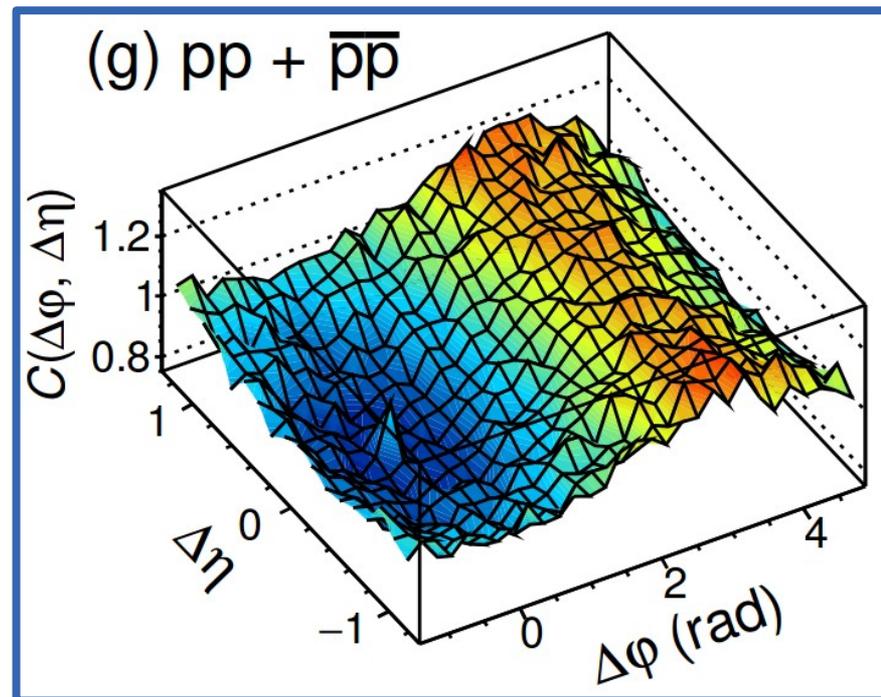
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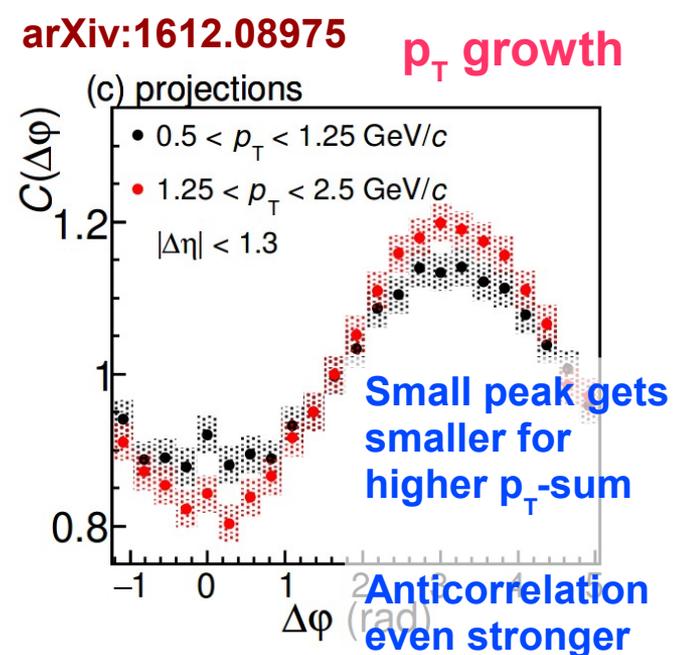
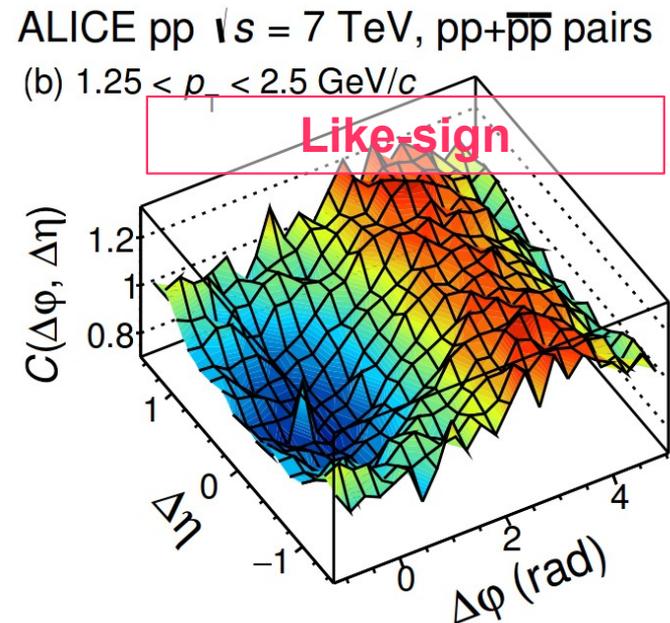
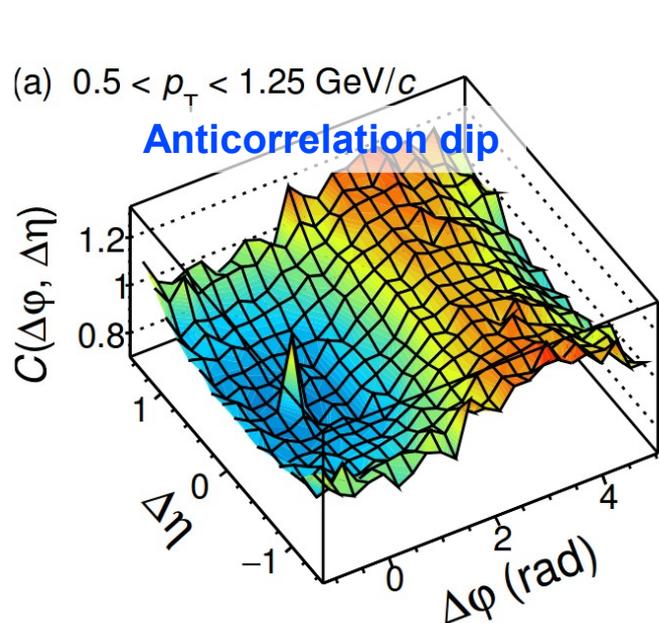
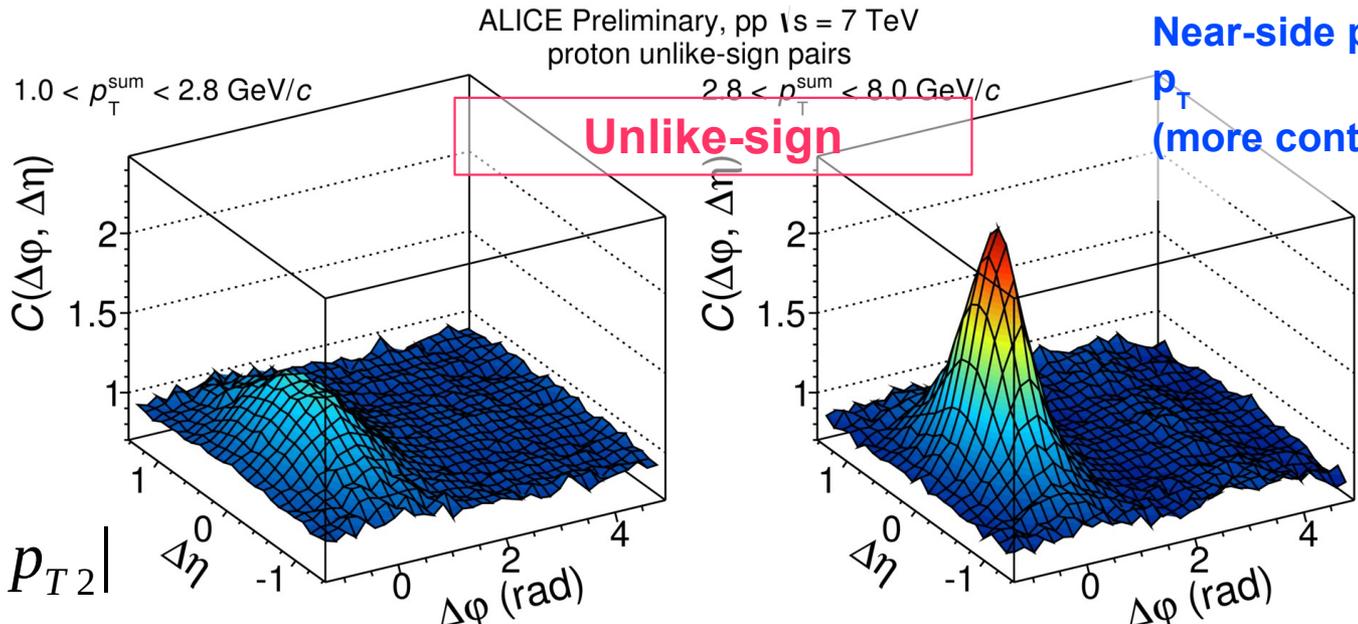
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- **Fermi-Dirac Quantum Statistics?**



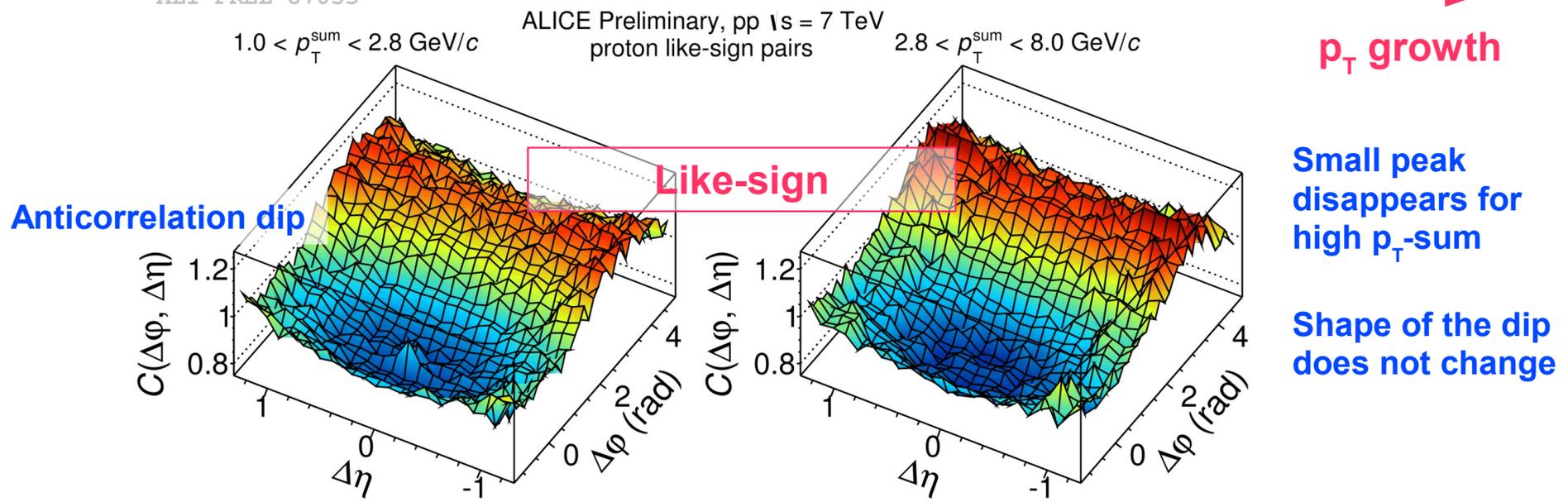
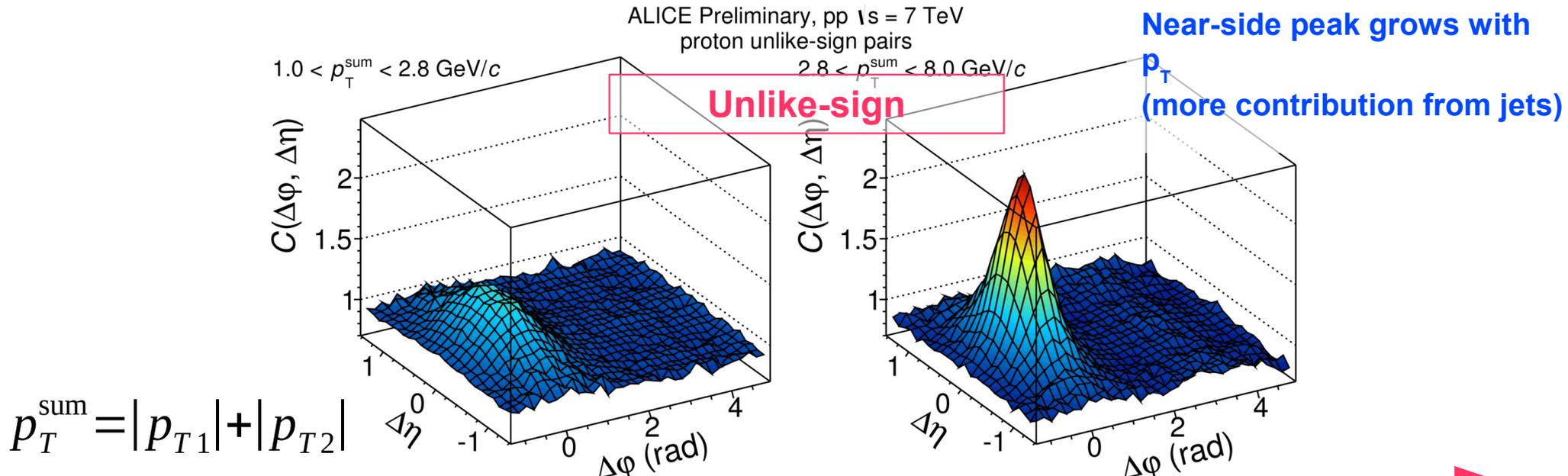
Protons

$$p_{Tsum} = |\vec{p}_{T1}| + |\vec{p}_{T2}|$$



Protons

$$p_{Tsum} = |\vec{p}_{T1}| + |\vec{p}_{T2}|$$



ALI-PREL-87049

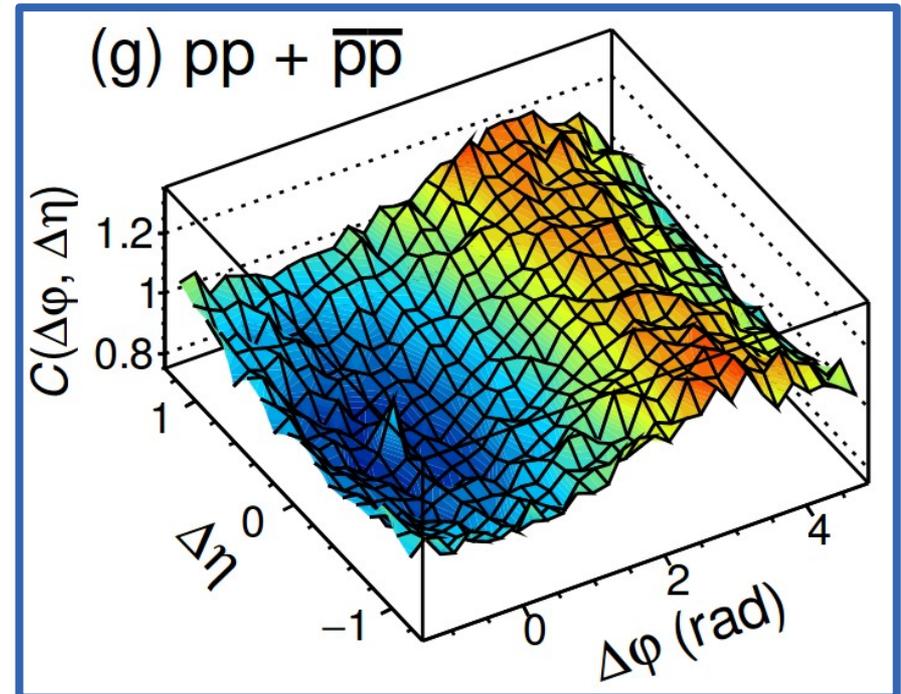
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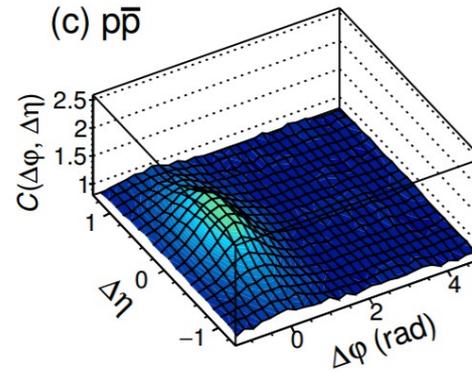
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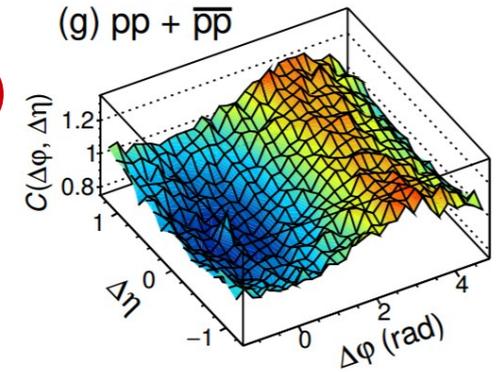


Other baryons?

- Useful to check if effect persists for other baryons than protons – is this a common effect for all baryons?



p



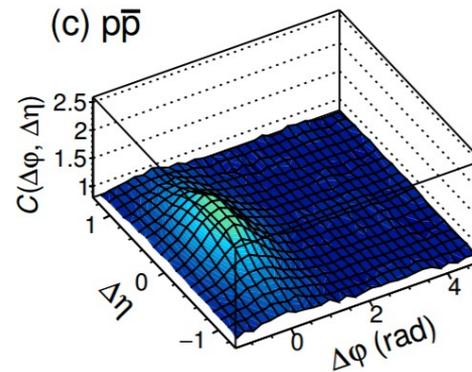
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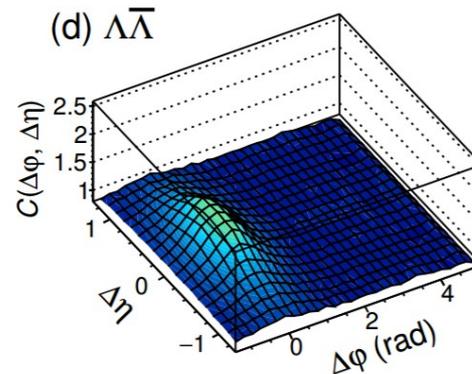
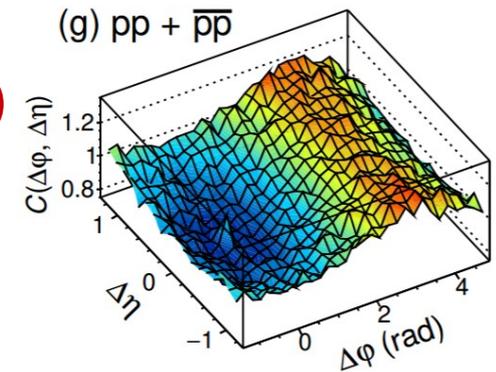
- Correlation functions were calculated for lambda hiperons

- **All observations from pp can be extended to $\Lambda\Lambda$**

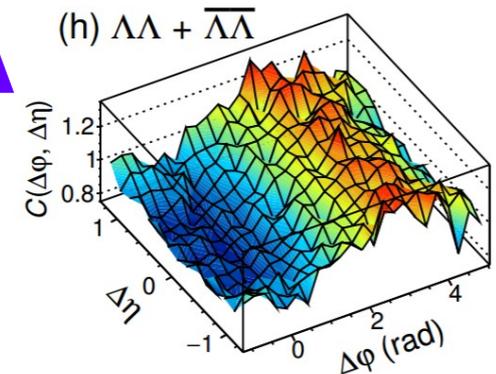
- Since Λ baryons are neutral, we are sure that effects of Coulomb repulsion plays marginal role



p



Λ



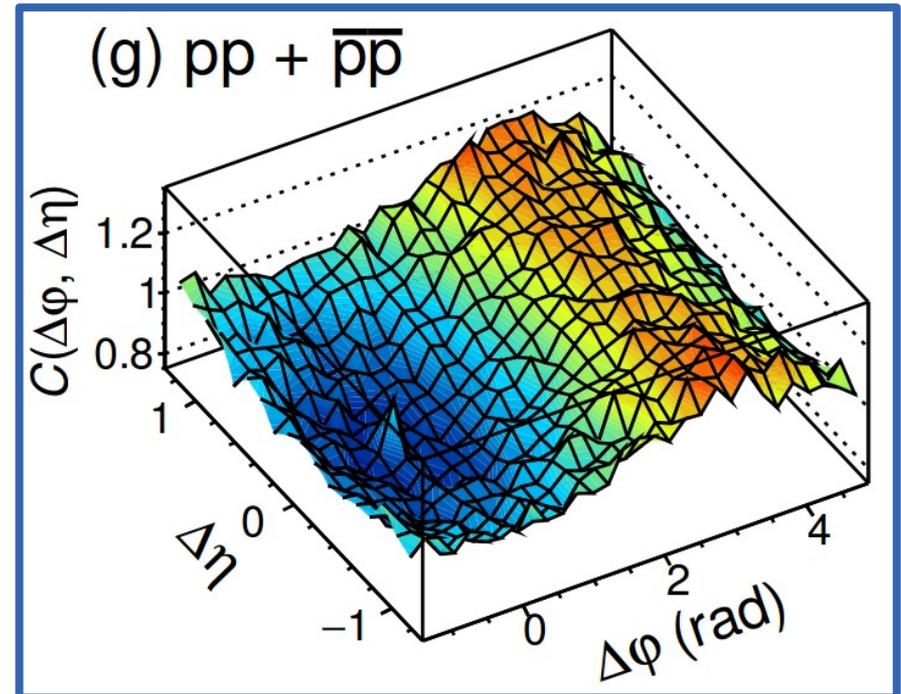
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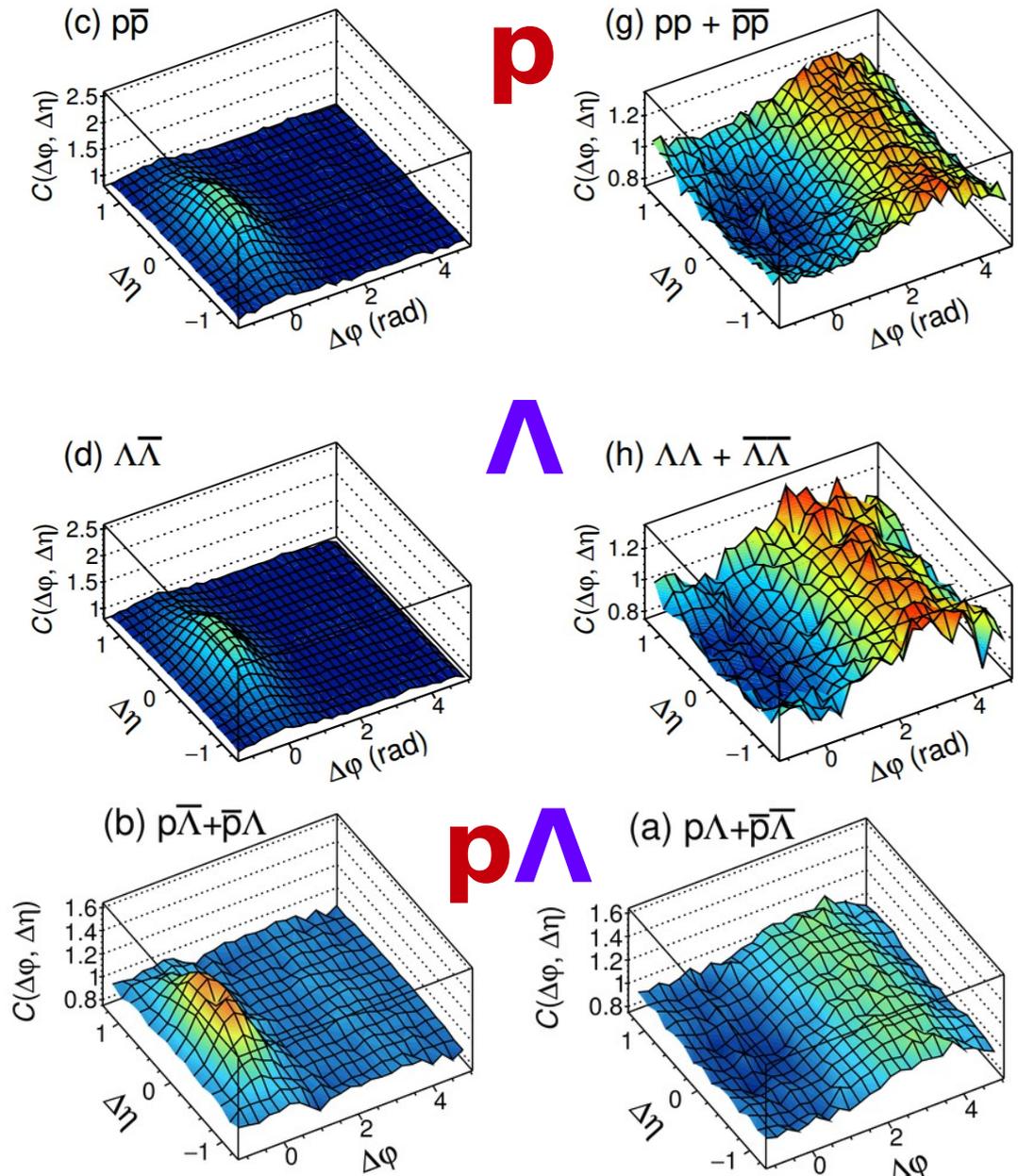
Other possible explanations:

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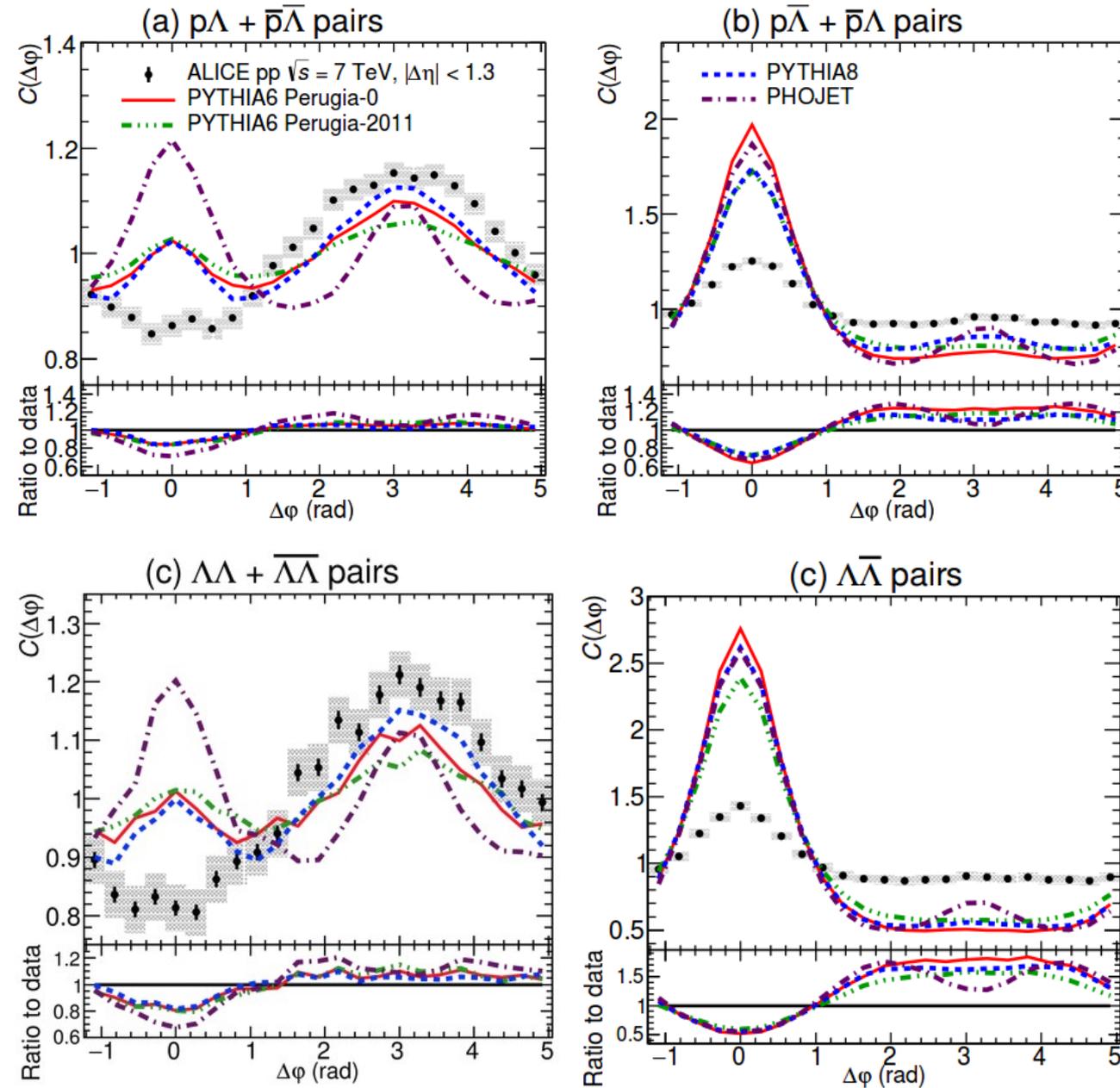
pΛ correlation functions

- Useful to check if effect persists for other baryons than protons – is this a common effect for all baryons?
- Correlation functions were calculated for non-identical proton-lambda pairs
- **All observations from pp and ΛΛ can be extended to pΛ**
- Since p and Λ are not identical particles, we are sure that effects of Fermi-Dirac quantum statistics play marginal role



Comparison to MC models

arXiv:1612.08975



• The models fail to reproduce the results for baryons for all pair combinations

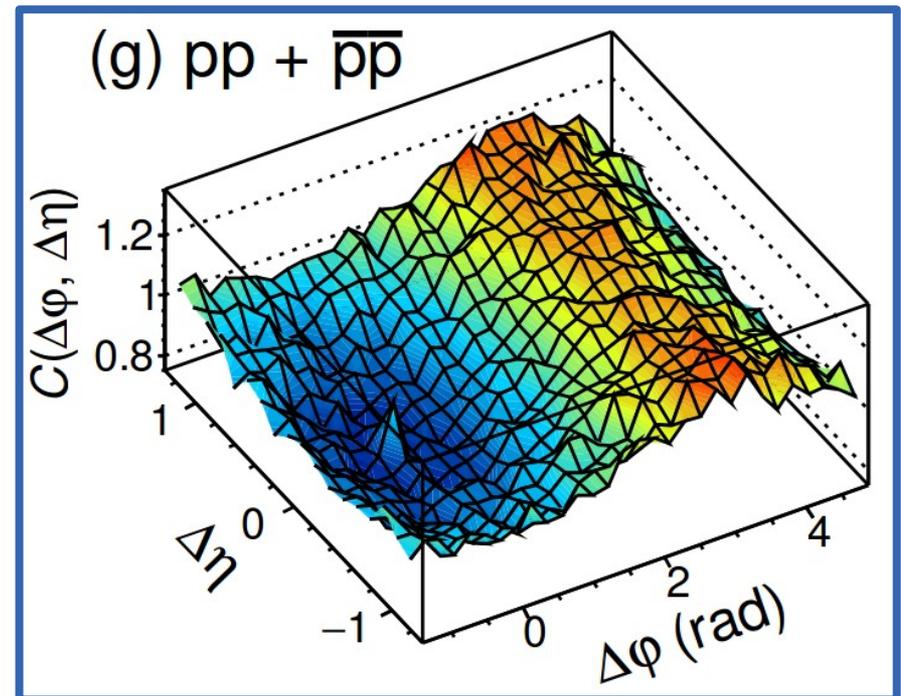
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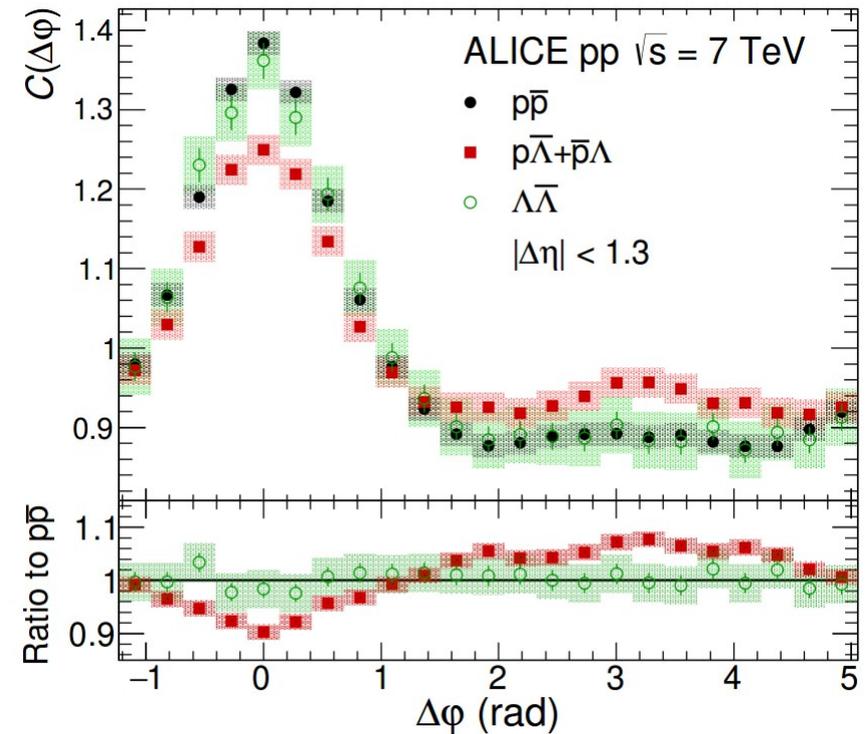
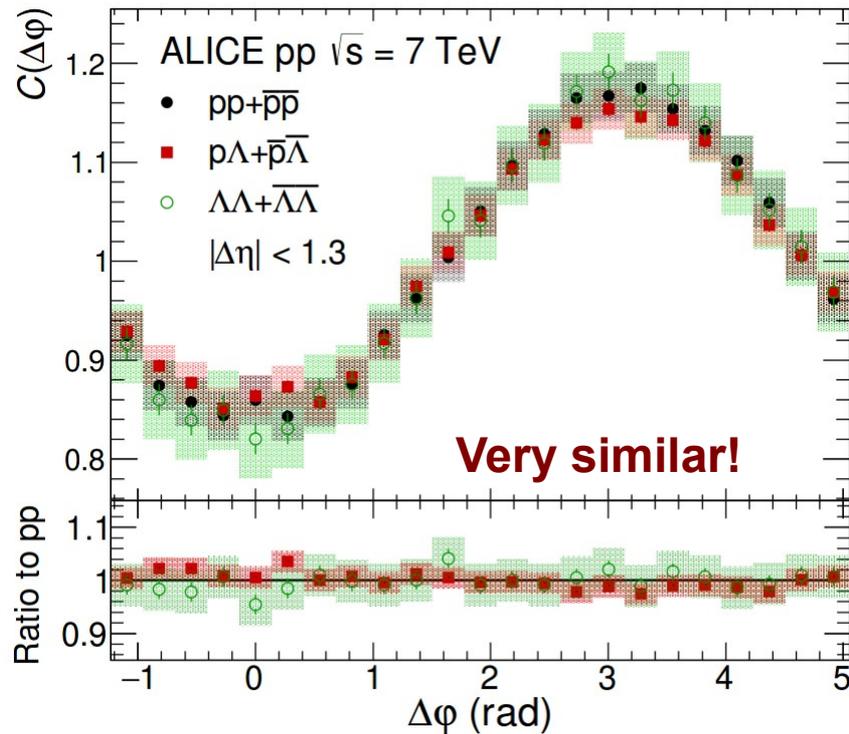
Other possible explanations:

- ~~Too small pT range?~~
- ~~Coulomb repulsion?~~
- ~~Other baryons?~~
- ~~Fermi-Dirac Quantum Statistics?~~
- ???



Comparison between pairs

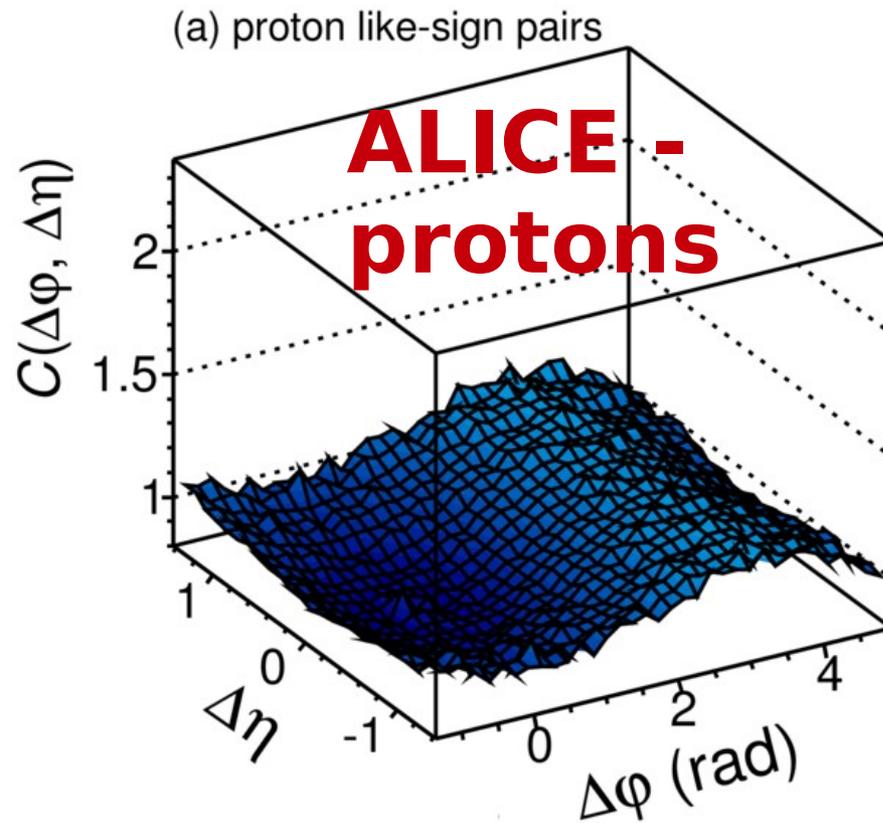
arXiv:1612.08975



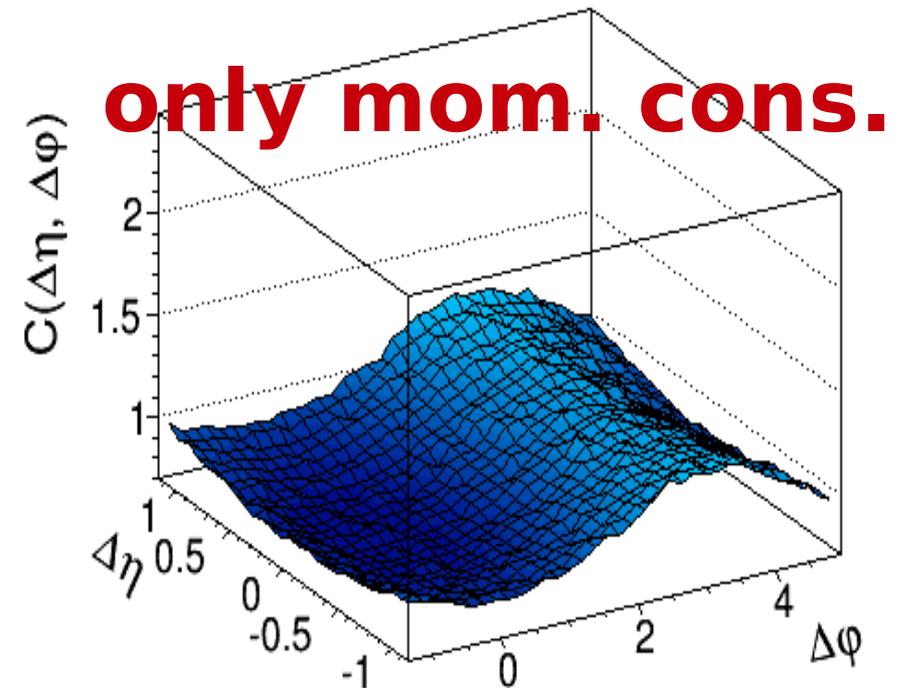
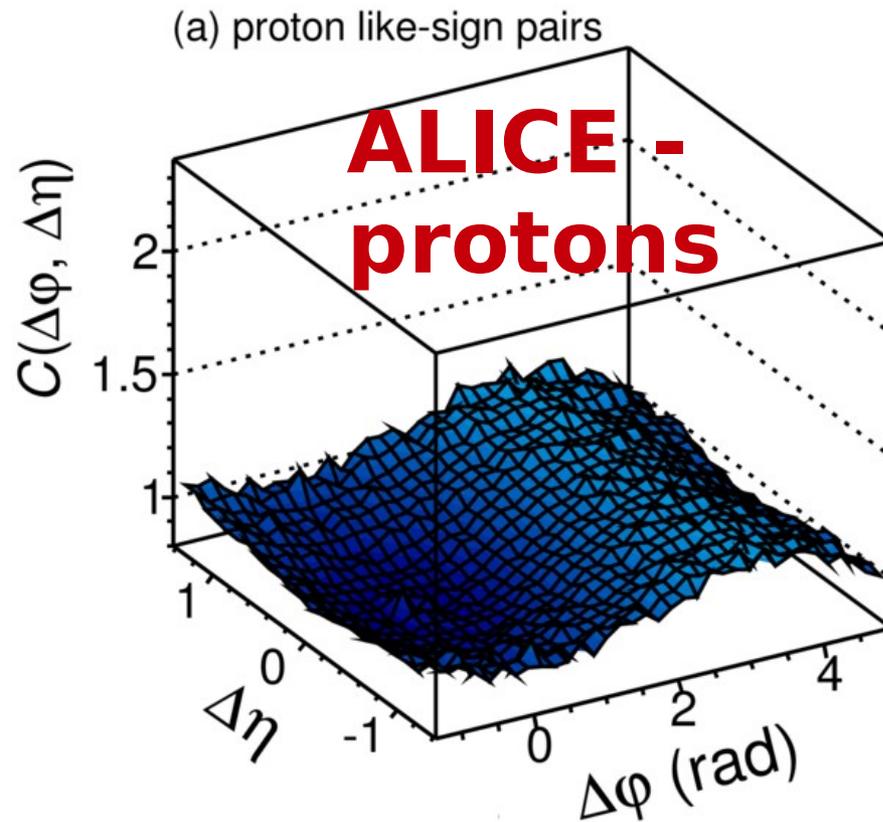
The shape of the correlation function for all studied baryon–baryon pairs is similar, regardless of particles' electric charge.

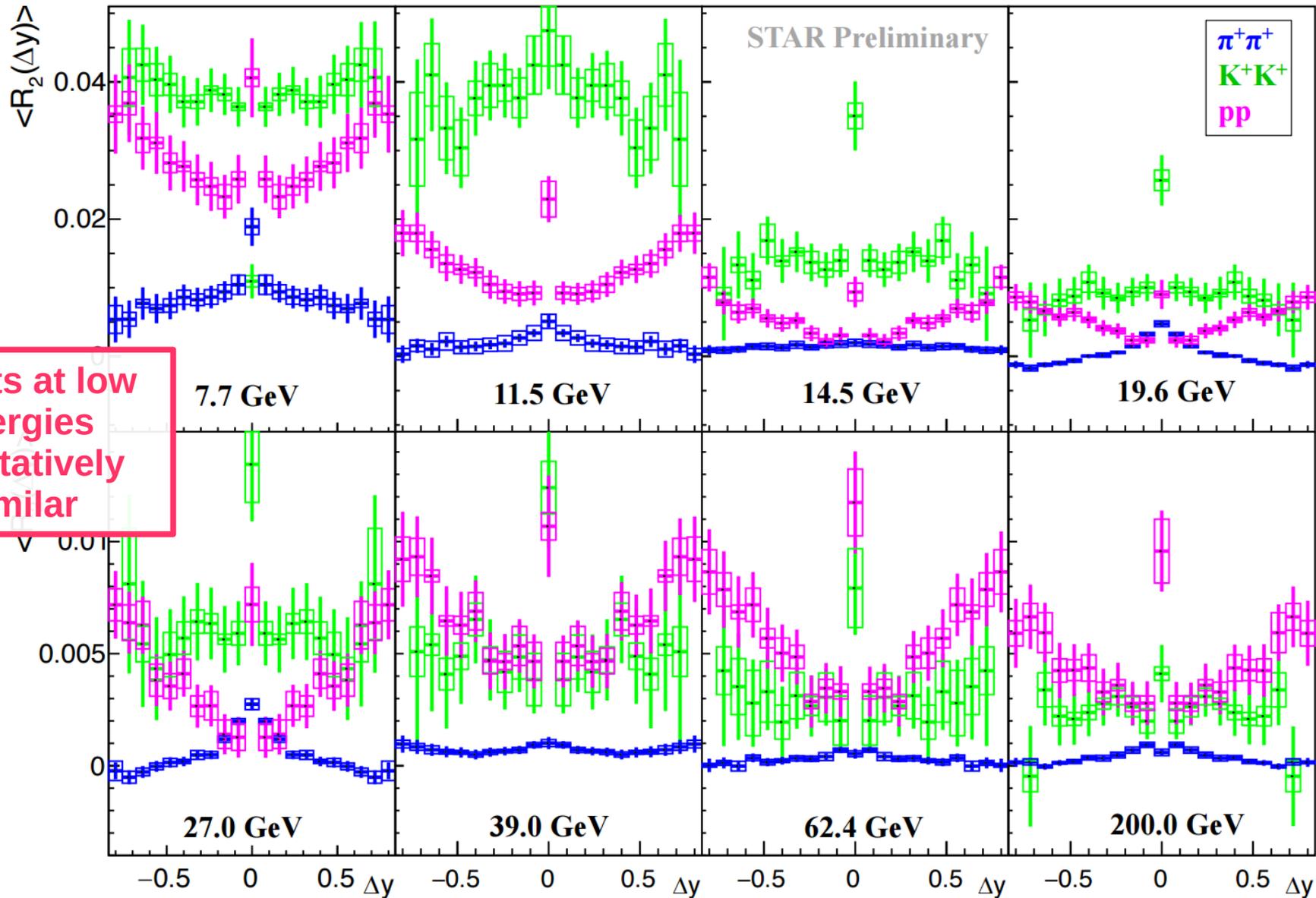
The depression is a characteristic attribute connected solely to the baryonic nature of a particle.

$\Delta\eta\Delta\phi$ of identified particles of pp collisions



$\Delta\eta\Delta\phi$ of identified particles of pp collisions





Minima in $\langle R_2 \rangle$ of protons around $\Delta y=0$ at all beam energies

Point at $\Delta y=0$ reflects combination of SRC and the removal of track merging effects



Summary

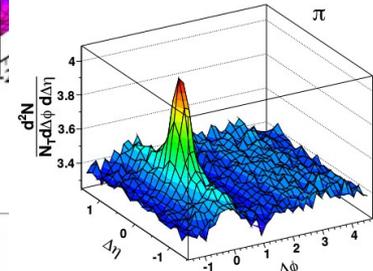
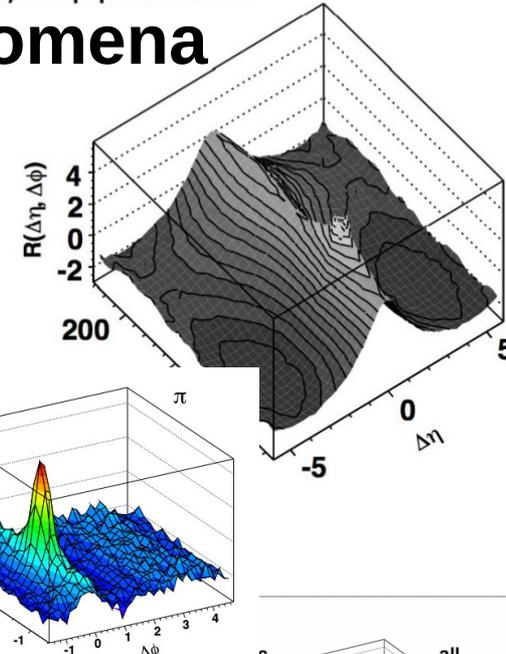
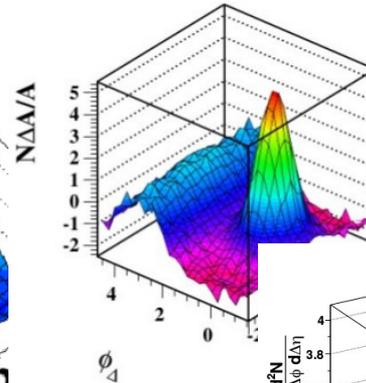
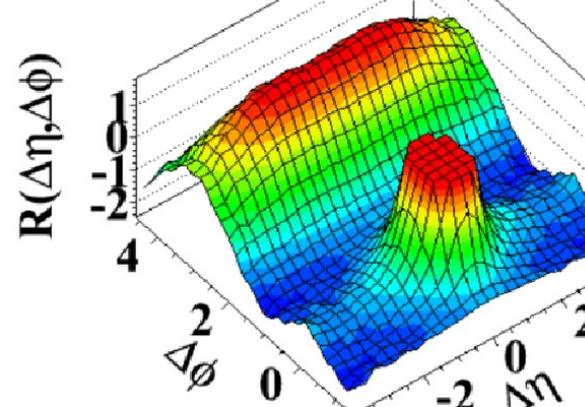
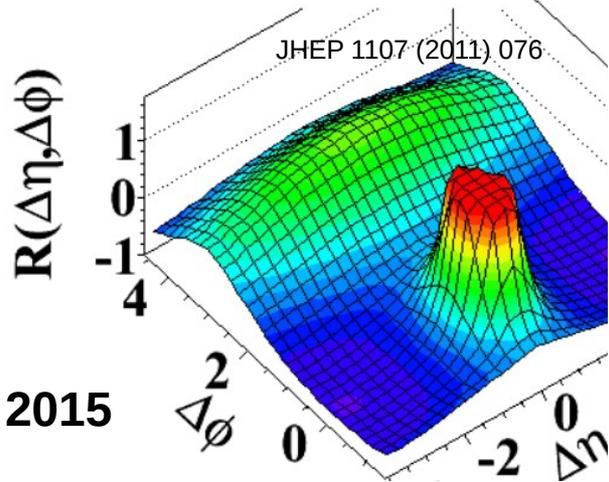
2007

- Allow to study wide range of physics phenomena

b) final p+p data 410 GeV

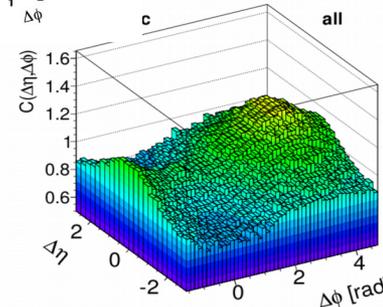
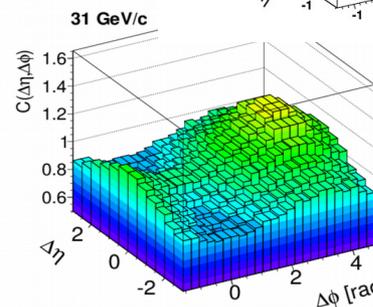
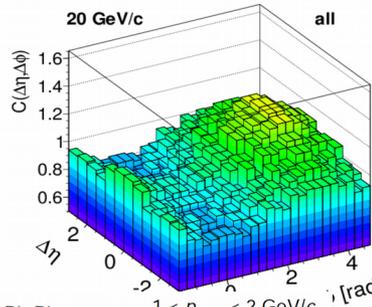
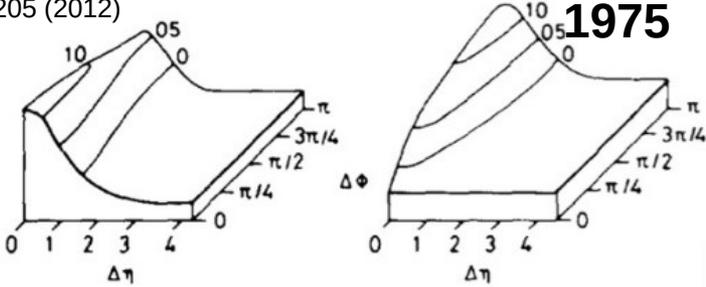
(b) MinBias, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

(d) $N > 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$



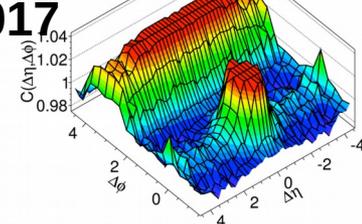
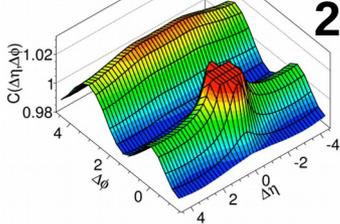
2015

JHEP 1205 (2012) 157



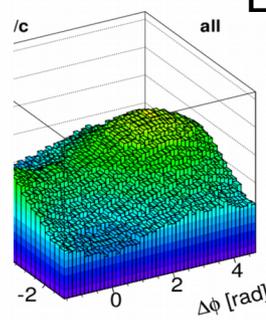
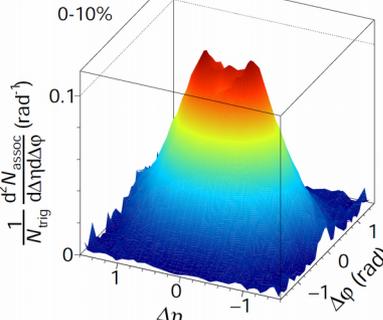
ATLAS Preliminary p+Pb $0.5 < p_T^{p,d} < 5 \text{ GeV}$
 $\sqrt{s_{NN}} = 8.16 \text{ TeV}$, 171 nb^{-1}
 $200 \leq N_{ch}^{rec} < 220$
 h-h Correlations

ATLAS Preliminary p+Pb $0.5 < p_T^{\mu} < 5 \text{ GeV}$
 $\sqrt{s_{NN}} = 8.16 \text{ TeV}$, 171 nb^{-1}
 $4 < p_T^{\mu} < 4.5 \text{ GeV}$
 $N_{ch}^{rec} \geq 200$
 h-μ Correlations

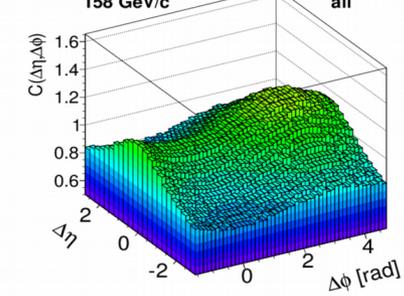


2017

ALICE, Pb-Pb $\sqrt{s_{NN}} = 2.76 \text{ TeV}$
 0-10%
 $1 < p_{T, \text{trig}} < 2 \text{ GeV}/c$
 $1 < p_{T, \text{assoc}} < 2 \text{ GeV}/c$



Eur. Phys. J. C77, 59 (2017)



Phys. Lett. B 753 (2016) 126-139

Summary

- Allow to study wide range of physics phenomena
- Helped to establish current understanding of HI physics

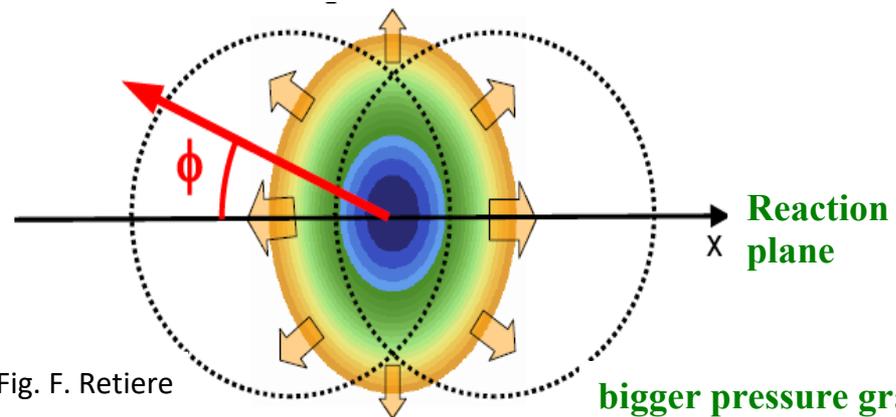
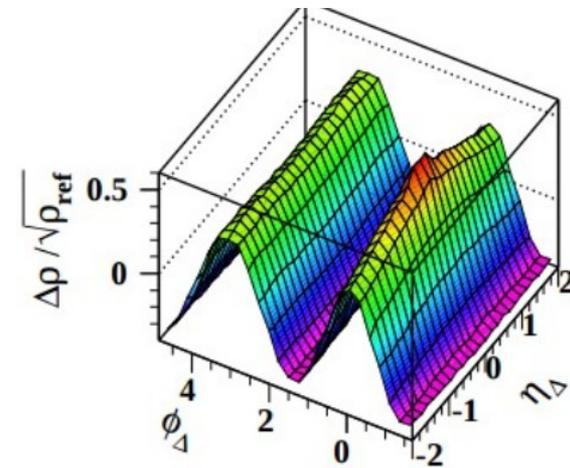
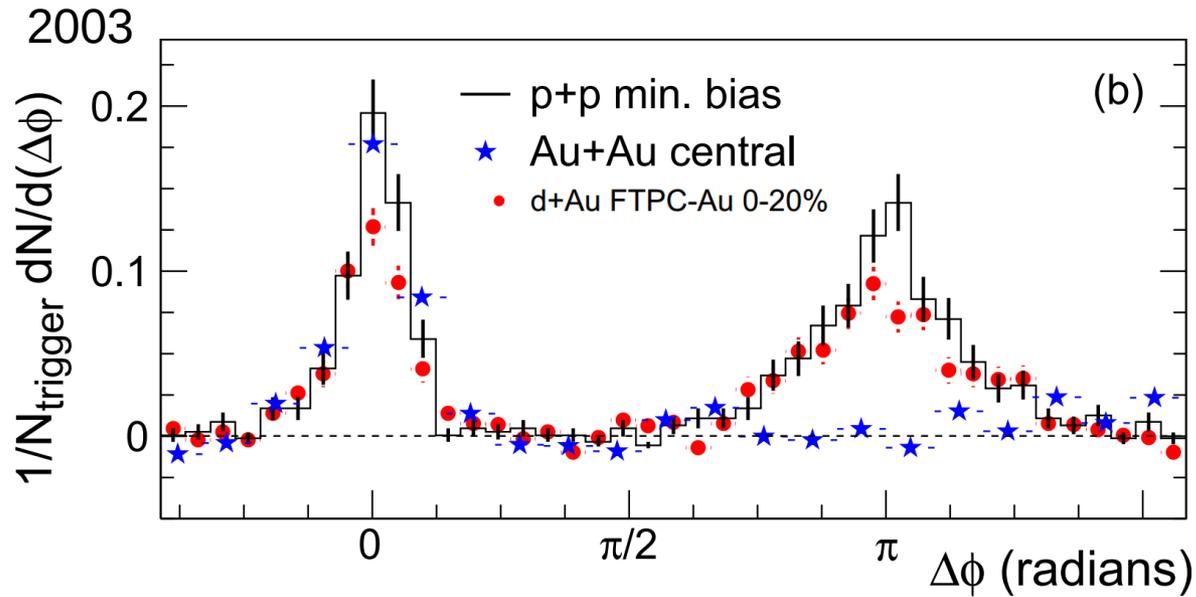


Fig. F. Retiere

**bigger pressure gradients
in-plane than out-of-plane**

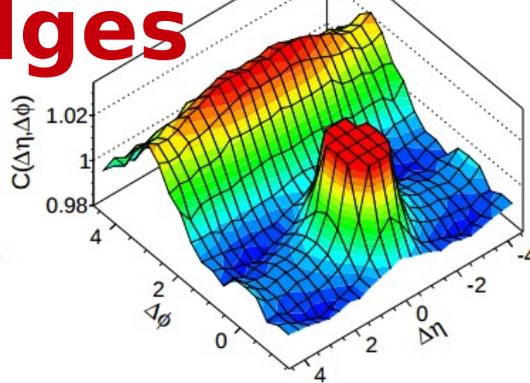
Summary

- Allow to study wide range of physics phenomena
- Helped to establish current understanding of HI physics
- Still new mysteries to solve

CMS $N \geq 110, 1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

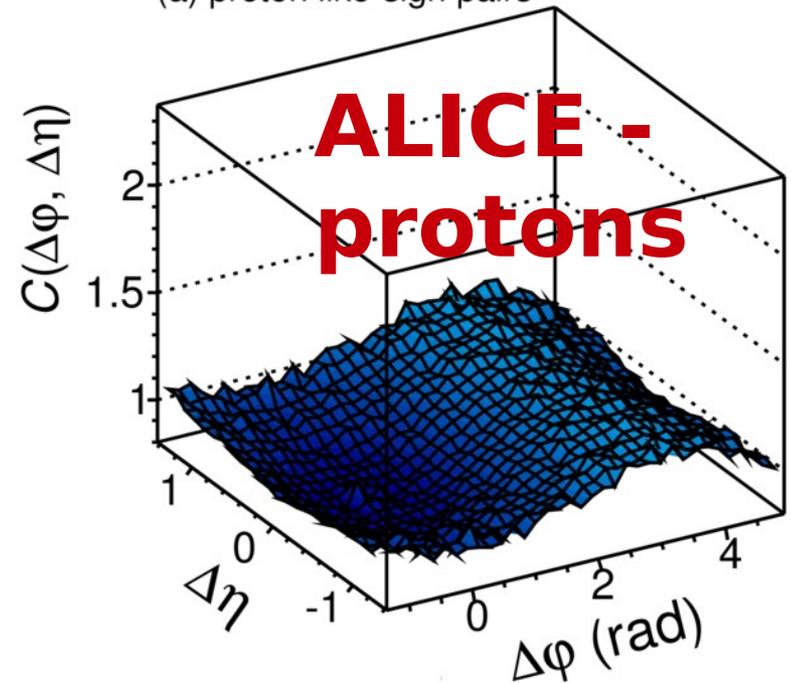
Ridges

ATLAS $\sqrt{s}=13 \text{ TeV}$
 $0.5 < p_T^{a,b} < 5.0 \text{ GeV}$
 $N_{ch}^{rec} \geq 120$

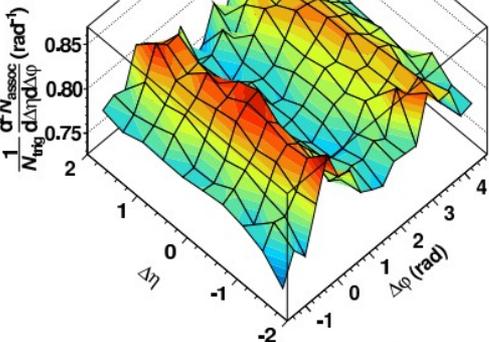


(a) proton like-sign pairs

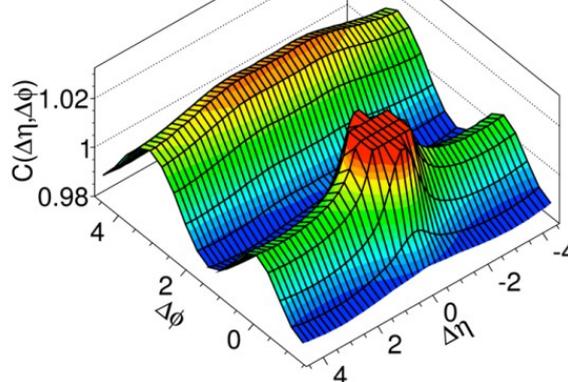
ALICE - protons



ALICE



ATLAS Preliminary $p+Pb$ $0.5 < p_T^{a,b} < 5 \text{ GeV}$
 $\sqrt{s_{NN}}=8.16 \text{ TeV}, 171 \text{ nb}$ **h-h** $200 \leq N_{ch}^{rec} < 220$
 h-h Correlations



Backup

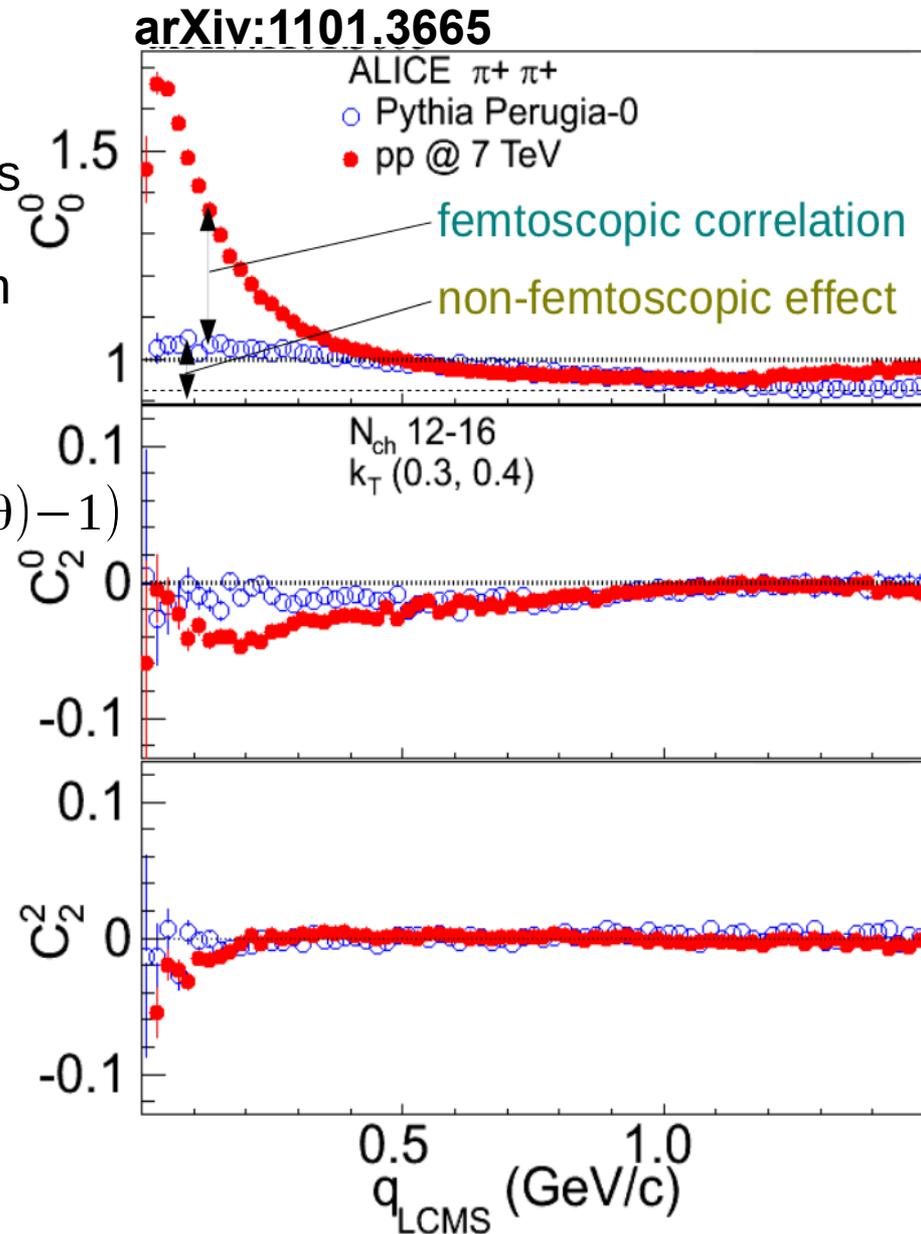
How we can use it?
Background for femtoscopy

Baseline of the CF

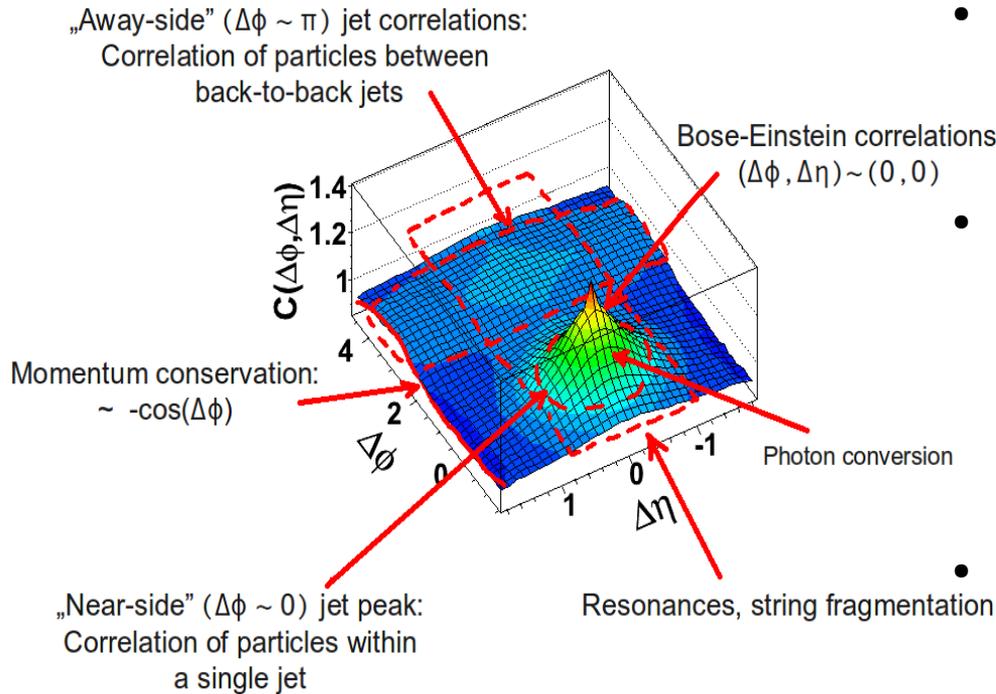
- Non-flat baseline is clearly seen in the experimental data.
- The baseline is described well by the MC models (in this case *Pythia Perugia-0*) – the correlation grows with increasing k_T . Parameterization taken from the MC (data-driven functional form):

$$B(\vec{q}) = A_h \exp(-|\vec{q}|^2 A_w^2) + B_h \exp\left(\frac{-\left(|\vec{q}| - B_m\right)^2}{2 B_w^2}\right) (3 \cos^2(\theta) - 1)$$

- Two competitive explanations (minijets, hydro): Akkelin, Sinyukov [arXiv:1106.5120](#).



$\Delta\eta\Delta\phi$ angular correlations



- Minijets are usually studied using two-particle correlations in $\Delta\eta\Delta\phi$ coordinates.
- To test the “minijet” origin hypothesis of the non-femtoscopic background we employed the $\Delta\eta\Delta\phi$ un-triggered angular correlations
- There is a direct connection between $\Delta\eta, \Delta\phi$ and the q_{inv} momentum components:

$$q_{out} \sim p_{T,1} - p_{T,2}$$

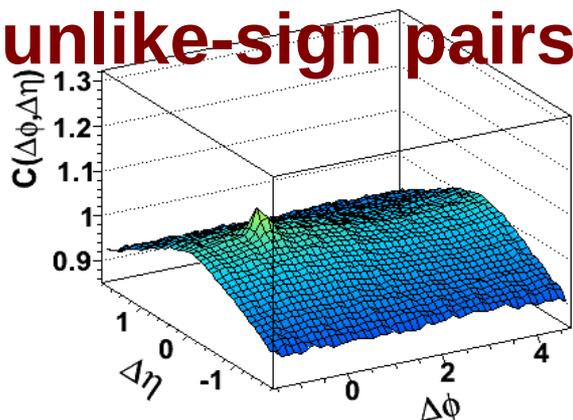
$$q_{side} \sim (p_{T,1} + p_{T,2}) \Delta\phi$$

$$q_{long} \sim (p_{T,1} + p_{T,2}) \Delta\eta$$
- The femtoscopic effect is located in the so-called near-side peak of the correlation function.
- It is expected to be seen only for like-sign charge pairs, but not for unlike-sign pairs, where only minijets and resonances contribute.

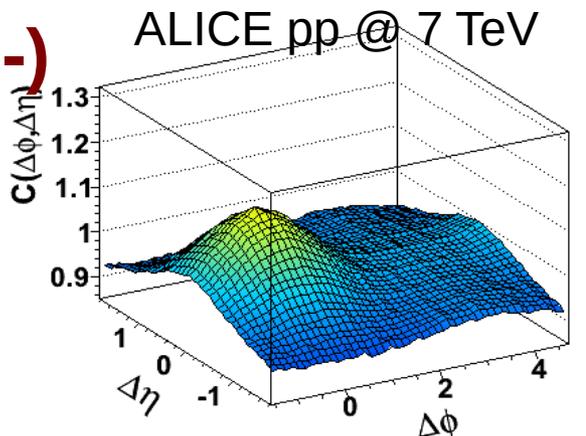
$\Delta\eta\Delta\phi$ angular correlations

No Bose-Einstein correlations
for unlike-sign pairs

unlike-sign pairs (+ -)

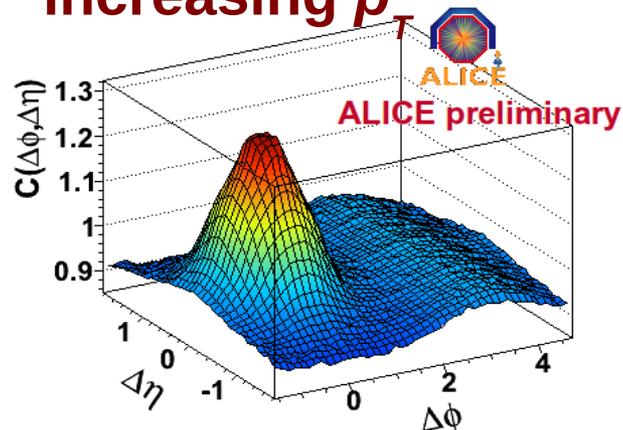


$0 < p_{Tsum} < 0.75 \text{ GeV}/c$



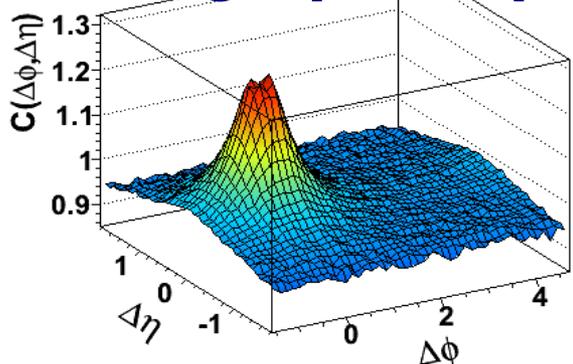
$0.75 < p_{Tsum} < 1.5 \text{ GeV}/c$

Correlations coming from
“minijets” increase with
increasing p_T

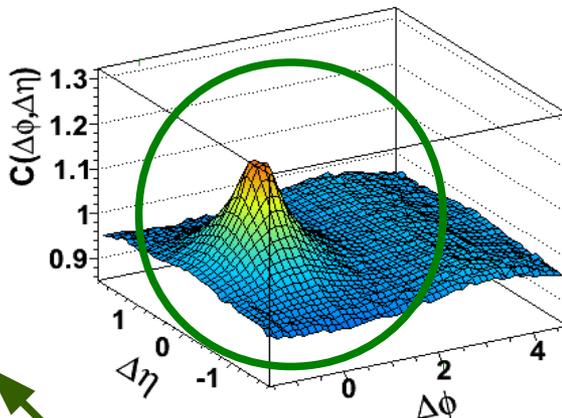


$1.5 < p_{Tsum} < 2.55 \text{ GeV}/c$

like-sign pairs (++)

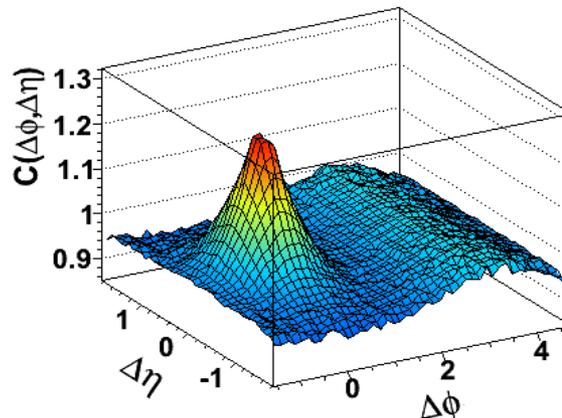


Bose-Einstein
correlations decrease
with increasing p_T



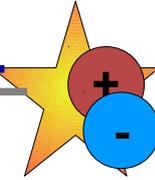
smaller

$$p_{Tsum} = |\vec{p}_{T1}| + |\vec{p}_{T2}|$$

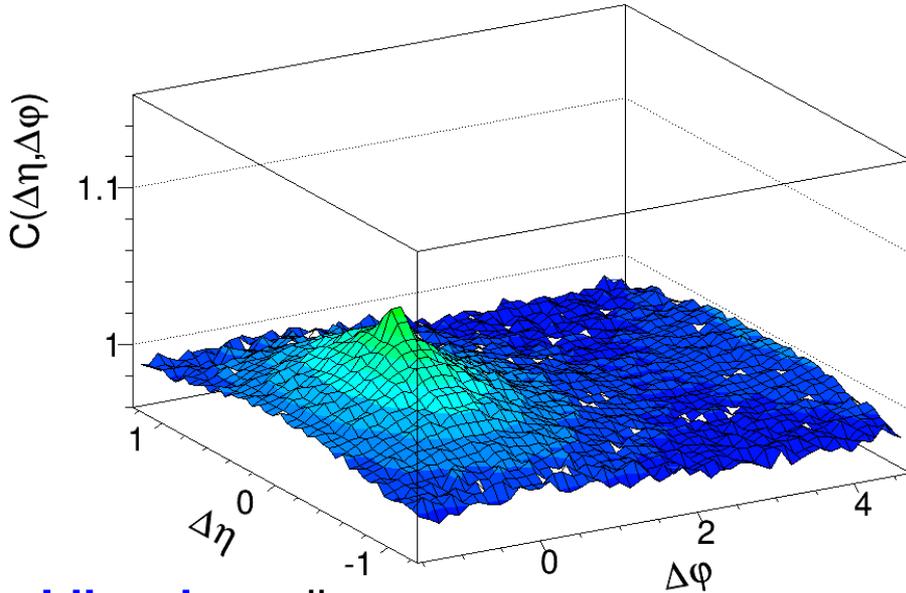


Correlations coming from
“minijets” increase with
increasing p_T also for like-
sign pairs

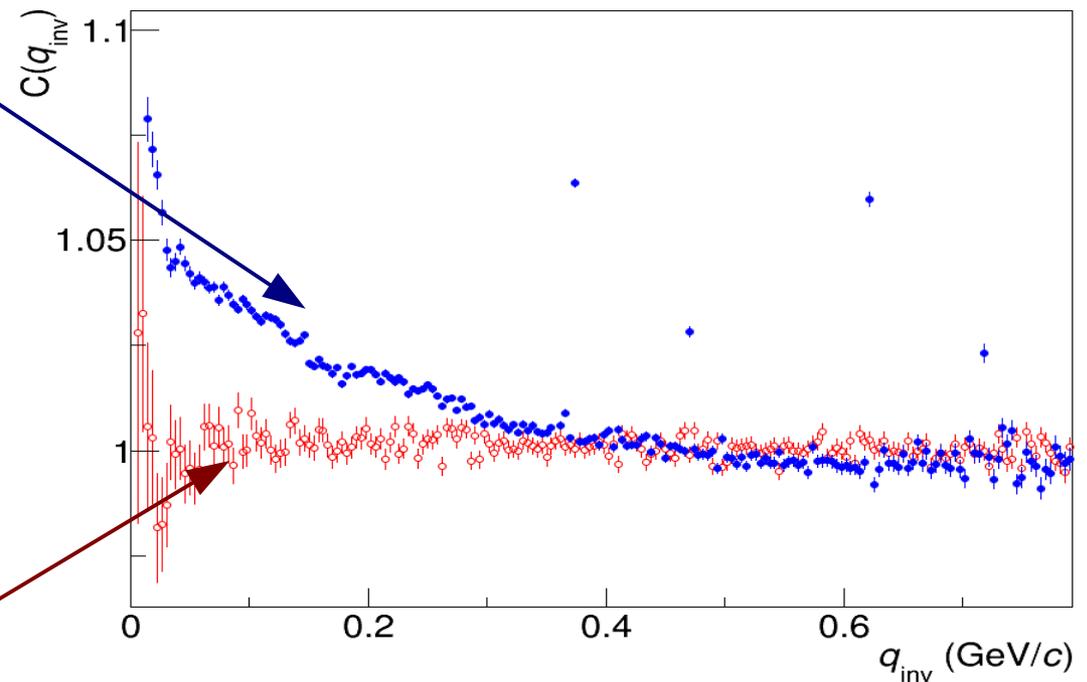
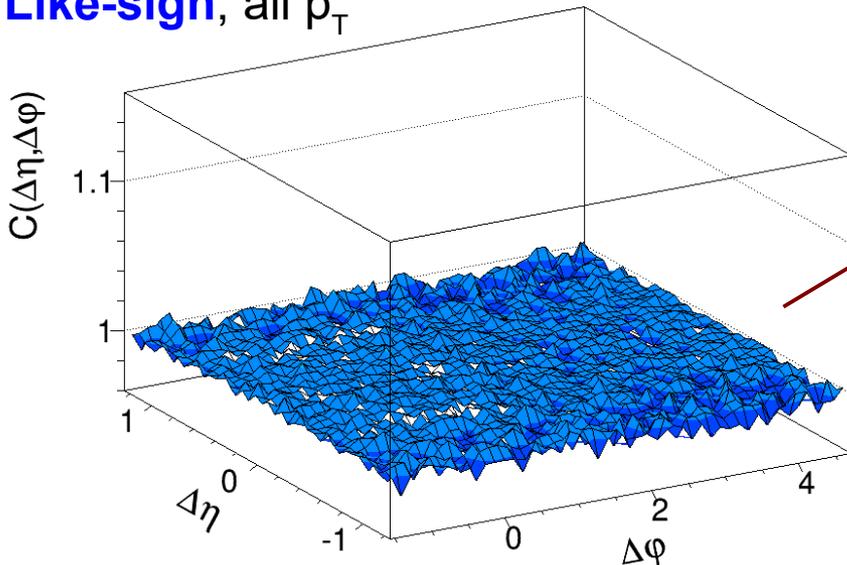
Terminator, background, *balanced like- vs unlike-sign*



Unlike-sign, all p_T



Like-sign, all p_T



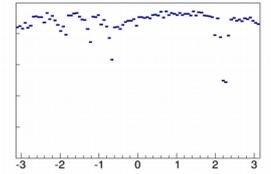
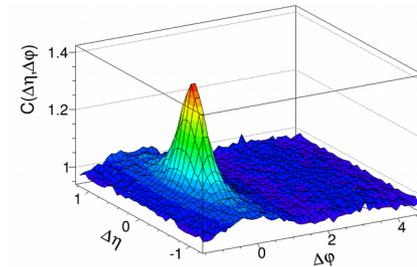
No structures in $\Delta\eta\Delta\phi$ – no structures in q_{inv}

Resonances visible for unlike-sign

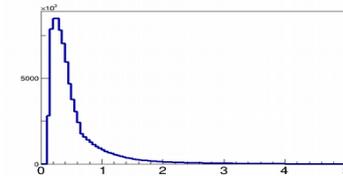
Transformation from $\Delta\eta\Delta\phi$ to q_{inv}

We used the following **Monte Carlo procedure**:

- Generate two random numbers $(\Delta\eta, \Delta\phi)$ with probability according to $\Delta\eta\Delta\phi$ distribution (separately for numerator and denominator)
- Generate random ϕ_1, η_1 from single particle distributions
- Calculate ϕ_2, η_2 of the second particle using $\Delta\eta$ and $\Delta\phi$
- Generate random p_T for those two particles from single particle p_T distribution
- Calculate p_x, p_y and p_z using p_T, ϕ and η
- Calculate q_{inv} from p_x, p_y, p_z



$$\phi_2 = \phi_1 - \Delta\phi$$

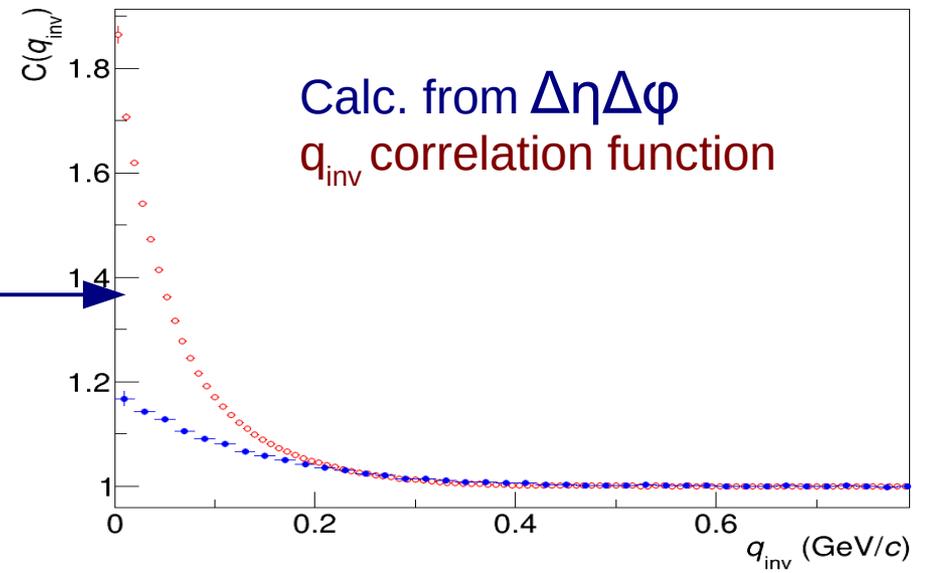
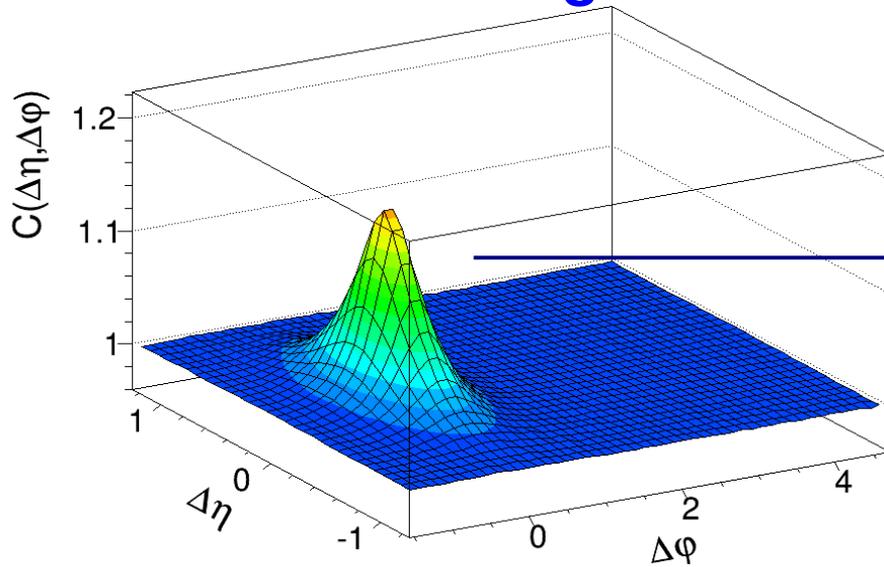


$$\begin{aligned} p_x &= p_T \cos(\phi) \\ p_y &= p_T \sin(\phi) \\ p_z &= p_T \sinh(\eta) \end{aligned}$$

$$q_{inv} = \sqrt{(\Delta E^2 - (\Delta p_x^2 + \Delta p_y^2 + \Delta p_z^2))}$$

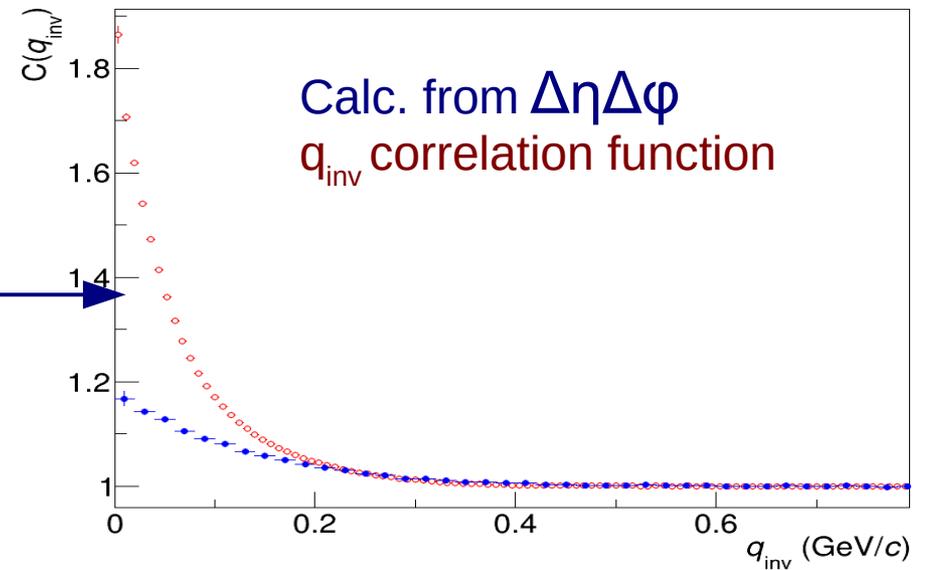
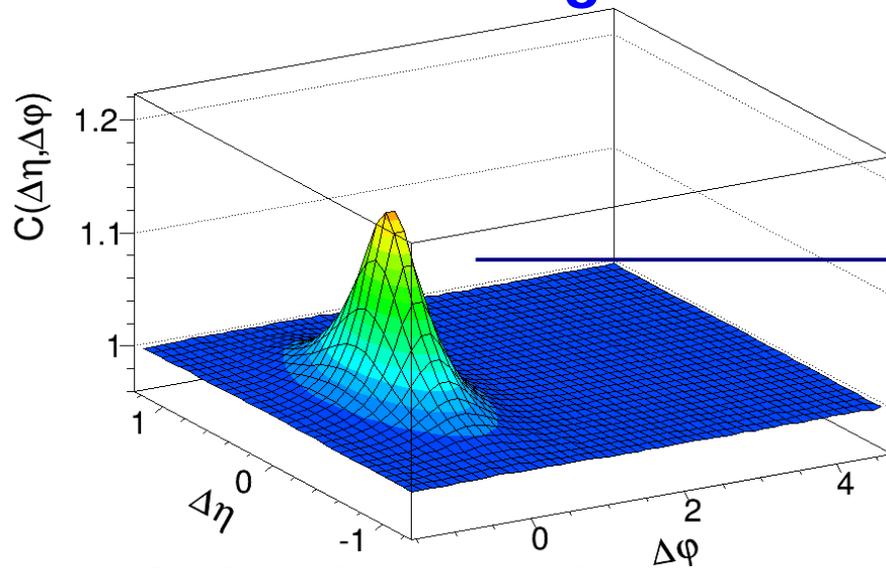
EPOS 3, transformation of $\Delta\eta\Delta\phi$ to q_{inv}

Pure femto weights

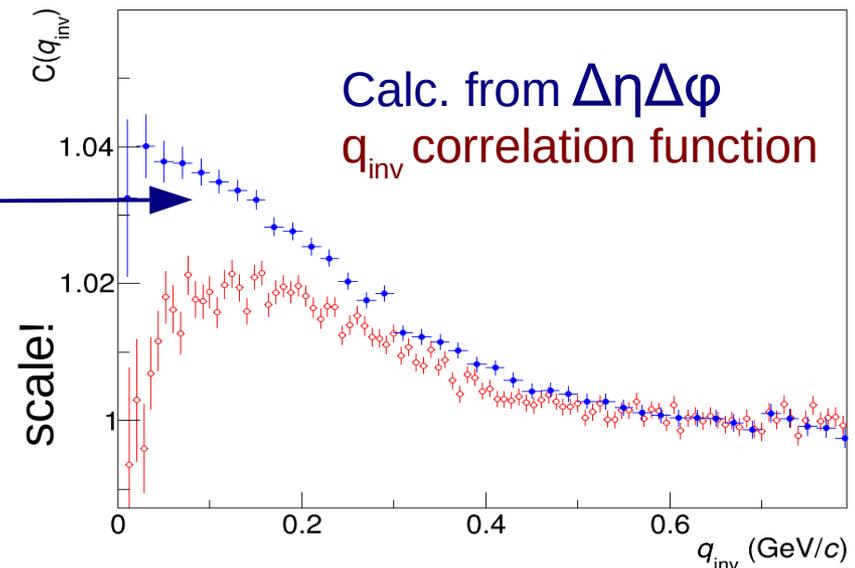
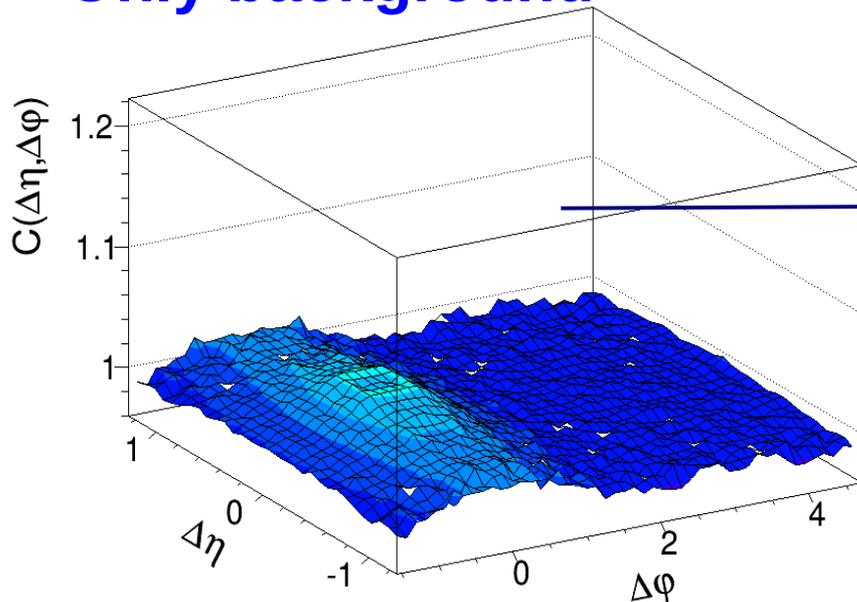


EPOS 3, transformation of $\Delta\eta\Delta\phi$ to q_{inv}

Pure femto weights

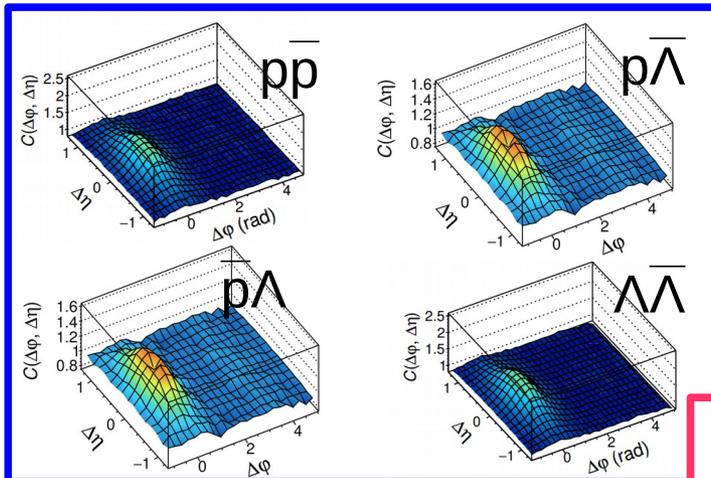


Only background

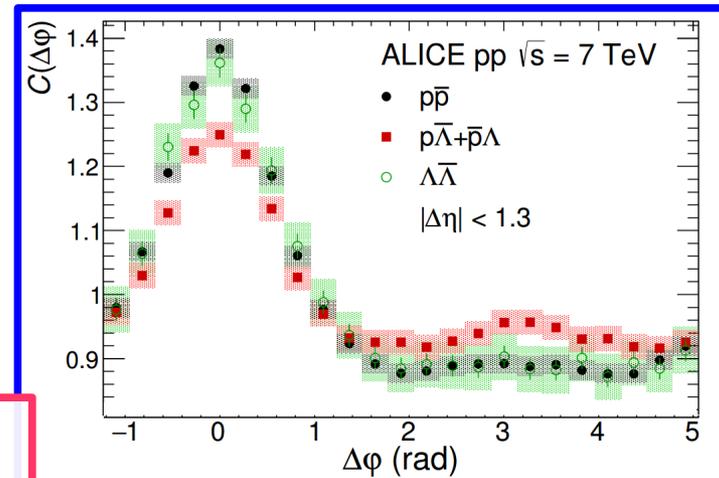


$\Delta\eta\Delta\phi$ of identified particles of pp collisions

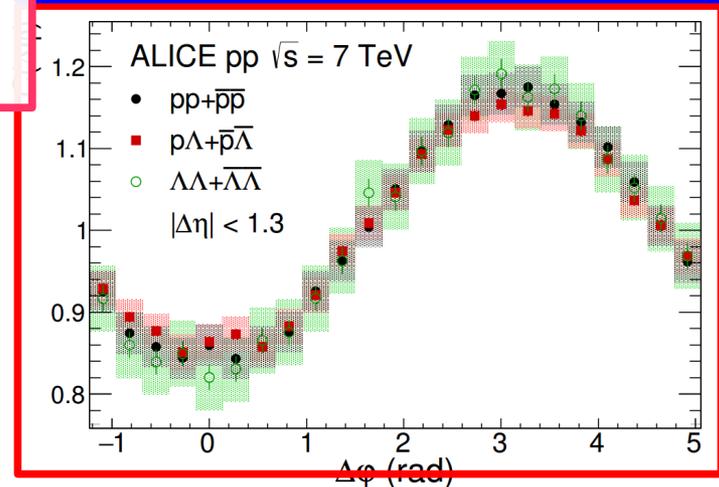
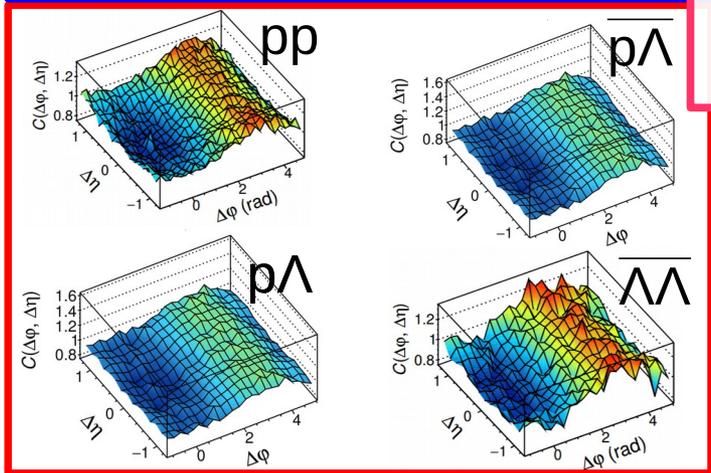
baryon-antibaryon correlation



baryon-antibaryon correlation



common behaviour for all baryons



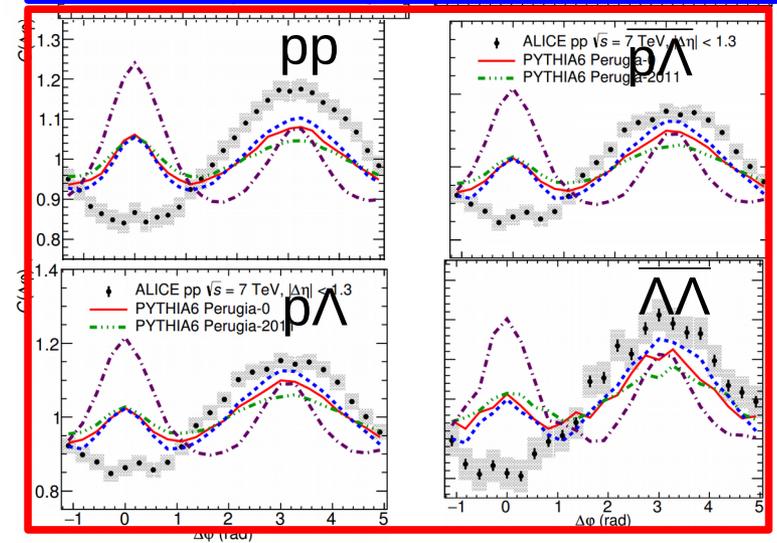
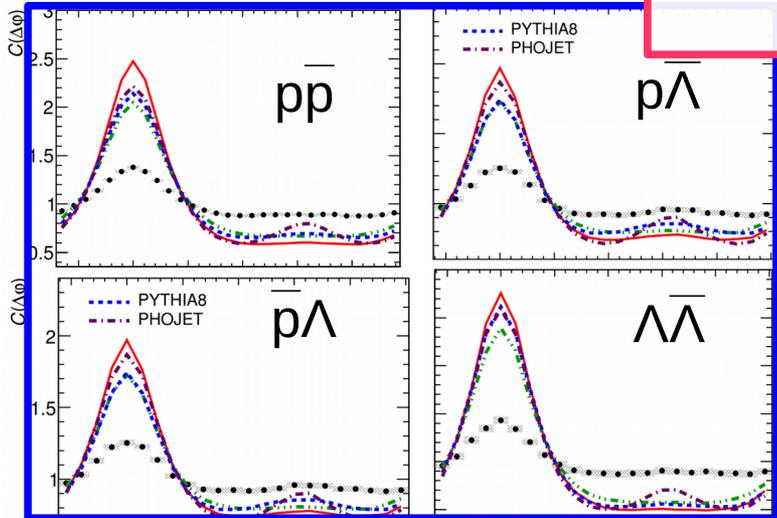
(anti)baryon-(anti)baryon anticorrelation!

(anti)baryon-(anti)baryon anticorrelation!

$\Delta\eta\Delta\phi$ of identified particles of pp collisions

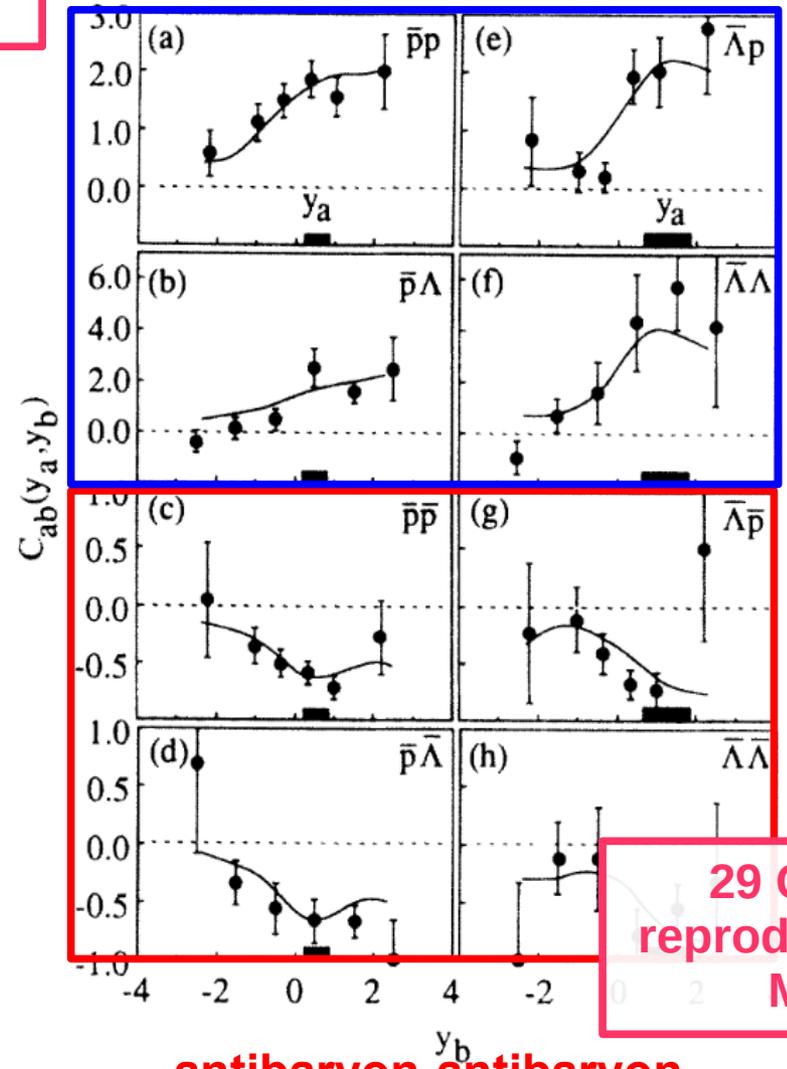
baryon-antibaryon correlation

7 TeV :
not reproduced
by MC



(anti)baryon-(anti)baryon anticorrelation!

baryon-antibaryon correlation



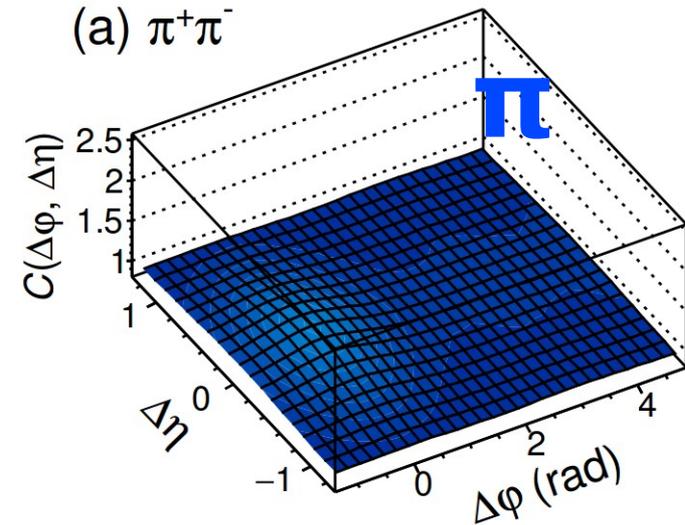
29 GeV :
reproduced by
MC

antibaryon-antibaryon anticorrelation!

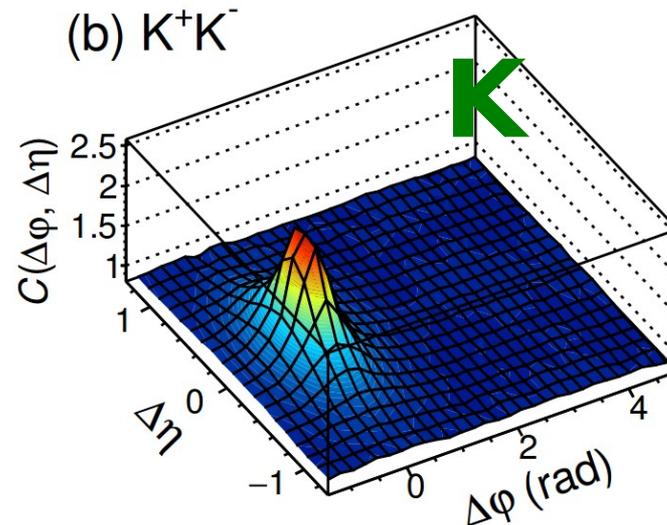
Unlike-sign pairs

arXiv:1612.08975

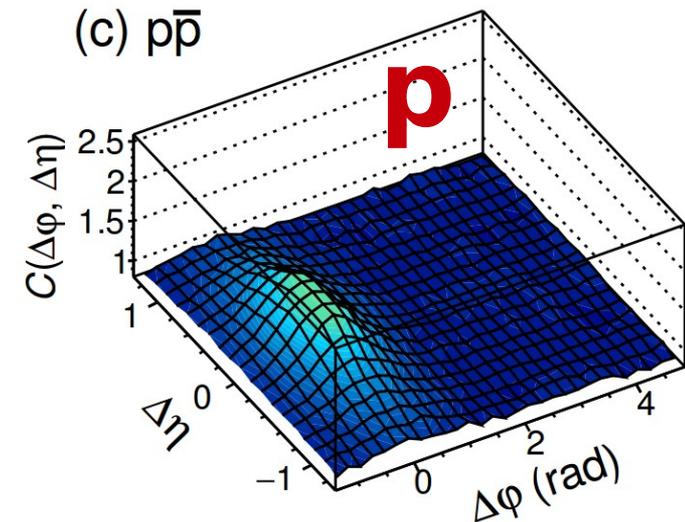
(a) $\pi^+\pi^-$



(b) K^+K^-



(c) $p\bar{p}$

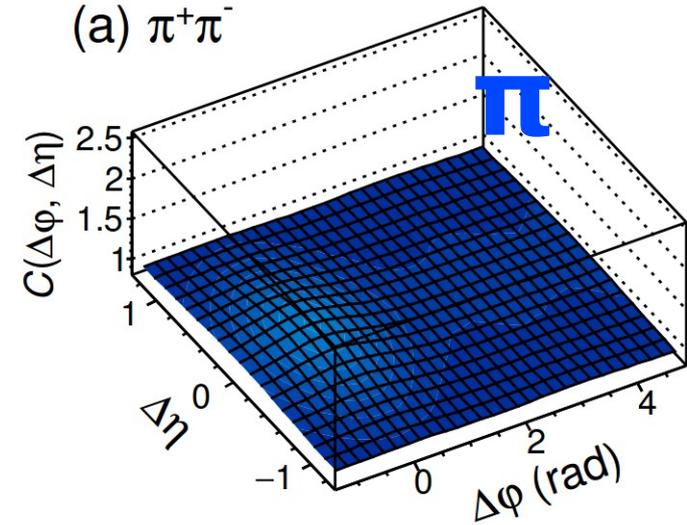


- For unlike-sign particles the **least energetically expensive** is always to **produce the particle-antiparticle pair** → **strong near-side peak**
- The **strength of the correlation** ~ ‘**price**’ of the **alternative solution**.
The larger the difference in ‘prices’ between basic and alternative solutions, the stronger the correlation.
 - for **pions** the alternative solution is just another opposite-charge particle,
 - for **protons** another antibaryon (charged, or neutral plus additional charged particle),
 - for **kaons** another strange particle, so at least a lambda + another baryon.

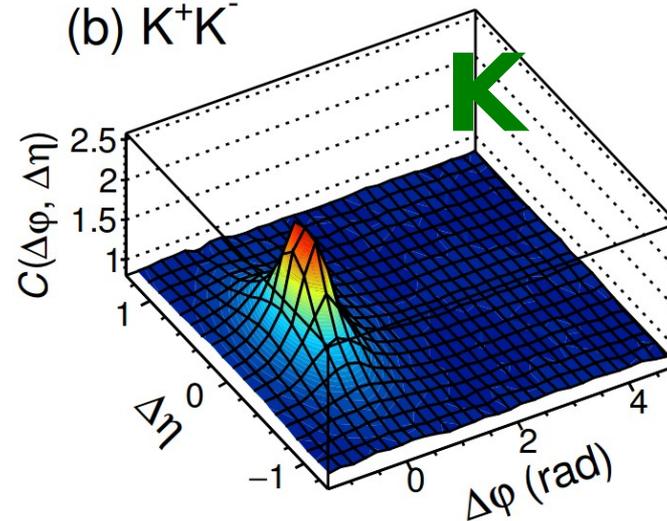
Unlike vs. Like-sign pairs

arXiv:1612.08975

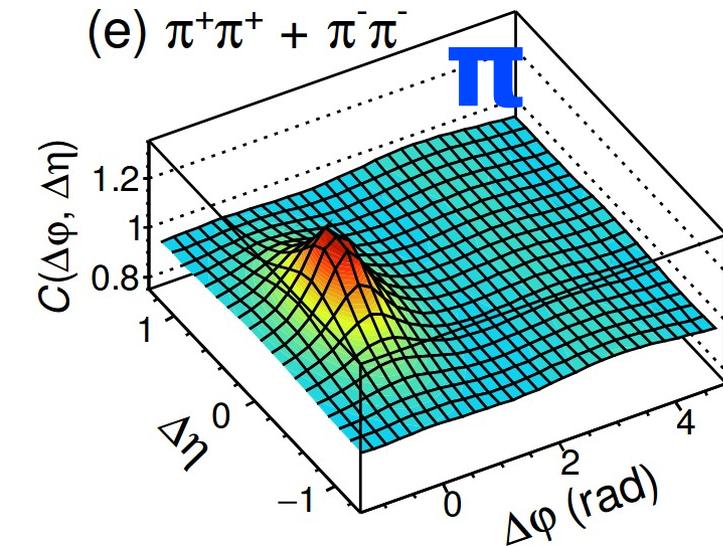
(a) $\pi^+\pi^-$



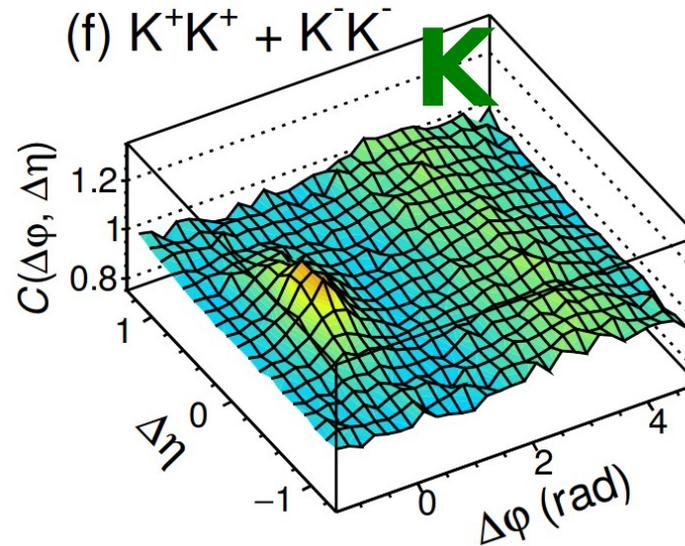
(b) K^+K^-



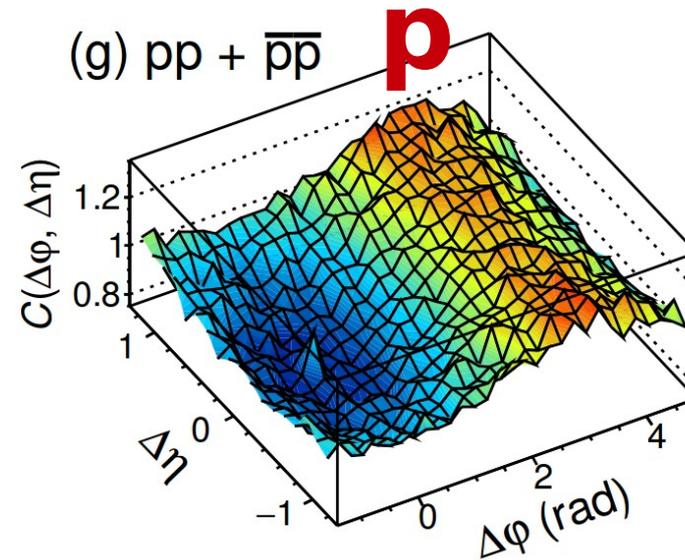
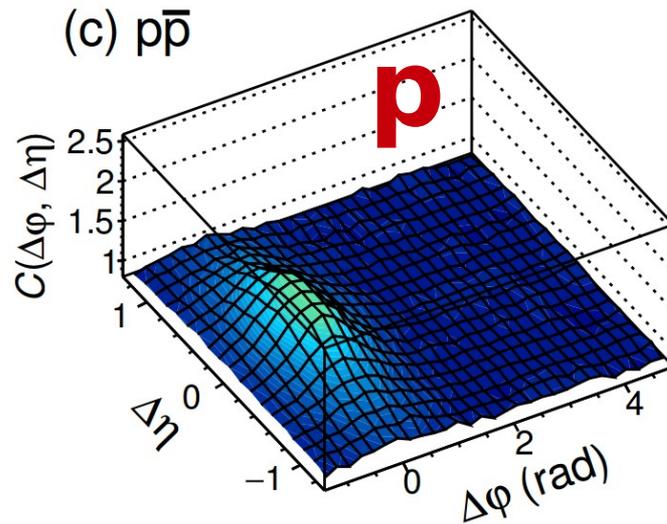
(e) $\pi^+\pi^+ + \pi^-\pi^-$



(f) $K^+K^+ + K^-K^-$



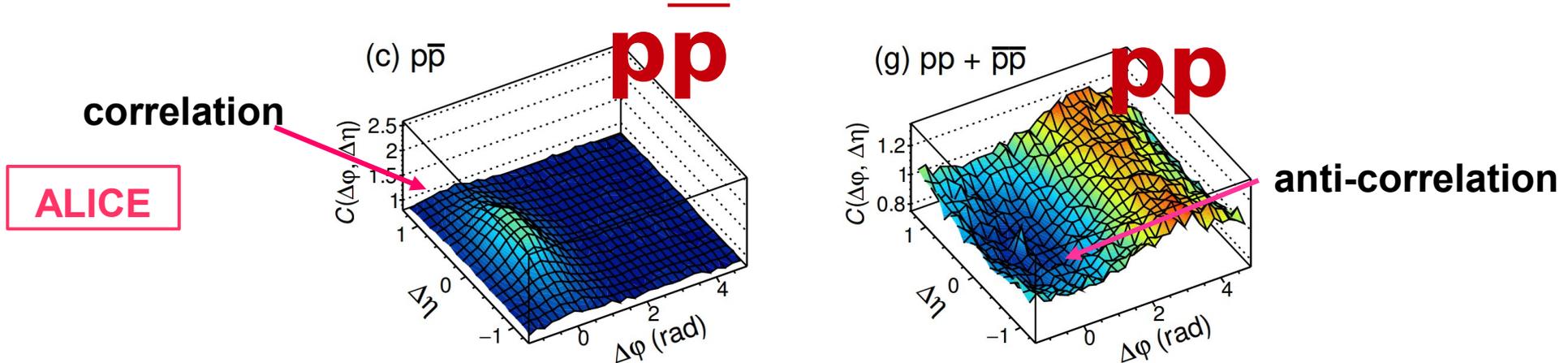
- For like-sign particles **producing two identical particles is not the cheapest** energetically like for particle – antiparticle case
- **Masses of the particles play significant role**
 - still for **kaons** and **pions** we can see the prominent near-side peak in the correlation function (due to the minijets, femtoscopic correlations)



- **Masses of the particles play significant role**

- for **protons** a large dip near the $(\Delta\eta, \Delta\phi) = (0, 0)$ is present: by producing two very heavy identical particles going in roughly the same direction we would have to produce also two baryons (two antiprotons), so another two heavy particles. The price of such solution is very high.

7 TeV pp vs. 29 GeV e⁺e⁻ collisions



Much more unlike-sign baryons close together in the phase-space than like-sign baryons.

